Concepts Lite

Constraining Template Arguments with Predicates

Andrew Sutton,
Bjarne Stroustrup, Gabriel Dos Reis
Texas A&M University

Quick Update

All concept-related information presented here will be included in an ISO TS (Technical Specification)

A TS is an extension of the standard

http://isocpp.org/std/iso-iec-jtc1-procedures

Based on WG21 document <u>n3580</u>

Aim to deliver TS at the same time as C++14

Concepts Lite Resources

Information about compilers, libraries, and concepts related to Concepts-Lite work (under construction)

http://concepts.axiomatics.org/

Implementation:

GCC-4.9 Compiler

Overview

Introduction Notation

Constraining templates Implementation

Defining constraints Programming

Language mechanics

Templates: An Ideal

Abstract expression of algorithms, data structures

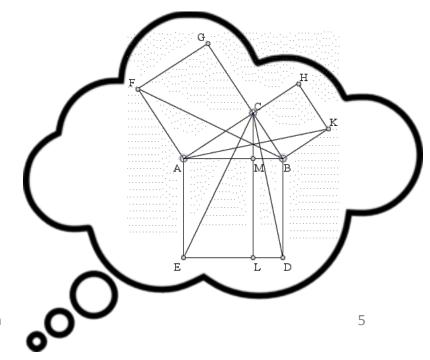
Integers, Reals, Sequences, Sets, Graphs, etc.

Generality

Not limited to a single model

Fast code

No abstraction penalty
Type-based optimizations



Templates: The Reality

Templates: Reality Bites

```
gcd(16.0, 2.0); // Error!

error: In the instantiation of 'gcd(T, T)'
  where T = double
error: In the instantiation of 'do_gcd(T, T, X)'
  where T = double, X = integral_constant<bool, false>
error: In the instantiation of 'euclid_gcd(T, T)'
  where T = double
error: no match for operator '%' in 'a % b'
note: candidates are:
note: operator%(int, int)
```

note: operator%(long, long)

note:

(c) Andrew Sutton

Concepts Lite: Template Constraints

Improve language support for generic programming

Directly state requirements on template arguments

Check requirements at the point of use

Support overloading and specialization based on constraints

Improve interfaces and enhance diagnostics

Without runtime overhead or long compilation times

Almost completely implemented (twice)

Handles the Standard Library algorithms and their uses

Constraints Are Not Concepts

Only check requirements at the point of use

Does not check template definitions

No dramatic changes to lookup rules

Approach allows incremental adoption/use of concepts in generic libraries

There is a (language) migration path to concepts

Constraining Template Arguments

Constrain template arguments with predicates

```
template<Sortable_container C>
void sort(C& container);

Equivalently:

template<typename C>
   requires Sortable_container<C>()
void sort(C& container);
```

Constraints

Are just constexpr function templates

Constraint Checking

Constraints are checked at the point of use

```
forward_list<int> lst { ... };
sort(lst);
```

See program output

Constraints on Class Templates

```
Just like function templates

template<Object T, Allocator A>
class vector;

Equivalently:

template<typename T, typename A>
   requires Object<T>() && Allocator<A>()
class vector;
```

Constrained Members

Member functions and constructors can be constrained

```
template<Object T, Allocator A>
class vector {
  vector(const vector& x)
    requires Copyable<T>();

  void push_back(T&& x)
    requires Movable<T>();
};
```

Constrained Member Definitions

Out-of-class member definitions are matched to their declarations by requirements

```
template<Object T, Allocator A>
void vector<T, A>::push_back(T&& x)
   requires Movable<T>()
{
   ...
}
```

Multi-type Constraints

Overloading

Function overloading is extended to include constraints

```
template < Input_iterator I >
void advance(I& iter);

template < Bidirectional_iterator I >
void advance(I& iter);

template < Random_access_iterator I >
void advance(I& iter);
```

Overloading

Compiler selects the most constrained overload

```
istream_iterator<int> iter(cin);
advance(iter); // Input overload

list<T>::iterator first = lst.begin();
advance(first); // Bidirectional overload
```

The most constrained is automatically determined by comparing template constraints

Class Template Specialization

Also extended to support constraints

```
template<typename T>
  class complex; // Undefined primary template

template<Real T>
  class complex<T> { ... }; // Complex number

template<Integer T>
  class complex<T> { ... }; // Gaussian integer

Specialization arguments
```

More About Constraints

Discussed in n3580:

Constrained alias templates

Constrained template template parameters

Variadic constraints

Defining Constraints

Writing requirements

Requires expressions

Type requirements

Defining Constraints

A constraint is effectively a constexpr template

Has **concept** as a decl-specifier instead of **constexpr**Can use type traits, call other **constexpr** functions
Cannot be specialized (by constraints)

Constraints check syntactic requirements

Is this expression valid for objects of type **T**?

