

Large-scale 3D Mapping of Subarctic Forests

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Subarctic Boreal Forest: Research Opportunity



Naive approach



Our approach



Applications



Challenge of Field Tests



Snow Fall



Path obstacles



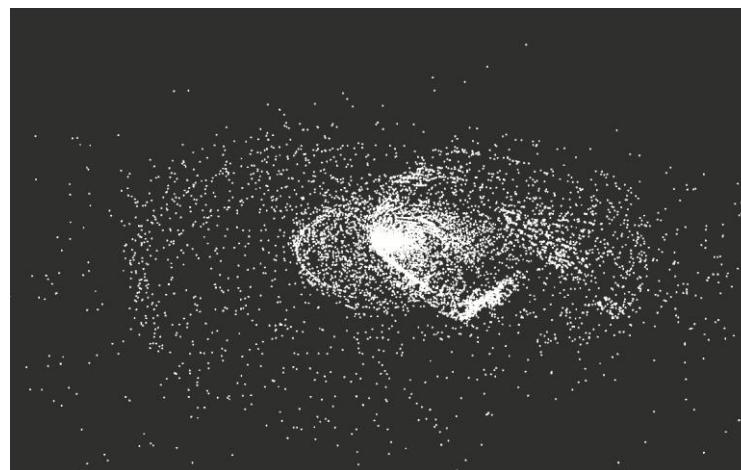
Uneven Path



Local Wildlife

Mapping of Subarctic Boreal Forest - Challenges

- Unstructured environment → hard to map
- Cold temperatures → noisy sensor
- Few visual features due to snow → bad for vision based approaches



Related Work



Williams et al., 2009



Paton et al., 2016

Contributions

- Large-scale mapping of difficult environments
- Novel fusion of IMU and GNSS measurement inside of ICP
- Generated maps are crisp and without long term drifts
- Introduced optimization to scale to large map

