What is smallpt anyway?

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- 1. S
- 2. 99 LoC C++: small path tracer.
- 3. Ported to many languages, including Haskell!4. Haskell port was by Vo Minh Thu. Thanks a ton!
- Start from noteed's original source; SHA the output image from the Haskell source for baseline.
- 6. Perfect for an optimization case study.
- 7. Plan: Quick walk through Haskell code, end up at C++ (clang++) performance.

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- 1. S
- 2. Brief spiritually correct description of how a path tracer works
- 3. Main problem: what light ray hits the eye?4. Idea: trace backwards; start from the eye, hypothesize light came from a direction
- 5. Follow the direction, and see if light did indeed come from this direction
- 6. Hypothesize light came from direction r1. Follow and see what happens
- 7. Similarly for r2, r3



- 1. Let's say our ray hits a light source
- 2. Then we know that the ray came from the light source
- 3. Set color to color of light source

- 1. Let's say our ray hits nothing
- 2. Then we know that nothing could have produced this ray.
- 3. Set color to zero



- 1. Let's say our ray hit a metallic object. This is neither a light source, nor nothing
- 2. We want to find light rays, which on striking the metal, produce our black right ray
- 3. Use reflection: angle of incidence equals angle of reflection
- 4. Perform math, find light ray that lead to black right ray
- 5. candidate blue ray is shown
- 6. recurse



- 1. Let's say our ray hit a glass object. This is different from all the previous cases
- 2. Here, refraction comes into play
- 3. Perform math, find light ray that lead to black right ray
- 4. candidate blue ray is shown
- 5. recurse



- 1. Consider a difficult scene like this one, where light can only enter from the top
- 2. Light may need to bounce many times before it enters the eye
- 3. How many bounces do we consider?
- 4. Make longer bounces more unlikely
- 5. Setup a russian roulette system, where the longer a ray has bounced, the more likely it is to die (stop recursing)
- 6. increase number of bullets in the gun as number of bounces increase

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—What is smallpt anyway?

What is smallpt anyway?

- 1. S
- 2. Has geometric primitives: vectors, spheres, materials
- 3. Entirely numeric-based, no real "data structures" to speak of

What is smallpt anyway?

What is smallpt anyway?

- 1. **S**
- 2. Most of the compute cost is spent in the function that traces rays.
- 3. is called radiance



What is smallest anyway?

The management like in its again, magas alone start

minimum

minim

- 1. S
- 2. radiance is the function that performs this path tracing
- 3. Recursively calls itself a bunch of times

-What is smallpt anyway?

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- 1. **S**
- 2. Recursion is guarded by a lot of control flow

0 11 0



- 1. S
- 2. The control flow and computation is very numeric in nature

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What is smallpt anyway?

What is consider anyway?

The interest of the part of

- 1. S
- 2. uses the function erand48 for randomness

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—What is smallpt anyway?

- 1. **S**
- 2. The full code continues to be more of the same

#### What is smallpt anyway?

The second section of the control of



- 1. **S**
- $2. \ \,$  The same computation, this time in haskell

Initial Haskell Code: Data structures

size the - bit of \$1000 A \$) Theodo (A \$1000 A \$)

- 1. S
- 2. We implement the same geometric data structures in Haskell
- 3. Code here has an inconsistency
- 4. while Vec has unpack, Ray, Sphere not having unpack

Initial Haskell Code: scene data

Initial Haskell Code: scene data

- 1. **S**
- 2. this list will be walked many times, as it contains our scene information.

Initial Haskell code: Sphere intersection

intersect :: Ray -> Sphere -> Maybe Double intersect (bay s d) (Sphere r p .e \_c\_ref) if deto them Suthing slier f (b-adet) (b-adet)

Initial Haskell code: Sphere intersection

there up - p - a - Fameric eps - 1 - d b - det up b - det up - det up - p - p - p - Fameric and t - appt det f a n - 1 f Armen then Just a size if areas then Just a size Noti

and - syst that that a shar if reps then that a size firthing interests in by -0 (duple books, places) interests in by -0 (duple books, places) interests in by -0 (duple books, places) interests (x,y) = 0 (for (x,y) = 0) and (x,y) = 0 (for (x,y) = 0) and (x,y) = 0 (for (x,y) = 0) and (x,y) = 0 (for (x,y) = 0) (for (x,y) = 0)

- 1. S
- $2. \ \mbox{Responsible}$  for figuring out what the ray hits.
- 3. We iterate over the list of spheres.
- 4. Once again, numeric heavy.
- 5. Use a Maybe to indicate whether we've found an answer or not.

