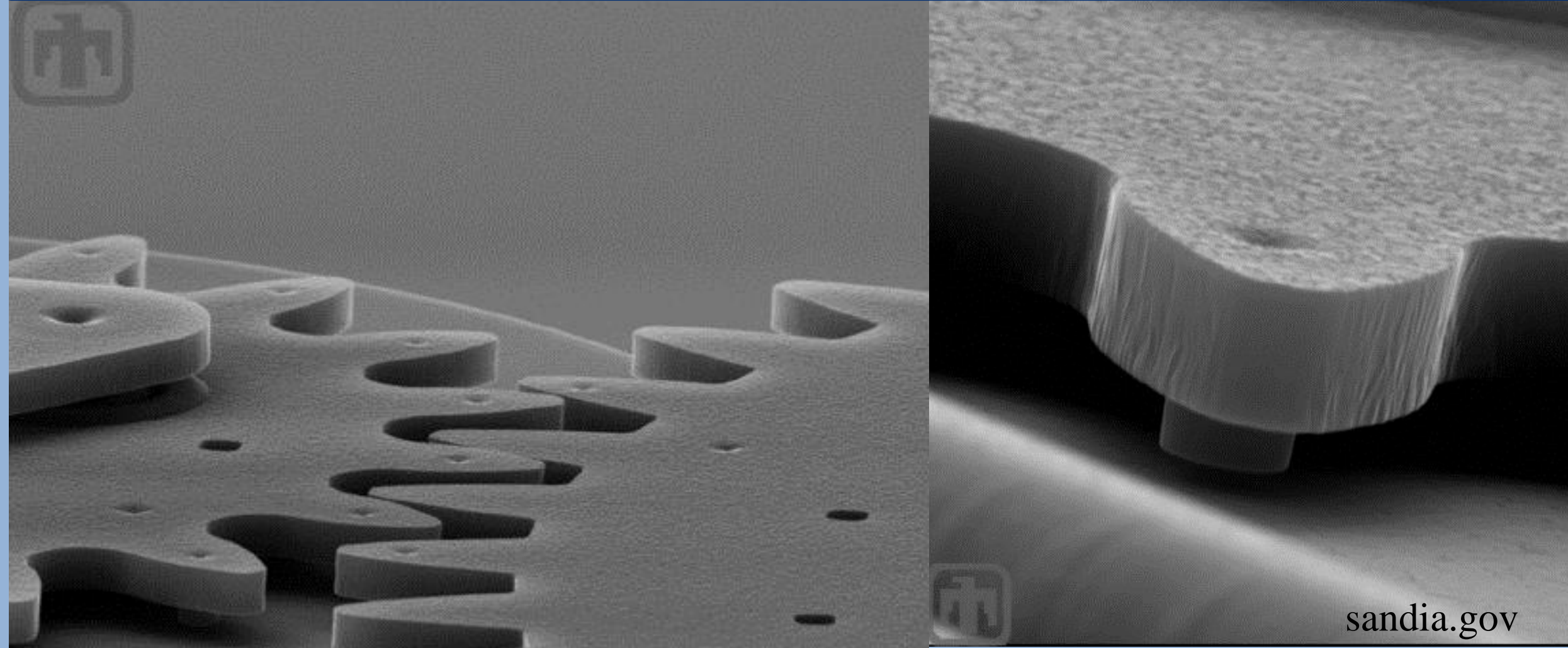


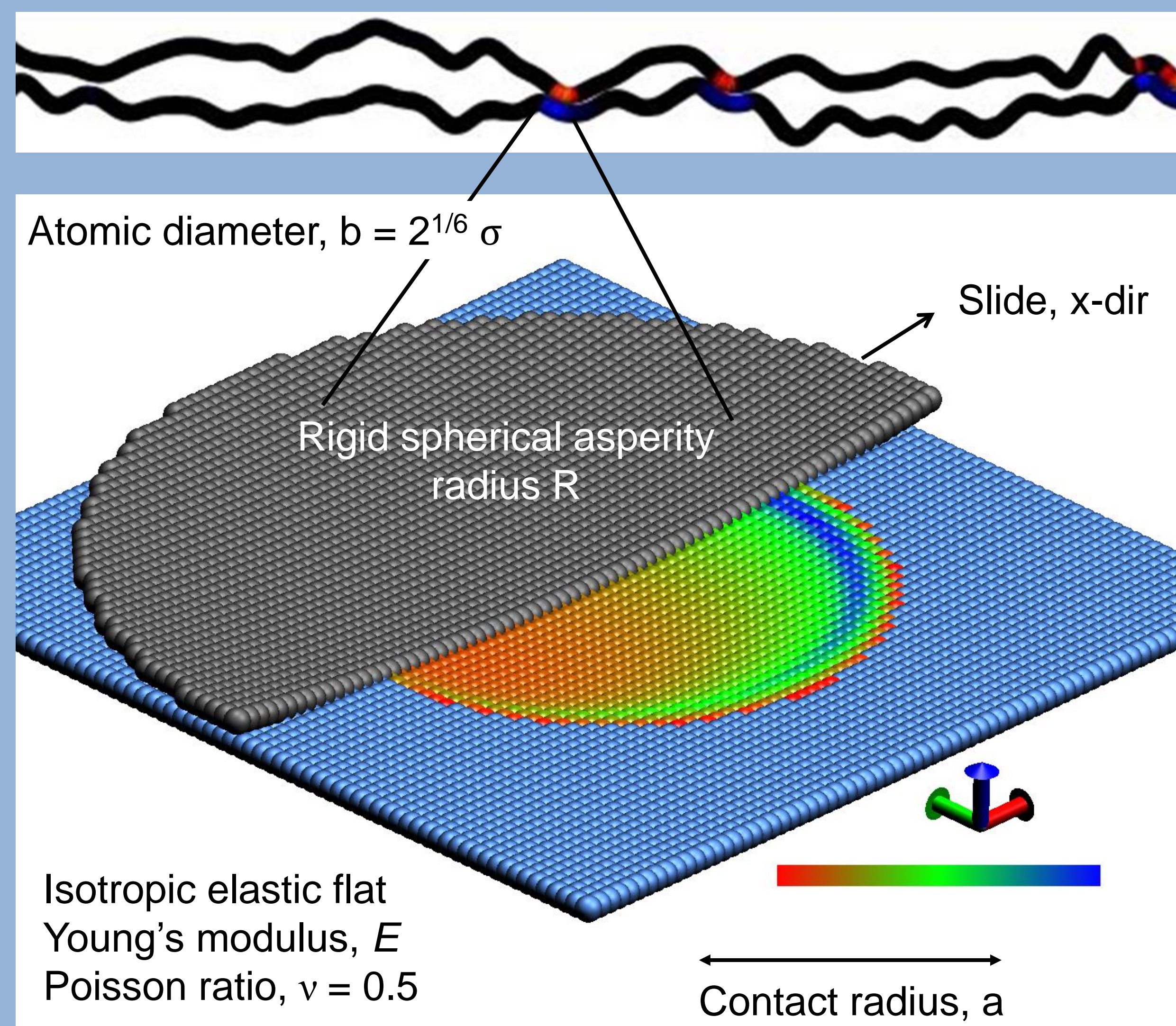
Scale effects in static friction between rough solids

