

Greedy

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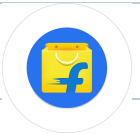
1. Introduction to Greedy
2. Effective Inventory Management
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4. Maximum Jobs



Notes

iphone → single parameter (price) ✓

shoes → multiple parameters ←



Flipkart's Challenge in Effective Inventory Management

In the recent expansion into grocery delivery, Flipkart faces a crucial challenge in effective inventory management. Each grocery item on the platform carries its own **expiration date** and **profit margin**, represented by arrays $A[i]$ (expiration date for the i th item) and $B[i]$ (profit margin for the i th item). To mitigate potential losses due to expiring items, Flipkart is seeking a strategic solution. The objective is to identify a method to strategically promote certain items, ensuring they are sold before their expiration date, thereby maximizing overall profit. Can you assist Flipkart in developing an innovative approach to optimize their grocery inventory and enhance profitability?

$A[i]$ \rightarrow expiration time for i th item $B[i]$ \rightarrow profit gained by i th item

Time starts with $T = 0$, and it takes 1 unit of time to sell one item and the item can only be sold if $T < A[i]$. Sell items such that the sum of the profit by items is maximised.

$\begin{matrix} & 0 & 1 & 2 & 3 & 4 \\ A[] & \rightarrow & [3 & 1 & 3 & 2 & 3] \end{matrix}$

$B[] \rightarrow [\textcircled{6} \ 5 \ \textcircled{3} \ 1 \ \textcircled{9}]$ *profit = 9 + 6 + 3 = 18*

$T \rightarrow \quad 1 \quad 2 \quad 0$

$\begin{matrix} & 0 & 1 & 2 & 3 & 4 \\ A[] & \rightarrow & [3 & 1 & 3 & 2 & 3] \end{matrix}$

$B[] \rightarrow [6 \ 5 \ 3 \ 1 \ 9]$ *profit = 5 + 9 + 6 = 20*

$T \rightarrow \quad 2 \ 0 \quad 1$

$\begin{matrix} & 0 & 1 \\ A = [& 1 & 2] \end{matrix}$

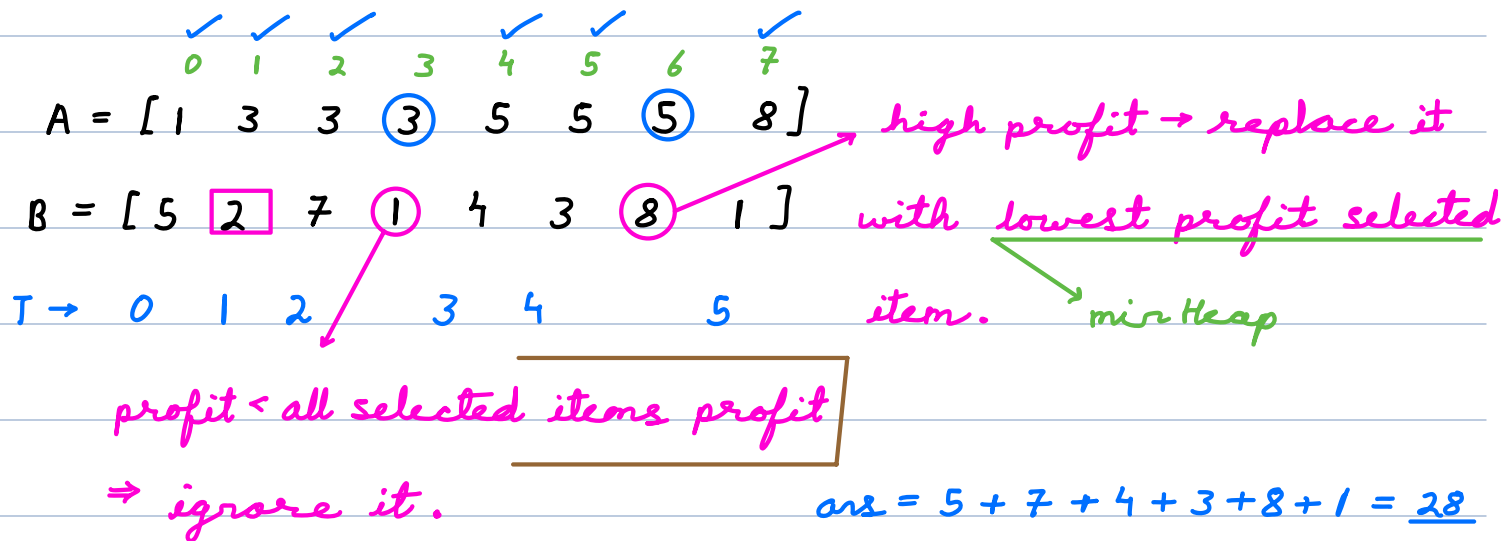
$\begin{matrix} T \rightarrow 0 & 1 \\ B = [& 3 & 1500] \end{matrix}$

profit = 1503



Best case \rightarrow Sell everything.

