

Superradiance for Atoms Trapped along a Photonic Crystal Waveguide

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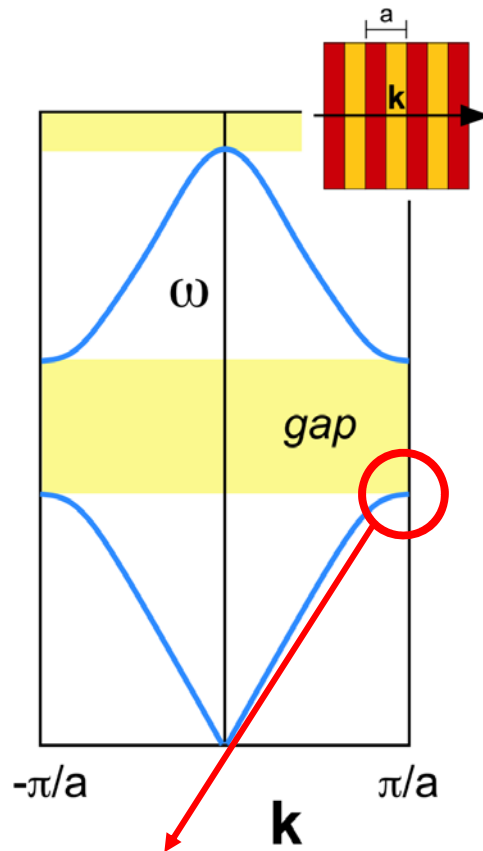
- Quantum Optics Group
- Prof. at California Institute of Technology(Caltech)
- Recent research subject
 - Atom-field interactions in photonic crystals
 - Atom-atom interactions in photonic crystals

Recent Publication list (2012/7~2016/6)

- Atom-atom interactions around the band edge of a **photonic crystal waveguide**.
- Superradiance for atoms trapped along a **photonic crystal waveguide**.
- Subwavelength vacuum lattices and atom-atom interactions in **two-dimensional photonic crystals**.
- Quantum many-body models with cold atoms coupled to **photonic crystals**.
- Atom–light interactions in **photonic crystals**.
- Nanowire **photonic crystal waveguides** for single-atom trapping and strong light-matter interactions.
- Trapped atoms in **one-dimensional photonic crystals**.
- Self-Organization of Atoms along a **Nanophotonic Waveguide**.
- Demonstration of a State-Insensitive, Compensated **Nanofiber Trap**.