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Introduction

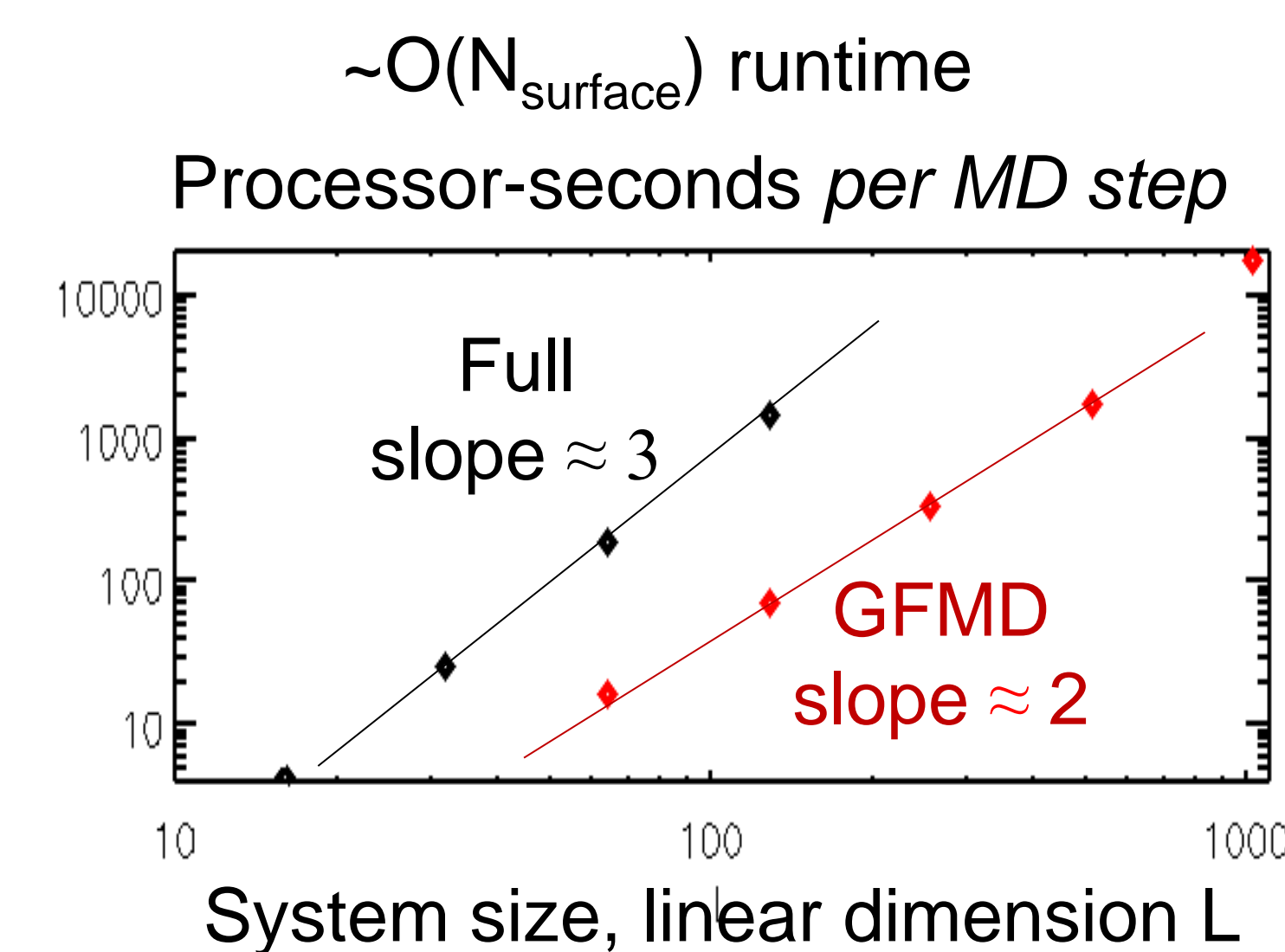
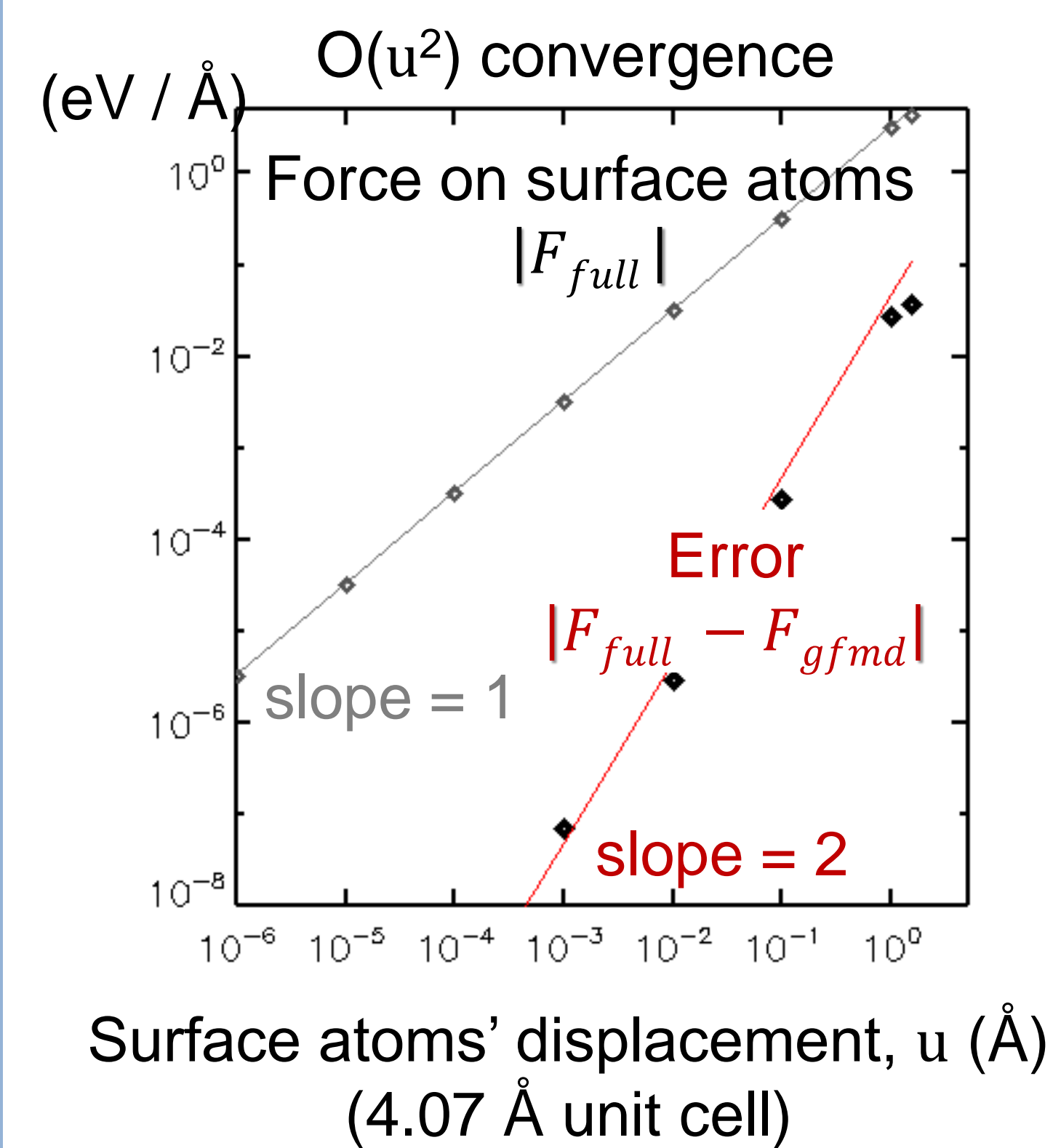
Understanding small-scale deformation and energy dissipation between contacting solids is important in applications that range from nanoscale mechanical devices to jet engines. Even finely-smoothed parts exhibit roughness, and contact between solids generally occurs only at asperities, often approximated as spheres. Here, we use molecular dynamics simulation to investigate sliding of a single asperity and to identify scale effects of the static friction coefficient, μ .



