

DepthAnything3

Recovering the Visual Space from Any Views

AUTHORS

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ByteDance Seed

★ Core Contributions

- **Minimal Modeling:** Single ViT + per-pixel depth-ray targets.
- **SOTA Performance:** **+35.7%** pose AUC, **+23.6%** geometric accuracy vs VGGT.
- **Universal:** Works with monocular, multi-view, or video frame sequences.



Figure 1: DA3 reconstructs visual space from any number of images

Dual-DPT

NOVEL HEAD

DINOv2

BACKBONE

① The Core Problem

Existing foundation models require:

- ✗ **VGGT**: Redundant multi-task targets (point maps + depth + pose) + multi-stage architecture
- ✗ **DUST3R**: Point maps insufficient for metric consistency
- ✗ **Traditional SfM/MVS**: Brittle under textureless regions, specularities

Central Question:

Can a **SINGLE PLAIN ViT** with **MINIMAL TARGETS** (depth + rays only) suffice for unified 3D reconstruction?

✓ YES → DepthAnything3

🏆 **Key Achievement:** DA3 reaches SOTA performance using **only public academic datasets**, without proprietary data.

⚠ Limitations of Prior Work

Traditional Pipelines (SfM / MVS / SLAM)

Modular systems are brittle under textureless regions, specularities, or large baselines.

Early Deep Learning Approaches

Fixed input cardinality, complex architectures, and limited scalability.

Current Foundation Models (e.g., VGGT)

Rely on multi-head task bundles, redundant targets, and heavy design overhead.

💡 DA3 Solution Highlights

Unified Representation

Depth + Ray formulation handles arbitrary inputs (single image, stereo, video) in one model.

Minimal Architecture

Single plain ViT backbone—no complex multi-stage pipelines or redundant heads.

SOTA Performance

+35.7% pose accuracy improvement, trained only on public datasets.

Problem Setup



Arbitrary Visual Inputs

Input set could be given as a single image, stereo pair, or video frame sequence.



Per-Pixel Ray Map M

Instead of global pose, the model predicts a dense map M containing ray origin t and direction d for every pixel.

Why Avoid Explicit Rotation?

Directly regressing a rotation matrix R imposes an **orthogonality constraint** ($R^T R = I$) that is difficult for neural networks to satisfy, often leading to optimization instability or degenerate poses.

- Ray directions $d \in \mathbb{R}^3$ avoid explicit orthogonality constraints, simplifying optimization.

Key: Ray direction is derived from classical formulation as $d = RK^{-1}p$, linking rotation matrix and intrinsics to rays.

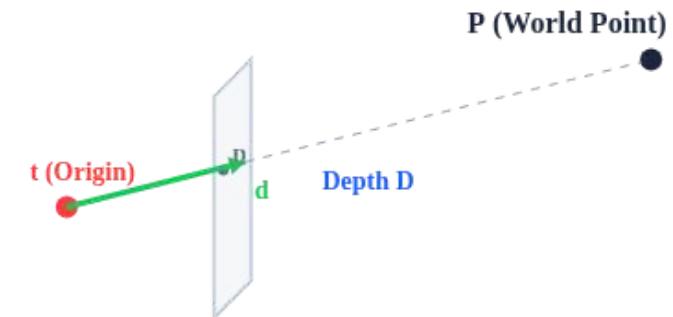
Why is d unnormalized?

d is unnormalized because $\|d\|$ encodes the projection transformation from K^{-1} . Normalizing would decouple the scale relationship between depth and projection. The unnormalized d preserves the pixel-to-world scale factor, which is critical for geometric consistency: $P = t + D \cdot d$ requires d 's magnitude to properly fuse depth with ray direction.

$$P = t + D(u, v) d$$

$$P \text{ (3D Point)} = t \text{ (Ray Origin)} + D \text{ (Depth)} \times d \text{ (Direction)}$$

GEOMETRIC DERIVATION



The direction d derived via backprojection: $d = R K^{-1} p$

Deriving Parameters from Ray Map M

Given ray map $M \in \mathbb{R}^{H \times W \times 6}$ with origins $M_{:,3}$ and directions $M_{3,:}$:

1 Estimate Camera Center t_c

$$t_c = \frac{1}{H \cdot W} \sum_{h,w} M(h, w, : 3)$$

2 Recover K, R via Homography

Canonical ray $d_I = p$ relates to camera ray d_{cam} via $H = KR$.

$$H^* = \arg \min_{\|H\|=1} \sum_{h,w} \|(Hp_{h,w}) \times M(h, w, 3 :)\|$$

Why cross product?