2020-11-05

—Initial Haskell Code: radiance  $(1 \times)$ 



- 1. S
- 2. Branch heavy
- 3. Recursive
- 4. Uses an RNG

```
Optimizing smallpt
```

Initial Haskell Code: Entry point  $(1\times)$ 

Small related Code Cony point (1×)  $\begin{aligned} & \text{single} & \text$ 

ci + Yec (class yw) (class yw) (class wh) .\* 0.25 -- Frite

- 1. S
- 2. Use mutability to store the pixels of the image in c
- 3. Loops over all pixels in an image and shoots rays
- 4. Shoots samps number of rays per pixel and adds up the results
- 5. Finally, writes resulting color out by mutating the array  $\boldsymbol{c}$

- 1. **S**
- 2. As mentioned previously, we use the RNG to decide randomly in which direction to send rays  $\ \$
- 3. erand48 is imported as a foreign ccall for parity with the C code



- 1. S
- $2. \ \,$  The very first thing to do is to let the compiler actually optimize.
- 3. If a function is public, then compiler doesn't know all call sites
- 4. Export only the one function that's called from the outside: main
- 5. Allows compiler to know that other functions in module are not called from outside
- 6. compiler has "perfect knowledge" about these functions now

tale Main where

Restrict export list to main (1.13×)

Exported functions could be used by something unknown
 Original ventions must be available.

1. S

Optimizing smallpt

- 2. The very first thing to do is to let the compiler actually optimize.
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Mark entries of Ray and Sphere as UNPACK and Strict  $(1.07\times)$ 

due to ... The ( 2 miles ) is the control of the c

- 1. D
- 2. Strictness in the arguments means that they're evaluated when instantiated, not when demanded.
- 3. Where as Unpacking removes indirection from doing a memory lookup for components.
- 4. Means we have to copy everything into the data structure that it is unpacked into.
- 5. We don't unpack ray (Lots of calculations on its components, want those to fuse)
- 6. Unpack Sphere its static from compile time
- 7. Don't unpack Ray, because each Vec undergoes a lot of computation.

Use a pattern synonym to unpack Refl in Sphere (1.07 imes)

"(A. LANDER Proceedingson III)
Annual State of the Communication of the

- 1. D
- 2. Was unable to unpack Refl
- 3. UnboxedSums are recent
- 4. UnboxedSums are very unpleasant
- 5. We're using an older trick to fake the unboxing here instead.
- 6. In this case it isn't much of a win, but it illustrates the technique.

Change from maximum on a list to max  $(1.08\times)$ 

```
or (be a b c) = maximum [a,b,c]
or (be a b c) = max ince b c)
or (be a b c) = max ince b c)
or = - land or maker t)
or = - land or maker t)
or = land or maker t)
or = land or maker t c c)
than a class a 'maker' (-1)
ordition of c case sell of
silfo ordit
ordition of colors
ordition or class sell of
silfo ordition
late (see - maker t)
late (see - maker t)
```

Change from maximum on a list to max (1.08×)

- 1. D
- 2. Prebuild comparison
- 3. Don't go via list
- 4. GHC does not evaluate at compile time, only has RULES
- 5. Doesn't really help much in this case

# State | State | State | State |
# State | State | State | State |
# State | State | State | State |
# State | State | State | State |
# State | State | State |
# State | State | State |
# S

- 1. S
- 2. The entire premise of this talk is that Haskell can be as fast as C.
- 3. We're opening the black box of what erand48 does to GHC
- Further any impedance mismatch, such as FFI almost universally has to have, carries some bookkeeping overhead.
- 5. If our Haskell code was as fast as the C code moving the code into Haskell would be a win, if it was slightly slower it could still be a win.
- 6. Often considering your Haskell code's performance is a better option and easier than reimplementing something in C.
- 7. As is the way with optimizations, this is not universally true.

