

Brandon Peck
Machine Learning
Homework 5

(Q1) Preprocessing
Implemented 1st Choice

(Q5) MNBC Theta

```
thetaPos = [ 9.61921189e-04  2.07747044e-04  1.01778594e-03  9.39226134e-04  
            9.07802211e-05  6.98309393e-04  2.53137155e-04  4.64375746e-04  
            5.93562984e-05  5.76105249e-05  2.79323757e-05  6.80851658e-05  
            1.92733392e-03  7.78614973e-04  9.92447784e-01]
```

```
thetaNeg = [ 7.42773032e-04  7.77772809e-05  6.80551208e-04  4.99719030e-04  
            2.52776163e-05  6.41662567e-04  1.34165809e-04  1.34943582e-03  
            3.49997764e-04  2.83887075e-04  1.61387858e-04  3.32497876e-04  
            2.96720327e-03  1.46999061e-03  9.90283673e-01]
```

(Q6) MNBC Accuracy
MNBC classification accuracy = 0.6583333333333333

(Q7) MNBC SKLearn Accuracy
Sklearn MultinomialNB accuracy = 0.67666666666667

(Q11) BNBC Theta

```
ThetaPosTrue = [0.34045584045584043, 0.05270655270655271, 0.3504273504273504,  
                0.26638176638176636, 0.018518518518518517, 0.3247863247863248, 0.08974358974358974,  
                0.4886039886039886, 0.19230769230769232, 0.15954415954415954, 0.10541310541310542,  
                0.18518518518518517, 0.688034188034188, 0.39886039886039887, 0.9985754985754985]
```

```
thetaNegTrue = [0.40883190883190884, 0.12393162393162394, 0.4928774928774929,  
                0.41452991452991456, 0.06552706552706553, 0.37037037037037035, 0.1467236467236467,  
                0.2621082621082621, 0.045584045584045586, 0.038461538461538464,  
                0.022792022792022793, 0.05128205128205128, 0.5427350427350427, 0.2777777777777778,  
                0.9985754985754985]
```

(Q12) BNBC Accuracy
BNBC classification accuracy = 0.6583333333333333

Sample Questions:

Question 1:

(a)

1/3

$$P(G|a, b) = \frac{P(G, a, b)}{P(a, b)} = \frac{P(G)P(a|G)P(b|G)}{P(a)P(b)} = \frac{(\frac{1}{2}) * (\frac{1}{2}) * (\frac{1}{2})}{(\frac{1}{2}) * (\frac{3}{8})} = (\frac{1}{3})$$

(b)

False - logistic regression follows the model $p(C|X)$ whereas the Naïve Bayes models $p(X|C)$. Here C is a discrete value and X is discrete or continuous. So, with logistic regression we are calculating some variable having been given the data of X . Naïve Bayes computes $p(C)$ and $p(C|X)$ first.

(c)

True – they both are prefixed Gaussian to detail how the data is expected to be distributed.

(d)

False – The classifier will have a quadratic decision boundary.

Question 2:

(a)

Find $P(y | A=0, B=0, C=1)$

Maximize:

$$P(A=0|y) P(B=0|y) P(C=1|y)$$

$y=0$:

(1) $P(A=0|y=0) P(B=0|y=0) P(C=1|y=0) = .0577$

(2) $P(A=0|y=1) P(B=0|y=1) P(C=1|y=1) = .0357$

eq (1) > eq (2) $\rightarrow y=0$

(b)

Yes because variables A , B , and C may not be independent when conditioned on the dependent variable. The example gives $y = A \text{ XOR } B$ in which case A may not depend on B but y depends on how they interact with one another.