Is the result type of an expression convertible to **U**?

The meaning of concept

The **concept** declaration specifier has the following meaning:

The declaration is **constexpr**

The declaration may not be specialized or refined

The declaration must have a definition

The declaration name can be used as a type specifier

Constraints: First Pass

```
Use type traits
template<typename T>
concept bool Equality_comparable()
  return has_eq<T>::value // a == b
      && is_convertible<eq_type<T>, bool>::value
      && has_ne<T>::value // a != b
      && is_convertible<ne_type<T>, bool>::value;
Many, many downsides
```

Constraints: Current Design

Invent new syntax for requirements

```
template<typename T>
concept bool Equality_comparable()
{
  return requires (T a, T b) {
     {a == b} -> bool;
     {a != b} -> bool;
    };
}
```

Constraints: Longhand

Can be equivalently written as

```
template<typename T>
concept bool Equality_comparable()
{
   return requires (T a, T b) {
      a == b; // Means a == b is valid syntax
      requires Convertible<decltype(a == b), bool>();
      a != b;
      requires Convertible<decltype(a != b), bool>();
   };
}
```

Constraints: Type Requirements

We can also write type requirements

```
template<typename I>
concept bool User_defined_iterator()
{
   return requires (I i) {
     typename I::iterator_category;
     {*i} -> const Value_type<I>&;
   };
}
```

Constraints: The Language

Constraints: how do they work?

Language primitives

Reduction

Decomposition

Overload resolution



Constraint Language

```
Formally, constraints are defined over a set of atomic
    propositions, connected by && and | |
is_lvalue_reference<T>::value && is_const<T>::value
is_integral<T>::value | | is_floating_point<T>::value
```

Atomic Propositions

```
For the most part, any C++ expression that is not an && or | expression
```

```
is_integral<T>::value
!is_void<T>::value
N == 2
0 < M
is_prime(N)
true
false</pre>
```

Calls to constraints are not atomic

Constraint Reduction

Function calls to constraints are *reduced* by inlining them into a requires clause

Constraint Reduction

```
Before:
template<typename T>
  requires Arithmetic<T>()
T do_math(T a, T b);
After:
template<typename T>
  requires is_integral<T>::value
        || is_floating_point<T>::value
T do_math(T a, T b);
```

Overload Resolution

Find candidates, instantiate templates

Deduce template arguments

Instantiate and check the constraints

Instantiate the declaration

Choose the best candidate

Most specialized

Most constrained

Constraint Satisfaction

How do we determine if constraints are satisfied

Constraints are just constant expressions

Evaluate them!

Most specialized

Compare the types of function arguments of candidate functions, f1 and f2

Try to substitute argument types of f1 into f2 and vice versa

If either succeeds than one is more specialized If neither succeeds, the overload is ambiguous What if both succeed?

Most Constrained

Given two constraints Γ and Δ , Γ subsumes Δ iff Γ contains all of Δ 's propositions

Solved as an application of first order logic

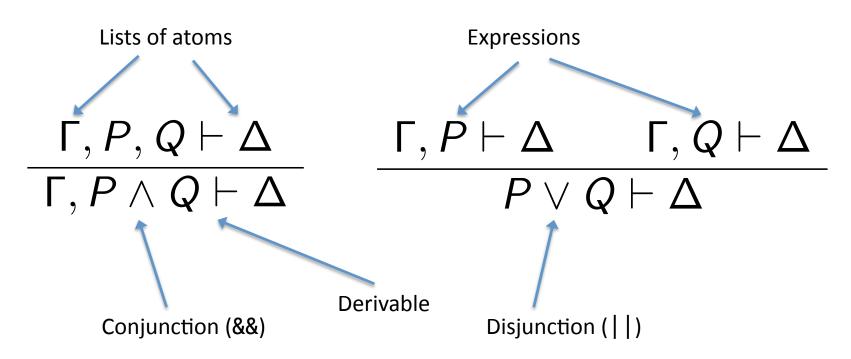
Easily thought of as a subset problem

Given two declarations A and B with equivalent type, A is **more constrained** than B iff A's requirements (Γ) subsume B's (Δ)

