

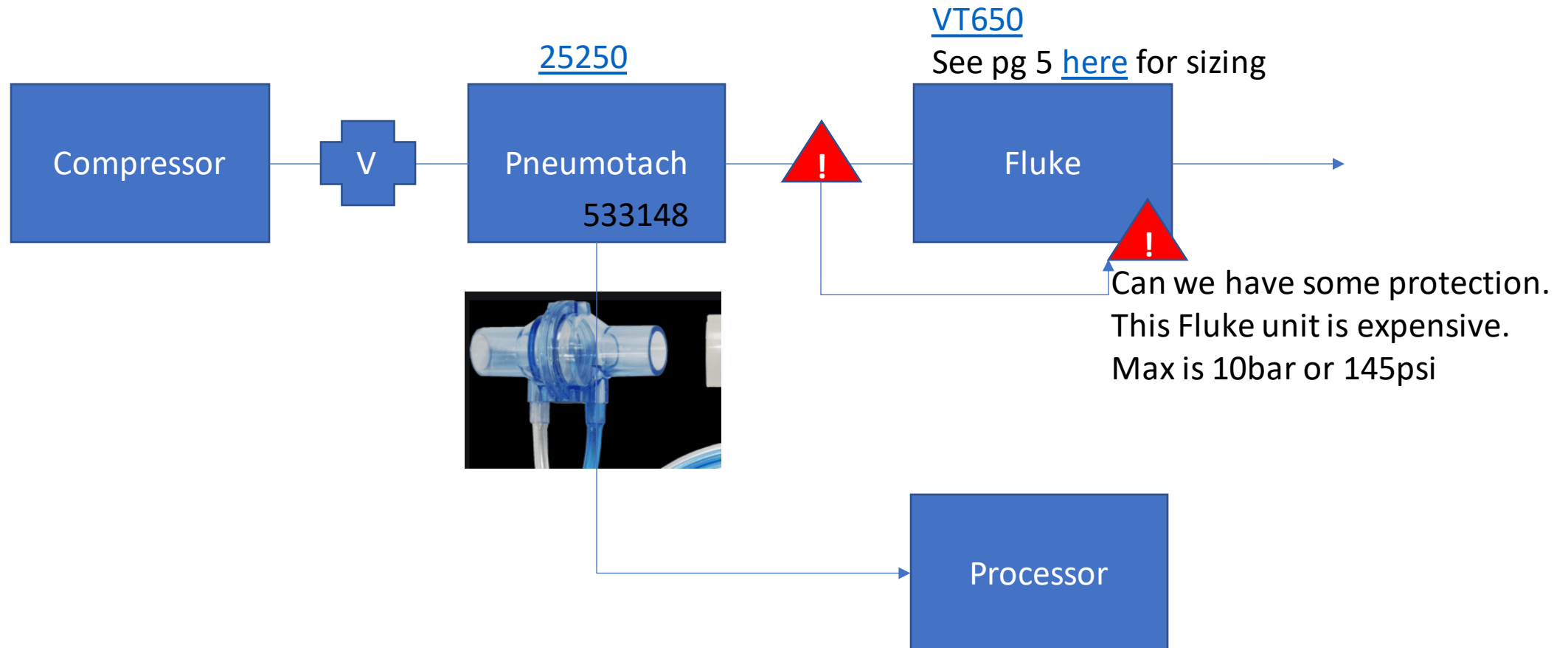
Fluke Test Setup

June 8th, 2021

Initial Proposed Set-Up

Relationship between Flow and Diff. Pressure

Flow range: 0 to 180Liters/min
Resolution: 40ml/min



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Operating Parameters: 1 psi max, up to 180 L/min (~6 cfm)

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Note: Tygon tubing to be attached to Fluke outlet and Pneumotach inlet via moisture-seal heat shrink ([74965K57](#))

