

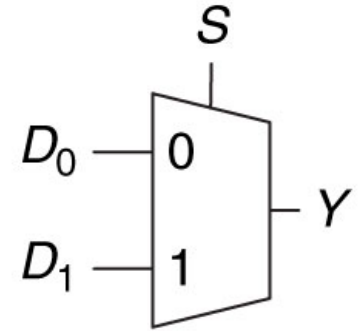
Multiplexors

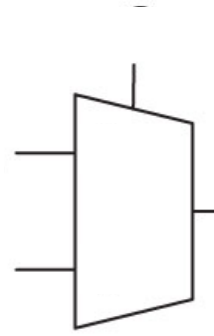
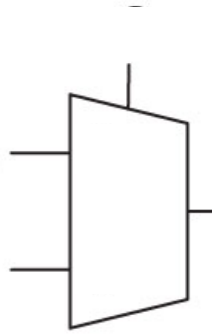
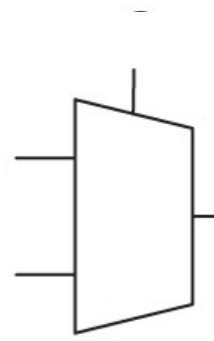
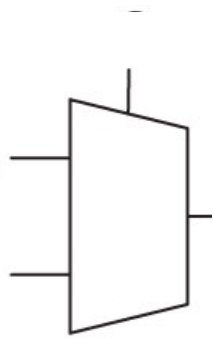
Adapted from slides by Jared Moore

Multiplexer (*mux*)

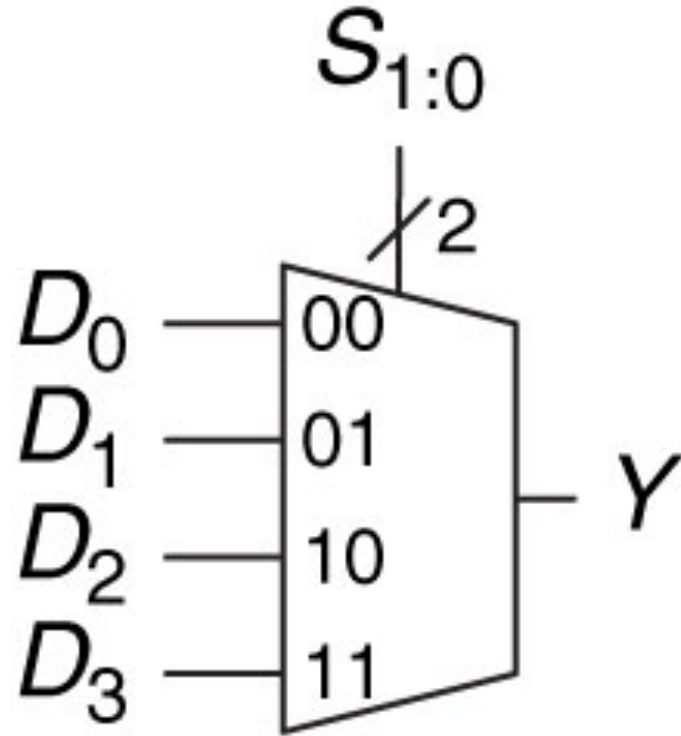
Choose an output from one of several possible inputs based on a select signal

Multiplexor does not perform any operations on the inputs – simply chooses one or the other





Larger multiplexers



Larger multiplexers

Can make multiplexors as large as we want

For every additional selector bit, number of data inputs doubles
This should remind you of truth tables, binary numbers, etc.

Choosing with Muxes

Hardware equivalent of “if” statement, except it sometimes appears *after* work is done

Consider how you could implement the following in hardware:

