Lab B Sobel Filter

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Outline

Sobel Filter Introduction

Implementation

Evaluation

Outline

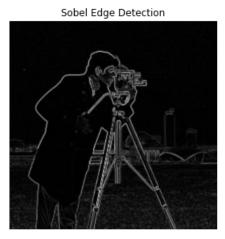
Sobel Filter Introduction

Implementation

Evaluation

- Sobel and Feldman presented the idea of an "Isotropic 3x3 Image Gradient Operator" at a talk at SAIL in 1968
- Used in image processing and computer vision
- Edge detection algorithms where it creates an image emphasising edges





Isotropic 3x3 Image Gradient Operator

Irwin Sobel

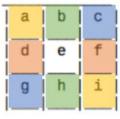
The neighbors group into antipodal pairs: (a,i) (b,h) (c,g) (f,d).

Thus for a point on a Cartesian grid and its eight neighbors having density values as shown

b	С
е	f
h	i

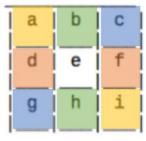
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Thus for a point on a Cartesian grid and its eight neighbors having density values as shown

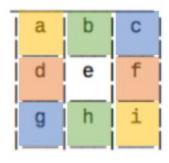


Define the magnitude of the directional derivative estimate vector 'g' for a given neighbor as

|g| = <density difference>/<distance to neighbor>



We can derive G



$$=>G = [(c-g-a+i)/4 + (f-d)/2, (c-g+a-i)/4 + (b-h)/2]$$

$$=> G' = 4*G = [c-g-a+i + 2*(f-d), c-g+a-i + 2*(b-h)]$$

We can derive G and obtain the following matrix

$$G' = 4*G = [c-g-a+i + 2*(f-d), c-g+a-i + 2*(b-h)]$$

It is useful to express this as weighted density summations using the following weighting functions for x and y components:

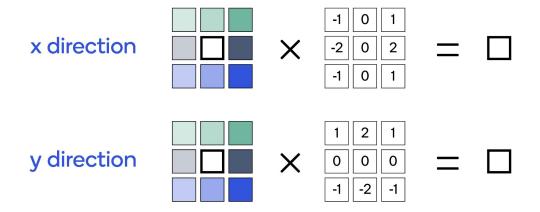
-1	0	1
-2	0	2
-1	0	1

x-component

Ī	1	2	1
-	0	0	0
-	-1	-2	-1
1_			

y-component

We can derive G and obtain the following matrix



The resulting gradient approximations can be combined to give the gradient magnitude

$$G=\sqrt{{G_x}^2+{G_y}^2}$$

To simplify, we have

$$G = |G_x| + |G_y|$$

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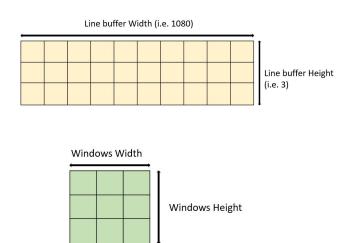
Evaluation

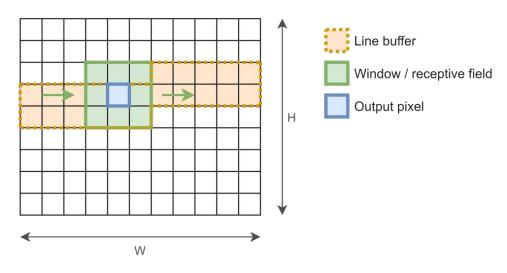
Sobel Filter Operation

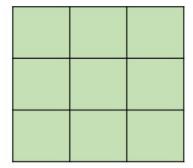
```
const char x op[3][3] = {
                  \{-1,0,1\},
                  \{-2,0,2\},
                  \{-1,0,1\}\};
                                  X and Y filter
  const char y_op[3][3] = {
                  \{1,2,1\},
                  \{0,0,0\},
                  \{-1,-2,-1\}\};
  //Compute approximation of the gradients in the X-Y direction
  for(i=0; i < 3; i++){}
   for(j = 0; j < 3; j++){
                                               Calculation
#pragma HLS unroll factor=3
     // X direction gradient
      x_weight = x_weight + (window->getval(i,j) * x_op[i][j]);
     // Y direction gradient
     y_weight = y_weight + (window->getval(i,j) * y_op[i][j]);
```