We simulate the quasistatic sliding of an asperity composed of a bent lattice, choosing the lateral spacing of the surface atoms to be commensurate with the lattice of the substrate. Repulsive Lennard-Jones (LJ) interactions produce a square (x-y) lattice of atomic corrugations. The substrate is controlled by the Green's function of isotropic linear elasticity⁴.

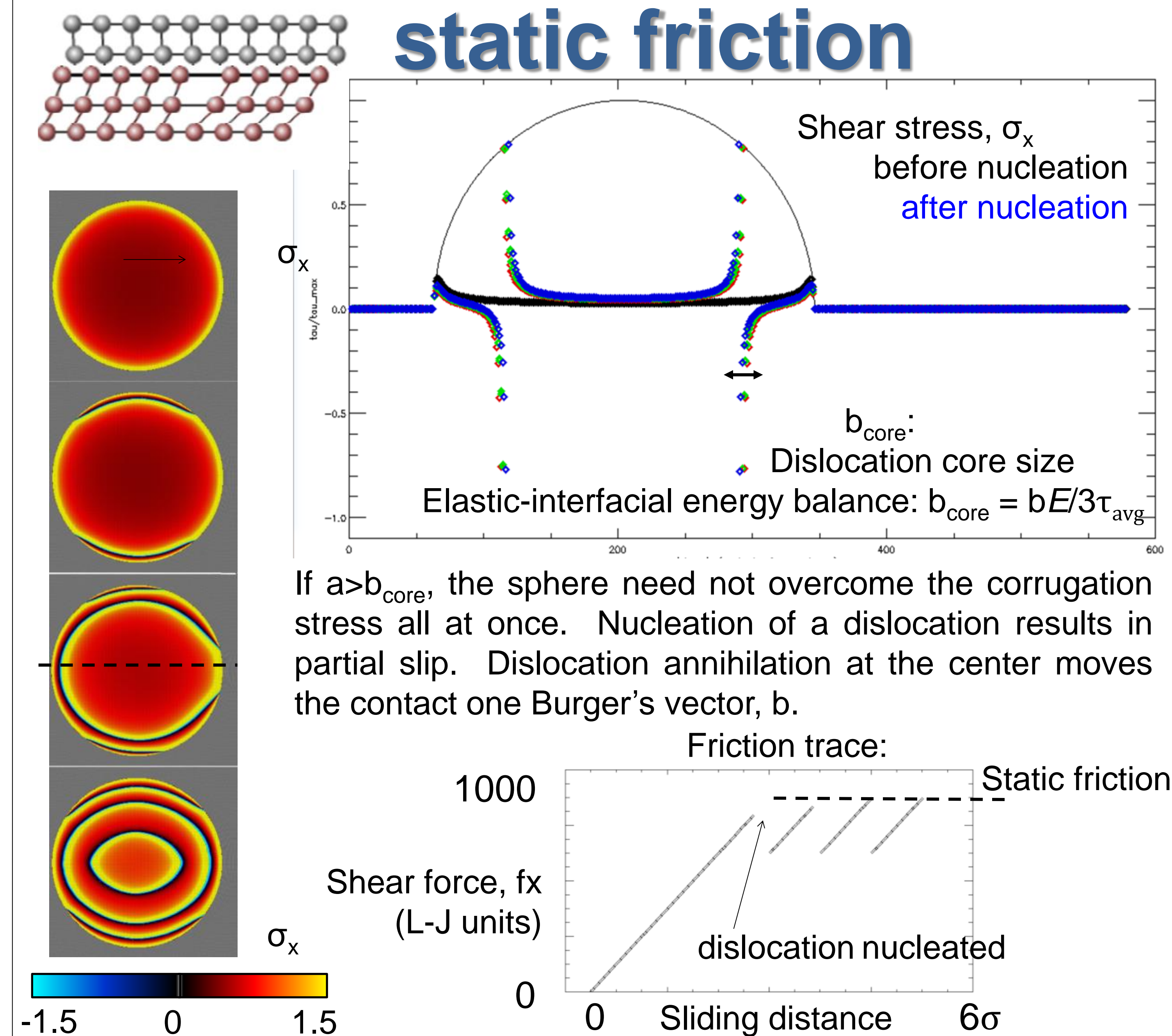
Method: Molecular Dynamics and Greens Function - MD

To study large systems, we helped develop a parallel, multi-scale simulation package which accelerates molecular dynamics simulation. The acceleration is achieved by replacing part of a solid with its Greens function response. The method requires calculating the energy about a reference state and Taylor expanding to second order in the atomic displacements, u . Once the Greens function is calculated, calculations can be performed quickly, scaling with the number of atoms on the surface of the solid, N_{surface} .



