

Trees - 5

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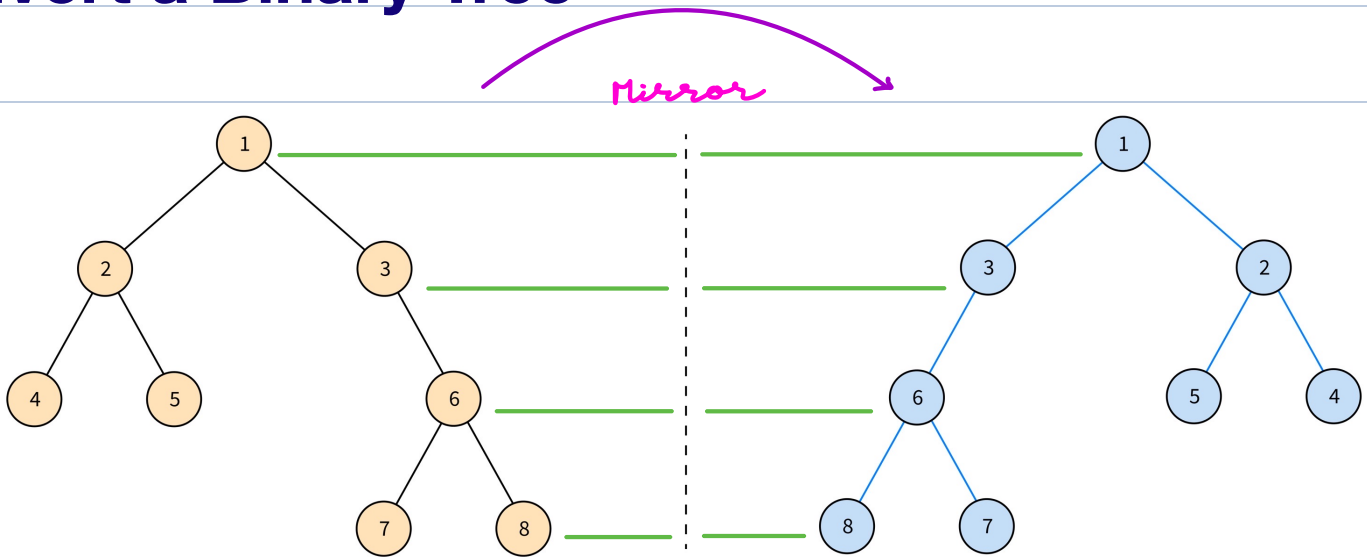
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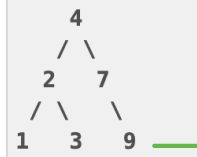


Invert a Binary Tree



Is the below inversion correct for given binary tree ?

Given



Inverted



No

```
void invert (root) {
```

```
    if (root == null)
```

```
        return
```

```
    temp = root->left
```

```
    root->left = root->right
```

```
    root->right = temp
```

```
    invert (root->left)    // Left
```

```
    invert (root->right)   // Right
```

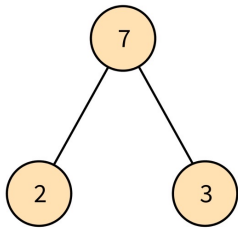
```
}
```

TC = O(N) SC = O(H)

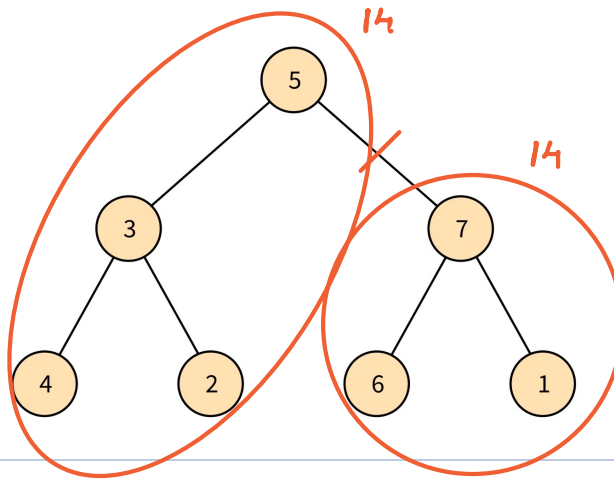


Equal tree Partition

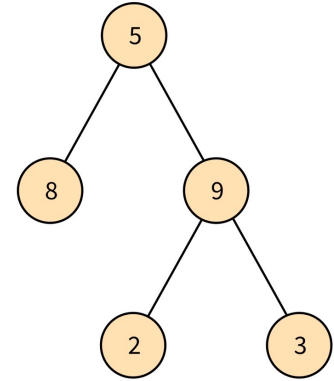
- Check if it is possible to remove an edge from the given binary tree such that sum of resultant two trees is equal. *← half of total.*



