

# EDA HW5

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## 1 Problem 1.

1. No, since we don't know the exact amount of iteration  $r$ .
2. Yes, as long as we know  $W$  or  $w_i$  is bounded (so that  $W < n \max w_i$ ).

## 2 Problem 2.

	swap	gain	$\Sigma$ gain	locked	$A$	$B$
1	$(c, d)$	0	0	$c, d$	$a, b, d$	$c, e, f$
2	$(b, f)$	-39	-39	$b, c, d, f$	$a, d, f$	$c, b, e$
3	$(a, e)$	39	0	$a, b, c, d, e, f$	$d, e, f$	$a, b, c$

## 3 Problem 3.

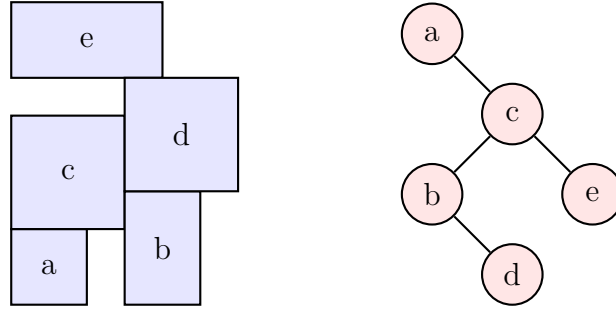
We define

1. Solution space: Each partition that split the vertice into to group with same size is in the solution space.
2. Neighborhood structure: Let  $(A, B)$  be a balanced partitioning. For all  $a \in A, b \in B$ , we swap these vertice and become a new partition  $(A', B')$ , then all these partition are the neighborhood of  $(A, B)$ .
3. Cost Function: We define the total cost (cut size) to be our cost function.

Then we could preform annealing. That is, set a random initial state and temperature. Then each time, we pick a random neighbor, calculate the cost difference, and decide if we should go to the new state.

## 4 Problem 4.

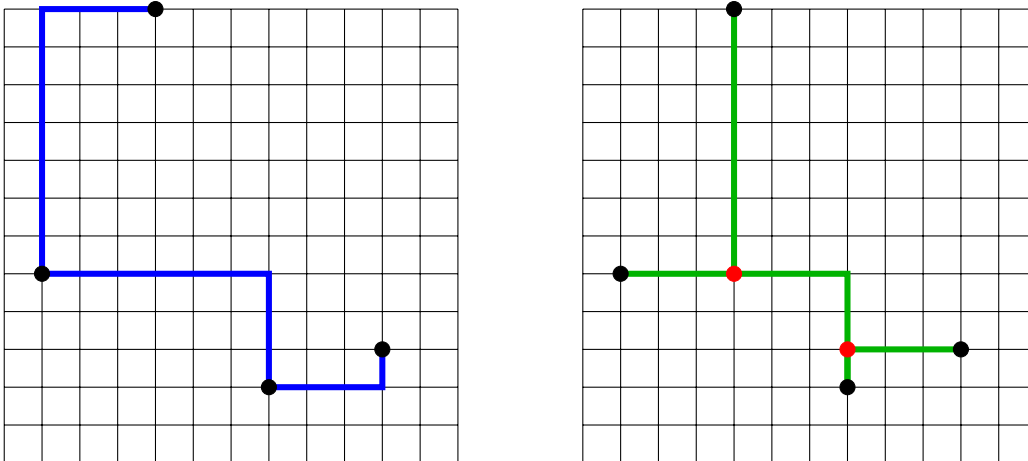
First we compact the placement, and then derive the B-tree.



1. (a):  $[(0, 0), (0, 2), (2, 2), (2, 0)]$ .
2. (c):  $[(0, 0), (0, 5), (3, 5), (3, 0)]$ .
3. (b):  $[(0, 0), (0, 5), (3, 5), (3, 3), (5, 3), (5, 0)]$ .
4. (d):  $[(0, 0), (0, 5), (3, 5), (3, 6), (6, 6), (6, 0)]$ .
5. (e):  $[(0, 0), (0, 8), (4, 8), (4, 6), (6, 6), (6, 0)]$ .

Area cost = 48. Area efficiency =  $36/48 \approx 0.75\%$ .

## 5 Problem 5.



$$m = 19$$

$$n = 23$$

$$p = 19$$

$$q = 424$$

$$r \approx 176.67$$

$$s \approx 20.10$$

## 6 Problem 6.

- (a)  $a = 10, b = 10, \text{err} = 0\%$ .
- (b)  $a = 10, b = 12, \text{err} = 16.7\%$ .
- (c)  $a = 10, b = 14, \text{err} = 28.6\%$ .
- (d) As the degree increase, the error rate increases.