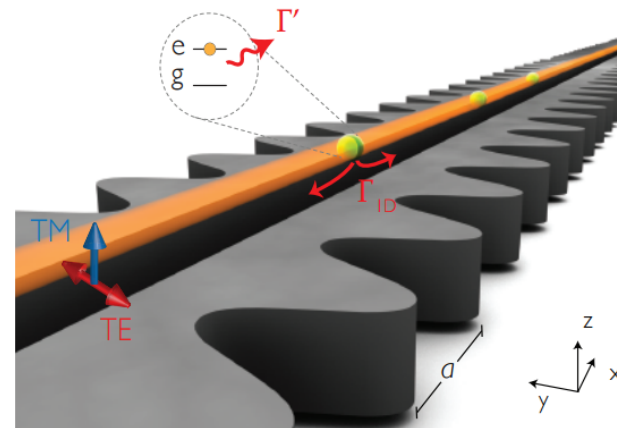
Introduction

Photonic band gap

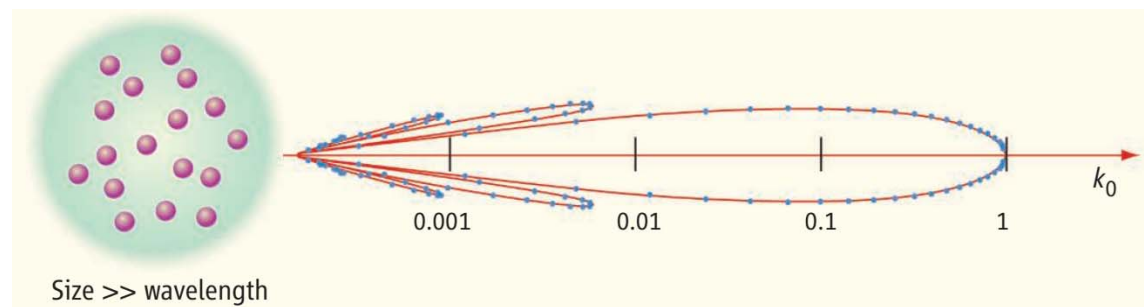


Group velocity slows down near the edge.

Enhancement of atom-field interaction



Single photon superradiance



The Super of Superradiance
 Atom-atom interactions around the band edge of a photonic crystal waveguide
 Introduction to Photonic Crystals: Bloch's Theorem, Band Diagrams, and Gaps (But No Defects)

Spontaneous emission rate in dielectric medium

Hamiltonian of the field is

$$H = \frac{1}{2} \int dV (\varepsilon \mathbf{E} \cdot \mathbf{E} + \mu^{-1} \mathbf{B} \cdot \mathbf{B})$$

Factor ε leads to the different electric field,

$$\hat{\mathbf{E}} = \frac{1}{n} \hat{\mathbf{E}}_{free}$$

Density of the modes is

$$k^2 dk = \frac{n^3}{c^3} \omega^2 d\omega$$

From Fermi's golden rule, spontaneous emission rate is

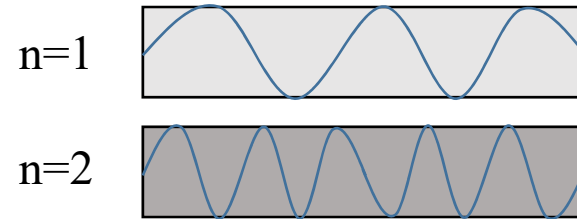
$$\Gamma \propto \int k^2 dk \langle 0 | \hat{\mathbf{E}}_j^\dagger(k) \hat{\mathbf{E}}_j(k) | 0 \rangle \delta(\omega_k - \omega_0)$$

The result is

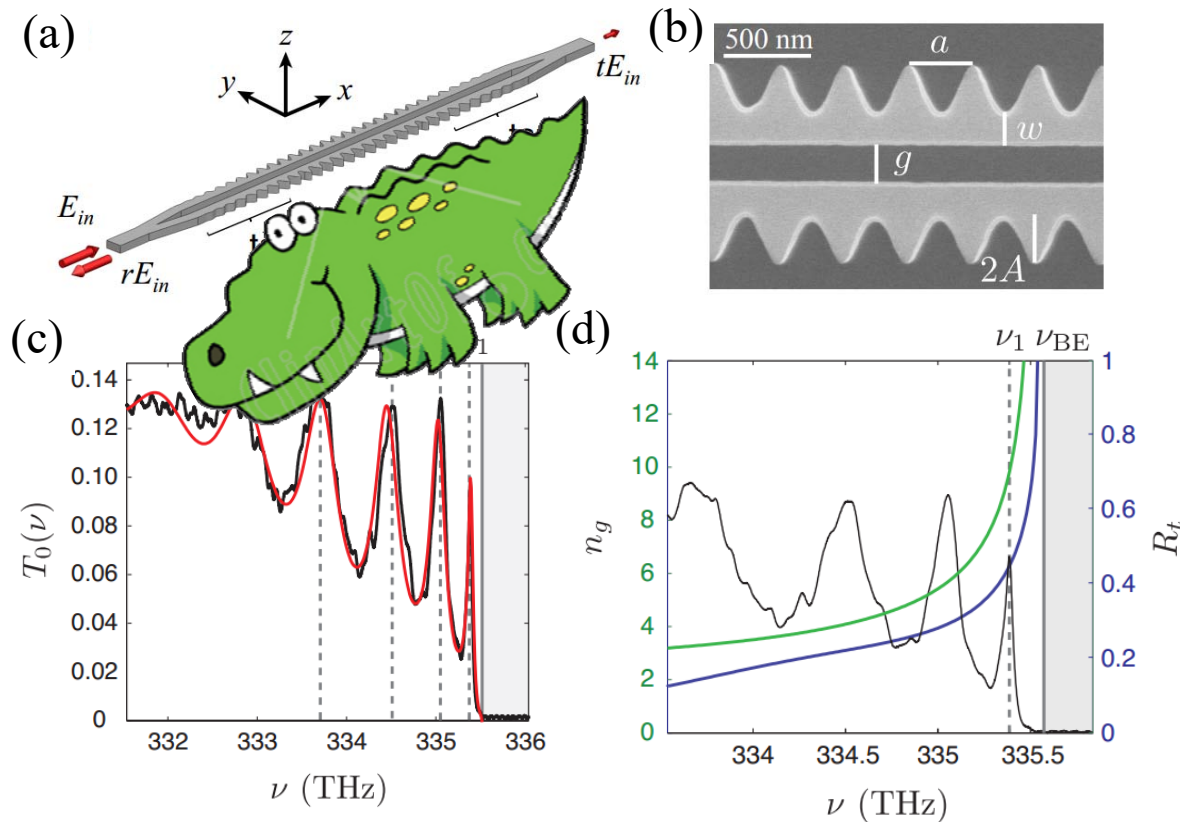
$$\Gamma = \frac{n^3}{n^2} \Gamma_0 = n \Gamma_0$$