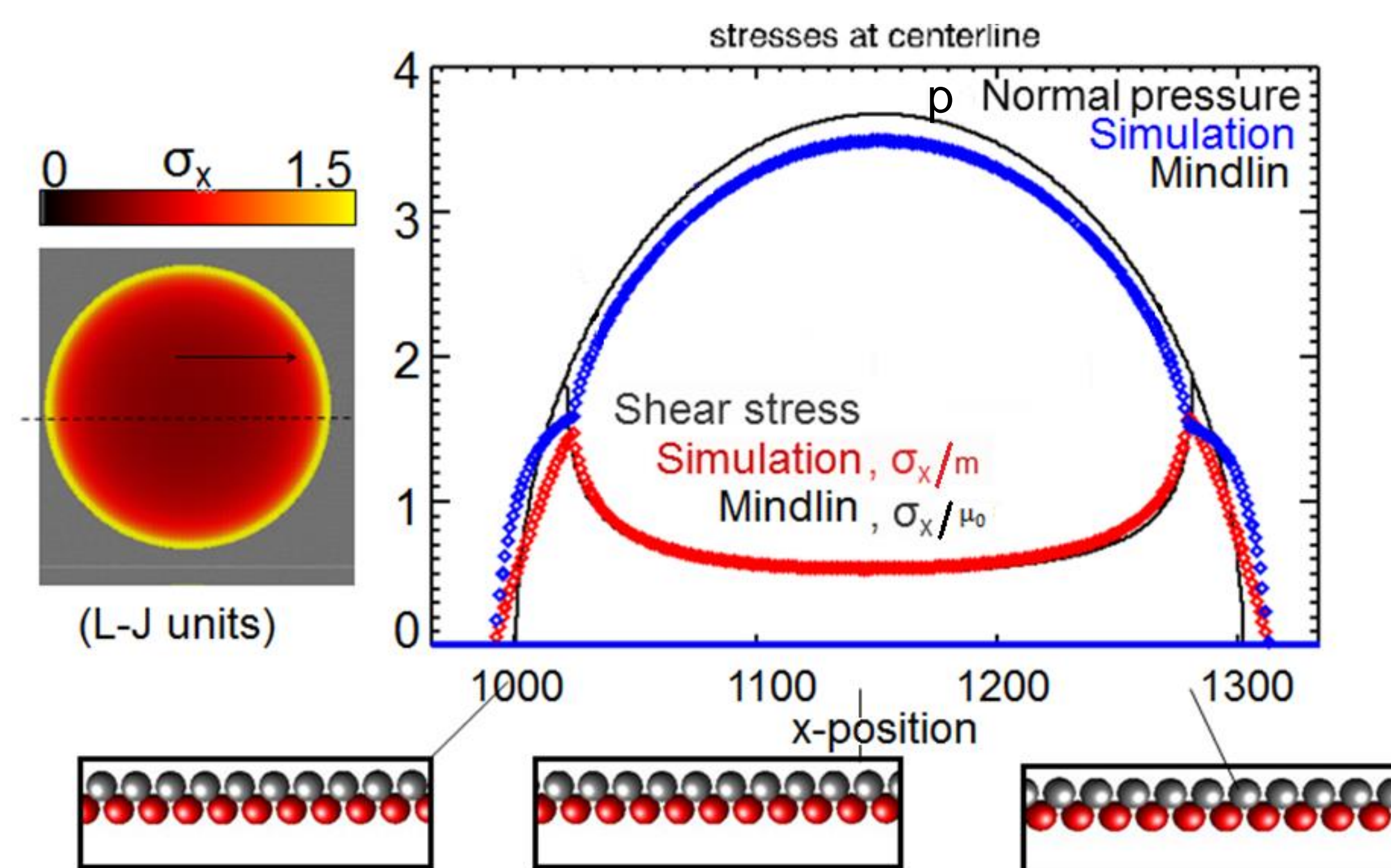
Also, implemented on GPU. Also, fewer atoms means shorter convergence time

