

one path: $G: \text{always}$, $F: \text{eventually}$, $U: \text{until}$, $X: \text{next}$

all paths: A , E

$\{ \text{light: } G_{\text{real}} \mid \text{Red}$
 $\text{, power: } \text{running} \mid \text{false} \Rightarrow \text{false} \times \mid \begin{matrix} \text{Green} \\ \text{Red} \end{matrix}$
 $\}$

$$F(\neg p \wedge q)$$

$$p \cup q \not\models G(p \rightarrow Xq)$$

$$\begin{aligned}
 & AG(\text{Green} \rightarrow AX(\text{red} \vee \text{power false})) \\
 & \not\models AG((\text{Green} \wedge \neg \text{power false}) \rightarrow AX \text{red})
 \end{aligned}$$

$\begin{array}{ l} E \\ E \\ E \end{array}$	$\begin{array}{ l} X \\ \neg U \\ G \end{array}$	$\begin{array}{ l} \emptyset \\ \emptyset \\ \emptyset \end{array}$	$\begin{array}{l} AG \\ AF \\ AU \\ AX \end{array}$	$\begin{array}{l} EF \end{array}$
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Strongly connected components (SCC)

partition the graph into SCC

contain one infinite path

(\exists a cyclic path
that goes through all nodes
in the partition

- at least two nodes
if no self-loop allowed)