Minimizes angular error—enforces directional alignment between $H \cdot p$ and predicted rays.

Solved via DLT, then decompose H^* using RQ decomposition $\rightarrow (K, R)$.

★ Lightweight Camera Head D_C

Challenge: Pose-from-rays optimization is computationally expensive at inference.

Solution: A dedicated camera head operating on camera tokens directly predicts (f, q, t) parameters with **negligible overhead**—bypassing expensive DLT/RQ at test time.

Camera Conditioning Tokens

Camera information is injected via tokens prepended to each view, enabling both posed and unposed inputs.

If pose known:

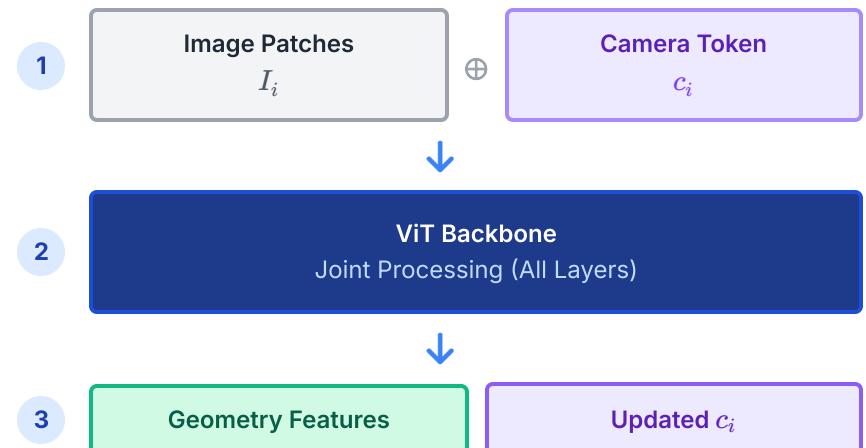
$$c_i = E_c(f_i, q_i, t_i)$$

Encoded via MLP E_c from FOV, quaternion, translation.

If pose unknown:

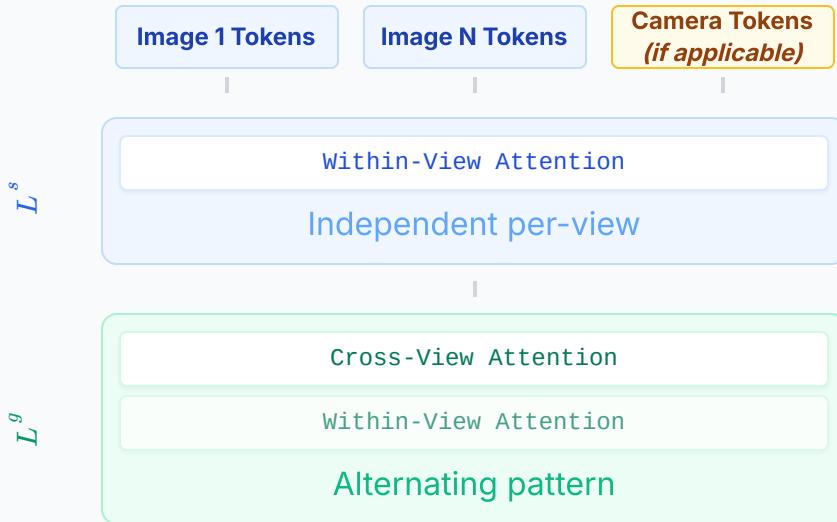
Use a shared learnable token c_ℓ .

