

## Deriving Parameters from Ray Map $M$

Given ray map  $M \in \mathbb{R}^{H \times W \times 6}$  with origins  $M_{:,3}$  and directions  $M_{:,4:5}$ :

### 1 Estimate Camera Center $t_c$

$$t_c = \frac{1}{H \cdot W} \sum_{h,w} M(h, w, : 3)$$

### 2 Recover $K, R$ via Homography

Canonical ray  $d_I = p$  relates to camera ray  $d_{cam}$  via  $H = KR$ .

$$H^* = \arg \min_{\|H\|=1} \sum_{h,w} \|(Hp_{h,w}) \times M(h, w, 3:5)\|$$

#### ? Why cross product?

Minimizes angular error—enforces directional alignment between  $H \cdot p$  and predicted rays.

Solved via DLT, then decompose  $H^*$  using RQ decomposition  $\rightarrow (K, R)$ .

## ★ Lightweight Camera Head $D_C$

**Challenge:** Pose-from-rays optimization is computationally expensive at inference.

**Solution:** A dedicated camera head operating on camera tokens directly predicts  $(f, q, t)$  parameters with **negligible overhead**—bypassing expensive DLT/RQ at test time.

## Camera Conditioning Tokens

Camera information is injected via tokens prepended to each view, enabling both posed and unposed inputs.

### If pose known:

$$c_i = E_c(f_i, q_i, t_i)$$

Encoded via MLP  $E_c$  from FOV, quaternion, translation.

### If pose unknown:

Use a shared learnable token  $c_\ell$ .

## TOKEN INTEGRATION FLOW