Note. some modifications due to local field correction factors yield,

$$\Gamma = \left(\frac{3n^2}{2n^2 + 1} \right)^2 n \Gamma_0$$



Alligator photonic crystal waveguide (APCWW)

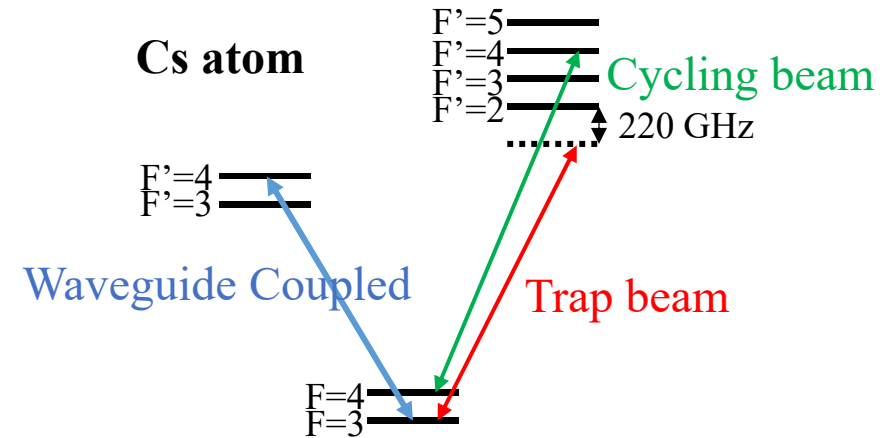


- (a) Alligator photonic crystal waveguide
- (b) SEM image
- (c) Measured(black) and fitted(red) transmission spectrum
- (d) Estimated group index n_g (green) and taper reflection R_t (blue)