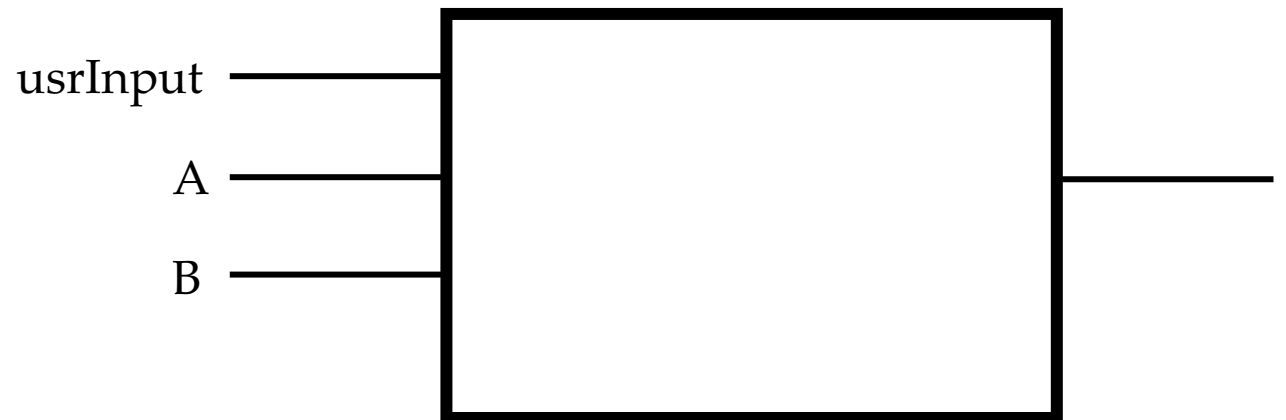
```
if (usrInput == 0)
    return (A and B)
else if (usrInput == 1)
    return (A or B)
```

Choosing with Muxes

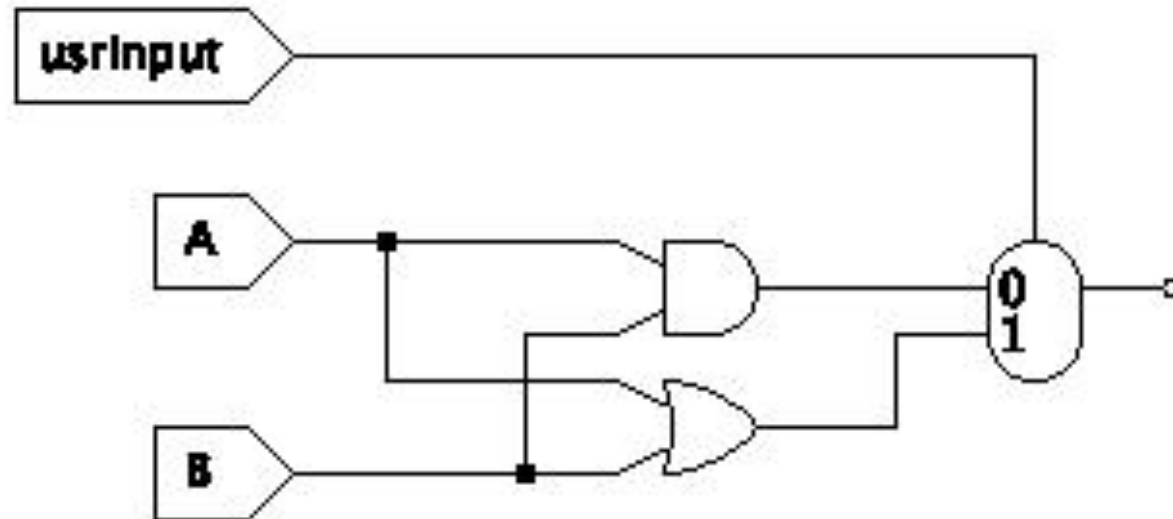
Hardware equivalent of “if” statement, except it sometimes appears *after* work is done

Consider how you could implement the following in hardware:

```
if (usrInput == 0)
    return (A and B)
else if (usrInput == 1)
    return (A or B)
```



```
if (usrInput == 0)
    return (A and B)
else if (usrInput == 1)
    return (A or B)
```



Choosing with Muxes

You can compute everything you might need, then choose between the outputs

Multiplexers to implement logic functions

A second use of multiplexors is implementing logic functions

Essentially, make the mux a “hardware truth table”

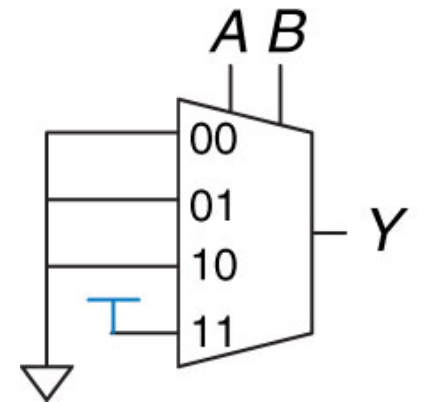
Multiplexers to implement logic functions

Inputs to logic function are *selectors* for mux

For corresponding outputs, tie 0 to ground and 1 to V_{cc}

<i>A</i>	<i>B</i>	<i>Y</i>
0	0	0
0	1	0
1	0	0
1	1	1

$Y = AB$



Multiplexers to implement logic functions

Using muxes to implement logic functions has same downside as regular truth table – gets very large as number of inputs grows

Muxes as truth tables

To implement $Y = AB' + B'C' + A'BC$ using a mux, how many inputs would be required for

- data?
- selection?

