ENV 790.30 - Time Series Analysis for Energy Data | Spring 2021 Assignment 2 - Due date 01/26/22

Ben Joseph

Submission Instructions

You should open the .rmd file corresponding to this assignment on RStudio. The file is available on our class repository on Github.

Once you have the file open on your local machine the first thing you will do is change "Student Name" on line 4 with your name. Then you will start working through the assignment by **creating code and output** that answer each question. Be sure to use this assignment document. Your report should contain the answer to each question and any plots/tables you obtained (when applicable).

When you have completed the assignment, **Knit** the text and code into a single PDF file. Rename the pdf file such that it includes your first and last name (e.g., "LuanaLima_TSA_A02_Sp22.Rmd"). Submit this pdf using Sakai.

R packages

##

filter, lag

R packages needed for this assignment: "forecast", "tseries", and "dplyr". Install these packages, if you haven't done yet. Do not forget to load them before running your script, since they are NOT default packages.

```
#Load/install required package here
#install.packages("forecast")
#install.packages("tseries")
#install.packages("dplyr")
library(knitr)
opts_chunk$set(tidy.opts=list(width.cutoff=60),tidy=TRUE)
library(forecast)
## Registered S3 method overwritten by 'quantmod':
##
     method
                       from
     as.zoo.data.frame zoo
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
```

```
## The following objects are masked from 'package:base':
##
      intersect, setdiff, setequal, union
##
library(tseries)
library(tidyverse)
## -- Attaching packages ------ tidyverse 1.3.1 --
## v ggplot2 3.3.5
                    v purrr
                            0.3.4
## v tibble 3.1.6
                    v stringr 1.4.0
## v tidyr
           1.1.4
                    v forcats 0.5.1
## v readr
           2.1.1
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                  masks stats::lag()
```

Data set information

Consider the data provided in the spreadsheet "Table_10.1_Renewable_Energy_Production_and_ Consumption_by_Source.xlsx" on our **Data** folder. The data comes from the US Energy Information and Administration and corresponds to the January 2022 Monthly Energy Review. The spreadsheet is ready to be used. Use the command read.table() to import the data in R or $panda.read_excel()$ in Python (note that you will need to import pandas package). }

```
library(readxl)
df <- read_excel("./Data/Table_10.1_Renewable_Energy_Production_and_Consumption_by_Source.xlsx"
    , sheet = 1, col_names = TRUE, skip =10, na="Not Available")</pre>
```

Question 1

You will work only with the following columns: Total Biomass Energy Production, Total Renewable Energy Production, Hydroelectric Power Consumption. Create a data frame structure with these three time series only. Use the command head() to verify your data.

```
df2 <- df[2:586,4:6]
head(df2,10)
```

```
## # A tibble: 10 x 3
      'Total Biomass Energy Production' 'Total Renewable Ener~ 'Hydroelectric Powe~
##
##
                                                                 <chr>
      <chr>>
                                         <chr>>
##
   1 129.787
                                         403.981
                                                                 272.703
                                         360.9
## 2 117.338
                                                                 242.199
##
   3 129.938
                                         400.161
                                                                 268.81
## 4 125.636
                                         380.47
                                                                 253.185
## 5 129.834
                                         392.141
                                                                 260.77
## 6 125.611
                                         377.232
                                                                 249.859
## 7 129.787
                                         367.325
                                                                 235.67
## 8 129.918
                                         353.757
                                                                 222.077
## 9 125.782
                                         307.006
                                                                 179.733
## 10 129.97
                                         323.453
                                                                 191.723
```

Question 2

Transform your data frame in a time series object and specify the starting point and frequency of the time series using the function ts().

```
# I had to convert data to numeric to transform it to a time series object
df2$'Total Biomass Energy Production'<- as.numeric(df2$'Total Biomass Energy Production')
df2$'Total Renewable Energy Production'<- as.numeric(df2$'Total Renewable Energy Production')
df2$'Hydroelectric Power Consumption'<-as.numeric(df2$'Hydroelectric Power Consumption')
ts <- ts(data = df2, start = 1973, frequency = 12)
head(ts,10)</pre>
```

##			Total	Riomass	Energy	Production	Total	Renewable	Energy	Production
	Tan	1973	10041	Diomass	2110163	129.787	rour	100110 W CD 10	2110163	403.981
		1973				117.338				360.900
##	Mar	1973				129.938				400.161
##	Apr	1973				125.636				380.470
##	May	1973				129.834				392.141
##	Jun	1973				125.611				377.232
##	Jul	1973				129.787				367.325
##	Aug	1973				129.918				353.757
##	Sep	1973				125.782				307.006
##	Oct	1973				129.970				323.453
##			Hydro	electric	Power (Consumption				
##	Jan	1973				272.703				
##	Feb	1973				242.199				
##	Mar	1973				268.810				
##	Apr	1973				253.185				
##	May	1973				260.770				
##	Jun	1973				249.859				
##	Jul	1973				235.670				
##	Aug	1973				222.077				
##	Sep	1973				179.733				
	-	1973				191.723				

Question 3

Compute mean and standard deviation for these three series.