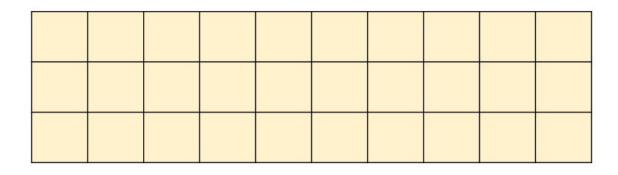
Sobel Filter Operation

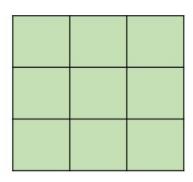
```
edge weight = ABS(x weight) + ABS(y weight);
edge_val = (255-(unsigned char)(edge_weight)); Gradient
//Edge thresholding
if(edge val > 200)
  edge val = 255;
                            Threshold
else if(edge val < 100)
 edge val = 0;
pixel.R = pixel.G = pixel.B = edge val;
return pixel;
```

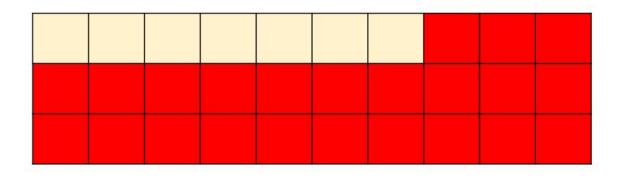


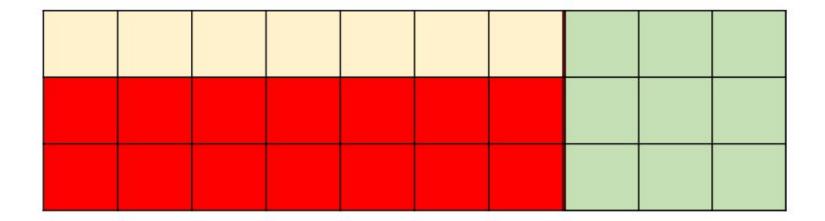




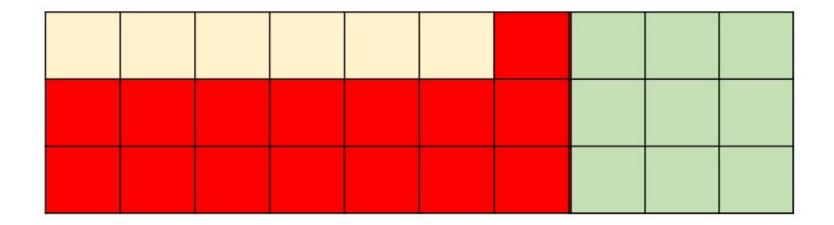




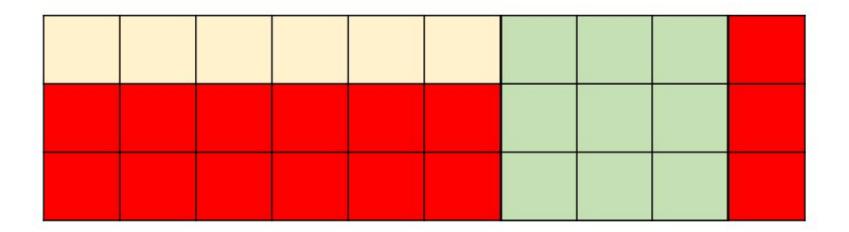




Line Buffer - Read



Line Buffer - Slide



Sobel Filter Main

```
for(row = 0; row < ROWS+1; row++){</pre>
 for(col = 0; col < COLS+1; col++){</pre>
                                                                       buff A : Linebuffer
   //Line Buffer fill
                                                                       buff C: Windows
   if(col < cols){
  buff A.shift up(col);
  temp = buff A.getval(0,col);
   //There is an offset to accommodate the active pixel region
   //There are only MAX WIDTH and MAX HEIGHT valid pixels in the image
   // Insert new pixel into linebuffer
   if(col < cols & row < rows){</pre>
  RGB new pix;
  AXI PIXEL input pixel;
                                                       Insert Linebuffer
 input pixel = inter pix[row][col];
  new pix.B = input pixel.data.range(7,0);
  new pix.G = input pixel.data.range(15,8);
  new pix.R = input pixel.data.range(23,16);
  tempx = new pix;;
  buff_A.insert_bottom(rgb2y(tempx),col);
   //Shift the processing window to make room for the new column
   buff_C.shift_right();
   //The Sobel processing window only needs to store luminance values
   //rgb2y function computes the luminance from the color pixel
   if(col < cols){</pre>
  buff C.insert(buff A.getval(2,col),0,2);
                                                         Insert Windows
  buff C.insert(temp,1,2);
  buff C.insert(rgb2y(tempx),2,2);
```