Remove mutability: Erand48 Monad

```
Remove metallity: Exactlet Mendal

***The Company of the Company o
```

- 1. **D**
- 2. All these mutability locations throw in extra RTS code, extra sequencing that blocks the compiler's optimization, and dependency chains.
- 3. Sometimes we need mutability for performance.
- 4. SSA is normal to compilers though.
- 5. We almost start at SSA as a functional language.
- 6. don't break it when you don't have a good reason.

2020-11-0

Removing mutation: eliminate IORef and Data.Vector.Mutable

#### 1. **D**

Removing mutation eliminate Diled and Data, Vector Retable

1 \* 1 \* Remove Retable

1 \* Remove Remove Retable

1 \* Remove Remove

Set everything in smallpt to be strict  $(1.17\times)$ 

Don't senselessly bang everything in sight.

- 1. D
- 2. This is not a recommendation, this is a warning.
- 3. We get a speedup here but it can also regress performance. Some of these bangs are regressions that are hidden.

Set everything in smallpt to be strict (1.17×) mailps : hat > let > let > let () and let de - if r2Cl then aprt r2Cl size loapt(2:r2) r2 C (2\*) "feep" eramilit si let dy - if r2Cl then aprt r2Cl size loapt(2:r2) d - ... d = ...

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lei (c (2e) 'dang' nemedil ni
lei (d (2e) 'dang' nemedil ni

Why strictness may be bad

Why strictness may be bad

- 1. S
- 2. Consider the function foo and fooOpt. These are equivalent
- 3. The fact that x is not used allows us to eliminiate computing x
- 4. Consider the next version
- 5. Illegal, we need to have x, because it doesn't produce ERR
- 6. we can't equationally reason about the program anymore.
- 7. Makes it harder for GHC. GHC is conservative about bangs
- 8. Inhibits compiler from optimizing

Why strictness may be bad

Let due - let a - some "NAC" in  $\langle y > y \rangle$  let due't - let (y > y) let due't - let (x - y) > y

Why strictness may be bad

- 1. S
- 2. Consider the function foo and fooOpt. These are equivalent
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- 7. Makes it harder for GHC. GHC is conservative about bangs
- 8. Inhibits compiler from optimizing

Why strictness may be bad

Let  $duu^* = Let \ \forall u = uncon \ ^*MMA^* \ du \ ^*y \ \Rightarrow \ y$ Let dearly's - by the your ESSEST flowing for before by about your best

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Reduce to only useful strictnesses in smallpt $(1.17\times)$ 

```
Reducts to only and distributions in small pel(1,17c)

in these and the second of the
```

- 1. **D**
- 2. Thus the compiler can no longer move the computation around or simplify it.
- 3. Force useless work.
- 4. A little thinking about how the variables are used or looking at core allows us to select which ones we bang selectively.

Use strictness strategically in entire project

For short than being size if the short (parks)

start of y - y - y

start of y

- 1. D
- 2. Sometimes (point out 'intersect') we have to rearrange the code though when we use bangs.
- 3. Bangs tell the compiler to make more efficient code, but take away the compiler's options in how to do so.
- 4. Only take away the compiler's liberties when it's using them poorly.
- 5. Becomes intuitive.

