

# STREAM CIPHERS

# Stream Ciphers Design Issues

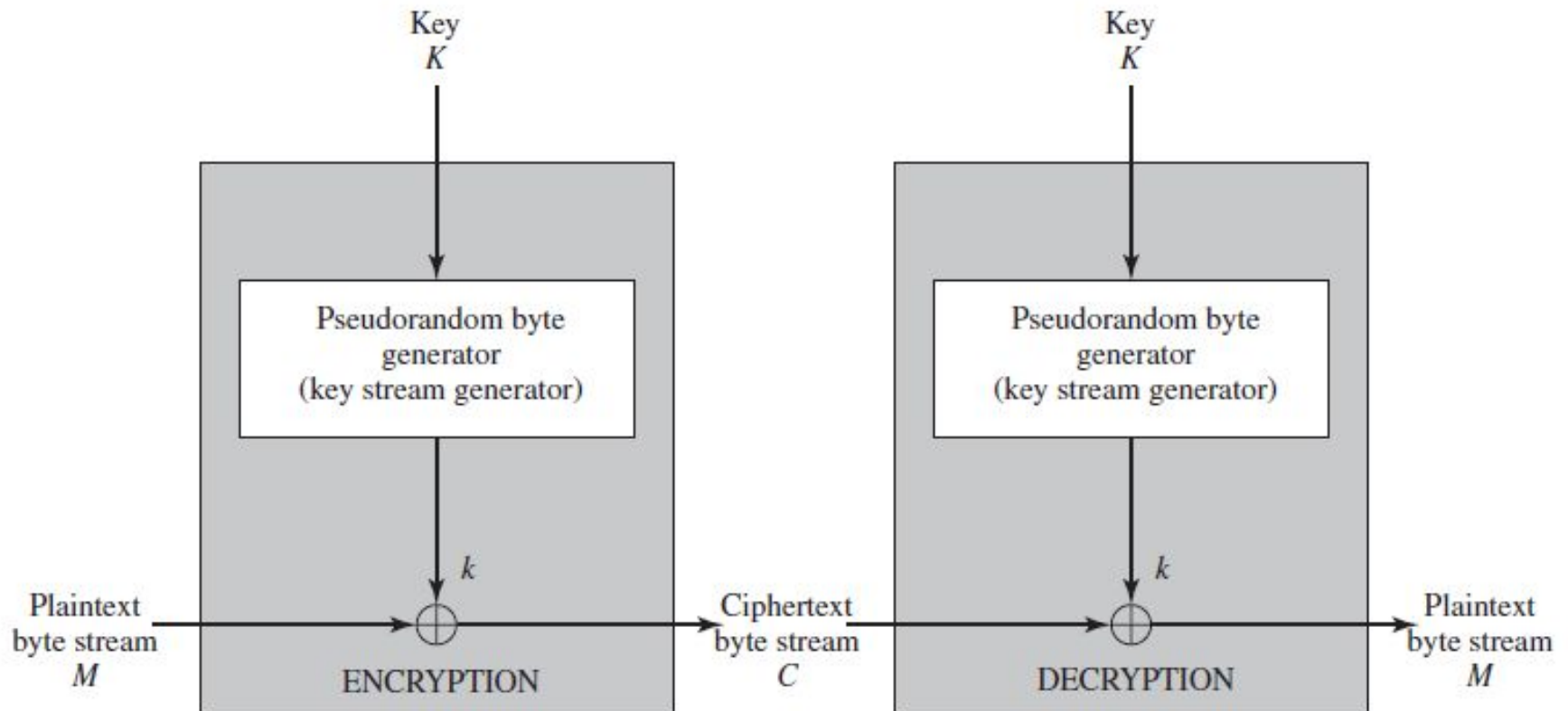
- A typical stream cipher encrypts plaintext one byte (or bit) at a time
- A key is input to a pseudorandom bit generator that produces a stream of 8-bit numbers that are apparently random, called a **keystream**
- This is combined one byte at a time with the plaintext stream using XOR operation.

```
11001100 plaintext
⊕ 01101100 key stream
-----
10100000 ciphertext
```