False



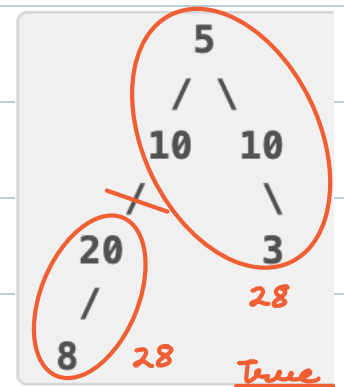
True



False

```

sum = getSum(root)
if (sum % 2 == 1) return false
ans = false
checkSum(root, sum / 2)
return ans
  
```



True

```

int getSum(root) {
    if (root == null) return 0
    return root.val + getSum(root.left) +
        getSum(root.right)
}
  
```



```
int checkSum (root, halfSum) {
```

```
    if (root == null) return 0
```

```
    s = root.val + checkSum(root.left, halfSum) +  
        checkSum(root.right, halfSum)
```

```
    if (s == halfSum) ans = true
```

```
    return s
```

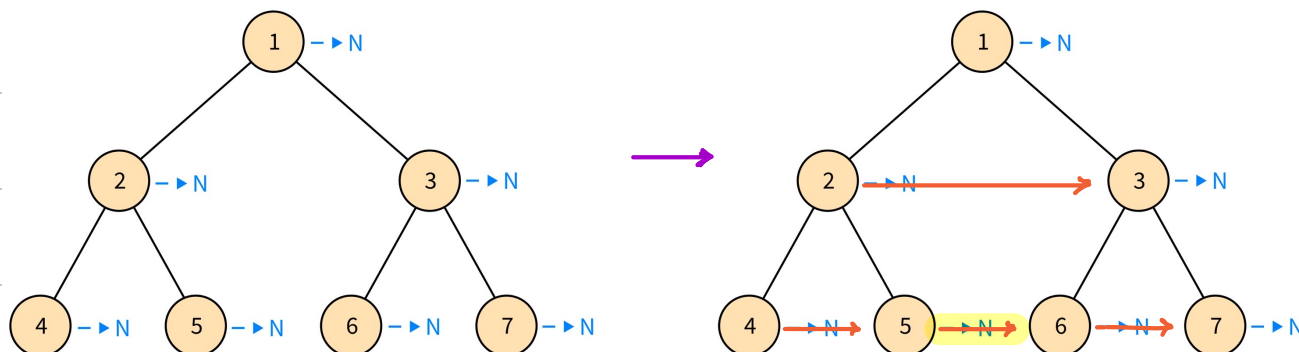
```
}
```

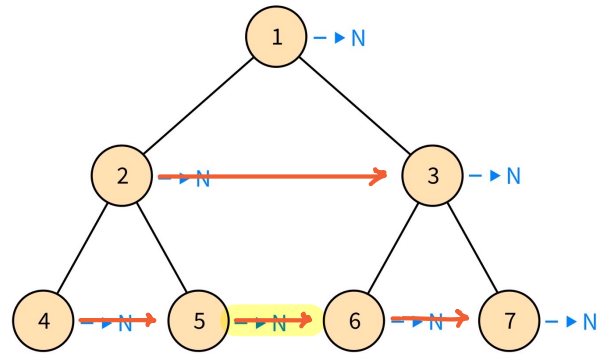
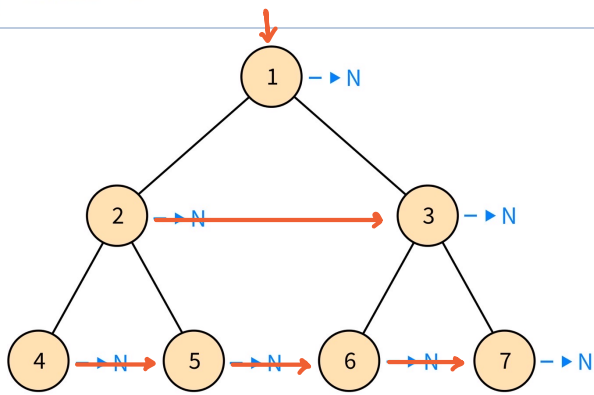
$TC = O(N + N) = \underline{O(N)}$