VT650 Gas Flow Analyzer
See pg 5 [here](#) for sizing

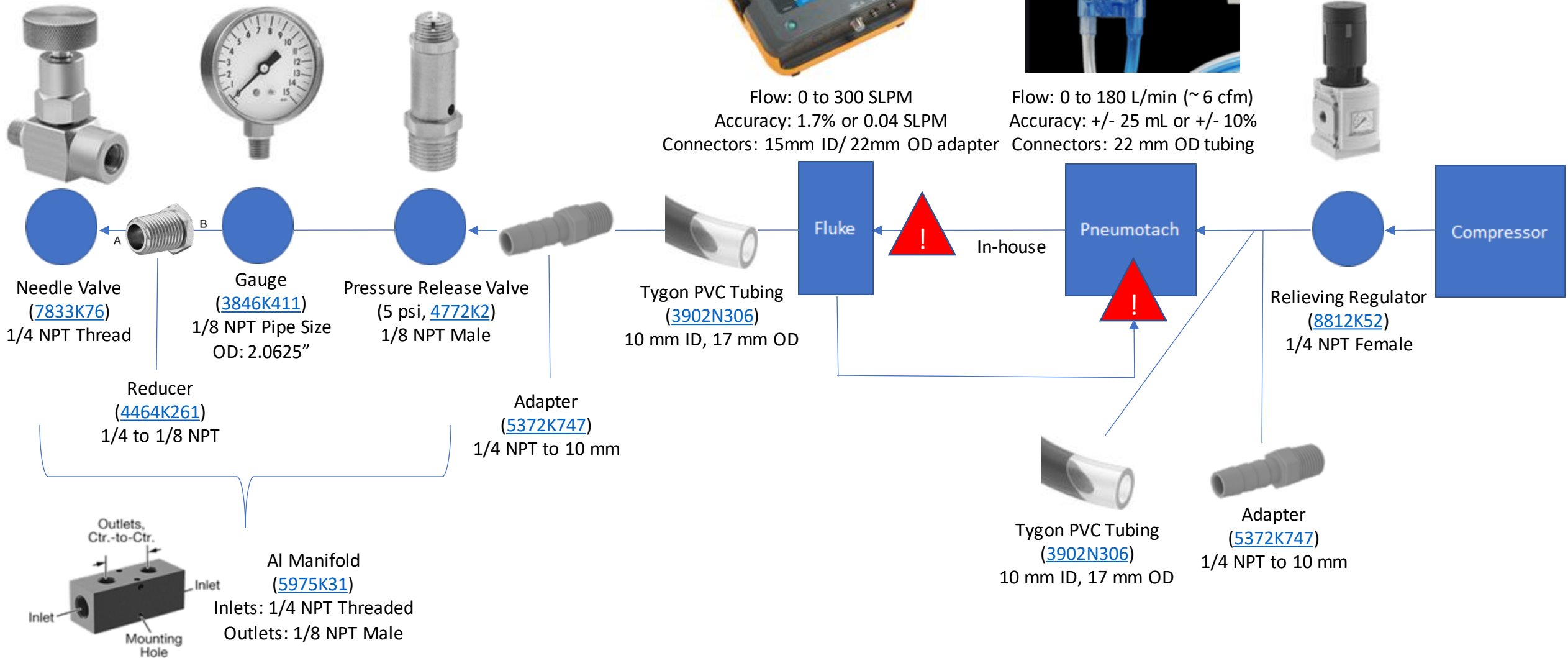


Flow: 0 to 300 SLPM
Accuracy: 1.7% or 0.04 SLPM
Connectors: 15mm ID/ 22mm OD adapter

25250 Pneumotach Flow Sensor



Flow: 0 to 180 L/min (~ 6 cfm)
Accuracy: +/- 25 mL or +/- 10%
Connectors: 22 mm OD tubing



NOT USED - Idealized Mathematical Representation

Note: Bernoulli's is idealized, so it may not account for real-world friction, pressure drops, etc.

$$\text{Bernoulli's Eq: } P_1 + \frac{1}{2}\rho v_1^2 + \rho g h_1 = P_2 + \frac{1}{2}\rho v_2^2 + \rho g h_2$$

$$(P_2 - P_1) = \frac{1}{2}\rho(v_1^2 - v_2^2) + \rho g(h_1 - h_2)$$

Last term cancels out to 0 because there is a negligible change in height from the inlet to the outlet

$$(P_2 - P_1) = \frac{1}{2}\rho(v_1^2 - v_2^2)$$

$$\frac{2(P_2 - P_1)}{\rho} = v_1^2 - v_2^2 \quad (2)$$

$$\frac{2(P_2 - P_1)}{\rho} = v_1^2 - \left(\frac{A_1}{A_2} \cdot v_1\right)^2 \quad (1)$$

$$(P_2 - P_1) = \frac{1}{2}\rho \left[\left(\frac{\dot{m}_1}{\rho A_1}\right)^2 - \left(\frac{\dot{m}_2}{\rho A_2}\right)^2 \right]$$

$$\dot{m} = \rho v A \quad (3)$$

$$P_2 - P_1 + \rho g h_2 = \frac{1}{2}\rho v_1^2$$

Variable Definition:

ρ : density of air

v : velocity of air

h : height of inlet/ outlet

P : pressure energy

$P_2 - P_1$: differential pressure

\dot{m} : mass flow rate

A : cross-sectional area of the tubing
($\pi \cdot r^2$)

Approach:

1. Use measured differential pressure Eq (1) to determine v_1
2. Use measured differential pressure and calculated v_1 in Eq (2) to determine v_2
3. Use equation 3 with either v_1 or v_2 to determine mass flow rate, \dot{m}