Encryption

```
10100000 ciphertext
⊕ 01101100 key stream
-----
11001100 plaintext
```

Decryption



**Figure 7.7** Stream Cipher Diagram

# Important design considerations for a stream cipher

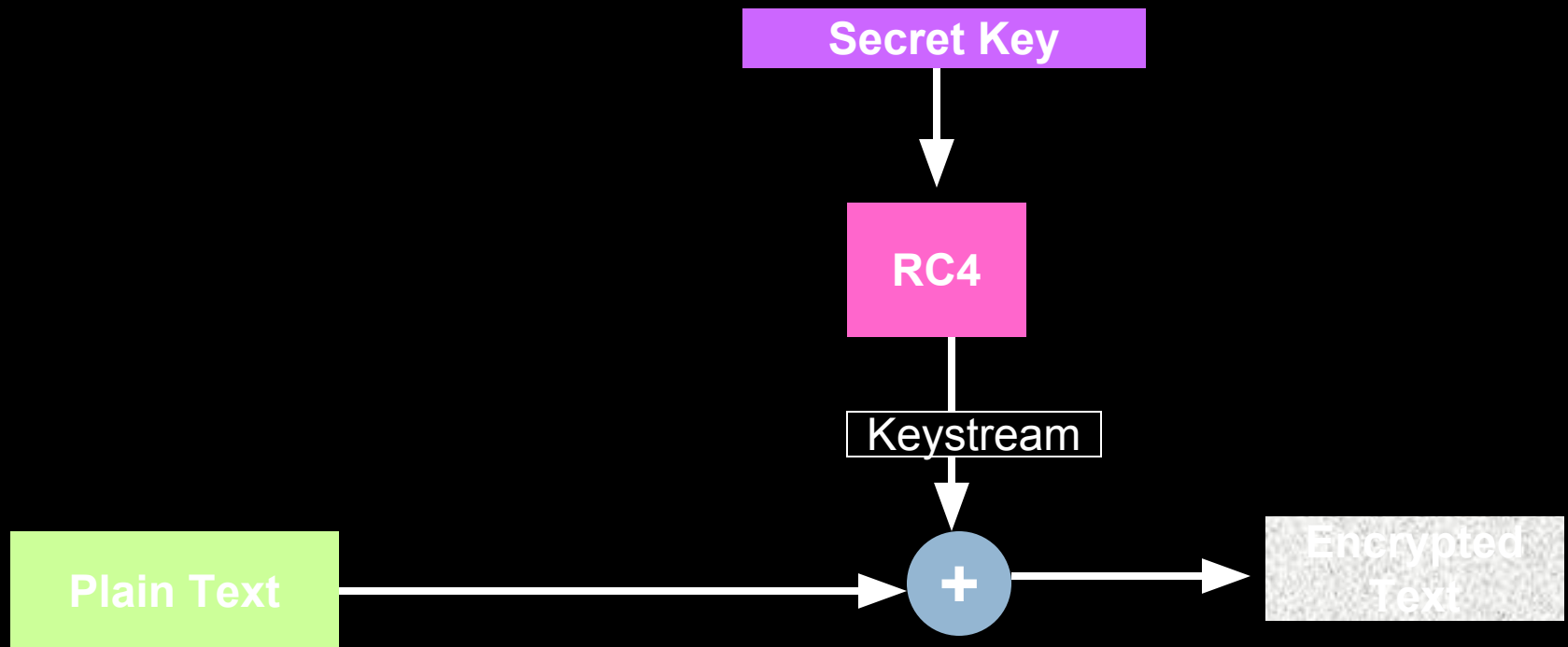
- The encryption sequence should have a large period.
- The keystream should approximate the properties of a true random number stream.
- The output of the pseudorandom number generator is conditioned on the value of the input key.
  - To guard against brute-force attacks, the key needs to be sufficiently long

# RC4

# RC4

- RC4 is a stream cipher designed in 1987 by Ron Rivest for RSA Security.
- It is a variable key size stream cipher with byte-oriented operations.
- Variable key length of from 1 byte to 256 bytes
- RC4 is used in the SSL/TLS standards, WEP and WPA protocols.