$SC = \underline{O(H)}$

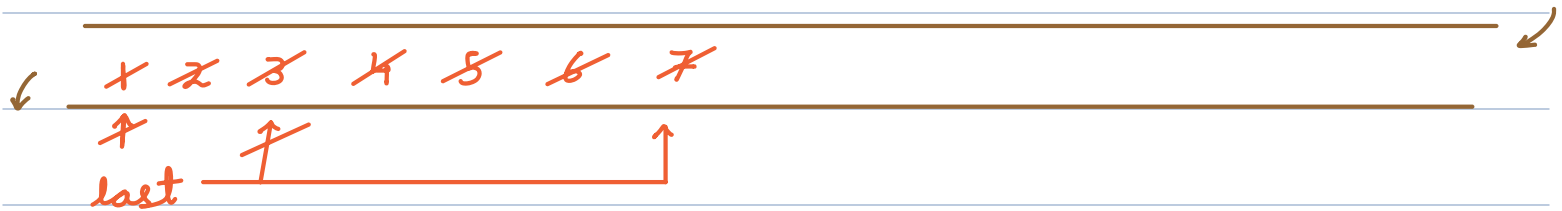
Next Pointer in Binary Tree

- Given a perfect tree initially with all next pointers set to nullptr, modify the tree in-place to connect each node's next pointer to the next node in the same level from left to right, following an in-order traversal.





Level Order Traversal → Queue



if (root == null) return

// Queue → q

q.enqueue(root)

last = root

while (!q.isEmpty()) {

 cur = q.dequeue()

 if (cur.left != null) q.enqueue(cur.left)

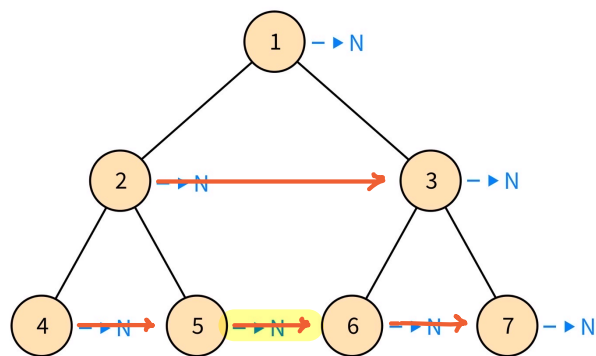
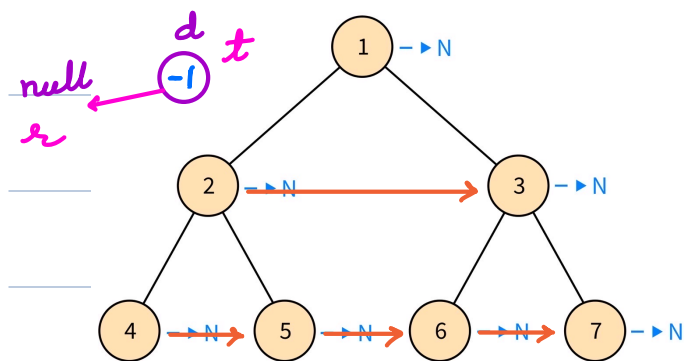
 if (cur.right != null) q.enqueue(cur.right)

 if (cur != last) cur.next = q.front()

 else last = q.rear()

}

TC = O(N) SC = O(N)



if (root == null) return

dummy = new TreeNode(-1)

temp = dummy

while (root != null) {

if (root.left != null) {

temp.next = root.left

temp = temp.next

} if (root.right != null) {

temp.next = root.right

temp = temp.next

} root = root.next

if (root == null) {

root = dummy.next

dummy.next = null

temp = dummy

}

}

TC = O(N)

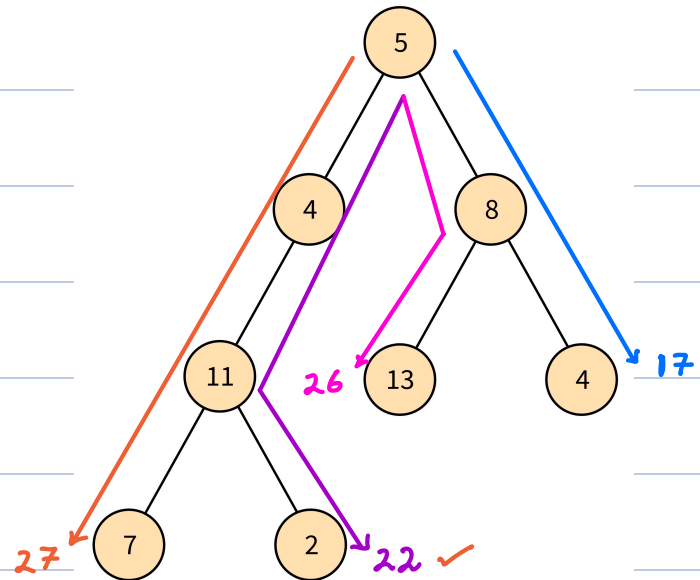
SC = O(1)



