



Visualizing a Bayesian Model

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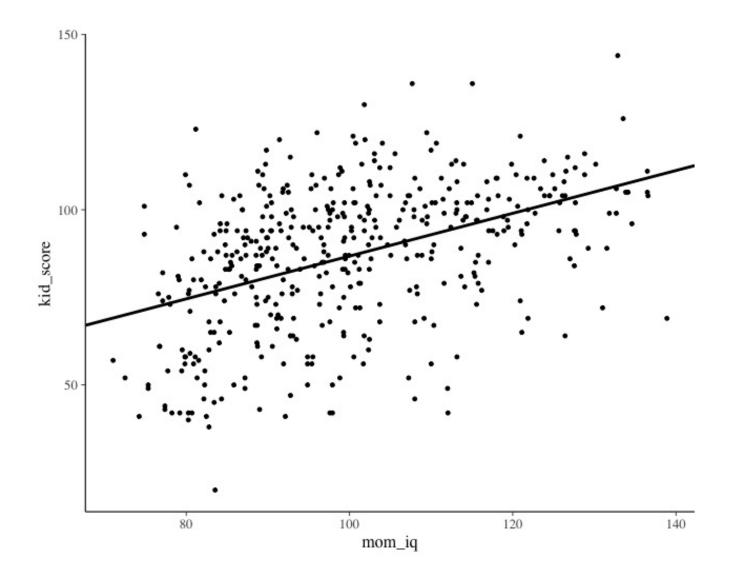
Saving model coefficients

```
stan model <- stan glm(kid score ~ mom iq, data = kidiq)</pre>
tidy(stan model)
#> # A tibble: 2 x 3
   term estimate std.error
   <chr> <dbl> <dbl>
#> 1 (Intercept) 25.7 5.92
            0.611 0.0590
#> 2 mom iq
tidy coef <- tidy(stan model)</pre>
model_intercept <- tidy coef$estimate[1]</pre>
model intercept
#> [1] 25.67857
model slope <- tidy coef$estimate[2]</pre>
model slope
#> [1] 0.6110473
```



Creating a plot

```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point() +
  geom_abline(intercept = model_intercept, slope = model_slope,)
```

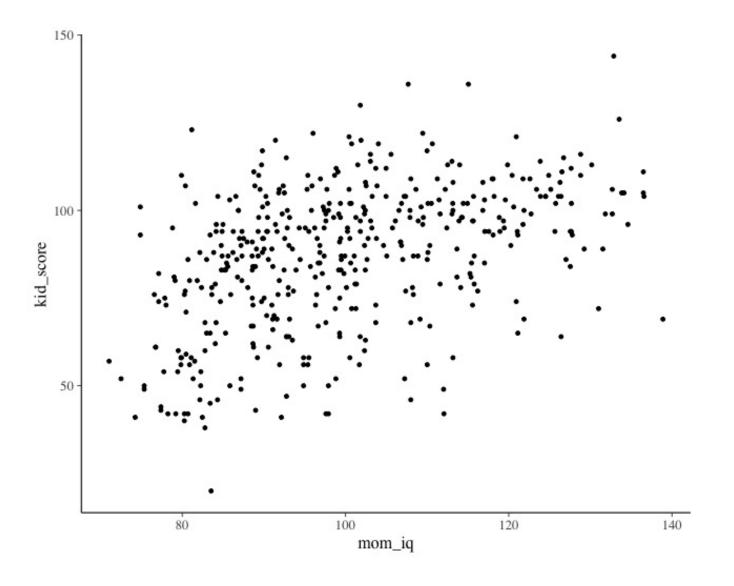




```
draws <- spread draws(stan model, `(Intercept)`, mom iq)</pre>
draws
#> # A tibble: 4,000 x 5
      .chain .iteration .draw `(Intercept)` mom_iq
                  <int> <int>
                                      <dbl> <dbl>
       <int>
                                       28.2 0.586
#>
                                       28.7 0.593
#>
#>
                                       13.5 0.735
                                       30.3 0.564
#>
                                       34.5 0.522
                                       19.2 0.669
                                       34.8 0.523
                                       16.3 0.707
#>
                                       35.8 0.511
#>
                     10
                                       14.5 0.734
     ... with 3,990 more rows
```