Sort wrt expiry $(A[i], B[i])$.



// Sort (A, B) pair wrt $A[i]$.

$T = 0$ $ans = 0$

for $i \rightarrow 0$ to $(N-1)$ {

 if $(T < A[i])$ { // Sell item

$ans += B[i]$ $T++$

$heap.insert(B[i])$ // min selected profit

 } else if $(B[i] > heap.root)$ { // Replace item

$ans -= heap.extractMin()$

$ans += B[i]$

$heap.insert(B[i])$

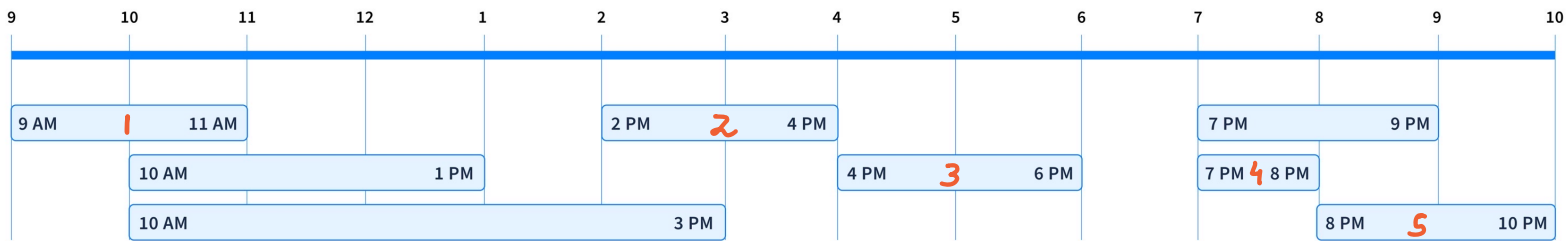
 }

}

$TC = O(N \log(N))$ $SC = O(N)$



< Question > : Given N jobs with their start and end-time. Find the **max jobs** that can be completed if only one job can be done at a time.



Ans = 5

$$s[i] \geq E[i-1]$$

Quiz :

$$s = [1, 5, 8, 7, 12, 13]$$

$$E = [2, 10, 10, 11, 20, 19]$$

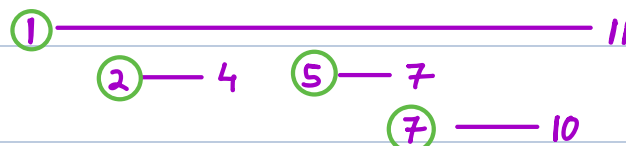
Ans = 3

1. Sort on the basis of **duration** →



Ans = ~~1~~ → 2

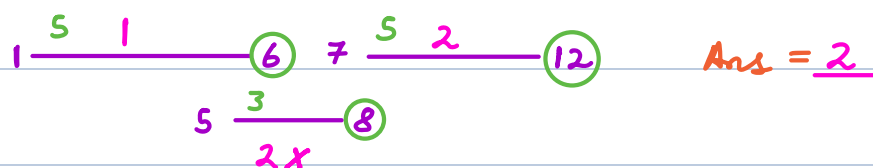
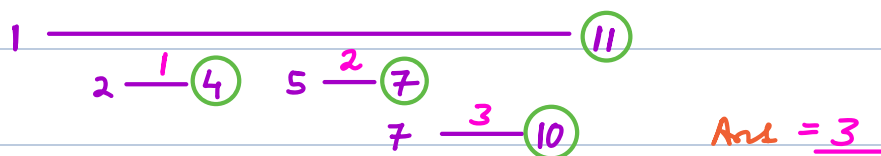
2. Sort on the basis of **start time** →



Ans = ~~1~~ → 3

3. Sort on the basis of end time \rightarrow

start early + short duration \Rightarrow ending early



// sort wrt end time in asc. order

ans = 1 end = E[0]

for $i \rightarrow 1$ to $(N-1)$ {

 if ($S[i] \geq \text{end}$) {
 ans ++
 end = E[i]
 }

} return ans

TC = $O(N \log(N))$ SC = $O(1)$



< **Question** > : There are N students with their marks. Teacher has to give them candies such that:

- Every student have at least one candy
- Student with more marks than any of his/her neighbours have more candies than them.

