## Cryptography

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The Goldreich-Levin Theorem proves existence of probabilistic learning algorithms for linear functions.

## 1 Presentation in Katz and Lindell

**Theorem 1.1.** Assume OWFs exist. Then, there's a one-way function g and a hard-core predicate hc of g.

7.3.2 in Katz and Lindell

Notes about Claim 7.15 in Katz and Lindell

For  $x \in S_n$ , we're being careful with the size of the set and relaxing the success probability. For  $x \notin S_n$ , we're being careful with the success probability and relaxing the set size.

Notes about Claim 7.16 in Katz and Lindell

Union bound the failure probabilities for r and  $r \oplus e_i$ .

Finish the proof by using the Chernoff bound.