# RC4 Block Diagram



Cryptographically very strong and easy to implement

- **RC4** is a stream cipher and variable length key algorithm.
- This algorithm encrypts one byte at a time. A key input is pseudorandom bit generator that produces a stream 8-bit number that is unpredictable without knowledge of input key
- The output of the generator is called key-stream, is combined one byte at a time with the plaintext stream cipher using X-OR operation.



## Example:

RC4 Encryption

$10011000 \oplus 01010000 = 11001000$

RC4 Decryption

$11001000 \oplus 01010000 = 10011000$

# RC4 ...Inside

- Consists of 2 parts:
  - Key Scheduling Algorithm (KSA)
  - Pseudo-Random Generation Algorithm (PRGA)
- KSA
  - Generate State array
- PRGA on the KSA
  - Generate keystream
  - XOR keystream with the data to generate encrypted stream



# RC4 Algorithm

1. Initialization of vectors S and T
2. Initial Permutation of S
3. Stream Generation

- **Key-GenerationAlgorithm** —  
A variable-length key from 1 to 256 byte is used to initialize a 256-byte state vector  $S$ , with elements  $S[0]$  to  $S[255]$ .
- For encryption and decryption, a byte  $k$  is generated from  $S$  by selecting one of the 255 entries in a systematic fashion, then the entries in  $S$  are permuted again.

# 1. Initialization of S and T

1.1 S is set with values from 0 to 255

`S=[0,1,..... 255]`

1.2 The temp vector T is initialized with the key K. K is written repeatedly until it fills up, with 256 bytes

- **Key-Scheduling Algorithm:**

- 

**Initialization:** The entries of S are set equal to the values from 0 to 255 in ascending order, a temporary vector T is created. If the length of the key k is 256 bytes, then k is assigned to T. Otherwise, for a key with length(k-len) bytes, the first k-len elements of T are copied from K and then K is repeated as many times as necessary to fill T. The idea is illustrated as follow:

# Initialization of vectors S and T

```
for i = 0 to 255 do
```

```
  S[i] = i;
```

```
  T[i] = K[i mod keylen];
```

[S], S is set equal to the values from 0 to 255

S[0]=0, S[1]=1,..., S[255]=255

[T], A temporary vector

[K], Array of bytes of secret key

|K| = Keylen, Length of (K)

## 2. Initial Permutation of S

2.1 Starting from  $S[0]$  till  $S[255]$ , each  $S[i]$  is swapped with another byte in S according to:

```
j = 0;
```

```
for i = 0 to 255 do
```

```
    j = (j + S[i] + T[i]) mod 256;
```

```
    Swap (S[i], S[j]);
```

- Use T to produce initial permutation of S
- The only operation on S is a swap;  
S still contains number from 0 to 255



### 3. Stream Generation

```
i, j = 0;  
while (true)  
    i = (i + 1) mod 256;  
    j = (j + S[i]) mod 256;  
    Swap (S[i], S[j]);  
    t = (S[i] + S[j]) mod 256;  
    k = S[t];
```