Unconstrained templates are the *least constrained*

Constraint Decomposition

Decomposed into sets of propositions through the application of sequent calculus for first order logic



Subsumption

Given a previously decomposed list of atomic propositions, Γ, determine if an expression *e* is valid (can be derived)

$$\frac{\Gamma \vdash P, \Delta \qquad \Gamma \vdash Q, \Delta}{\Gamma \vdash P \land Q, \Delta} \qquad \frac{\Gamma \vdash P, Q, \Delta}{\Gamma \vdash P \lor Q, \Delta}$$

Basically, search Γ for atoms in *e*

Comparing Constraints

```
template<typename T>
concept bool Advanceable()
{ return requires (T i) { ++i; }; }

template<typename T>
concept bool Incrementable()
{ return requires (T i) { ++i; i++; }; }
```

Does Advanceable subsume Incrementable?

Does Incrementable subsume Advanceable?

Proofs left to the viewer as an exercise

Notation

Variable Templates

Constraining Generic Lambdas

Constrained Auto

Terse Templates

Variable Templates

New in C++14, allows the variable templates:

```
template<Number T>
constexpr T min = numeric_limits<T>::min();

cout << min<int> << '\n';
cout << min<unsigned> << '\n';</pre>
```

Variable Templates and Constraints

Can use variable templates to define constraints

```
template<typename T>
concept bool Equality_comparable =
  requires(T a, T b) {
      {a == b} -> bool;
      {a != b} -> bool;
    };

template<typename T>
  requires Equality_comparable<T>
void f(T a, T b);
```

Generic Lambdas

New in C++14, generic lambdas

```
template < Container C >
void f(C& c)
{
  sort(c, [](auto x, auto y) { return x < y });
}</pre>
```

Types of **x**, **y** depend on arguments to, instantiation of **sort**

Lambda/Concepts Interaction

Eventually, we'd like separate checking of template definitions

Generic lambdas (as proposed for C++14) are unconstrained

There is some concern that widespread use of generic lambdas will cause code breakage when we eventually enable separate checking

Hopefully not a big deal

Constraining Generic Lambdas

We'd like to notation for adding constraints to generic lambdas

Lambda notation is *terse*

Constrained lambda notation should also be terse

That notation should be *general* and *consistent*

Lambdas are functions. What works for lambdas should also work for functions

Notation

But template syntax can be *verbose*

From day #1 some (but not all) people have complained that the template syntax is verbose

Novices seem to want "loud syntax", then feel comfortable having "the new" stand out

Experts tire of repetitive syntax and find it distracting

Notation matters

Optimized for the common case

Absurdly Verbose Constraints

```
template<typename F1, typename F2, typename O>
    requires Forward_iterator<F1>()
        && Forward_iterator<F2>()
        && Output_iterator<O>()
        && Assignable<Value_type<F1>, Value_type<O>>()
        && Assignable<Value_type<F2>, Value_type<O>>()
        && Comparable<Value_type<F1>, Value_type<F2>>()
void merge(F1 f1, F1 l1, F2 f2, F2 l2, O o);
```

Too verbose for templates, utterly absurd for lambdas

Making the Verbose Terse

Predicate abstraction to the rescue

```
template<typename F1, typename F2, typename O>
  requires Mergeable<F1, F2, O>
void merge(F1 f1, F1 l1, F2 f2, F2 l2, O o);
```

Still too verbose for lambdas.

```
[]<typename F1, typename F2, typename O>
  requires Mergeable<F1, F2, O>
(F1 f1, F1 l1, F2 f2, F2 l2, O o)
```