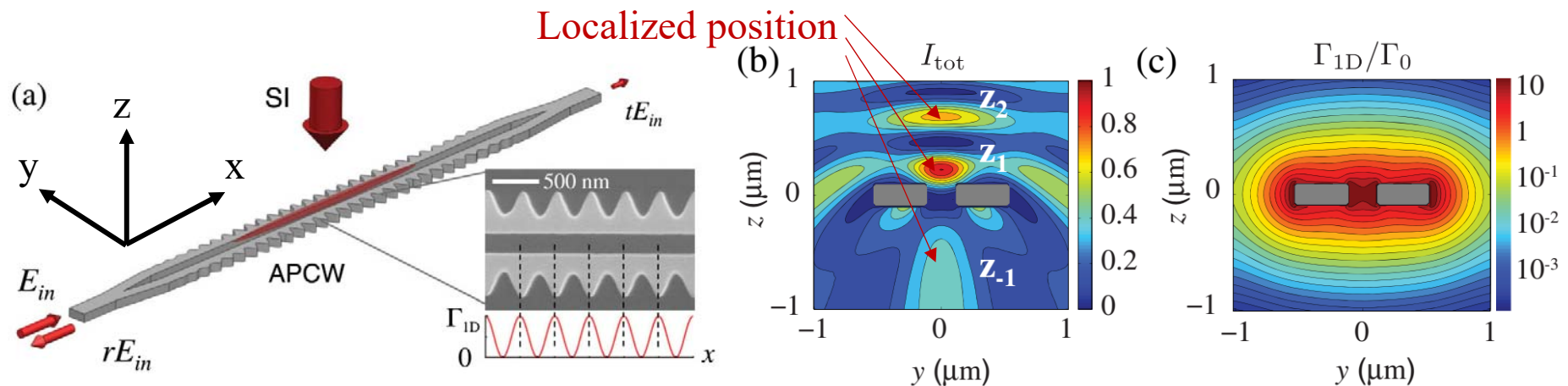
We stress “waveguide” and not “cavity” QED because the dominant effects in our experiment are a result of the combination of atom-light localization and an enhancement in the atom-field coupling due to band structure, “slow-light” effect.

- $L=55.7 \text{ um}$
- $R=0.48$
- Linewidth=66 GHz
- $n_g \approx 11$
- $\Gamma_{1D} \sim \Gamma_{vac}$

Trap method



- Optical potentials are made by interference pattern of a side-illumination (SI) beam and its reflection from the surface of the APCW
- Only those atoms sufficiently close to the APCW (Z_1 site) can interact strongly with guided-mode (GM) photons because of the **exponential falloff of the guided mode intensity** (fig. c)
- Along the x axis, only those close to the center of a unit cell can strongly couple to the guided mode. ($\Gamma_{1D} \sim \cos^2(kx)$)



