

ROLL NO:2019103033

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1)DFS(for disconnected also)

```
#include <stdio.h>
#define MAX 100

int matrix[MAX][MAX], visited[MAX];

//STACK
int top = -1;
int stack[MAX];

void push(int item) //O(1)
{
    stack[++top] = item;
}

int pop() //O(1)
{
    return stack[top--];
}

int peek() //O(1)
{
    return stack[top];
}

int isStackEmpty() //O(1)
{
    return top == -1;
}

void init(int vertices) //O(V^2)
{
    int i, j;

    for (i = 0; i < vertices; i++)
    {
        for (j = 0; j < vertices; j++)
        {
            matrix[i][j] = 0;
        }
    }
}

void addEdge(int vertices) //O(V^2)
{

```

```

int i, j, v;

for (i = 0; i < vertices; i++)
{
    visited[i] = -1;
    for (j = 0; j < vertices - 1; j++)
    {
        printf("Enter the adjacent node of %d(-1 to exit): ", i);
        scanf("%d", &v);
        if (v == -1)
        {
            break;
        }
        matrix[i][v] = 1;
    }
}

return;
}

int getAdjNode(int vertex, int vertices) //O(V)
{
    int i;
    for (i = 0; i < vertices; i++)
    {
        if (matrix[vertex][i] == 1 && visited[i] == -1)
        {
            return i;
        }
    }
    return -1;
}

void DFS(int vertices, int vertex) //O(V^2)
{
    int i;

    visited[vertex] = 1;
    printf("%d\t", vertex);
    push(vertex);

    while (!isEmpty())
    {
        int adjNode = getAdjNode(peek(), vertices);
        if (adjNode == -1)
        {
            pop();
        }
        else

```

```

        {
            visited[adjunviNode] = 1;
            printf("%d\t", adjunviNode);
            push(adjunviNode);
        }
    }
}

void DFSdis(int v)
{ //O(V^2) //It works for a disconnected graph also
    for (int i = 0; i < v; i++)
    {
        if (visited[i] == -1)
        {
            DFS(v, i);
            printf("\n");
        }
    }
}

void printMatrix(int vertices) //O(V^2)
{
    for (int i = 0; i < vertices; i++)
    {
        for (int j = 0; j < vertices; j++)
        {
            printf("%d\t", matrix[i][j]);
        }
        printf("\n");
    }
}

int main()
{
    int vertices;

    printf("Enter the number of vertices: ");
    scanf("%d", &vertices);
    printf("\n");

    init(vertices);

    addEdge(vertices);

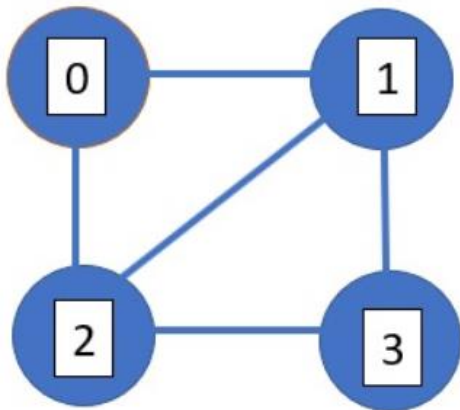
    printf("The adjacency matrix is:\n");
    printMatrix(vertices);

    printf("\n");
    printf("DFS TRAVERSAL:\n");
}

```

```
DFSdis(vertices);  
}
```

GRAPH:



OUTPUT:

Enter the number of vertices: 6

Enter the adjacent node of 0(-1 to exit): 1
Enter the adjacent node of 0(-1 to exit): 2
Enter the adjacent node of 0(-1 to exit): -1
Enter the adjacent node of 1(-1 to exit): 0
Enter the adjacent node of 1(-1 to exit): 2
Enter the adjacent node of 1(-1 to exit): 3
Enter the adjacent node of 1(-1 to exit): -1
Enter the adjacent node of 2(-1 to exit): 0
Enter the adjacent node of 2(-1 to exit): 1
Enter the adjacent node of 2(-1 to exit): 3
Enter the adjacent node of 2(-1 to exit): -1
Enter the adjacent node of 3(-1 to exit): 1
Enter the adjacent node of 3(-1 to exit): 2
Enter the adjacent node of 3(-1 to exit): -1
Enter the adjacent node of 4(-1 to exit): 5
Enter the adjacent node of 4(-1 to exit): -1
Enter the adjacent node of 5(-1 to exit): 4
Enter the adjacent node of 5(-1 to exit): -1

The adjacency matrix is:

0	1	1	0	0	0
1	0	1	1	0	0
1	1	0	1	0	0
0	1	1	0	0	0
0	0	0	0	0	1
0	0	0	0	1	0

DFS TRAVERSAL:

0	1	2	3
4	5		

TIME COMPLEXITY ANALYSIS:

Let V be the number of vertices and E be the number of edges.

We are using adjacency matrix here. During dfs traversal, each vertex v is called at least once. From each vertex, all the vertices are checked until a neighbouring vertex is found. The complexity of this process is $O(V)$. Since this process is done for all the vertices, The Overall complexity is $O(V \times V) = O(V^2)$.

2) BFS (including disconnected graph)

```
#include <stdio.h>
#include <stdlib.h>
#define MAX 100

typedef struct Node
{
    int vertex;
    struct Node *next;
} node;

typedef struct Graph
{
    int visited;
    struct Node *adjList;
} graph;

//QUEUE
int front = -1;
int rear = -1;
int queue[MAX];

void enqueue(int v) //O(1)
{
    if (front == -1 && rear == -1)
    {
        queue[++front] = queue[++rear] = v;
        return;
    }

    queue[++rear] = v;
    return;
}

int dequeue() //O(1)
{
    if
```

```

        return queue[front++];
    }
int getFront() //O(1)
{
    return queue[front];
}
int isQueueEmpty() //O(1)
{
    if (front > rear)
    {
        return 1;
    }
    return 0;
}
node *createNode(int v) //O(1)
{
    node *newnode = (node *)malloc(sizeof(node));
    newnode->vertex = v;
    newnode->next = NULL;

    return newnode;
}
void createGraph(graph *p, int v) //O(v)
{
    int i;
    for (i = 0; i < v; i++)
    {
        p[i].adjList = (node *)malloc(sizeof(node));
        p[i].visited = -1;
        p[i].adjList = NULL;
    }

    return;
}
void addEdge(graph *graph, int src, int dest) //O(1)
{
    node *newNode = createNode(dest);
    newNode->next = graph[src].adjList;
    graph[src].adjList = newNode;

    return;
}
int getAdjunvisited(graph *graph, int vertex) //O(V)--
>v is the number of vertices
{
    node *temp = graph[vertex].adjList;

    while (temp)

```

```

{
    if (graph[temp->vertex].visited == -1)
    {
        return temp->vertex;
    }
    temp = temp->next;
}

return -1;
}

void BFS(graph *graph, int v, int vertex) //O(V+E)
{
    int i;

    graph[vertex].visited = 1;
    enqueue(vertex);

    while (!isEmptyQueue())
    {
        node *temp = graph[vertex].adjList;
        while (temp)
        {
            if (graph[temp->vertex].visited == -1)
            {
                enqueue(temp->vertex);
                graph[temp->vertex].visited = 1;
            }
            temp = temp->next;
        }
        printf("%d\t", getFront());
        dequeue();

        vertex = getFront();
    }

    printf("\n");
}

void BFSdis(graph *g, int v)
{ //O(V+E) //It traverses the disconnected components also
    for (int i = 0; i < v; i++)
    {
        if (g[i].visited == -1)
            BFS(g, v, i);
    }
}

void printAdjNodes(graph *g, int v) //O(E)
{
    for (int i = 0; i < v; i++)