TOKEN INTEGRATION FLOW



Transformer Block Structure

Pretrained DINOv2



★ KEY INNOVATION: Input-Adaptive Cross-View Attention

Standard ViT handles multiple views without modification

Phase 1: Within-View (L_s layers)

- Tokens attend only within their own view
- Extract per-view features (monocular depth)
- Build local context first

↔ Phase 2: Cross-View (L_g layers)

Alternating:

- **Cross-view:** Reorder → interleave → correspondences
- **Within-view:** Group back → refine

Standard ViT: only token ordering changes

⚡ Input-Adaptive Property

- $N_v = 1$: Monocular depth (zero overhead)
- $N_v = 2-18$: Scales gracefully
- **Complexity:** $O(N^2)$ ViT (no 3D volumes)

💡 Empirical optimal ratio: $L_s : L_g = 2 : 1$

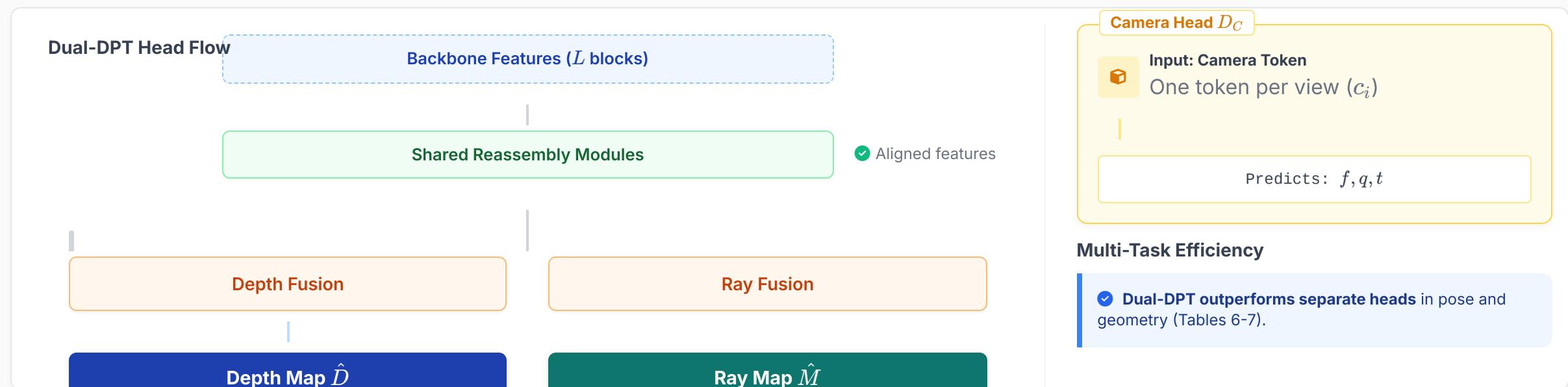
Why 2:1 ratio?

Balances local feature learning with cross-view reasoning.

Trade-offs:

- Too few L_g → limited multi-view fusion
- Too many L_g → reduces within-view discriminability
- L_g scales as $O(N_v \cdot H \cdot W)^2$ vs $O(H \cdot W)^2$ for L_s

Tab. 7: 2:1 provides optimal accuracy-efficiency balance



Dual-DPT Head Design

- Shared Reassembly:** Upsamples and concatenates multi-scale ViT features (from different transformer layers) into dense spatial representations before task-specific fusion (from DPT architecture).
- Branch-Specific Fusion:** Two distinct paths fuse features for depth vs. ray tasks.
- Benefit:** Encourages strong task interaction while minimizing redundant computation—outperforms separate heads with minimal parameter overhead.

Camera Head (D_C)

- Operates exclusively on **camera tokens** (one per view).
- Predicts explicit parameters: FOV $f \in \mathbb{R}^2$, quaternion $q \in \mathbb{R}^4$, translation $t \in \mathbb{R}^3$.
- Efficiency:** Negligible computational cost—amortizes pose extraction without expensive dense ray map processing at inference.

Teacher-Student Paradigm

Teacher: DINOv2+DPT

- **Monocular only** (single images)
- Standard DPT decoder
- No multi-view / No camera tokens
- Trained on synthetic data only

Student: DA3

- **Multi-view** (2-18 images)
- Dual-DPT + cross-view attention
- Camera tokens + camera head
- Trained on mixed real+synthetic

Synthetic → Teacher → Relative Depth

RANSAC align (s,t) → cached pseudo-labels



Real+Noisy → Pseudo-Labels → Student (DA3)

Mixed Data Strategy

Real Depth

3D Recon

Synthetic

~40% synthetic, ~30% real (ScanNet++), ~30% reconstructed (DL3DV)

KEY DETAILS

 Base res 504² (varied AR)