Lifetime of trapped atoms

Measurement time

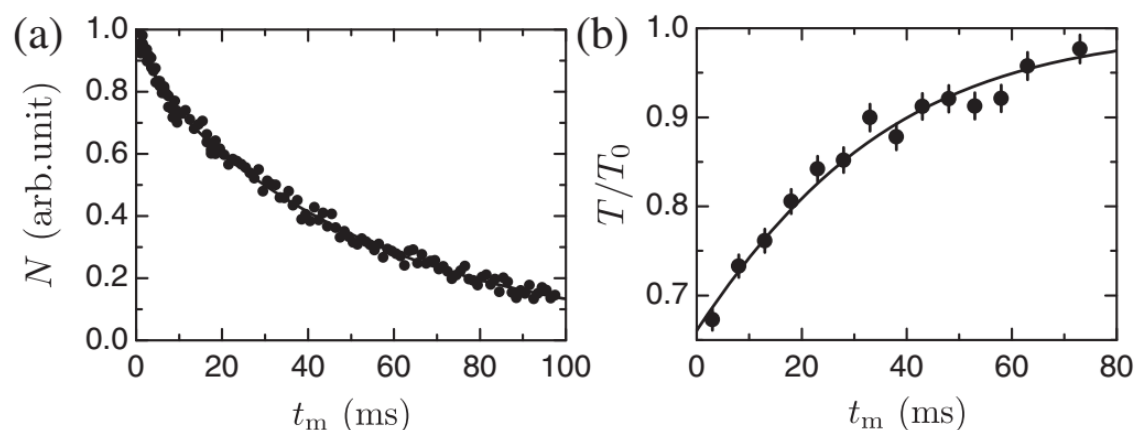
Holding time

t_{hold}

Δt_m

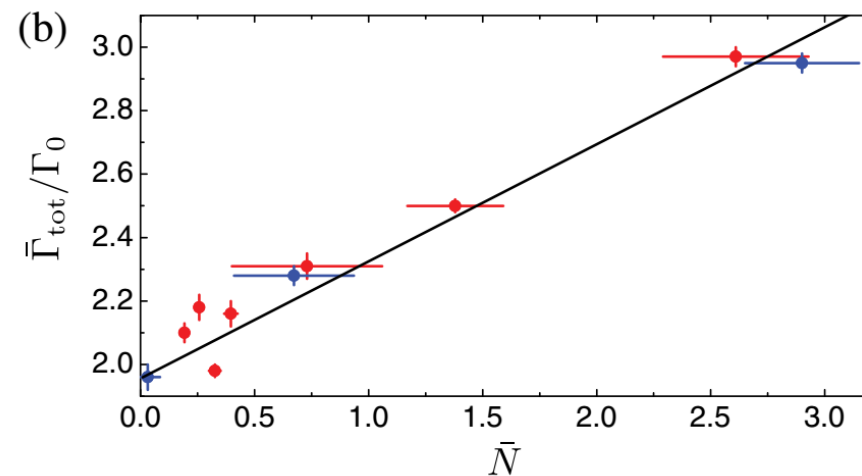
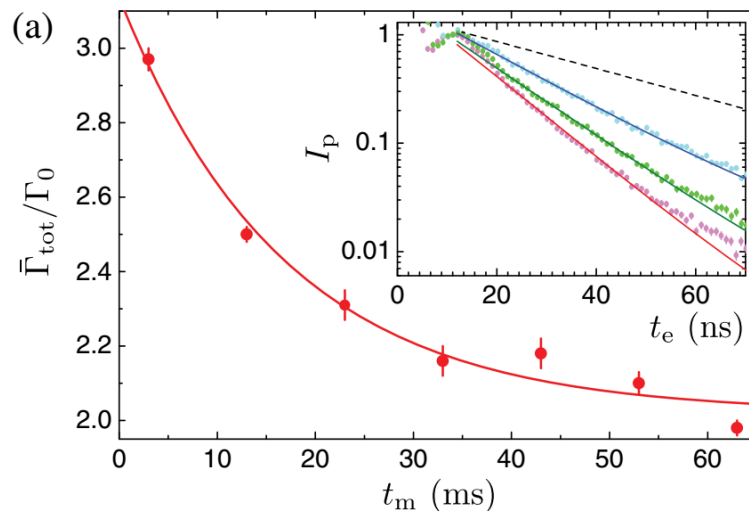
$$t_m \equiv t_{\text{hold}} + \Delta t_m / 2$$

- t_{hold} is used to control average atom number.
- Free space lifetime ($\tau_{\text{fs}} = 54 \pm 5$ ms)
 - Free space absorption imaging in Δt_m (~ 0.2 ms)
- Guided mode lifetime ($\tau_{\text{GM}} = 28 \pm 2$ ms)
 - launch a resonant GM probe and measure transmission in Δt_m (~ 5 ms)
- Atom loss is induced by stronger intensity near APCW.



Decay rate and atom number

- Short excitation pulses (FWHM 10 ns) with $\langle n \rangle \ll 1$ per pulse
- The excitation cycle is repeated every 500 ns for $\Delta t_m = 6$ ms.
- Numbers of atoms are adjusted by changing t_{hold} (Red) and changing MOT loading time (Blue) in figure b.
- Because the atoms are excited by photon $\langle n \rangle \ll 1$, decay rate is proportional to $\langle N \rangle$, not $\langle N \rangle^2$. (Single photon superradiance)



Line broadening for steady-state transmission spectra

- The measured linewidths Γ_m are significantly broader than the free-space width $\Gamma_0/2\pi=4.56$ MHz
- Number of atoms are adjusted by changing MOT loading times.
- $t_{\text{hold}}=0.5$ ms and $\Delta t_m=5$ ms is used.