Using MST estimation or fit by some polynomial (i.e,  $\hat{b} = pa + q$ , where  $a$  is HPWL,  $\hat{b}$  is the new estimate, and  $p, q$  are some parameter.) may give a better result.

## 7 Problem 7.

We split a square into 4 nodes. That is, we use  $(b, d)$  to represent a node, where  $b$  is a square in the graph and  $d$  is a direction, which means that “We traversed to the square  $d$  with the last direction facing  $d$ ”. Also we change the distance(cost) to a 2-tuple  $(x, y)$  such that  $x$  is the path length, and  $y$  is the number of bends on the path. We define

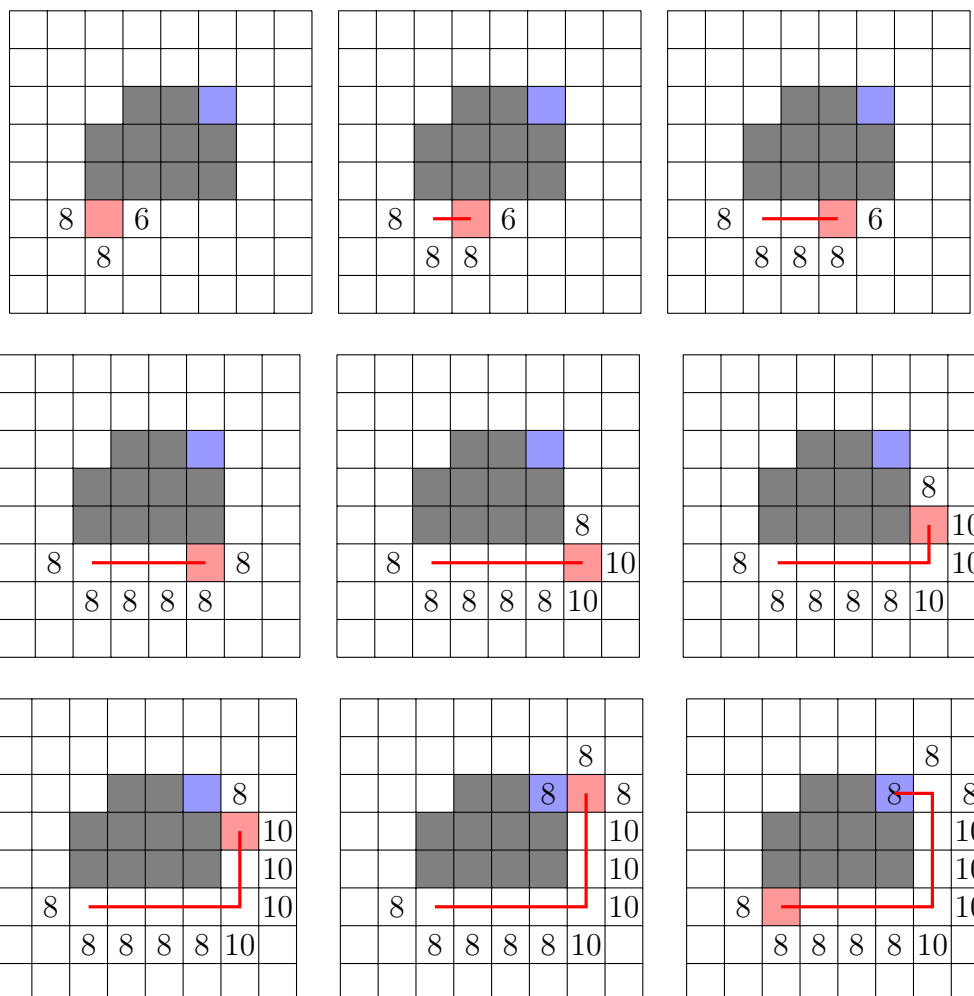
$$(x_1, y_1) < (x_2, y_2) \Leftrightarrow x_1 < x_2 \vee (x_1 = x_2 \wedge y_1 < y_2)$$

and

$$(x_1, y_1) + (x_2, y_2) = (x_1 + x_2, y_1 + y_2).$$

The distance from  $(b_1, d_1)$  to  $(b_2, d_2)$  is set to  $(1, 0)$  if  $d_1 = d_2$  and  $(1, 1)$  if  $d_1 \neq d_2$ , when  $b_1, b_2$  are adjacent. Now set the distance  $d(S, i) = 0$  for each of the 4 distance and find the minimum path to  $d(T, i)$  using any shortest path finding algorithm gives the answer.

## 8 Problem 8.



## 9 Problem 9.