Plus it doesn't work – parsing ambiguity

Introducing Template Parameters

Allow template parameters to be *introduced* from a concept definition

```
template<Mergeable{F1, F2, O}>
void merge(F1 f1, F1 l1, F2 f2, F2 l2, O o);
```

Probably the best we can do for lambdas.

```
[]<Mergeable{F1, F2, O}>
(F1 f1, F1 l1, F2 f2, F2 l2, O o)
```

If your lambdas really look like this

Introduction Syntax

This:

```
template<Mergeable{F1, F2, 0}>
void merge(F1 f1, F1 l1, F2 f2, F2 l2, 0 o);
Is equivalent to writing:
template<typename F1, typename F2, typename 0>
  requires Mergeable<F1, F2, 0>
void merge(F1 f1, F1 l1, F2 f2, F2 l2, 0 o);
```

Declarations with Type Concepts

Single-argument concepts (*type concepts*) are special. For example:

```
template<Sortable_container C>
void sort(C& cont);
```

We can make this even more terse:

```
void sort(Sortable_container& cont);
```

Sortable_container is a concept that introduces a
 named placeholder type

Type Concepts and Lambdas

We can write a lambda like this:

```
[x]<Regular T>(T y) { return x == y; }
```

Or we can equivalently write:

```
[x](Regular y) { return x == y; }
```

Et Voila! Tersely constrained lambdas!

The Same-Type Problem

Obviously **p** and **q** are the same type

Their types have the same spelling

How do we guarantee that **p** and **q** are of the same type?

Same-type Substitution

When a concept is used as a type specifier for a parameter, all other uses are replaced by an implementation-defined type name

```
template<Random_access_iterator __R>
  void sort(__R p, __R q);
```

Don't want this behavior?

Use verbose notation and declare 2 parameters

Implementation

Two implementations:

Initial prototype (GCC-4.8, from September) GCC Branch (based on 4.9)

Library support (Origin)

https://github.com/asutton/origin

Built against the GCC branch

Compiler Performance

Small test of constraints vs. type traits (emulation) for similar programs

Tested using initial prototype (GCC-4.8)

Performance gains increase with number of requirements checked

Observed gains of 13-25% for even small numbers of requirements

Defining and instantiating type traits is expensive!

Library Support

All constraints for all concepts in Palo Alto TR (n3351)

```
Equality_comparable, Totally_ordered, Regular,
Function, Predicate, Relation
```

Input_iterator, Forward_iterator,
 Bidirectional_iterator, Sortable

Some variations

Programming

Concept design

Fun with language features

Library Design

Concepts arise from common implementation patterns in concrete, and later abstract algorithms

Libraries should have relatively few concepts

When compared to algorithms + data structures

Why?

Easier to learn and remember

Easier to write concise requirements

Concept Design

Concepts should describe an expressive computational basis [EoP]

Require semantically related operators (e.g., == and != for Equality_comparable)

Why?

A concept establishes notation for a (mathematical?) domain Prefer to write in terms of that notation Fewer constraints on implementations Leads to fewer concepts

Generating Default Definitions

```
// In global namespace?
template<typename T>
  requires (T a, T b) { {a == b} -> Boolean; }
auto operator!=(T a, T b)
  return !(a == b);
class Date { ... };
bool operator==(Date, Date) { ... };
static_assert(Equality_comparable<Date>(), "");
```

An Evolution Problem

Constraining templates can quietly change the results of overload resolution

```
void f(double); // #1
template<typename T>
void f(T x); // #2
f(0); // calls #2
```

An Evolution Problem

Constraining templates can quietly change the results of overload resolution

```
void f(double); // #1

template<Character T> // char, wchar_t, etc.
void f(T x); // #2

f(0); // calls #1 - not good!
```

Can we modify the library to ensure that overloads don't change unexpectedly?

Unconstrained Templates May Go

Delete the unconstrained template.

```
void f(double); // #1

template<typename T>
void f(T x) = delete; // #2

template<Character T> // char, wchar_t, etc.
void f(T x); // #3

f(0); // Error!
```

Conclusions

Concepts Lite

enable_if on steroids

Relies on **constexpr**, builds on existing features, practice Rooted in established theories of formal logic, languages

Future Work

Implement terse templates, constrained generic lambdas

More work on Origin, other libraries

Write the TS

Questions