Outline

Sobel Filter Introduction

Implementation

Evaluation

Image

• Input - Image (1920 x 1080)

Output - Image (1920 x 1080)

Pragma

- pragma HLS pipeline
 - Initiation interval II = 1
- pragma HLS loop_flatten
 - Allows nested loops to be flattened into a single loop hierarchy with improved latency.
- pragma HLS dependence
 - Provide additional information that can overcome loop-carry dependencies and allow loops to be pipelined (or pipelined with lower intervals).

```
#pragma HLS dependence variable=&buff_A false
      if(col < cols){</pre>
    buff_A.shift_up(col);
    temp = buff_A.getval(0,col);
template <typename T, int LROW, int LCOL>
  void ap_linebuffer<T,LROW,LCOL>::shift_up(int col)
  int i;
  for(i = LROW-1; i > 0; i--){
   M[i][col] = M[i-1][col];
```

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```

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#pragma HLS dependence variable=&buff_A false
      if(col < cols){</pre>
    buff_A.shift_up(col);
    temp = buff A.getval(0,col);
                                          False Dependence!
template <typename T, int LROW, int LCOL>
  void ap_linebuffer<T,LROW,LCOL>::shift_up(int col)
  int i;
  for(i = LROW-1: i > 0: i--){}
   M[i][col] = M[i-1][col];
```

HLS Unroll

Latency

Cosimulation Report for 'sobel_filter'

Result

		Latency			Interval		
RTL	Status	min	avg	max	min	avg	max
VHDL	NA	NA	NA	NA	NA	NA	NA
Verilog	Pass	2088493	2088493	2088493	NA	NA	NA

Export the report(.html) using the Export Wizard

With Loop_flaten off

Cosimulation Report for 'sobel_filter'

Result

		Latency		Interval			
RTL	Status	min	avg	max	min	avg	max
VHDL	NA	NA	NA	NA	NA	NA	NA
Verilog	Pass	2076616	2076616	2076616	NA	NA	NA

Export the report(.html) using the Export Wizard

Latency

Pragma Type	Latency (Absolute Max)
None	0.8 (sec)
Pragma Unroll	0.156 (sec)
Manual Unroll	0.156 (sec)
Pipeline	10.383 (ms)
Pipeline & Loop Flatten	10.448 (ms)
Pipeline & Loop Flatten & Unroll	10.442 (ms)

Latency

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None	0.8 (sec)
Pragma Unroll	0.156 (sec)
Manual Unroll	0.156 (sec) 5.12X
Pipeline	10.383 (ms) 77.0X
Pipeline & Loop Flatten	10.448 (ms)
Pipeline & Loop Flatten & Unroll	10.442 (ms)

Utilization

Utilization

Pragma Type	DSP48E	FF	LUT
None	4	587	1104
Pragma Unroll	2	516	981
Manual Unroll	2	523	985
Pipeline	2	1191	1332
Pipeline & Loop Flatten	2	1112	1181
Pipeline & Loop Flatten & Unroll	2	1070	1176

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Conclusion

- Trade off between latency and utilization
- Dependence Pragma do nothing (Compiler??)
- Linebuffer data structure

Original



Sobel Filter



Threshold = 50



Threshold = 100



Original





Threshold = 100



Threshold = 250

Sobel Filter

We can derive G and obtain the following matrix

$$G' = 4*G = [c-g-a+i + 2*(f-d), c-g+a-i + 2*(b-h)]$$

It is useful to express this as weighted density summations using the following weighting functions for x and y components:

-1	0	1
-2	0	2
-1	0	1

x-component

Ī	1	2	1
-	0	0	0
-	-1	-2	-1
1_			

y-component

Weight = 1



Weight = 2



Question

- 1. What is the function of #pragma loop_flatten false
- 2. What kind of data structure is used in Sobel Filter

Sobel Filter

Github Link : <u>HLS_LabB_SobelFilter</u>

Thank you!