195

We need to move on to see:

Capacitors (Section 6-1)

Symbol

Vict Par I-V relation:

1,=Cdvc Units of  $C = \frac{Amps}{Volts/sec} = Fara.$ 

Capacitance

- A.S

C = Coulombs

I Fis pretty big, so we usually use

UF, NF, PF

Invert I-V: & icd= Cdv

Sigda=(Sdvc

Stilla= C[Vc(t)-Vc(to)]

 $V_c(t_0) = V_c(0) + \int_0^t \int_0^t dx dx$ 

 $V_c(t_0) = V_c(0) + \int_{0}^{t} \int_{0}^{t} i_c(t') dt'$   $= \int_{0/m_{m_0}}^{t} V_c(t_0) = V_c(0) + \int_{0}^{t} \int_{0}^{t} i_c(t') dt \text{ We know.}$ 

Power + Energy

Polt) = Nolt) Ve(t)

 $= C \frac{dv_e}{dt} V_e(t)$   $\rho_e(t) = C V_e \frac{dv_e}{dt}$ 

 $= C \frac{d}{dt} \left( \frac{1}{2} V_c^2 \right)$ 

P.H) = d ( 1 ( V2)

So, we interpret this to say that

We(+)= 1 (Va) is the energy stored in the

and Pell) = & Welt) is the rate at which energy is added to or removed from the capacitor or the power "dissipated"
(or removed from the clet and stored) by the capacitor.

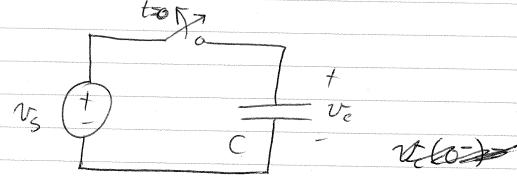
1.) 10=0 Whiless Ve is changing. Scapacitor looks Summary like an open cht at DC

- 2) Ve is continuous as cannot change instantaneously
  3) Absorbs foreign when storing sources energy power when delivering stored energy back to cht.

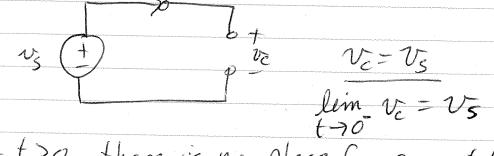
## Examples + Exercises in text

A capacitor charged to some voltage

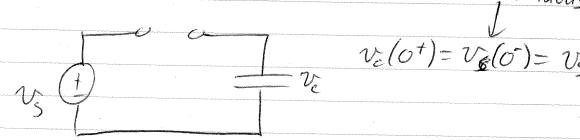
and then disconnected:



For to the conditor cht is DC:



For to there is no place for current to flow: Continuous



Since ic(t>0)=0=( dr. (t>0)

this means dr =0 for t>0

or Vc is constant.

So a capacitor can "hold a charge". Old

Vacuum tube TV's + radios had high voltage

Sources in them, with capacitors. There are

occassional reports of kids finding radios

or IVs in attics and opening them up and

being shocked or even killed by stored

charges from 50 or more years ago)