```



```

{
    node *temp = g[i].adjList;
    printf("%d->", i);
    while (temp != NULL)
    {
        printf("%d,", temp->vertex);
        temp = temp->next;
    }
    printf("\n");
}
}
int main()
{
    int vertices, i, adj, j;
    printf("\nEnter the number of vertices: ");
    scanf("%d", &vertices);
    printf("\n");

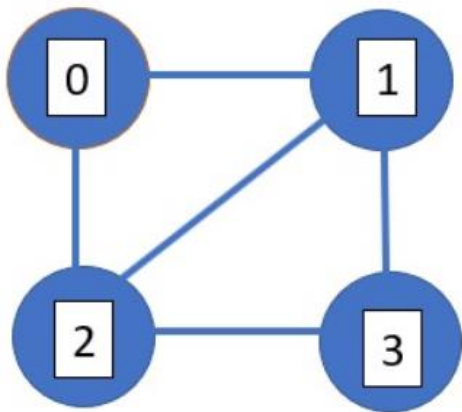
    graph g[vertices];
    createGraph(g, vertices);

    for (i = 0; i < vertices; i++)
    {
        for (j = 0; j < vertices - 1; j++)
        {
            printf("Enter the adjacent node of %d(-1 to exit): ", i);
            scanf("%d", &adj);
            if (adj == -1)
            {
                break;
            }
            addEdge(g, i, adj);
        }
    }

    printAdjNodes(g, vertices);
    printf("\n");
    printf("BFS TRAVERSAL:\n");
    BFSdis(g, vertices);
    return 0;
}

```

GRAPH:



OUTPUT:

```
Enter the number of vertices: 6

Enter the adjacent node of 0(-1 to exit): 1
Enter the adjacent node of 0(-1 to exit): 2
Enter the adjacent node of 0(-1 to exit): -1
Enter the adjacent node of 1(-1 to exit): 0
Enter the adjacent node of 1(-1 to exit): 2
Enter the adjacent node of 1(-1 to exit): 3
Enter the adjacent node of 1(-1 to exit): -1
Enter the adjacent node of 2(-1 to exit): 0
Enter the adjacent node of 2(-1 to exit): 1
Enter the adjacent node of 2(-1 to exit): 3
Enter the adjacent node of 2(-1 to exit): -1
Enter the adjacent node of 3(-1 to exit): 1
Enter the adjacent node of 3(-1 to exit): 2
Enter the adjacent node of 3(-1 to exit): -1
Enter the adjacent node of 4(-1 to exit): 5
Enter the adjacent node of 4(-1 to exit): -1
Enter the adjacent node of 5(-1 to exit): 4
Enter the adjacent node of 5(-1 to exit): -1

0->2,1,
1->3,2,0,
2->3,1,0,
3->2,1,
4->5,
5->4,
```

BFS TRAVERSAL:

0	2	1	3
4	5		

TIME COMPLEXITY ANALYSIS:

Let V be the number of vertices and E be the number of edges.

We are using adjacency list here. During bfs traversal, each vertex v is called at least once. From each vertex all of its neighbouring vertices are checked, its complexity (summing over all vertices) is $O(E)$. Constant operation of changing the visited flag to 1 happens for every vertex. Its complexity is $O(V)$. The overall complexity is $O(V) + O(E) = O(V + E)$.

