An Implicitly Parallel Meshfree Solver in Regent

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Outline

Introduction

Implicitly Parallel q-LSKUM Meshfree Solver

Numerical Results

Conclusions & Future Work

- Numerical simulations of fluid flow problems are computationally intensive
- Current CFD solvers do not exploit full computational resources (both CPUs and GPUs)
- Need a CFD code that can fully exploit heterogeneous platforms
- For example: SU2 uses CPUs, OpenFOAM uses CPUs or GPUs (not both)

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Objective: Develop an implicitly parallel meshfree solver in Regent

Meshfree q-LSKUM Solver for 2D Euler Equations

Least Squares Kinetic Upwind Method (LSKUM):

• Euler equations: Govern the inviscid compressible fluid flows

$$\frac{\partial \mathbf{U}}{\partial t} + \frac{\partial \mathbf{G}}{\partial x} + \frac{\partial \mathbf{H}}{\partial y} = 0$$

• Introduce upwinding using Kinetic Flux Vector Splitting (KFVS) (Mandal-1994)

$$\frac{\partial U}{\partial t} + \frac{\partial G^{+}}{\partial x} + \frac{\partial G^{-}}{\partial x} + \frac{\partial H^{+}}{\partial y} + \frac{\partial H^{-}}{\partial y} = 0$$

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Numerical Results

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- Basic idea of LSKUM: Approximate the spatial derivatives using Least Squares
- Input: Set of points and their neighbours (known as connectivity)
- · Operates on structured, unstructured, cartesian, chimera point distributions, etc.
- Higher-order accuracy in space: Using q-variables (q-LSKUM) (Deshpande-2002)
- Time accuracy: Strong Stability Preserving Runge-Kutta Schemes (SSP-RK3)

Pseudo Code

Algorithm 1: Meshfree solver based on q-LSKUM

```
subroutine q-LSKUM
   call preprocessor()
   for n \leftarrow 1 to n \leq N do
       call timestep()
       for rk \leftarrow 1 to 4 do
           call q_variables()
           call q_derivatives()
           call flux_residual()
           call state_update(rk)
       end
       call residue()
   end
   call postprocessor()
end subroutine
```

Regent's Data Model

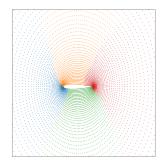
- Regions are the primary unit of Regent's data model
- Partitions (array of subregions) help expose data parallelism in an application
- Regent has an expressive framework for defining partitions

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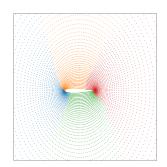
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Domain Decomposition

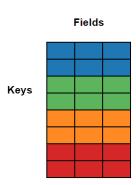
- Point distribution is partitioned into subregions of local and ghost points
- Employed METIS for partitioning (Optional, but important for performance)



Decomposition of a NACA 0012 airfoil



Decomposition of a NACA 0012 airfoil



Region

Regent Tasks

- Tasks receive regions as input and declare privileges on them (RO, WO, RW)
- Task dependencies are inferred automatically
- Compiler, runtime (Legion) extract parallelism
- Tasks execute after their dependencies are satisfied

Regent task declaration for state-update()

Data Communication

- No user-written data communication code
- All data copies inserted automatically to maintain correctness

```
var p_nbhs = p_local | p_qhost
for i = 0, N do
  demand( index launch)
  for color in p_local.colors do
   time_step(p_local[color])
 end
 var res : double = 0.0
 for rk = 1.5 do
    demand( index launch)
   for color in p_local.colors do
     g variables(p local(color))
   end
    __demand(__index_launch)
   for color in p local.colors do
     q_derivatives(p_local[color], p_nbhs[color])
   end
     demand( index launch)
   for color in p_local.colors do
     flux residual(p local(color), p nbhs(color))
    __demand(__index_launch)
   for color in p local.colors do
     res += state update(p local[color], rk)
   end
 and
 residue (res)
end
```

Regent code for q-LSKUM

Regent Specific Optimizations:

- Index launches: Amortizes the analysis cost of a loop that launches tasks
- Dynamic Control Replication: An optimization technique for scalability (Slaughter-SC17)
- OpenMP code generation: Converts serial loops to OpenMP style loops
- Mapper customization: To disable load balancing for better performance on AMD nodes

Numerical Results

Test Case Details:

- · Inviscid flow over a NACA 0012 airfoil
- Ma = 0.85 and $AoA = 1^{\circ}$
- Five levels of point distributions: 0.8M to 40M

Language Specifications

• Regent, Fortran 90 and Julia 1.5.1

Node Configuration

- AMD EPYC $^{\text{TM}}$ 7542 (32x2) with 256 GB RAM
- Mellanox EDR 100 Gbps Interconnect

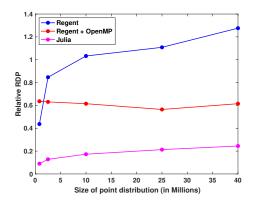
No. of points	Regent	Regent + OpenMP	Fortran	Julia	
RDP \times 10^{-7} (Lower is better)					
804, 824	9.9266	6.8145	4.3367	48.2093	
2,642,264	4.8180	6.4662	4.0788	31.8098	
9,992,000	3.7195	6.2460	3.8406	22.2528	
25,330,172	3.3717	6.6212	3.7374	17.5542	
39,381,464	2.8772	5.9714	3.6717	15.0160	

Table: Comparison of RDP values on a single node.

- RDP = Total wall clock time in seconds/No. of iterations/No. of points
- Number of iterations = 1000

Numerical Results: Performance on a single node

Comparison of relative RDP on a single node:



Relative RDP of Regent = RDP of Fortran / RDP of Regent

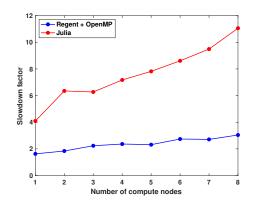
Numerical Results: Performance on multiple nodes

Nodes	Regent + OpenMP	Fortran	Julia			
RDP values (Lower is better)						
1	5.9714×10^{-7}	3.6717×10^{-7}	1.5016×10^{-6}			
2	3.2912×10^{-7}	1.7886×10^{-7}	1.1356×10^{-6}			
3	2.8706×10^{-7}	1.2845×10^{-7}	8.0546×10^{-7}			
4	2.2686×10^{-7}	9.5952×10^{-8}	6.8814×10^{-7}			
5	1.8809×10^{-7}	8.1205×10^{-8}	6.3482×10^{-7}			
6	1.8947×10^{-7}	6.9134×10^{-8}	5.9520×10^{-7}			
7	1.6165×10^{-7}	5.9616×10^{-8}	5.6575×10^{-7}			
8	1.5186×10^{-7}	4.9933×10^{-8}	5.5204×10^{-7}			

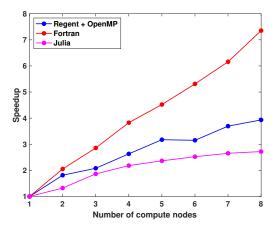
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Numerical Results: Performance on multiple nodes

Comparison of the slowdown factor on the finest point distribution:



Slowdown factor of Regent+OpenMP = RDP of Regent+OpenMP / RDP of Fortran



Strong scalability on the finest point distribution

Conclusions & Future Work

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Future Work:

- · Working on enhancing the computational efficiency of Regent on multi-node clusters
- · Extending the solver to three-dimensional compressible flows
- Constructing a truly hybrid solver based on Regent, which can exploit the full computational
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Thank you very much!