## **Context-Free Grammar**

## **Parsing Process**

#### Info

Build the parse tree from the stream of tokens

Parse tree show the syntactic structure of source

Add information about identifier in symbols table

Report Error

### Context-free Grammar

#### 1 Info

write in quintuple (V,T,P,S)  $\begin{tabular}{ll} V: finite set of Non-terminals, containing S \\ T: finite set of Terminals \\ P: set of production rules in form $\alpha \longrightarrow \beta$ \\ $\alpha \subset V$ and $\beta \subset (V \cup T)^* = sentential form \\ S: start symbol \\ \end{tabular}$ 

# Backus-Naur Form(BNF)

#### Info

```
Nonterminal are in <>. Terminal are any other symbol not in <>. := means \longrightarrow and | means or
```

#### **Derivation**

## 1 Info

```
A sequence of replacement of a substring in a sentential form for CFG G one-step : \Rightarrow_G multi-step : \Rightarrow_G^* Left-most : each step replace left-most V Right-most : each step replace right-most V A language generated by G, denoted by L(G), is a set of strings derived from G : L(G) = \{w \mid S \Rightarrow_G^* w\} Left-Recursive : if can generate deriavation in the form A \Rightarrow^* AX Right-Recursive : if can generate deriavation in the form A \Rightarrow^* XA
```

#### Parse Tree



labeled tree in which

1.interior node : V non-terminals

2.leaf node : T terminals

3.child node associated to deriavation

Preorder-numbering:i'th number is i'step,only ⊂ V Reverse Postorder numbering:postorder reverse it

# **Abstract Syntax Tree**

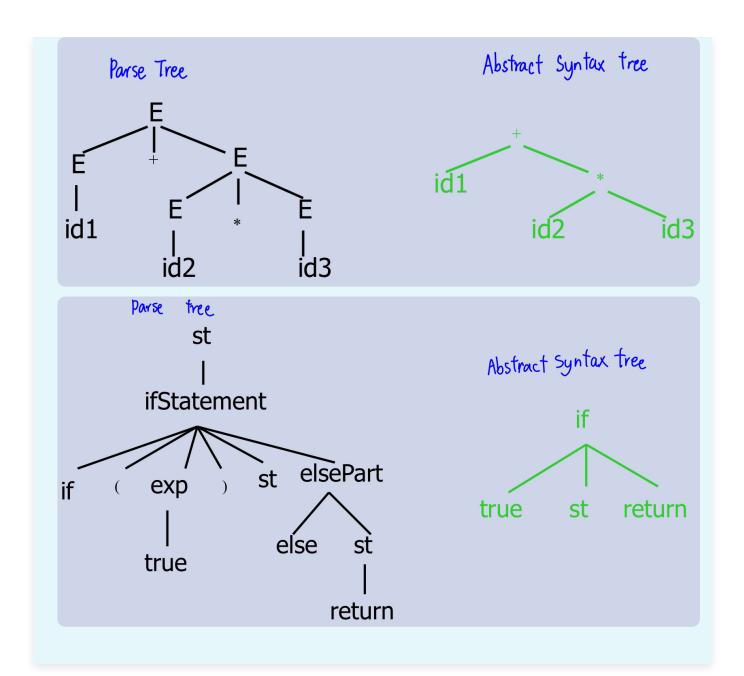
#### Info

Representation of actual source tokens

Interior Node : operators

Leaf Node : operands

Comparation between Parse&Abstract Syntax Tree



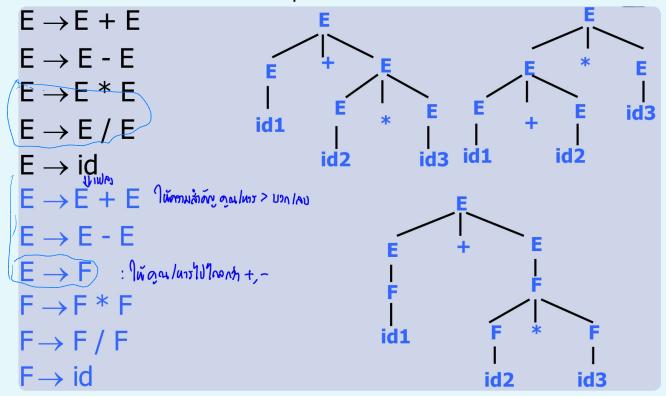
# **Ambiguous Grammar**

#### 1 Info

A grammar is ambiguous if it can be generate two different parse tree for one string.

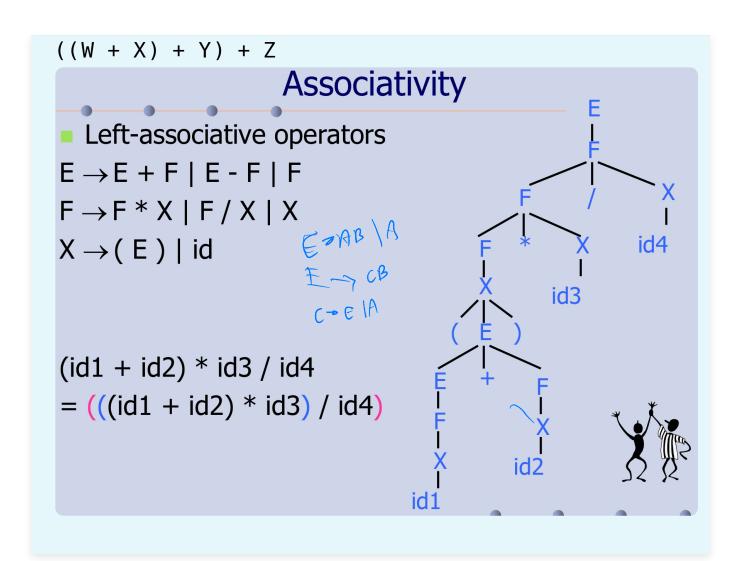
Ambiguous grammar can cause inconsistency in parsing

Which operation is to be done first?
higher precedence done before lower precedence
hp logically further from start symbols
let done time before plus so make it further



To avoid Ambiguous we use associativity to help Right-associated : 2 operators do right first W + (X + (Y + Z))

Left-associated : 2 operators do left first



# Extended Backus-Naur Form

# Info Kleene's star/closure St{: St} = St St\* {St;}St = St\*St Optional Part inside [-] have not is ok IfSt ::= if(E)St[else St] , มี else หรือไม่ก็ได้

E ::= F[+E]|F[-E]

Graphical representation of EBNF rules

nonterminals:

- terminals: (id)
- sequences and choices:

st;st;

Examples

Seq ::= {St ;} St

E ::= F[+ E]