Muxes as truth tables

Implement $Y = AB' + B'C' + A'BC$ with an 8:1 multiplexer.

Hint: it will be helpful to make the truth table first

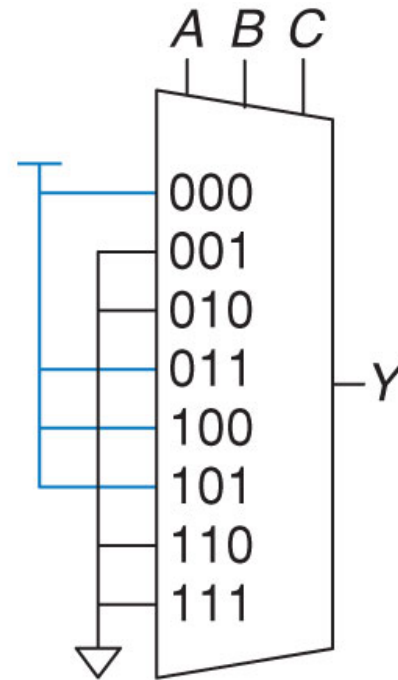
Muxes as truth tables

Implement $Y = AB' + B'C' + A'BC$ with an 8:1 multiplexer.

<i>A</i>	<i>B</i>	<i>C</i>	<i>Y</i>
0	0	0	1
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	0
1	1	1	0

$$Y = A\bar{B} + \bar{B}\bar{C} + \bar{A}BC$$

(a)



(b)

How to build a mux?

Multiplexor output depends only on its inputs (D_0 , D_1 , and S)

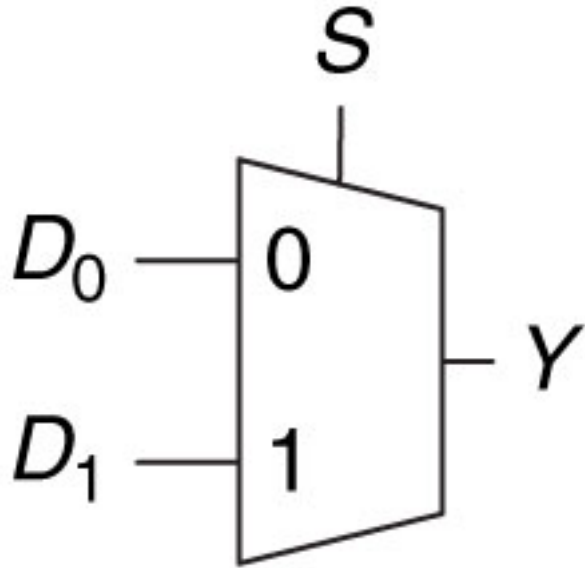
It is therefore a combinational circuit

This means that

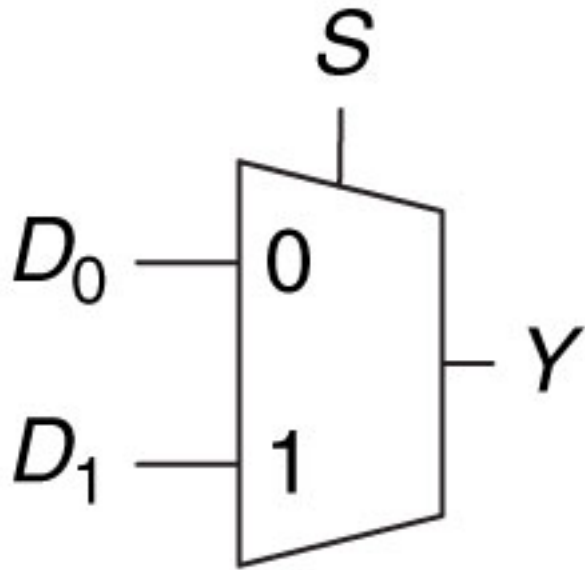
- we can write a truth table for a mux, and
- we can build a mux out of AND/OR/NOT gates

Multiplexer (*mux*) truth table

How many inputs and outputs are there for the truth table?