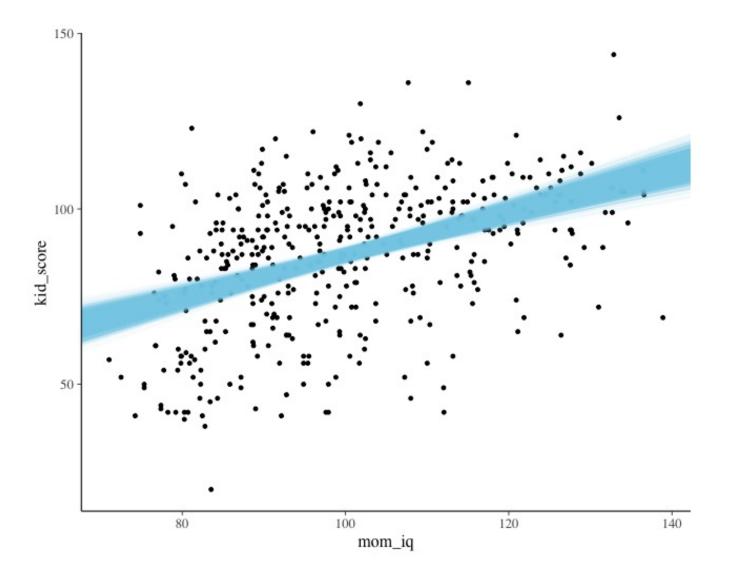


```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point()
```



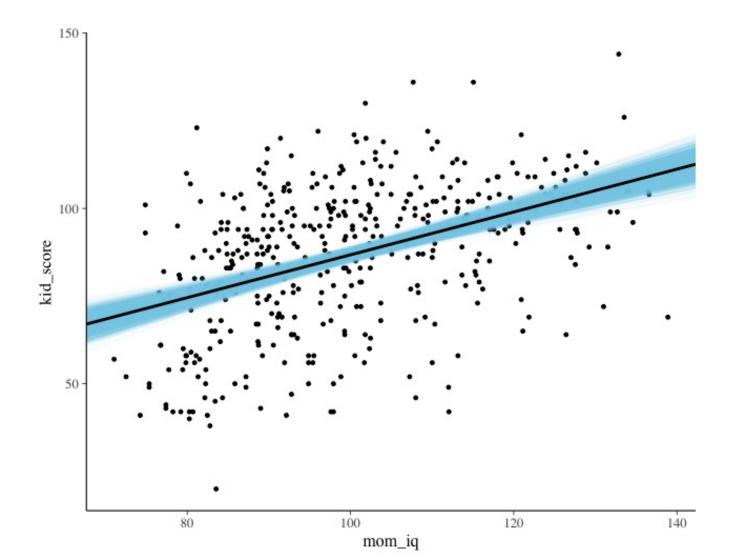


```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
   geom_point()
   geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),
        size = 0.2, alpha = 0.1, color = "skyblue")
```





```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point()
  geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),
    size = 0.2, alpha = 0.1, color = "skyblue") +
  geom_abline(intercept = model_intercept, slope = model_slope)
```







Let's practice





Making Predictions

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Making predictions for observed data

```
stan model <- stan glm(kid score ~ mom iq + mom hs, data = kidiq)</pre>
posteriors <- posterior predict(stan model)</pre>
posteriors[1:10, 1:5]
#>
         61.08989 58.57298
                             80.68946 101.00810
                                                  76.37946
    [2,] 111.52704 49.92284 99.09657
                                        97.33291
                                                  72.98906
         83.36793 81.35768
                             94.16414 101.73570
                                                  64.69375
         118.15092 74.00476 107.28852 75.75912
                                                  91.93991
                    58.98491 128.40312 121.42753
         103.95042
                                                  62.70008
        102.29874 127.74050 84.10661
                                        67.94056
                                                  82.02546
         91.39445
                   88.49029
                                        94.48594 102.50331
                             75.05702
         93.33446
                   84.99589 101.49261
                                        66.74698
                                                  68.26968
                    91.46998 123.43011 76.53226
    [9,] 101.85065
                                                  74.93288
         79.61489 101.29745 105.97636 97.48332
   [10,]
                                                  99.80582
```