 Wall-clock: ~5-7 days

200k steps on 128 H100 GPUs

 Pose cond prob p=0.2

 Camera head D_C: ~1ms

Student Training Objective

$$L = L_D + L_M + L_P + \beta L_C + \alpha L_{grad}$$

(where $\alpha = 1, \beta = 1$)

Student: Multi-view depth + rays + pose (mixed real+synthetic data)

Teacher: $L_T = L_{grad} + L_{gl} + 0.5L_N + L_{sky} + L_{obj}$ (monocular, synthetic only)

Student Loss Components

1. Confidence-Aware Depth Loss (L_D)

Weighted L1 loss with learned uncertainty $D_{c,p}$ that down-weights ambiguous regions.

2. Ray Map Loss (L_M)

L1 loss on ray vectors $M = (t, d)$ for direction consistency.

3. Point Consistency (L_P)

Loss on 3D points $P = t + \hat{D} \odot d$ to enforce geometric validity.

4. Camera Head (L_C)

Supervision for pose predictions (f, q, t) from camera head.

5. Gradient Loss (L_{grad})

Edge-aware smoothness (shared with teacher).

Teacher Losses (monocular)

ROE, surface normals, sky/object masks

Why Synthetic Teacher?

- Real-world depth (LiDAR/structured light) is often **sparse, noisy, and incomplete** (see Fig. 4).
- Synthetic data provides **dense, clean geometry** with perfect ground truth.

HyperSim Virtual KITTI TartanAir ScanNet++ (Noisy Target)

Robust Alignment Strategy

The teacher's relative depth \tilde{D} is aligned to noisy sparse real measurements D_p via robust RANSAC least squares.

$$(s, t) = \operatorname{argmin}_{s>0, t} \sum_{p \in \Omega} m_p (s\tilde{D}_p + t - D_p)^2$$

$$D_{aligned} = \hat{s}\tilde{D} + \hat{t}$$

RANSAC Benefit

Filters out gross outliers in real sensor data using Median Absolute Deviation (MAD) thresholding, preventing teacher degradation.

The Teacher Model (DA3-Teacher)

- Architecture:** Monocular DINOv2 + DPT decoder (same backbone class).
- Target:** Scale-shift-invariant *exponential* depth (better for near-field).
- Losses:** Gradient + Global-Local (ROE) + Surface Normal + Sky/Obj Masks.