Dislocations decrease static friction



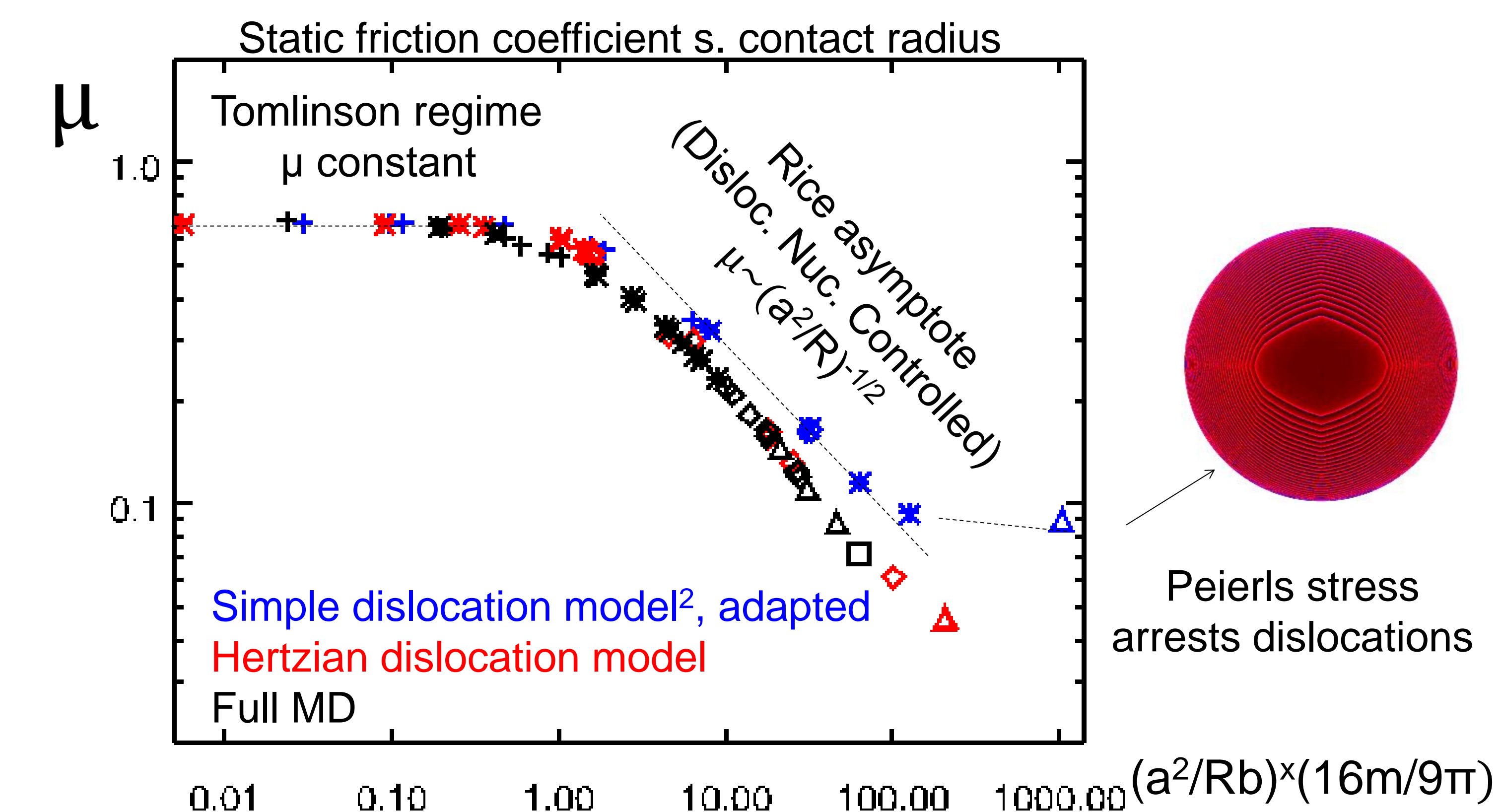
If $a > b_{\text{core}}$, the sphere need not overcome the corrugation stress all at once. Nucleation of a dislocation results in partial slip. Dislocation annihilation at the center moves the contact one Burger's vector, b .

Contact Stresses



Shear stresses at the edge cannot exceed the normal pressure, p , times the corrugation max slope, m . This explains the correspondence with the Mindlin continuum model (which uses Hertz pressure and a local friction coefficient, μ_0). In the simulations, atomic corrugation slope mimics the role of μ_0 . Applying sufficient stress causes the sphere to coherently hop one atomic diameter..

Scale effects in friction



Small contact regime: static friction requires overcoming corrugation stress ($m \times$ pressure) over the full contact area.

Large contact regime: friction drops as $(a^2/R)^{-1/2}$ due to contact edge stress maximum nucleating dislocations.

Very large contact regime: Peierls stress dominates

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