

INTERNATIONAL UNIVERSITY OF AFRICA  
CIVIL ENGINEERING DEPARTMENT  
ANALYSIS AND DESIGN OF STEEL WORKS

*GRADE 4*

*7TH SEMESTER*

**Lecture No 2**

BEAMS

PART 2

On beams we always have **moment** and **shear** then for the design of beam we have to consider them together

How ??????

Let start with a beam which the section **is classified as plastic**  
the ultimate moment  $M_{ult}$  from the analysis and the ultimate shear is  $Q_{ult}$

### EXAMPLE

A beam simply supported with a uniformly distributed load and Assume the factored moment from analysis  $M_{ult} = 122.1 \text{ kN.m}$  and Assume the factored Shear from analysis  $Q_{ult} = 77.7 \text{ KN}$  Steel **S275**

And the beam is fully restrained along its length by deck slab

### STEP 1 SELECT SECTION

Trick

$$\text{Plastic modulus } S = \frac{M}{p_y} = \frac{122.1 \times 10^3}{275} = 444 \text{ cm}^3,$$

Try use **UB 365x127 x 33**  $\rightarrow$  See *corus sections table inclosed in the lecture as separate file*

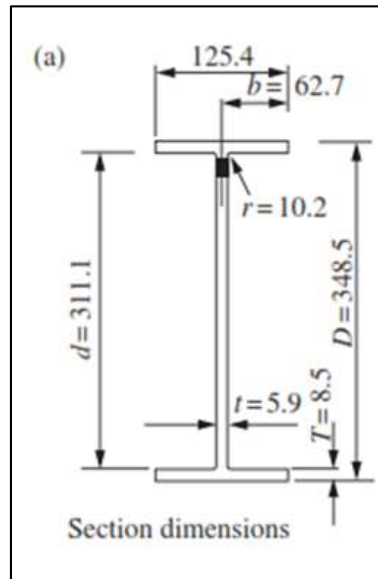
Table 5. Universal Beams (continued)

Designation		Depth of section	Width of section	Thickness		Root radius	Depth between fillets	Area of section	Second moment		Radius of gyration		Elastic modulus		Plastic modulus		Ratio D T	
Serial size	Mass per unit length			Web	Flange				of area	x-x axis	y-y axis	x-x axis	y-y axis	x-x axis	y-y axis	x-x axis		y-y axis
mm	kg/m	D	B	t	T	r	d	A	I <sub>xx</sub>	I <sub>yy</sub>	r <sub>xx</sub>	r <sub>yy</sub>	Z <sub>xx</sub>	Z <sub>yy</sub>	S <sub>xx</sub>	S <sub>yy</sub>		
mm	kg/m	mm	mm	mm	mm	mm	mm	cm <sup>2</sup>	cm <sup>4</sup>	cm <sup>4</sup>	cm	cm	cm <sup>3</sup>	cm <sup>3</sup>	cm <sup>3</sup>	cm <sup>3</sup>		
356 x 127	39	325.8	126.0	6.5	10.7	10.2	311.1	49.4	10 087	357	14.29	2.69	571.8	56.6	653.6	88.68	33.1	
	33	348.5	125.4	5.9	8.5	10.2	311.1	41.8	8 200	280	14.00	2.59	470.6	44.7	539.8	70.24	41.0	

$$S_x = 539.8 \text{ cm}^3, \quad Z_x = 470.6 \text{ cm}^3, \quad I_x = 8200 \text{ cm}^4$$

$$D/T = 41, \quad d = 311.1 \text{ mm}, \quad t = 5.9 \text{ mm}$$

$$d/t = 311/5.9 = 527$$



Then *STEP 2*

Classify the section use these below simple tables since the section is **rolled**

**Table 9 — Design strength  $p_y$**

Steel grade	Thickness <sup>a</sup> less than or equal to mm	Design strength $p_y$ N/mm <sup>2</sup>
S 275	16	275
	40	265
	63	255
	80	245
	100	235
	150	225
S 355	16	355

Compression element		Ratio	Limiting value		
			Class 1 plastic	Class 2 compact	Class 3 semi-compact
Outstand element of compression flange	Rolled section	$b/T$	$9\epsilon$	$10\epsilon$	$15\epsilon$
Web with neutral axis at mid- depth		$d/t$	$80\epsilon$	$100\epsilon$	$120\epsilon$

The parameter,  $\epsilon = (275/p_y)^{0.5}$

$$\varepsilon = (275/p_y)^{0.5} = 1.0$$

$$b/T = 62.7/8.5 = 7.37 < 9$$

$$d/T = 311.1/5.9 = 52.7 < 80$$

Section is classified as plastic

### STEP 3

Check whether the shear at max moment is low or high shear

- Low shear if the applied shear  $F_v < 60\%$  than the *shear capacity*  $P_v$
- High shear if *shear capacity*  $> 60\%$  applied shear

Shear capacity  $P_v$

$$P_v = 0.6p_y A_v$$

in which  $A_v$  is the shear area, taken as follows:

a) rolled I, H and channel sections, load parallel to web:	$tD$
b) welded I-sections, load parallel to web:	$td$
c) rectangular hollow sections, load parallel to webs:	$AD/(D + B)$
d) welded box sections, load parallel to webs:	$2td$
e) rolled T-sections, load parallel to web:	$tD$
f) welded T-sections, load parallel to web:	$t(D - T)$
g) circular hollow sections:	$0.6A$
h) solid bars and plates:	$0.9A$

In the example  $p_y = 272 \text{ N/mm}^2$   $A_v = tD = 5.9 \times 3458 = 204022 \text{ mm}^2$

$P_v = 0.6 \times (275 \times 204022 / 1000) = 5610.6 \text{ kN}$  greater than  $77 \text{ kN}$

*Low shear*

***Low shear***

Provided that the shear force  $F_v$  does not exceed 60 % of the shear capacity  $P_v$ :

— for class 1 plastic or class 2 compact cross-sections:

$$M_c = p_y S$$

— for class 3 semi-compact sections:

$$M_c = p_y Z \quad \text{or alternatively} \quad M_c = p_y S_{\text{eff}}$$

*Then for this example*

This is a plastic section.

The moment capacity is  $p_y S \leq 1.2 p_y Z$

$$p_y S_x = 275 \times 539.8 \times 10^{-3} = 148.4 \text{ kN m,}$$

$$1.2 p_y Z_x = 1.2 \times 275 \times 470.6 \times 10^{-3} = 155.3 \text{ kN m.}$$

The section is satisfactory for the moment.