Dataset Environment



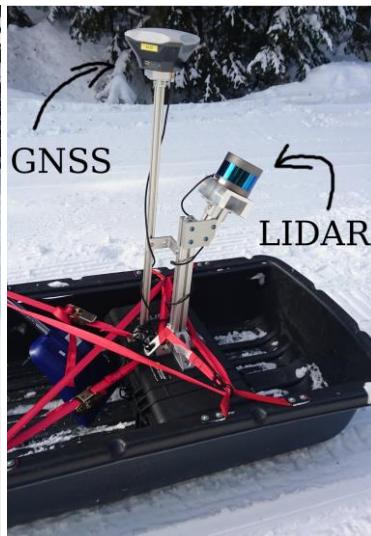
4.1 km of forest path



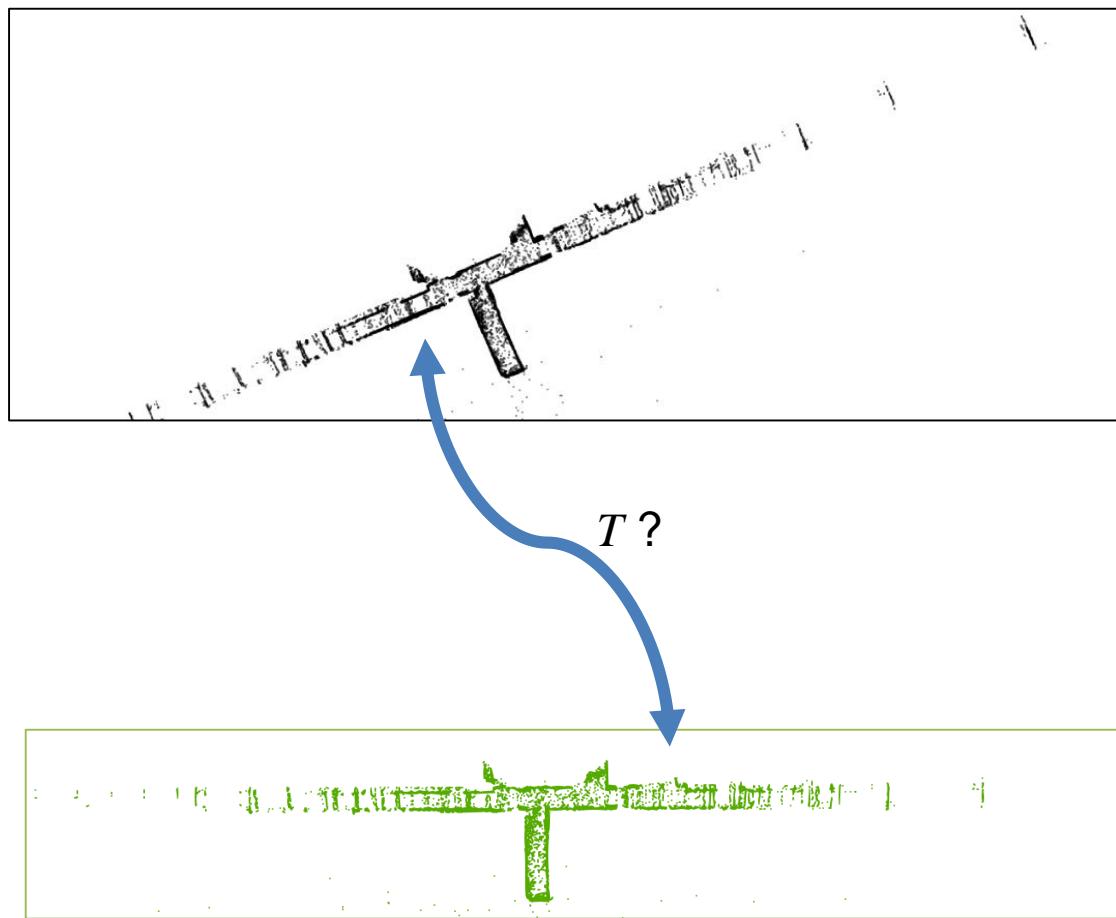
10/27

Data Acquisition Platform

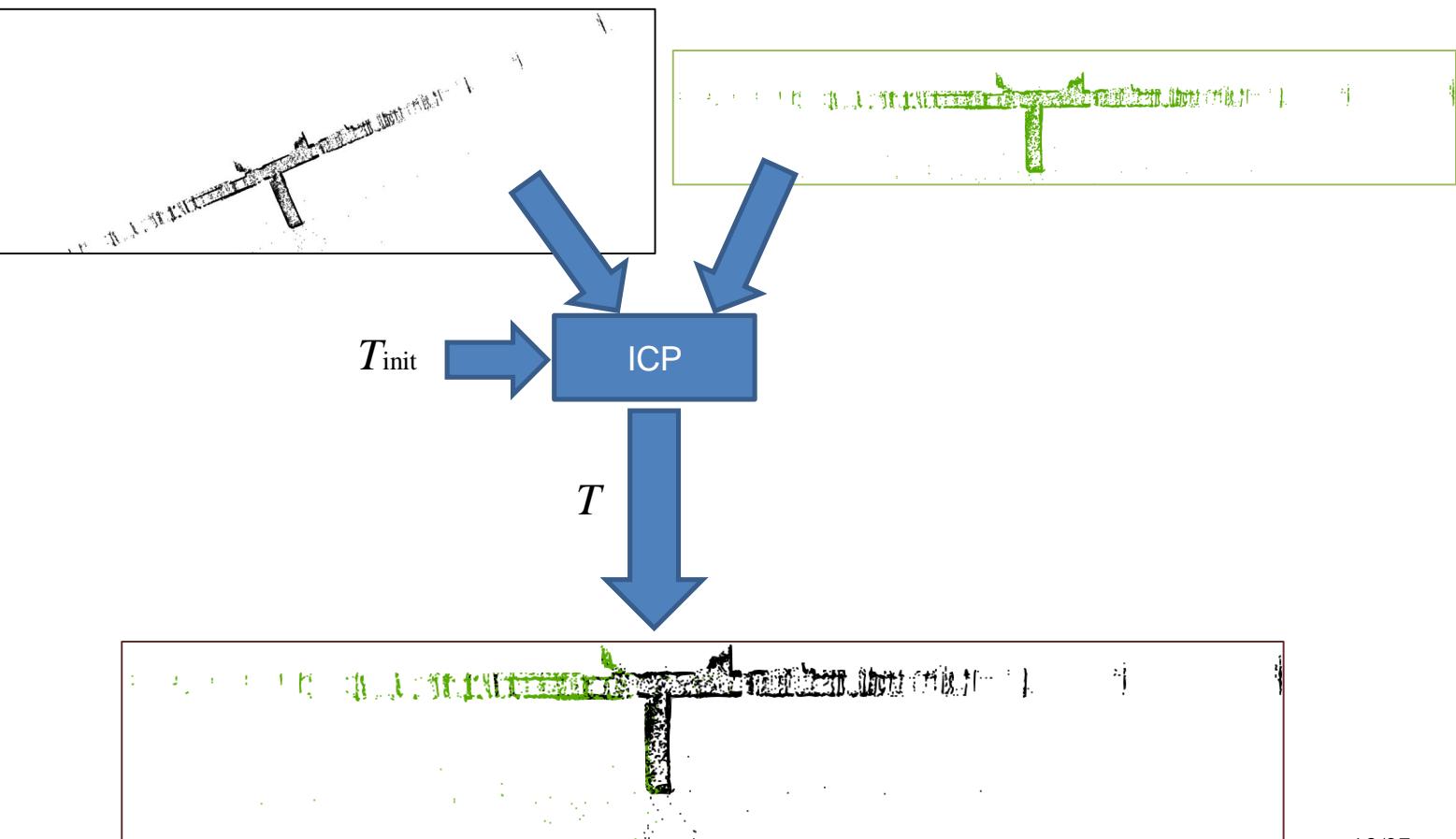
- GNSS station (RTK)
- RS-16 lidar
- MTI-30 IMU
- 10h of battery life