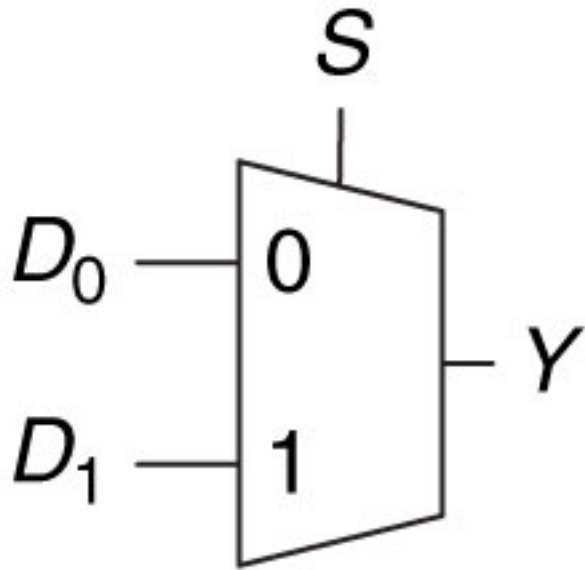


Multiplexer (*mux*) truth table



S	D_1	D_0	Y
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

Multiplexer (*mux*) truth table



S	D_1	D_0	Y
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	1
1	1	1	1

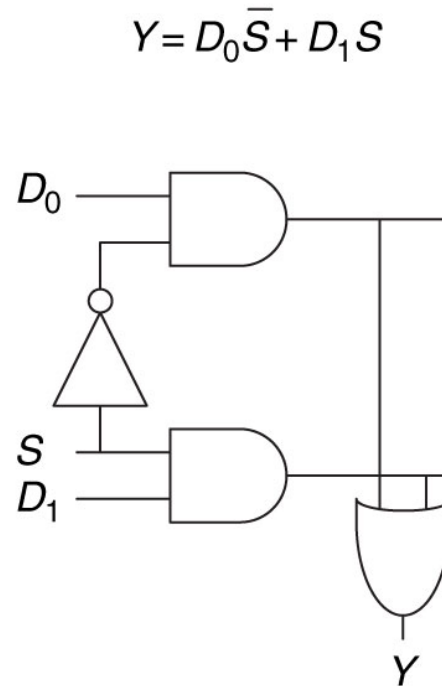
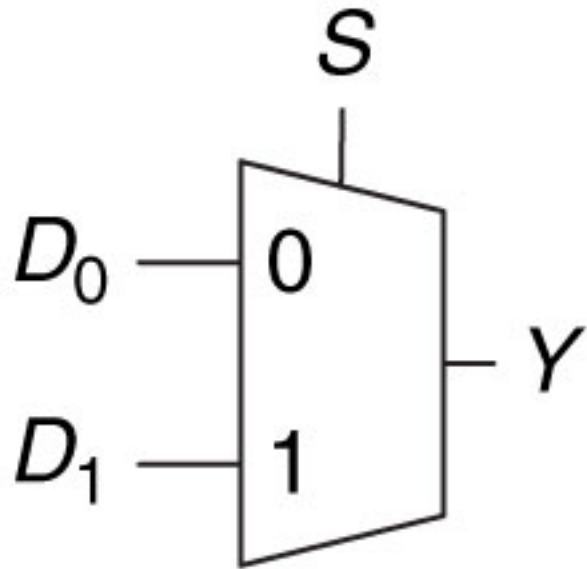
Mux from logic gates