# The PRGA

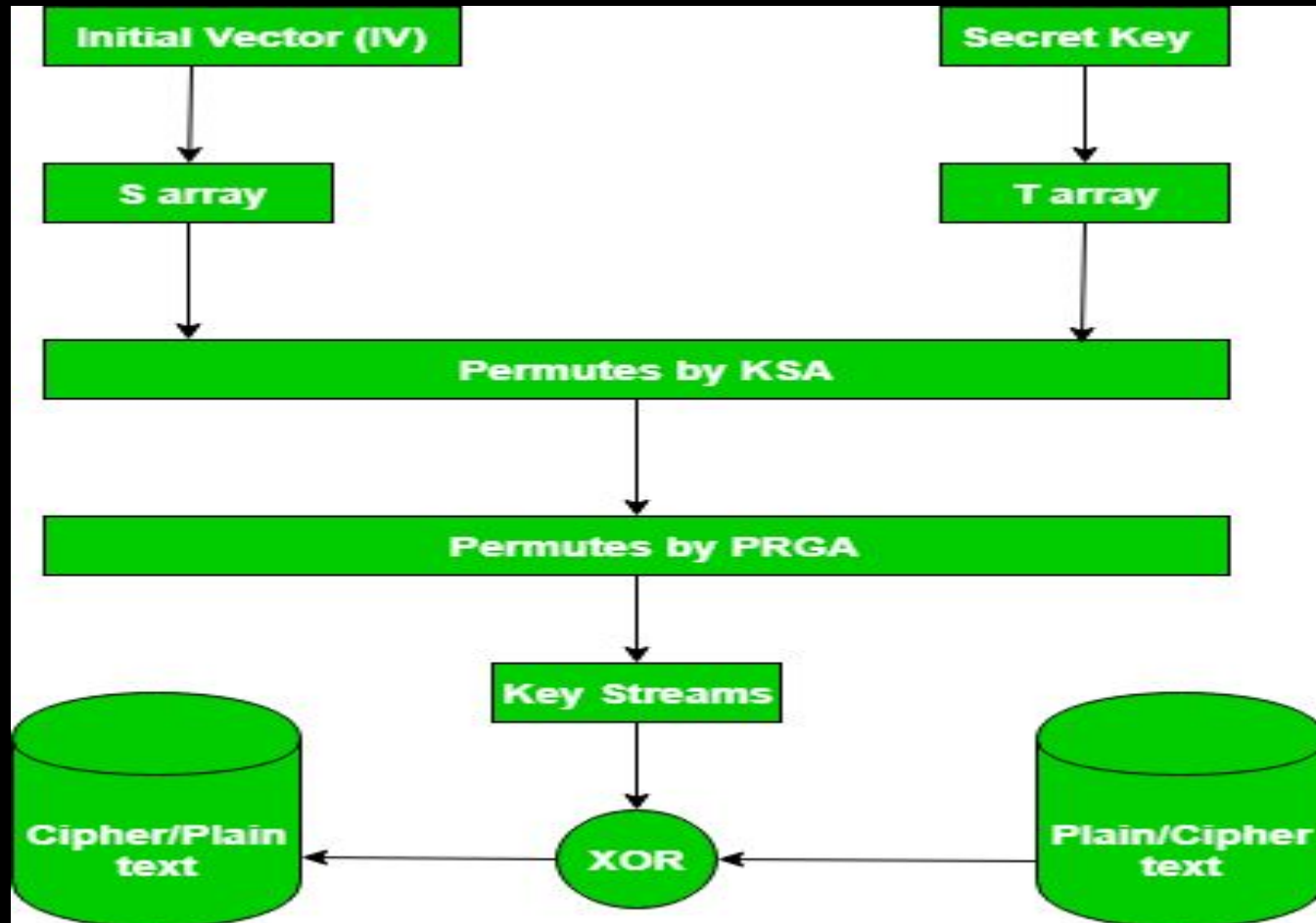
- Generate key stream  $k$ , one by one
- XOR  $S[k]$  with next byte of message to encrypt/decrypt

```
i = j = 0;  
While (more_byte_to_encrypt)  
    i = (i + 1) (mod 256);  
    j = (j + S[i]) (mod 256);  
    swap(S[i], S[j]);  
    k = (S[i] + S[j]) (mod 256);  
     $C_i = M_i \text{ XOR } S[k];$ 
```

Sum of shuffled pair selects "stream key" value  
from permutation

# RC4 Encryption and Decryption

- To encrypt, XOR the value  $k$  with the next byte of plaintext.
- To decrypt, XOR the value  $k$  with the next byte of ciphertext.