3) THREADED BINARY TREE

```
#include <stdio.h>
#include <stdlib.h>
//I have inserted data in level order using a queue

#define used 1
#define unused 0

typedef struct node
{
    int data;
    struct node *left;
    struct node *right;
    int lt;
    int rt;
}node;

//Queue
struct queue
{
    struct node *data;
    struct queue *next;
} typedef queue;

queue *head = NULL, *rear = NULL;

void enqueue(node *val)
{ //O(1)
    queue *n = (queue *)malloc(sizeof(queue));
    if (!n)
    {
        printf("\nOverflow\n");
        return;
    }
}
```

```

    n->data = val;
    n->next = NULL;
    if (!head && !rear)
    {
        head = n;
        rear = n;
    }
    else
    {
        rear->next = n;
        rear = n;
    }
}

node *dequeue()
{ //O(1)
    if (!head)
    {
        return NULL;
    }
    queue *temp = head;
    head = head->next;
    node *del = temp->data;

    free(temp);
    if (!head)
    {
        rear = NULL;
    }
    return del;
}

int isEmpty()
{ //O(1)
    if (head == NULL && rear == NULL)
        return 1;
    return 0;
}

//THREADED BINARY TREE

node *createNode(int data)
{ //O(1)
    node *new = (node *)malloc(sizeof(node));

    new->data = data;
    new->left = NULL;
    new->right = NULL;

```

```

new->lt = unused;
new->rt = unused;

return new;
}

//LEVEL ORDER INSERT
node *insert(node *root, int data)
{ //O(height of the tree)
    if (!root)
    {
        return createNode(data);
    }

    enqueue(root);
    int leftinsert = 1;
    node *ptr = NULL, *parent = NULL;

    while (!isEmpty())
    {
        ptr = dequeue();
        parent = ptr;

        if (ptr->lt == unused && ptr->left)
        {
            enqueue(ptr->left);
        }
        else
        {
            leftinsert = 1;
            break;
        }

        if (ptr->rt == unused && ptr->right)
        {
            enqueue(ptr->right);
        }
        else
        {
            leftinsert = 0;
            break;
        }
    }
}

//THREADING--O(1)
node *tmp = createNode(data);
tmp->lt = used;
tmp->rt = used;

```

```

    //when to be inserted as left child
    if (leftinsert)
    {
        tmp->left = parent->left;
        tmp->right = parent;

        parent->lt = unused;
        parent->left = tmp;
    }
    //when inserted as the right child
    else
    {
        tmp->right = parent->right;
        tmp->left = parent;

        parent->rt = unused;
        parent->right = tmp;
    }

    return root;
}

node *inorderSuccessor(node *ptr)
{ //O(height of the tree)
    if (ptr->rt == used)
        return ptr->right;

    ptr = ptr->right;
    while (ptr->lt == unused)
        ptr = ptr->left;

    return ptr;
}

void inorder(node *root)
{ //O(n), where n is the number of nodes
    if (root == NULL)
    {
        printf("Tree is empty\n");
    }

    node *ptr = root;
    while (ptr->lt == unused)
        ptr = ptr->left;
    printf("\nTree: ");
    while (ptr != NULL)
    {

```

```

        printf("%d ", ptr->data);
        ptr = inorderSuccessor(ptr);
    }
}

int main()
{
    int choice, data;
    node *root = NULL;
    while (1)
    {
        printf("\n1. INSERT \n2. DISPLAY\n0. EXIT");
        printf("\nEnter your choice(0-2): ");
        scanf("%d", &choice);

        if (choice == 0)
        {
            break;
        }

        switch (choice)
        {
            case 1:
                printf("Data: ");
                scanf("%d", &data);
                root = insert(root, data);
                break;

            case 2:
                inorder(root);
                break;

            default:
                break;
        }
    }

    return 0;
}

```


OUTPUT:

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 1
Data: 1
```

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 1
Data: 2
```

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 1
Data: 3
```

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 1
Data: 4
```

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 1
Data: 5
```

```
1. INSERT
2. DISPLAY
0. EXIT
Enter your choice(0-2): 2

Tree: 4 2 5 1 3
```

TIME COMPLEXITY ANALYSIS:

Let n be the number of nodes of the tree

Finding the inorder successor takes $O(\text{height})$ or $O(\log n)$ amount of time. Insertion in level order takes $O(n)$ amount of time. Displaying in level order takes $O(n)$ amount of time.

The overall Time complexity is $O(n)$.