

# CIS 343 - Structure of Programming Languages

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Based on slides by Ira Woodring

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Functional Programming Languages and Scheme  
Introduction (Follows the Sebesta Text Chapter 15)

## Overview

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Imperative languages are all based on the von Neumann architecture. These are by far the most used languages.

Instead of the von Neumann architecture, functional languages are based on a mathematical model of computing.

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There have been many important computer scientists that have suggested functional programming might be a better alternative to imperative programming. John Backus, for instance, was a proponent of these languages.

In 1977 he won the ACM Turing Award for his work on Fortran. With this award is given an opportunity to present a lecture to the community. He lectured on the merits of functional programming. He noted that this paradigm:

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- lacks side effects
- isn't affected by context
- (due to the above mentioned reasons) is easier to understand during and after development

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Imperative languages involve the idea of state. As commands are executed state changes.

The solution to a problem is the memory's final state.

This is extremely hard to read, as we need to keep track of variables' state as we peruse the code.

This is not a problem in functional programs, as they have no state.

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An example of a mathematical function is

$$f(x) = x^2 + 3x + 2$$

Functions do not change. With this definition,

$$f(2) \rightarrow 12$$

always, no matter what

That makes it much easier to work with compared to a subroutine that has, for example, a static variable

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It may not sound all that appealing to talk about what functional languages *don't* do (although referential transparency is great for readability and reliability)

One thing functional languages do well is **higher-order functions**

These are functions that

- take functions as parameters,
- return functions,
- or both

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Higher-order functions give us a new way to decompose problems and create even more modular code

Modularity is great! Modular code is easier to write, maintain, and reuse

John Hughes wrote a famous paper called "Why Functional Programming Matters" that lays out some benefits of functional programming and nifty things you can do with it -- I encourage you to check it out if this introduction piques your interest at all



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You have seen examples of higher-order functions in the past -- as with any great idea, various programming languages have picked up on it, even non-functional ones

Think about passing a comparison routine to a sorting routine

```
def compare(A, B):  
    return A.name[0] < B.name[0]:  
  
sort(students, compare)
```

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This is great, because it allows us to write the `sort` once and allow it to sort practically anything (reuse!)

The `sort` function and `compare` function have essentially nothing to do with one another, so it makes sense to keep them separate (modularity!)

This would be hard to do without functions that take functions

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While studying functional languages you will come across the concept of the **lambda expression**.

(If you remember back to our study of Python you may have picked up on this!)

This is based on the work of Alonzo Church, who was working on a formal model of functions called **lambda calculus**.

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Lambda expressions are nameless functions. In lambda calculus a cube function would be

$$\lambda(x)x * x * x$$

In Python we expressed it as:

```
lambda x: x*x*x
```

We will see how these can be useful momentarily

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We can also **compose** functions to form a new function

For example, we can rewrite the absolute value function as

$$|x| = \text{sqrt}(x^2)$$

If we already had functions for squaring and square roots, we could write a new absolute value function by composing the other two

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```
|x| = sqrt(x^2)
```

```
|x| = g(f(x)) where `f(x) = x^2` and `g(x) = sqrt(x)`
```

Thinking of  $g(f(x))$  as a single function  $(g \circ f)(x)$ ,  
the new  $(g \circ f)$  is a composition

In this case, we have created an absolute value function  
that we can reuse from two other functions we already  
had

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In terms of code, this would be

```
new_abs = lambda x: math.sqrt(x**2)
```

`new_abs` is now a function of a single variable that returns the absolute value

This is one reason functional programming is so modular -- we make new functions by combining our old functions in useful ways

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## Recap:

- Functional languages are readable and reliable to due referential transparency
- We will make heavy use of higher-order functions
- Higher-order functions allow us to write more modular code, which is a big win