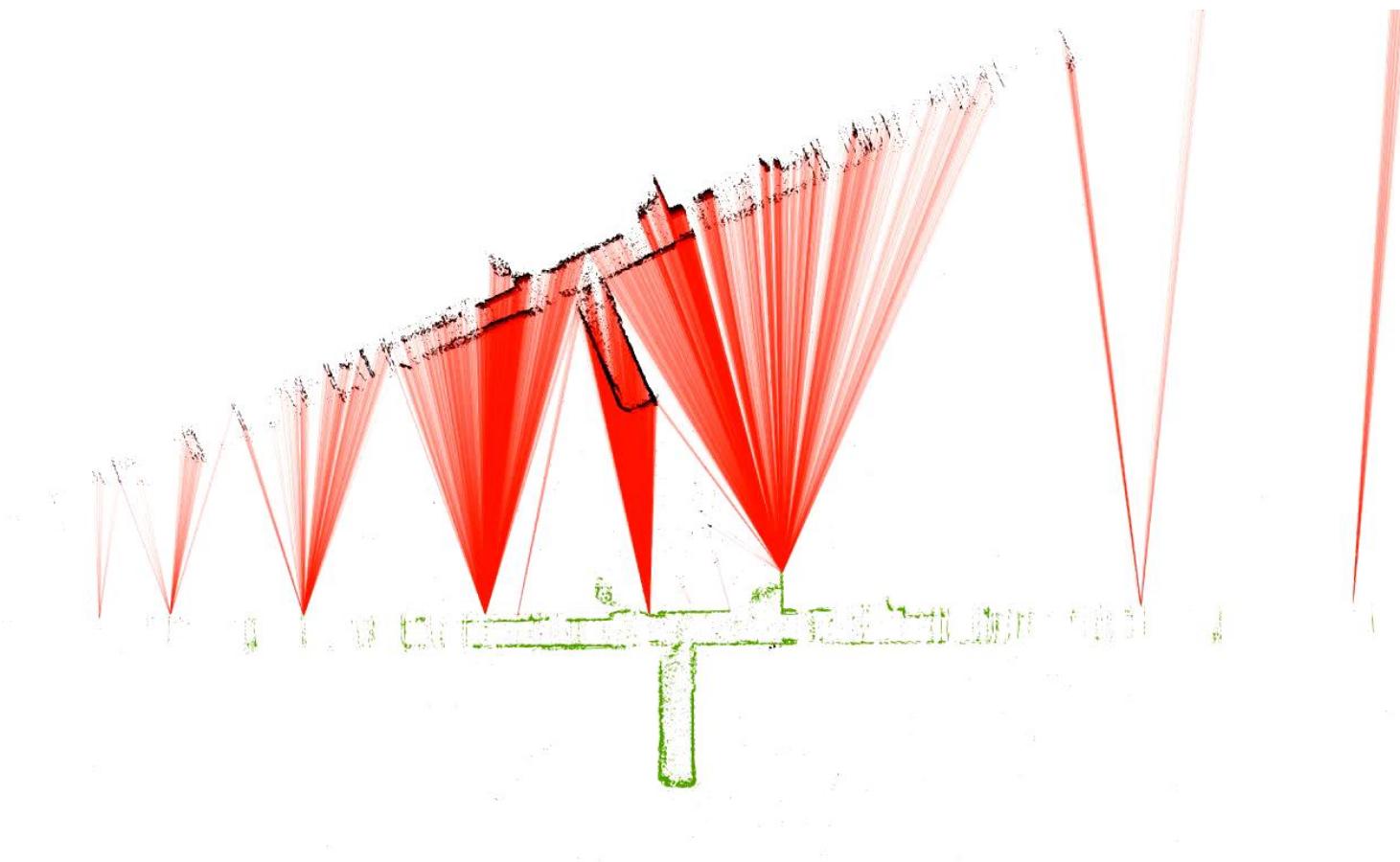
Iterative Closest Point (ICP)



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Iterative Closest Point (ICP)

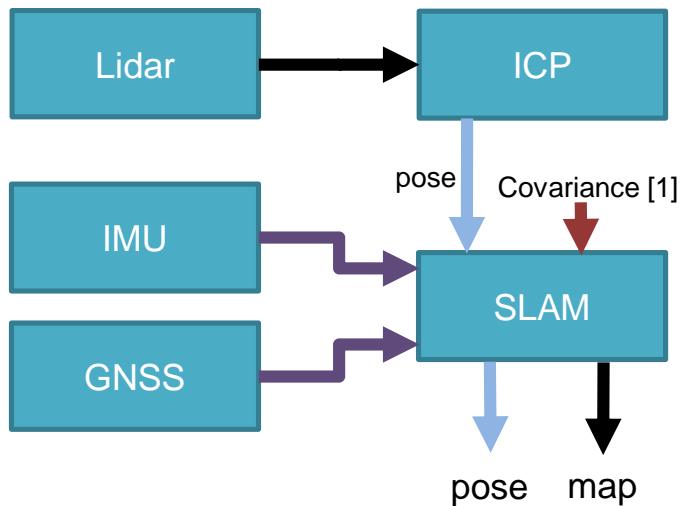


Legend

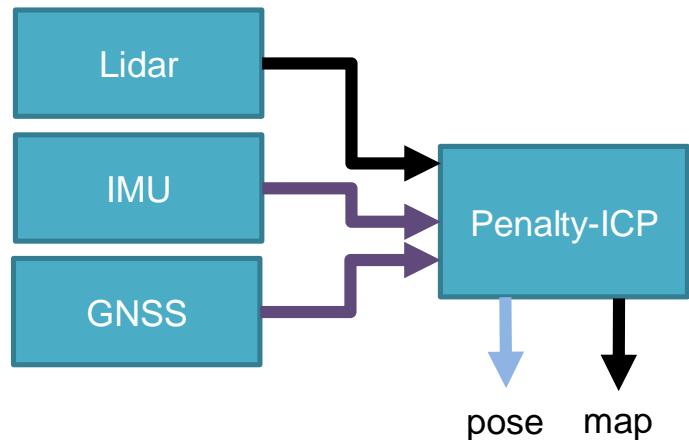
- Point cloud
- Pose
- Covariance
- Pose/Covariance