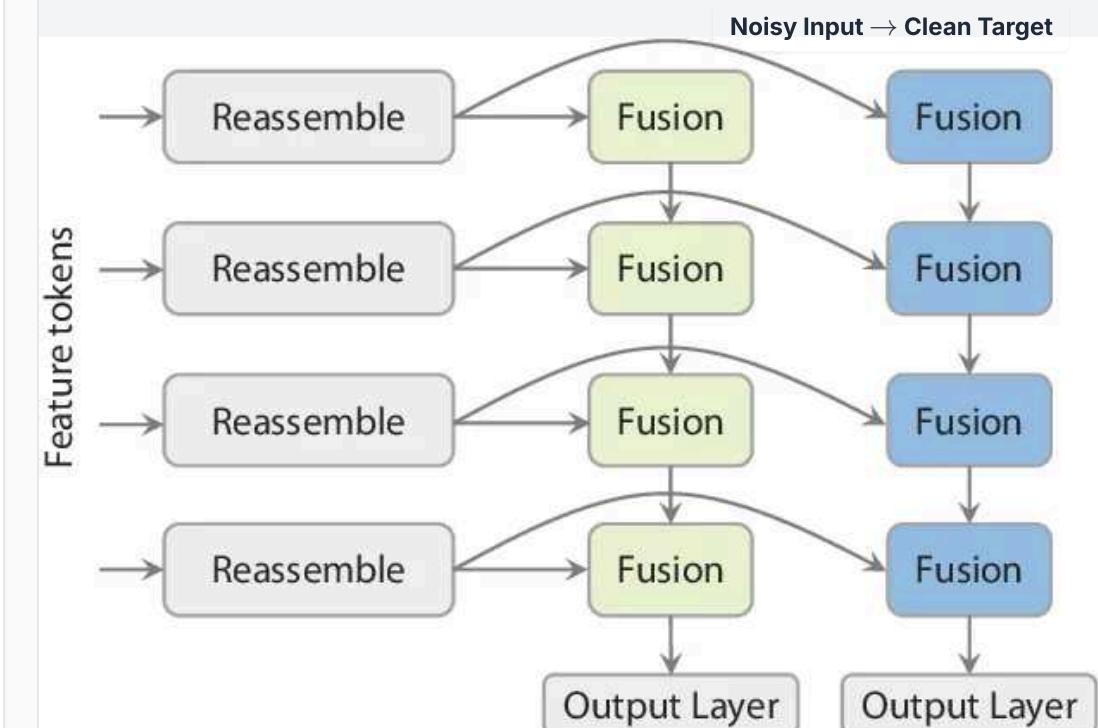


Fig 4: Data Quality & Alignment

Sparse Real vs. Dense Pseudo-Label

Visual Geometry Benchmark (Pose AUC)

+35.7% Improvement

Baseline context: VGGT: 46.8% avg → DA3-Large: **67.3% avg** | Relative improvement: **+44%** |
Coverage: SOTA on 18/20 settings | (Perfect alignment = 100% AUC) | Datasets: HiRoom (synthetic), ETH3D, DTU, 7Scenes, ScanNet++ (all real-world LiDAR)

Method	Setting	HiRoom	ScanNet++	7Scenes	Avg
DUSt3R	Pose-Free	38.4	45.2	32.1	38.6
VGGT	Pose-Free	42.1	62.6	35.8	46.8
DA3-Large ★	Pose-Free	64.5	85.0	52.3	67.3

SOTA on 18/20 Settings

* DA3 sets new state-of-the-art across diverse benchmarks

+35.7%

CAMERA POSE ACCURACY

+23.6%

GEOMETRIC ACCURACY

Evaluation Pipeline

▶ Feed-Forward: Predict Pose + Depth



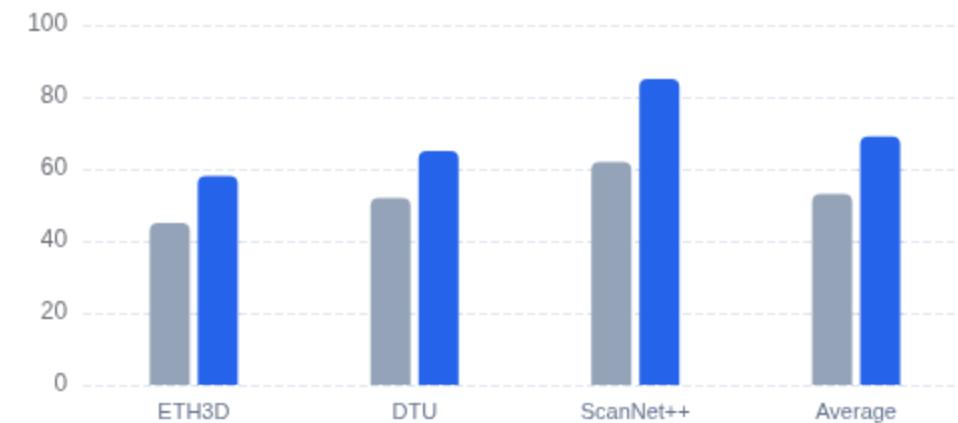
☒ Alignment: Robust RANSAC (inlier subset selection) + evo



📦 Fusion: TSDF Fusion → Point Cloud

Geometric Accuracy Gap

accuracy (Higher is Better)



⌚ Monocular Depth Estimation

Method	KITTI (AbsRel ↓)	Sintel (AbsRel ↓)	NYUv2 (δ1 ↑)
MiDaS v3.1	0.076	0.245	0.892
Depth Anything 2	0.058	0.198	0.965
DA3-Mono (Ours)	0.054	0.185	0.971

⌚ Monocular Depth: +7% on KITTI vs DA2

Improvements **LIKELY** stem from (not individually ablated): (1) **depth (not disparity) target** → better for downstream 3D tasks, (2) **expanded synthetic teacher data** → broader geometry coverage, (3) **exponential encoding** → enhanced near-field discrimination.

