Image transformations

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June 14, 2019

Relationship between point and image transformations

Define:

- ► The *forward* transformation maps *points* from moving to target space.
- ► The *inverse* transformation maps *points* from target to moving space.

Relationship between point and image transformations

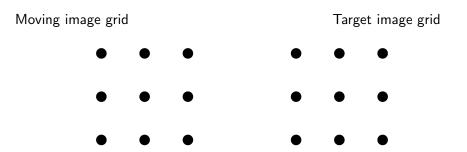
Define:

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- ► The *inverse* transformation maps *points* from target to moving space.

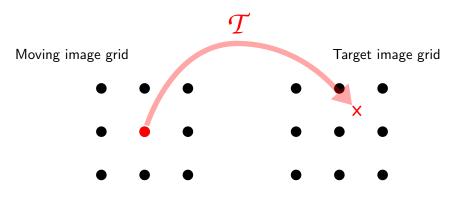
Then:

- We need the *inverse* transformation to map *images* from moving to target space
- ► We need the *forward* transformation to map *images* from target to moving space

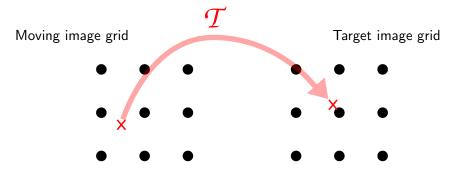
The following will explain why this is the case.



We have a moving image that we want to transform, and render on a new, target image grid.

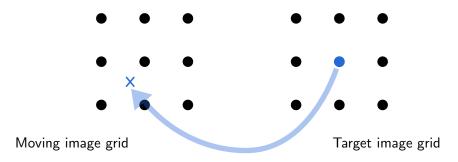


A transformation maps points from the moving space to the target space. But moving grid points may not land on the target grid.

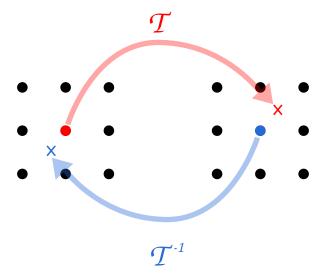


How do we find a point in moving space (possibly between grid points) that maps to a grid point?

Applying the inverse of the transformation to grid points in target space tells us where to sample from in moving space.



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Then:

- ► We need the *inverse* transformation to map *images* from moving to target space
- ► We need the *forward* transformation to map *images* from target to moving space