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# **How to Not Fail** **Control Systems**

*While never going to class*

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## **1 Modeling in the Frequency Domain**

## **2 Modeling in the Time Domain**

## **3 Time Response**

## **4 Reduction of Multiple Systems**

## **5 Stability**

### **5.1 Routh-Hurwitz Criteria**

### **5.2 Routh-Hurwitz Special Cases**

## **6 Steady State Errors**

## **7 Root Locus Techniques**

The root locus approaches straight lines as asymptotes as the locus approaches infinity. Further, the equation of the asymptotes is given by the real-axis intercept,  $\sigma_a$  and angle,  $\theta_a$  as follows:

$$\sigma_a = \frac{\sum \text{Finite Poles} - \sum \text{Finite Zeros}}{\# \text{Finite Poles} - \# \text{Finite Zeros}}$$

$$\theta_a = \frac{(2k-1)\pi}{\# \text{Finite Poles} - \# \text{Finite Zeros}}$$

Where  $k = \pm 0, \pm 1, \pm 2, \pm 3$  and the angle is given in radians with respect to the positive extension of the real axis.

## **8 Design via Root Locus**

## **9 Frequency Response Techniques**

## **10 Design via Frequency Response**