Find ~~maximum~~^{min} candies to distribute. $(i-1) \leftarrow i \rightarrow (i+1)$

0 1 2 3

1. $A[] \rightarrow [1 \ 5 \ 2 \ 1]$

$C \rightarrow 1 \ 3 \ 2 \ 1$ $Ans = \underline{7}$

0 1 2 3 4

2. $A[] \rightarrow [4 \ 4 \ 4 \ 4 \ 4]$

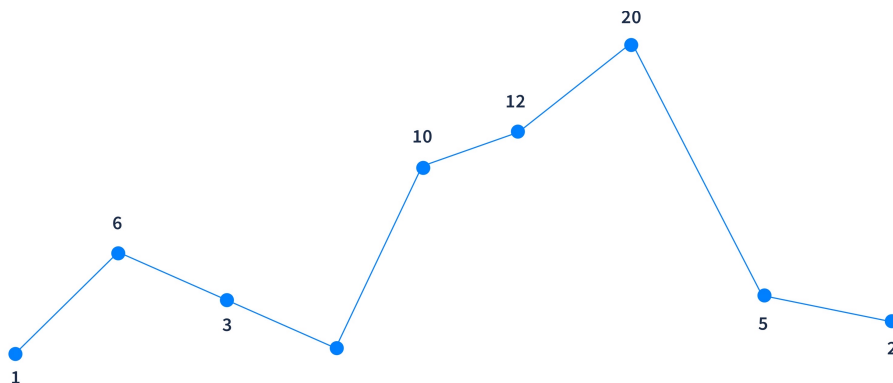
$C \rightarrow 1 \ 1 \ 1 \ 1 \ 1$ $Ans = \underline{5}$

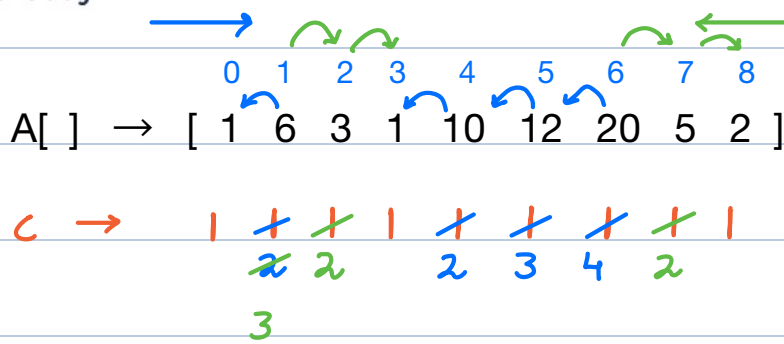
0 1 2 3

3. $A[] \rightarrow [8 \ 10 \ 6 \ 2]$

$C \rightarrow 1 \ 3 \ 2 \ 1$ $Ans = \underline{7}$

0 1 2 3 4 5 6 7 8
 $A = [1 \ 6 \ 3 \ 1 \ 10 \ 12 \ 20 \ 5 \ 2]$





1) $\forall i, c[i] = 1$

2 \rightarrow a) if $(A[i] > A[i-1]) \Rightarrow c[i] > c[i-1]$
 $c[i] = c[i-1] + 1$

b) if $(A[i] > A[i+1]) \Rightarrow c[i] > c[i+1]$
 $c[i] = \max(c[i], c[i+1] + 1)$

$\forall i, c[i] = 1$ $ans = 0$

for $i \rightarrow 1$ to $(N-1)$ {
 if $(A[i] > A[i-1])$ $c[i] = c[i-1] + 1$
 }

for $i \rightarrow (N-2)$ to 0 {
 if $(A[i] > A[i+1])$ $c[i] = \max(c[i], c[i+1] + 1)$
 $ans += c[i]$
 }

$ans += c[N-1]$

$TC = O(N)$ $SC = O(N)$

return ans