- Simplified RC4
- Example Lets consider the stream cipher RC4, but instead of the full 256 bytes, we will use  $8 \times 3$ -bits. That is, the state vector  $S$  is  $8 \times 3$ -bits. We will operate on 3-bits of plaintext at a time since  $S$  can take the values 0 to 7, which can be represented as 3 bits.
- Assume we use a  $4 \times 3$ -bit key of  $K = [1 \ 2 \ 3 \ 6]$ . And a plaintext  $P = [1 \ 2 \ 2 \ 2]$
- The first step is to generate the stream. Initialize the state vector  $S$  and temporary vector  $T$ .  $S$  is initialized so the  $S[i] = i$ , and  $T$  is initialized so it is the key  $K$  (repeated as necessary).

- $S = [0\ 1\ 2\ 3\ 4\ 5\ 6\ 7]$   $T = [1\ 2\ 3\ 6\ 1\ 2\ 3\ 6]$

Now perform the initial permutation on S.

```
j = 0;
for i = 0 to 7 do
    j = (j + S[i] + T[i]) mod 8
    Swap(S[i], S[j]);
end
```

For i = 0:  
 $j = (0 + 0 + 1) \bmod 8$   
 $= 1$   
 Swap(S[0], S[1]);

$S = [1\ 0\ 2\ 3\ 4\ 5\ 6\ 7]$

For i = 1:  
 $j = 3$   
 Swap(S[1], S[3])  
 $S = [1\ 3\ 2\ 0\ 4\ 5\ 6\ 7];$

For i = 2:  
 $j = 0$   
 Swap(S[2], S[0]);  
 $S = [2\ 3\ 1\ 0\ 4\ 5\ 6\ 7];$

For i = 3:  
 $j = 6;$   
 Swap(S[3], S[6])  
 $S = [2\ 3\ 1\ 6\ 4\ 5\ 0\ 7];$

```
For i = 4:  
j = 3  
Swap(S[4],S[3])  
S = [2 3 1 4 6 5 0 7];
```

```
For i = 5:  
j = 2  
Swap(S[5],S[2]);  
S = [2 3 5 4 6 1 0 7];
```

```
For i = 6:  
j = 5;  
Swap(S[6],S[4])  
S = [2 3 5 4 0 1 6 7];
```

```
For i = 7:  
j = 2;  
Swap(S[7],S[2])  
S = [2 3 7 4 0 1 6 5];
```

Hence, our initial permutation of  $S = [2\ 3\ 7\ 4\ 0\ 1\ 6\ 5]$ ;

Now we generate 3-bits at a time,  $k$ , that we XOR with each 3-bits of plaintext to produce the ciphertext. The 3-bits  $k$  is generated by:

```
i, j = 0;
while (true) {
    i = (i + 1) mod 8;
    j = (j + S[i]) mod 8;
    Swap (S[i], S[j]);
    t = (S[i] + S[j]) mod 8;
    k = S[t]; }
```

The first iteration:

$S = [2\ 3\ 7\ 4\ 0\ 1\ 6\ 5]$

$i = (0 + 1) \bmod 8 = 1$

$j = (0 + S[1]) \bmod 8 = 3$

Swap( $S[1], S[3]$ )

$S = [2\ 4\ 7\ 3\ 0\ 1\ 6\ 5]$

$t = (S[1] + S[3]) \bmod 8 = 7$

$k = S[7] = 5$

Remember,  $P = [1\ 2\ 2\ 2]$

So our first 3-bits of ciphertext is obtained by:  $k \text{ XOR } P$

$5 \text{ XOR } 1 = 101 \text{ XOR } 001 = 100 = 4$