As always, could write the mux in PLA-style

But, as usual, we can do better

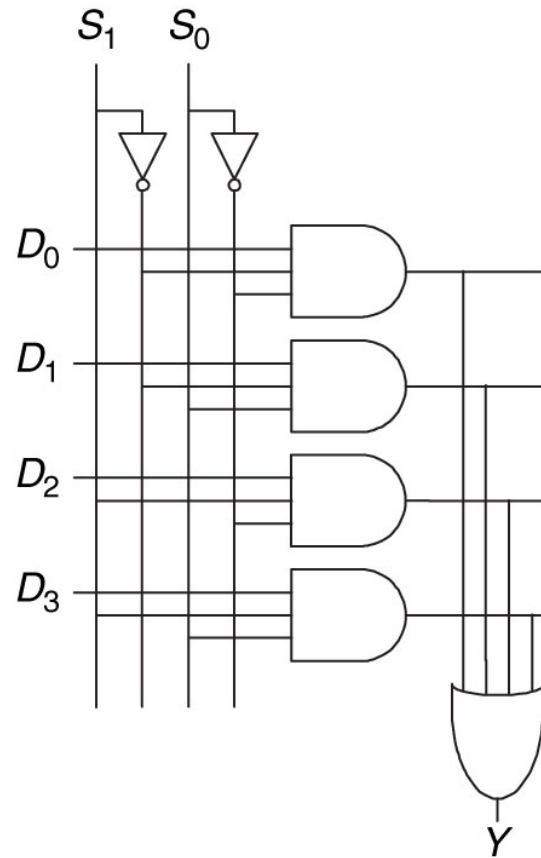
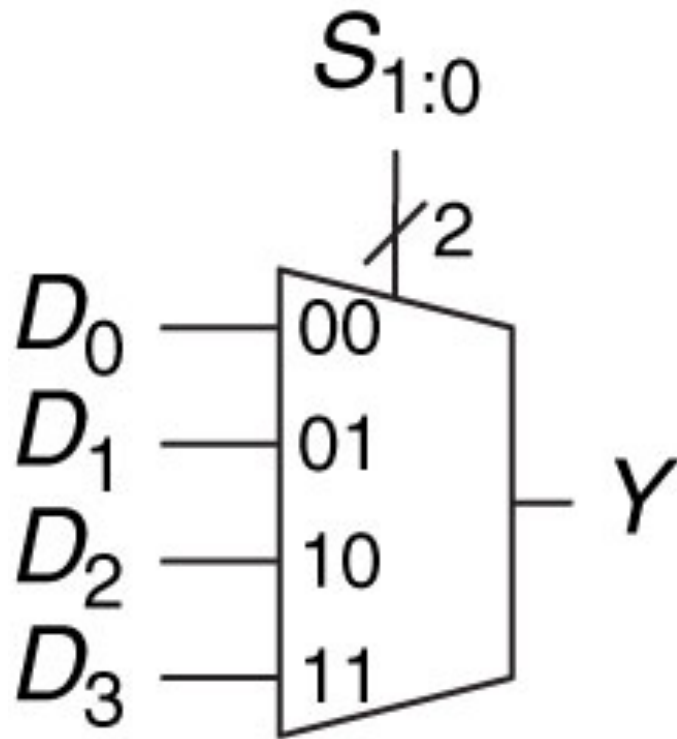
S	D_1	D_0	Y
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	1
1	1	1	1

Mux from logic gates

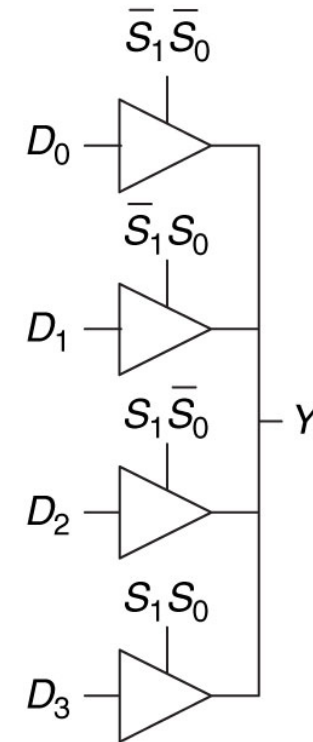


S	D_1	D_0	Y
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	1
1	1	1	1

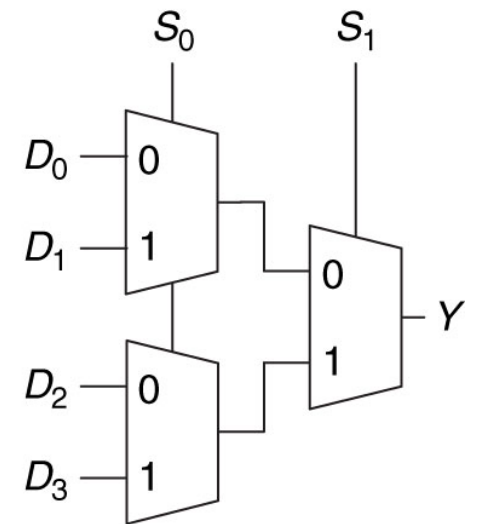
Building larger multiplexers



(a)



(b)



(c)

Summary

Multiplexors simply choose between their data inputs using a selector input

They are used

- as “if statements” to choose the output of a circuit, or
- as “truth tables” to implement logic functions

Muxes can choose between more than two things if we add more selector bits

We can implement muxes from standard gates