Sensor Fusion

Classical approach

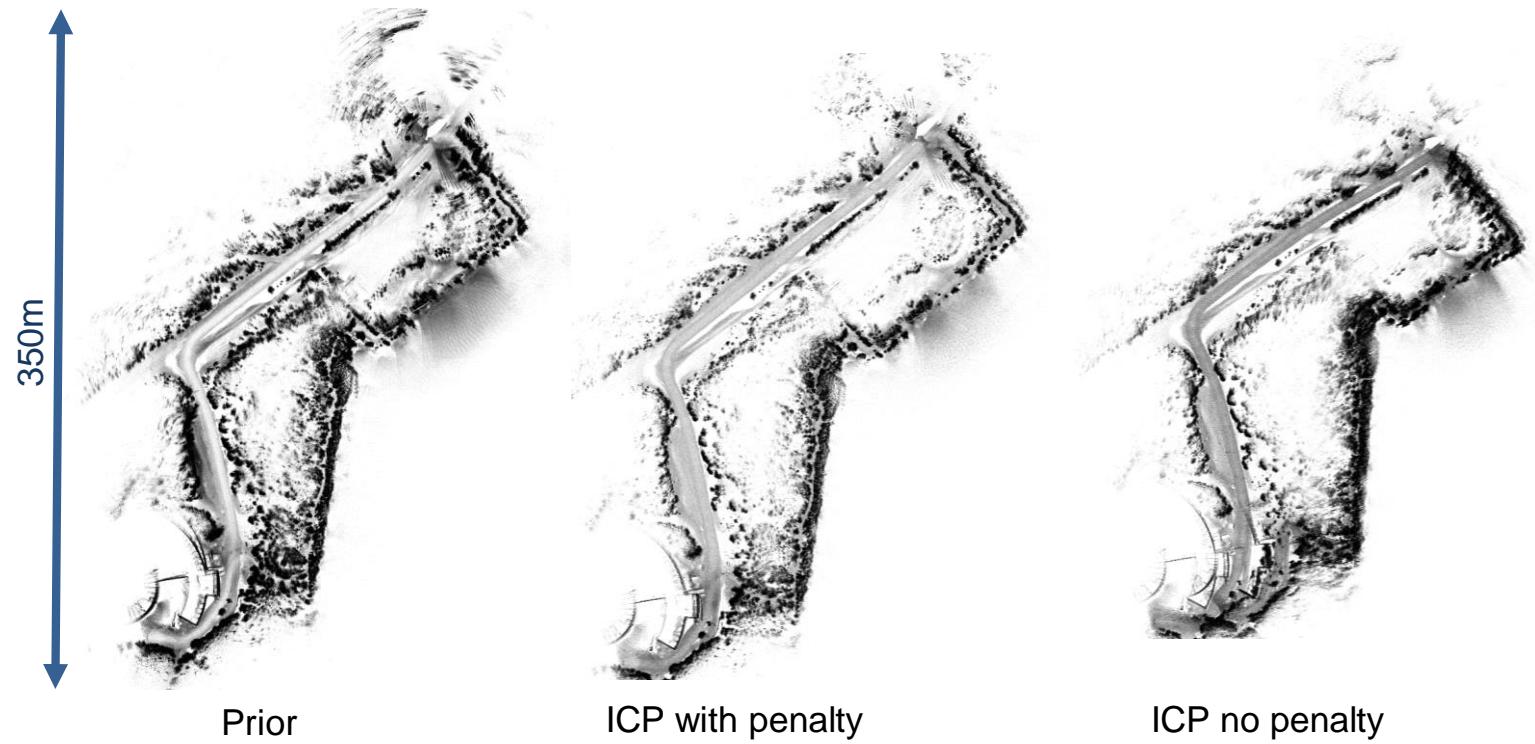


Our approach



[1] D. Landry, F. Pomerleau, and P. Giguère. CELLO-3D: Estimating the Covariance of ICP in the Real World. In ICRA, 2019