< Question > : Check if root to leaf path sum equals to K.

a. $K = 22 \rightarrow \text{true}$

b. $K = 19 \rightarrow \text{false}$



```
boolean check (root, K) {
```

```
    if (root == null) return false
```

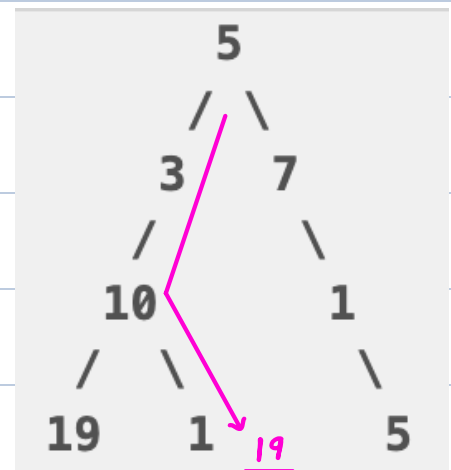
```
    if (root.left == null &&  
        root.right == null)
```

```
        return (root.val == K)
```

```
    return check (root.left, K-root.val) ||
```

```
        check (root.right, K-root.val)
```

```
}
```



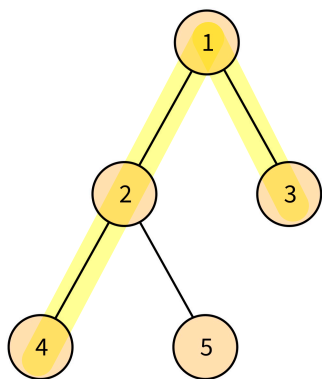
$TC = O(N)$ $SC = O(H)$



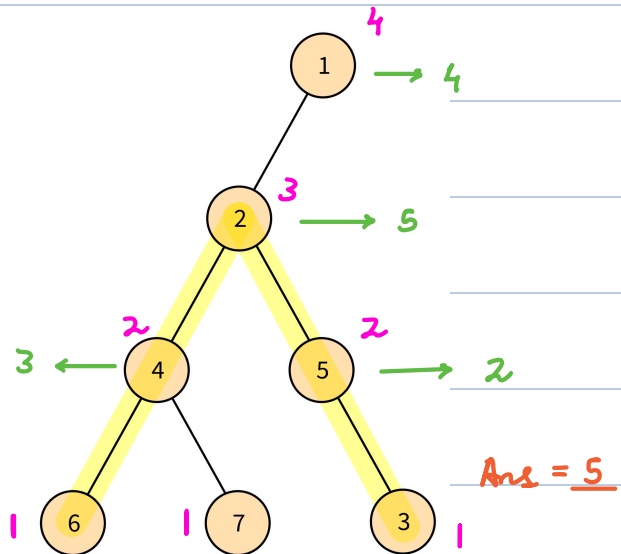
Diameter of Binary Tree

• Definition of Diameter :

The diameter of a binary tree is defined as the **number of nodes** along the longest path **between any two leaf nodes** in the tree. This path may or may not pass through the root.



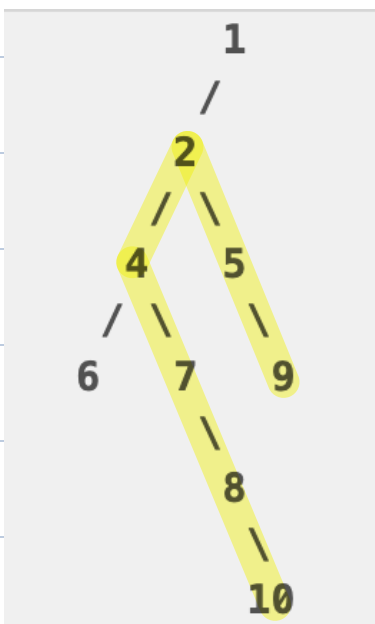
Ans = 4



Ans = 5

Hint → use height of tree .

$\text{height}(\text{leaf}) = 1$



$\text{height}(\text{node}) = \max(\text{left}, \text{right}) + 1$

$\text{diameter}(\text{node}) = \text{height}(\text{left}) +$

Ans = 7

$\text{height}(\text{right}) + 1$