🖼 Novel View Synthesis Quality (PSNR)



Pose-Adaptive

🤖 Feed-Forward 3DGS (GS-DPT Head)

Fine-tuning Strategy:

Frozen DA3 Backbone

💡 Input: Images + (Optional) Poses



✍ GS-DPT Prediction: Per-pixel Gaussians (σ, q, s, c)

🖼 Novel View Synthesis Quality (PSNR)

Pose-Adaptive

💡 Core Findings

Geometry

FOUNDATION > TASK-SPECIFIC
Generalist backbone outperforms specialized NVS models

Adaptivity

WORKS W/ OR W/O POSE
Single model handles both settings seamlessly



Core Strengths



Minimal Modeling Strategy SCALABLE

Single plain ViT + depth-ray targets avoid complex bespoke architectures. Inherits scaling laws directly from DINOv2 pretraining.



Unified "Any-View" Framework

Seamlessly handles monocular, multi-view, and video inputs. Pose-optional design bridges the gap between uncalibrated images and metric 3D.



SOTA Geometry & Pose

Outperforms VGGT by huge margins (+35.7% Pose AUC). Provides robust foundation for feed-forward novel view synthesis (3DGS).



Limitations & Challenges



Computational Cost at Inference OPTIMIZATION

Extracting pose from ray maps via optimization can be slow. Pose head (DC) mitigates this but adds dependency on tokens.



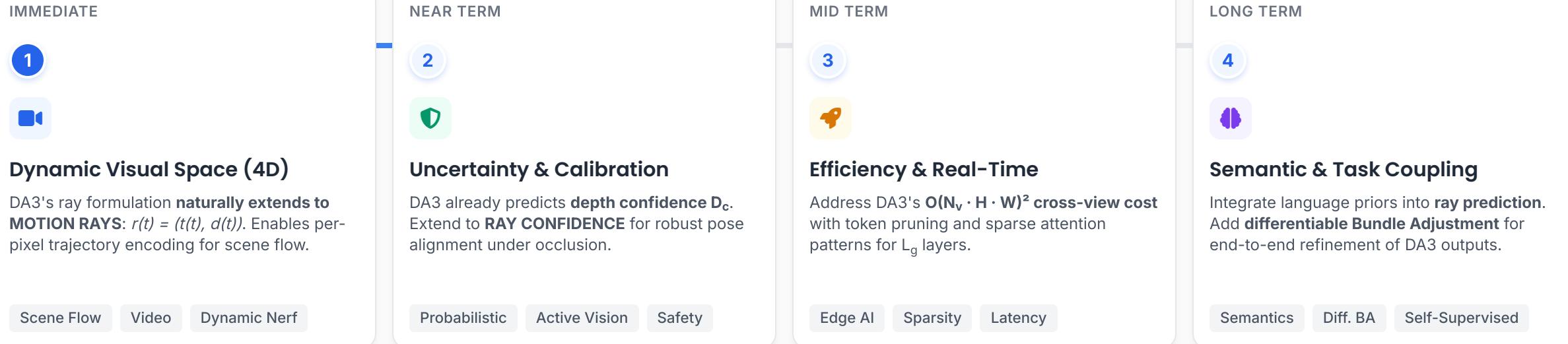
Static Scene Limitation

The depth-ray formulation does not explicitly model motion or deformation fields, suggesting **POTENTIAL limitations for dynamic scenes**. *Note: The paper does not evaluate dynamic scene performance, so this remains an open question for future work.*



Memory Scaling

Trained on 2-18 views; beyond this requires memory optimization. Token budgeting strategies needed for large-scale multi-view processing.



 **Research Focus:** Combine **Self-Supervised Cycle Consistency** with **Uncertainty Estimation** using DA3 backbone for robust, label-free learning.



Core Contributions & Rationale



Minimalism Suffices

ARCHITECTURE

A single plain ViT (DINOv2) + minimal Depth-Ray targets are sufficient for any-view geometry. No complex multi-task bundles or bespoke 3D modules needed.



Implicit Pose via Rays

FORMULATION

Predicting dense rays avoids difficult orthogonality constraints of rotation matrices (SO3). Pose emerges naturally from ray convergence.



Empirical Dominance

RESULTS

+35.7% Pose AUC vs. VGGT. Validates that scale-invariant depth + ray maps is the optimal minimal set for foundation geometry.

DepthAnything3 proves that **generalist scaling beats specialized engineering** for 3D visual geometry.