Map of lake Dataset



ICP with penalty



ICP no penalty



Prior



ICP With penalties

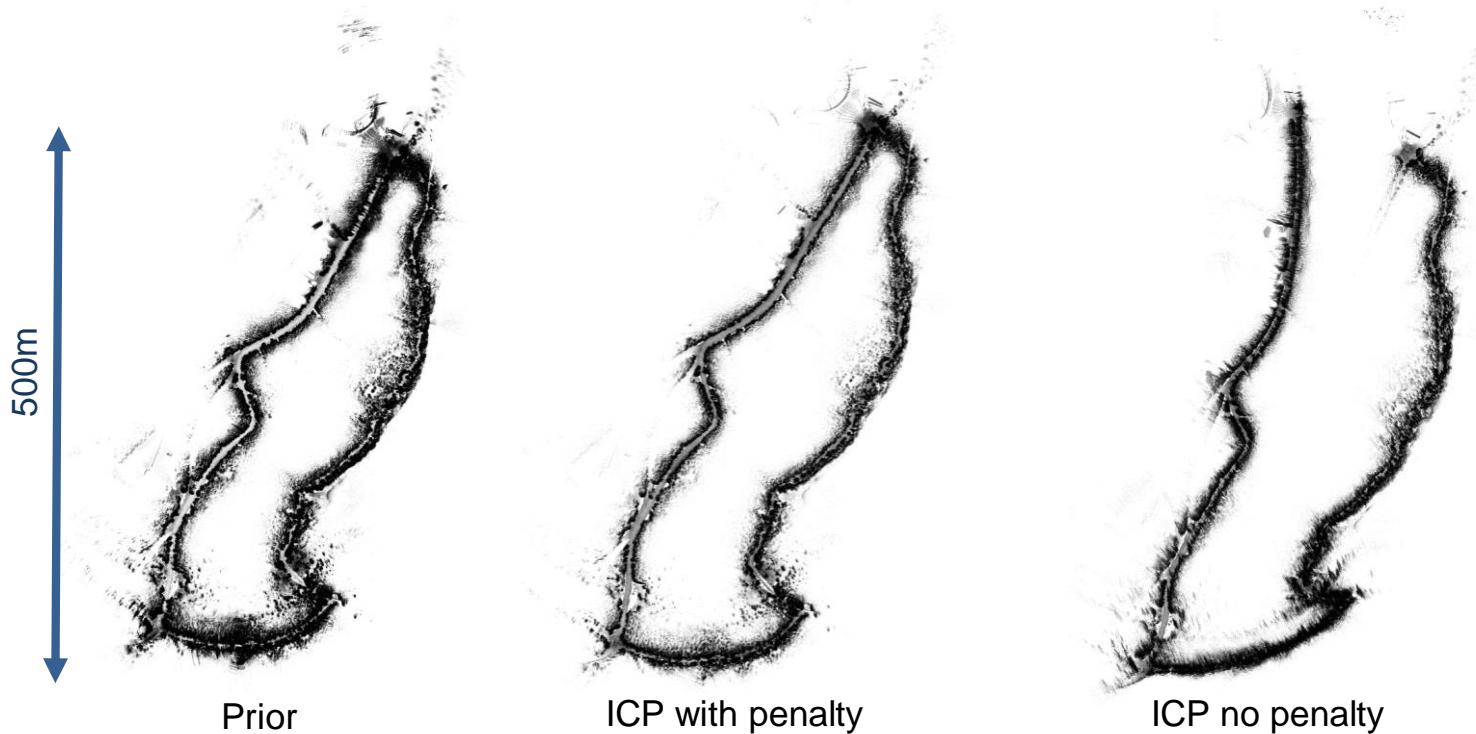


ICP Without Penalties

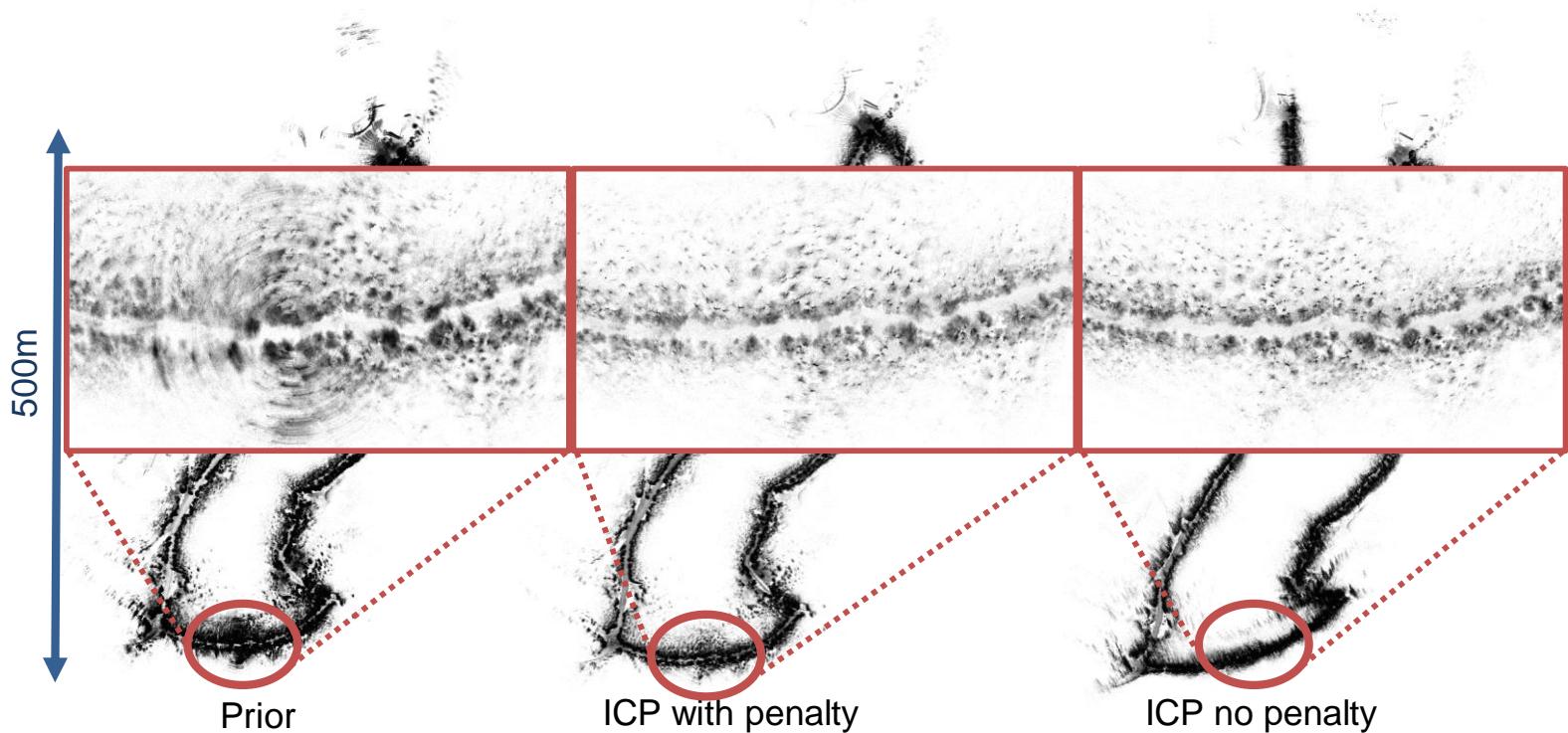


Crispiness
locally consistent

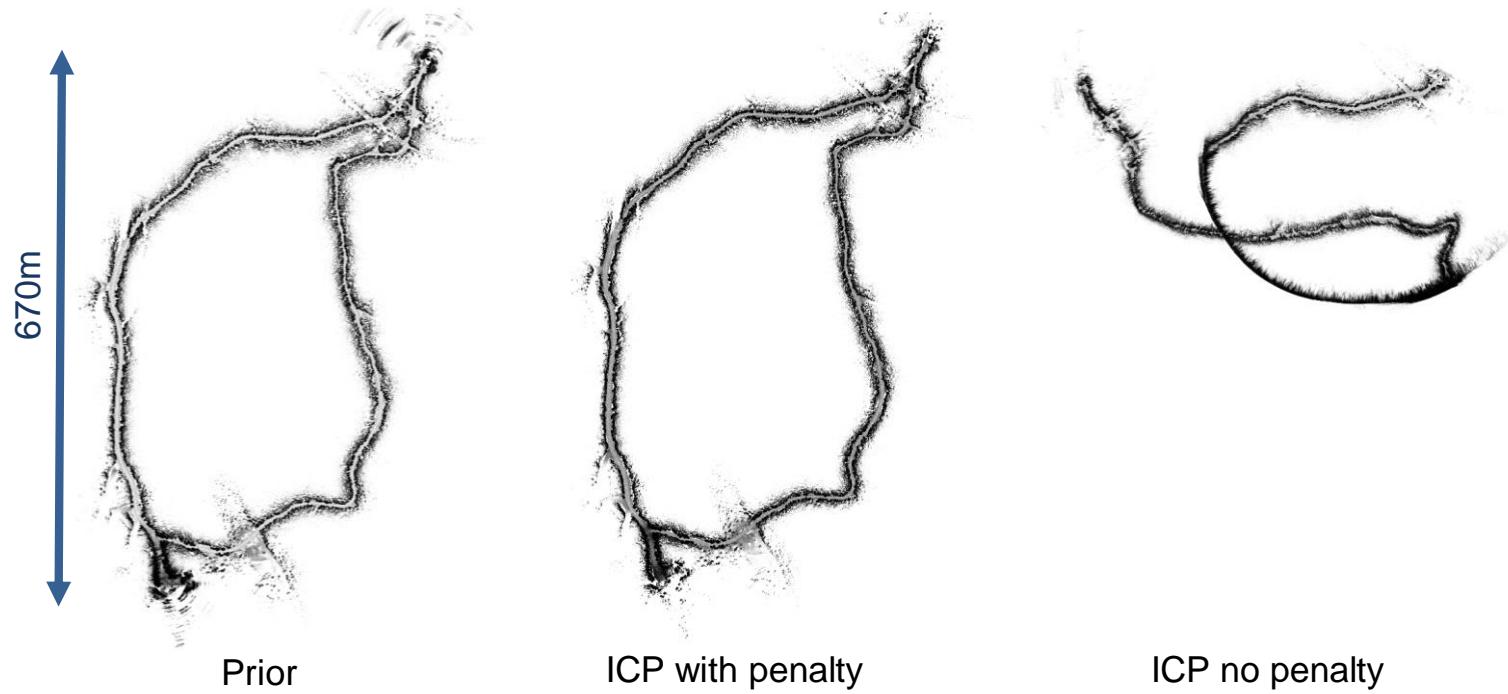
Map of forest Dataset



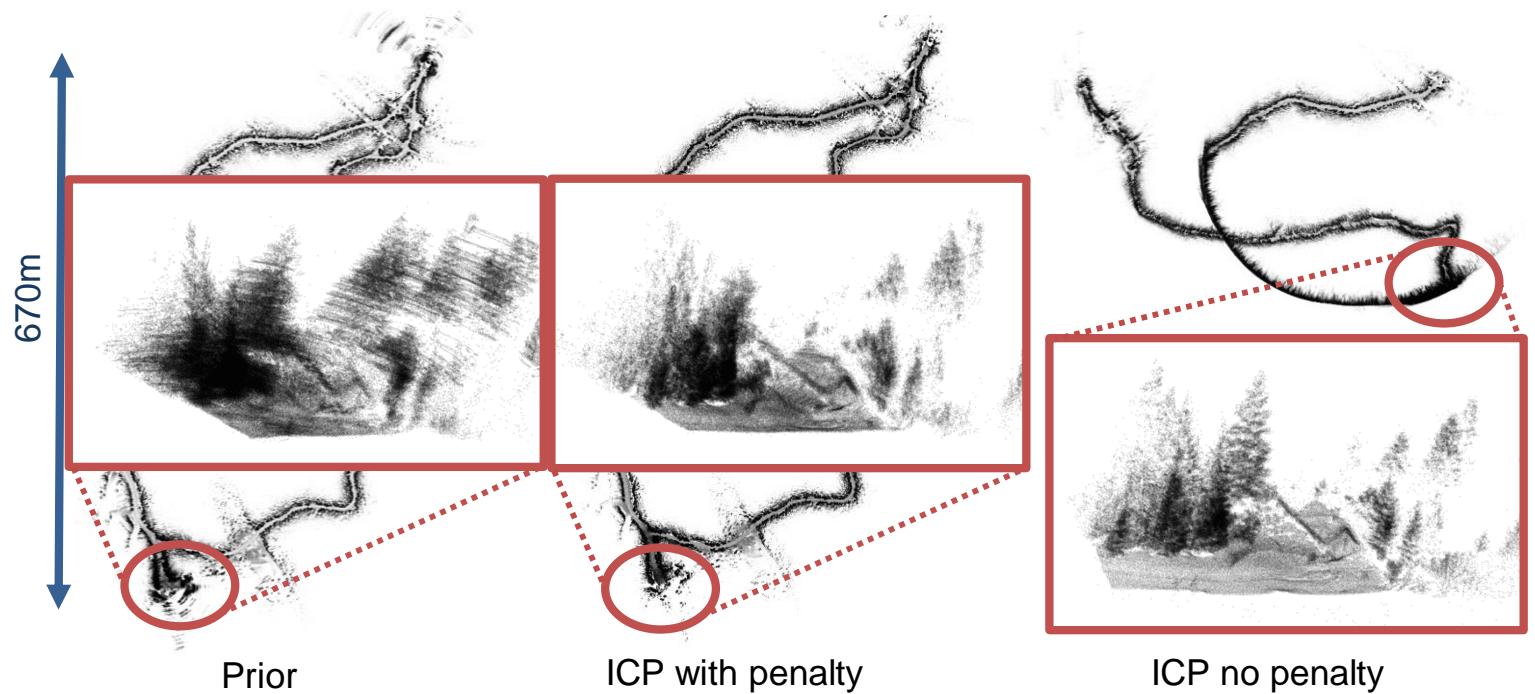