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```
Remove Maybe from intersect(s) (1.32\times)
```

Remove Mayba from intersect(s) (1.20-c)

Inthe Despise Intersect (s) (1.20-c)

Inthe Despise Intersect (s) (1.20-c)

Intersect (1.00 to represent the second to the second

Distinguished to  $O(m \cdot n^{-1})$   $O(m) = (n \cdot n^{-1})$ O(m) = (n

interests : Rey -> (Neybe Dunkle, Sphere) -interests :: Rey -> (Dunkle, Sphere) interests say - (b, s)

- 1. S
- 2. This is a far more performance critical version of what we saw with 'maximum' vs. 'max'.
- 3. innermost functions are of critical importance. remove Maybe which significantly reduces the boxing
- 4. Since a Ray that fails to intersect something can be said to intersect at infinity, Double already actually covers the structure at play
- 5. This also reduces allocation.

Hand unroll the fold in intersects  $(1.35\times)$ 

Hand unroll the fold in intersects (1.35 $\times$ )

interests :: Eay > (Souble, Sphere) :interests ray = (h, s) : shere (h,s) = foldl' f (1/0.0,undefined) :

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opheron : [As a - Sphero ] a - serve | (.\*) - selve | v - Yes in

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a led (v (led v) 0.0.8 ML.0) | a (v 0.78 0.20 0.28) 0077 - ledv

phiefs, sphingles, ... :: Sphere phiefs - Sphere leb (No. (leb\*1) 40.8 M.A) - serve (No. 4.76 0.26 0.26 ) 507 shikata - Sphere leb (No. (leb\*19) 40.8 M.A) - serve (No. 4.26 0.26 0.76 ) 507

- 1. **D**
- 2. 'intersects' is very hot
- 3. Loop unrolling
- 4. Many compilers do this for us, and there are special versions of it like Duff's Device.
- 5. Sadly GHC doesn't
- 6. Can do variants by hand.
- 7. RULE could handle each one specificly (only exactly that one)?

Custom datatype for intersects parameter passing

Content distipped for interventive parameter gaining that higher his procession parameter gaining that higher his procession of the parameter of the parameter

(ft, fthhere \_r p = c refl) -> do (ft \_) | t == 1/0.0 -> return 0 (ft \_) | t == 1/0.0 -> return 0 (ft \_) | t == 1/0.0 -> do let ft = o = d .\* t tt = norm ft = p tal = 1f dot m d < 0 then m else meante m

- 1. D
- 2. We can optimize data passing.
- 3. Want: Data strict, but not unpacked.
- 4. Compiler knows its evaluated but no copying
- $5. \ \ A \ normal \ tuple \ lacks \ strictness \ information.$
- 6. An unboxed tuple forces copying
- 7. Strict Tuple.
- 8. This exists in libraries of course, but we wanted to illustrate it.

### ${\bf Optimizing\ smallpt}$

Optimize file writing

buil-depoints
has > 4.12 for 4.15

\* by bysorring >> 6.17

\* by bysorring >> 6.17

\* by bysorring >> 6.17

\* bit | Subject |
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Optimize file writing

UNDAY - TAMPA AND - TAMPA AND - AND

- 1. **D**
- 2. Strings are inefficient
- $3.\,$  'bytestring' has some efficient writing code, so we just convert to that for a modest gain.

- 1. **S**
- Finally, this particular code is quite numeric heavy.
   There are optimizations for numeric heavy code we're missing in GHC.
- 4. LLVM has an extensive library of laws to optimize low level numeric ops.
- 5. LLVM is too low-level to understand haskell as haskell.
- LLVM makes decisions with the tacit assumption that the assembly came from a C-like language, which is often to the detriment of a Haskell-like language.
- 7. In this case, as the code is "fortran-like", LLVM wins.



1. D

—Avoid CPU ieee754 slow paths

Avoid CPU ieee754 slow paths

intersect (i May > Sphere > Double intersect (day = d) (Sphere r p \_s \_c \_rell) = if dect = then 1/6.0 = then 1000 = then 1000

radiance :: Ray  $\rightarrow$  Int  $\rightarrow$  Example Yec radiance ray#CRay o d) depth = case intersects ray of  $\leftarrow$  (T t  $\rightarrow$  ) i t == 1/0.0  $\rightarrow$  return 0 + (T 1=20  $\rightarrow$   $\rightarrow$  return 0

- 1. D
- 2. We used +Inf to match the Maybeness
- 3. C++ code set 1e20 s the horizon
- 4. Mechanical sympathy is important.
- 5. Know how the CPU (abstractly) executes slow path / fast path.

Fix differences with C++ version

Fix differences with C++ version

If depth is a separate in the separate in th

- 1. S
- 2. Since the sha1 of the output didn't match the C++ version we started investigating.
- 3. clang++, g++ actually produce different sha1s
- 4. unincremented depth was being used in one branch, causing us to do more work
- 5. now confident to say we're doing the same computation as C++

#### 

1. D