Making predictions for new data

```
predict_data <- data.frame(
    mom_iq = 110,
    mom_hs = c(0, 1)
)

predict_data
#> mom_iq mom_hs
#> 1 110 0
#> 2 110 1
```



Making predictions for new data

```
new predictions <- posterior predict(stan model, newdata = predict data)</pre>
new predictions[1:10,]
#>
         90.90581 107.75710
         78.72466 139.86677
         80.67743
                  88.81523
    [4,]
         83.47852 74.06063
         69.07708 87.81177
         40.46229
                  85.45969
         79.41597
                  64.19011
    [8,] 107.93867 117.49345
         95.31493
                  82.51476
         91.18056
   [10,]
                  94.22732
summary(new predictions[, 1])
     Min. 1st Qu. Median
                             Mean 3rd Qu.
#>
                                             Max.
           75.26 87.64
                            87.68 100.02
    20.90
                                           156.00
summary(new_predictions[, 2])
     Min. 1st Qu. Median
                            Mean 3rd Qu.
                                            Max.
#>
    34.78 81.32 93.49
                            93.66 105.62
                                           159.82
```





Let's practice





Visualizing Predictions

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Plotting new predictions

```
stan model <- stan glm(kid score ~ mom iq + mom hs, data = kidiq)</pre>
predict data <- data.frame(</pre>
  mom iq = 110,
  mom hs = c(0, 1)
posterior <- posterior predict(stan model, newdata = predict data)</pre>
posterior[1:10,]
#>
         76.75484 96.26407
          74.39001 100.38898
          90.90370
                    70.00591
          70.43835 120.82787
    [5,] 113.98411 82.40497
          56.15829 121.84269
          90.46640
                   92.77966
          98.56337 110.17948
         108.86147 123.67762
          94.29429 83.77102
#> [10,]
```

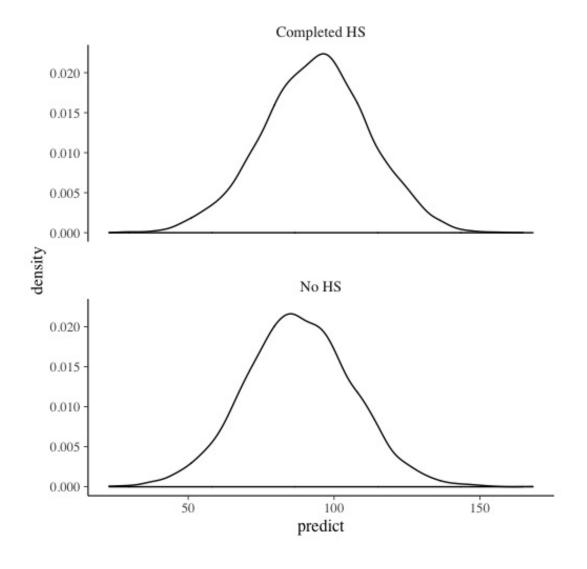


Formatting the data



Creating the plot

```
ggplot(plot_posterior, aes(x = predict)) +
  facet_wrap(~ HS, ncol = 1) +
  geom_density()
```







Let's practice





Conclusion

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What we've learned

- How to estimate a Bayesian regression model
 - Differences betweens frequentist and Bayesian approaches
 - Importance of making correct inferences
- Modifying a Bayesian model
 - Size of the posterior distribution
 - Prior distributions
 - Estimation algorithm



What we've learned

- Evaluate model fit
 - R-squared
 - Posterior predictive model checks
 - Model comparisons
- Using the model
 - Model visualizations
 - Predictions



What we've missed

- Math behind posterior calculations and LOO approximation
- Choosing a prior distribution
- Causes of estimation errors



What comes next?

- More DataCamp courses
 - Bayesian Modeling with RJAGS
- rstanarm documentation
 - mc-stan.org/rstanarm
- Bayesian Data Analysis, Gelman et al., (2013)





Thank you!