Map of forest Dataset



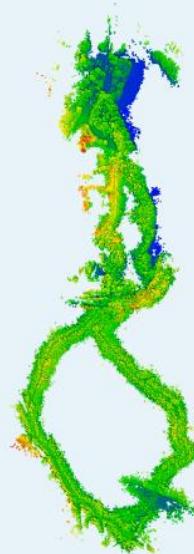
Map of skidoo Dataset



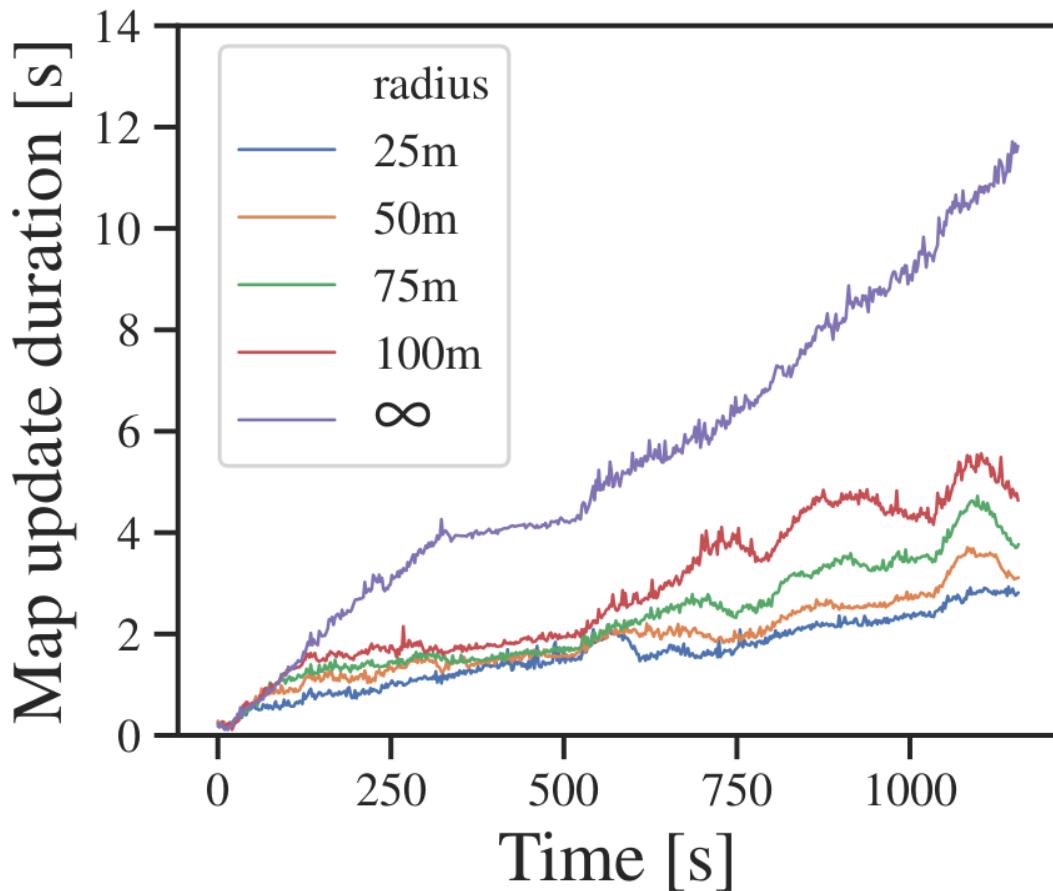
Map of skidoo Dataset



Full Map with Penalty



Performance improvements



Future work



Future work – Project SNOW



Questions?

$$J_{\text{p-n}} = \sum_{i=1} \sum_{j=1} w_{ij} (\mathbf{e}_{ij}^T \mathbf{n}_i)^2, \quad \text{and} \quad \mathbf{e}_{ij} = \mathbf{q}_i - \check{\mathbf{R}}\mathbf{p}_j - \check{\mathbf{t}}, \quad (2)$$

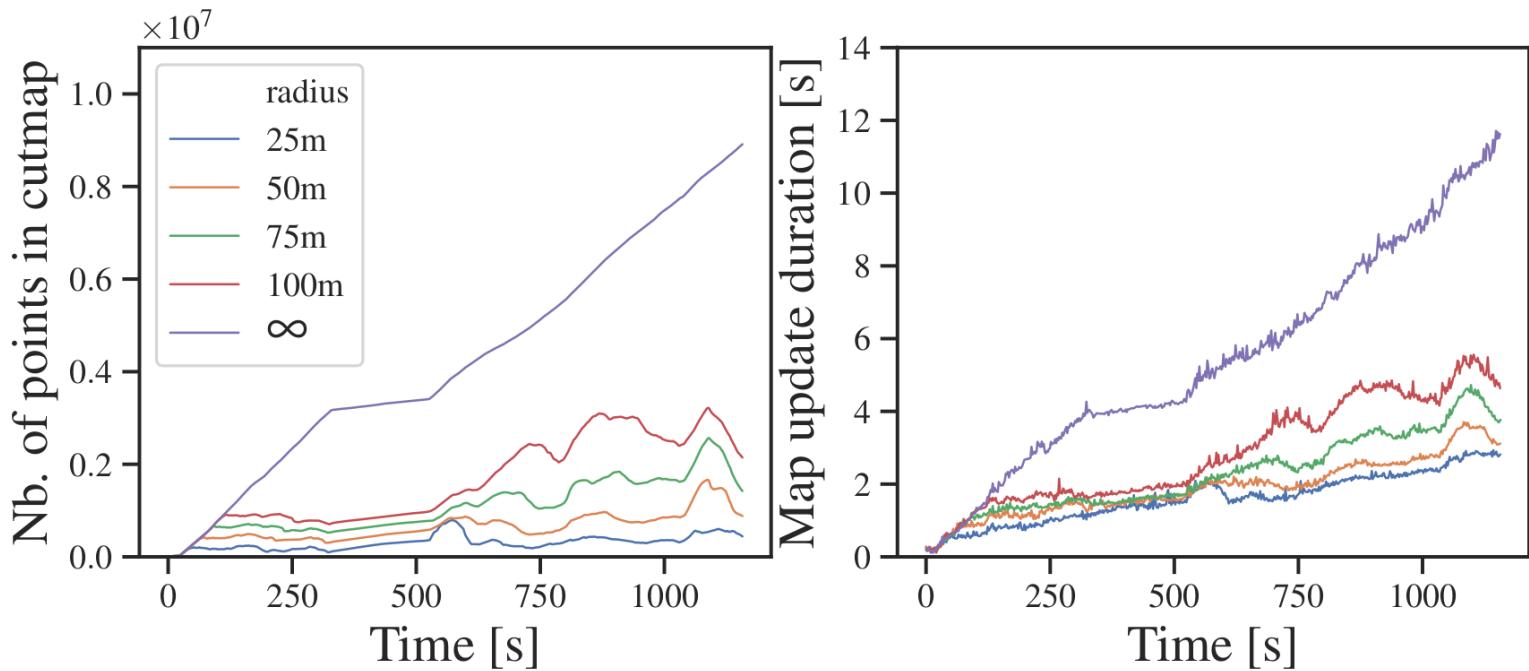
$$\mathbf{W} = \mathbf{N} \Lambda \mathbf{N}^T \Rightarrow \mathbf{W}^{-1} = \mathbf{N} \Lambda^{-1} \mathbf{N}^T. \quad (3)$$

$$J_{\text{p-g}} = \mathbf{e}^T \mathbf{N} \Lambda^{-1} \mathbf{N}^T \mathbf{e} \quad (4)$$

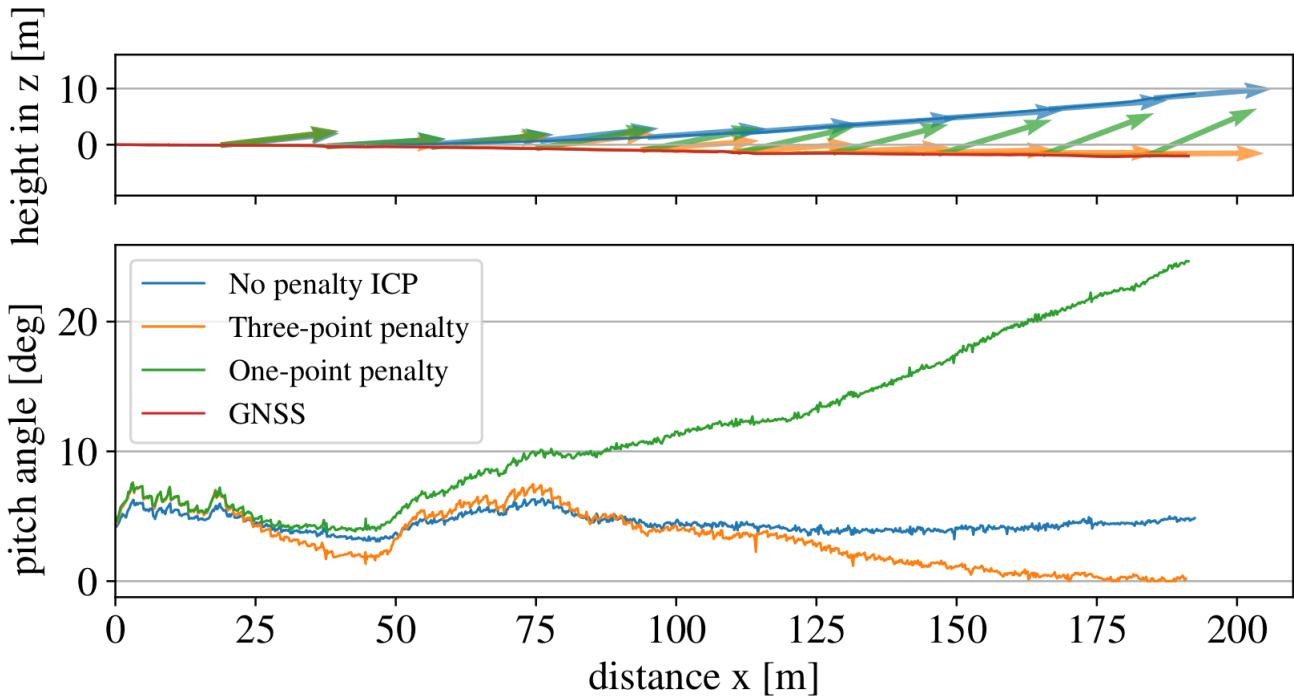
$$\begin{aligned} &= \mathbf{e}^T [\mathbf{n}_1 \ \mathbf{n}_2 \ \mathbf{n}_3] \text{diag} \left(\frac{1}{\lambda_1}, \frac{1}{\lambda_2}, \frac{1}{\lambda_3} \right) [\mathbf{n}_1 \ \mathbf{n}_2 \ \mathbf{n}_3]^T \mathbf{e} \\ &= \underbrace{\frac{1}{\lambda_1} (\mathbf{e}^T \mathbf{n}_1)^2 + \frac{1}{\lambda_2} (\mathbf{e}^T \mathbf{n}_2)^2 + \frac{1}{\lambda_3} (\mathbf{e}^T \mathbf{n}_3)^2}_{J_{\text{p-n}}}, \end{aligned} \quad (5)$$

$$\widehat{\mathbf{T}} = \arg \min_{\mathbf{T}} \underbrace{\frac{1}{M} \sum_{m=1} (w \mathbf{e}^T \mathbf{W}^{-1} \mathbf{e})_m}_{\text{point clouds}} + \underbrace{\frac{1}{K} \sum_{k=1} (\mathbf{e}^T \mathbf{W}^{-1} \mathbf{e})_k}_{\text{penalties}}, \quad (6)$$

Performance improvements



Results: effect of penalties



Penalty-ICP

- Leverage ICP's minimizer for sensor fusion
- Add penalty term based on GNSS and IMU estimate
- Introduced a point to Gaussian cost function
- Minimize Mahalanobis distance instead of the Euclidian distance

Full Map