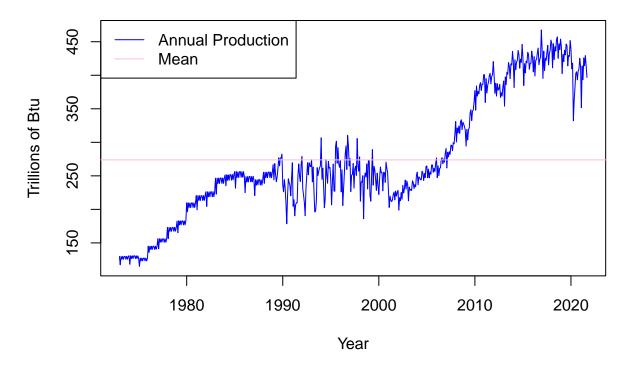
Means StandardDeviation

```
## Total Biomass Energy Production 273.7839 89.42852
## Total Renewable Energy Production 581.1708 177.5607
## Hydroelectric Power Consumption 235.9653 44.01749
```

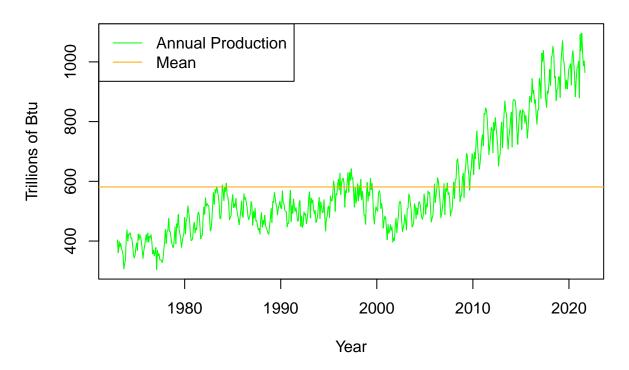
Question 4

Display and interpret the time series plot for each of these variables. Try to make your plot as informative as possible by writing titles, labels, etc. For each plot add a horizontal line at the mean of each series in a different color.

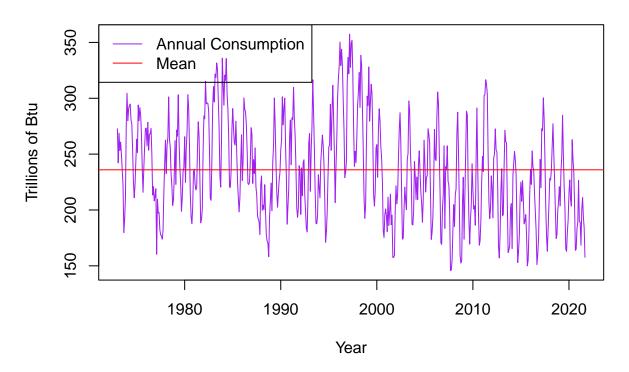
Biomass Energy Production



Renewable Energy Production

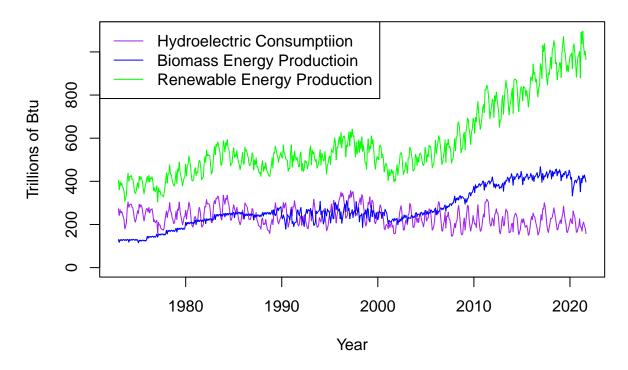


Hydroelectric Consumption



```
#Adding biomass and renewable energy lines to hydro plot, renaming it, setting y limit to
#equal max value across three series and adding legend
plot(ts[,3], col="purple", ylab="Trillions of Btu", main="Electricity Data", xlab="Year",
        ylim=c(0,(max(c(df2$'Total Biomass Energy Production',df2$'Total Renewable Energy Production',
        df2$'Hydroelectric Power Consumption')))))
lines(ts[,1],col="blue")
lines(ts[,2],col="green")
legend("topleft",legend=c("Hydroelectric Consumption","Biomass Energy Production",
        "Renewable Energy Production"), lty=c("solid","solid","solid"),
        col = c("purple","blue","green"))
```

Electricity Data



Question 5

Compute the correlation between these three series. Are they significantly correlated? Explain your answer.

I used the cor.test function to test correlation between the three series. The values of interest are the correlation coefficient ("cor) and the p-value displayed in the output. The correlation coefficient shows the strength and direction of the correlation. The closer to 1, the stronger the positive correlation. The closer to -1, the stronger the negative correlation.

The p-value shows the probability of observing a correlation coefficient from a given sample that is at least as extreme as the observed correlation coefficient if we were to assume there is no correlation between the two series. If the p value is below a significance level of 5%, or .05, we assume that the observed correlation did not occur by chance, and that there is a statistically significant correlation between the series.

There is a strong positive correlation between biomass and renewable energy production with a correlation coefficient near 1 and a very small p value. There is a weaker, but still statistically significant correlation between biomass energy production and hydroelectric power consumption. There is no statistically significant correlation between renewable enery production and hydroelectric power production as evidenced by a p-value well above .05. For exact values, see the outputs below for the three series being compared to each other, two at a time.

```
print("Correllation analysis for Biomass Energy Production and Renewable Energy Production:")

## [1] "Correllation analysis for Biomass Energy Production and Renewable Energy Production:"

cor.test(ts[,1],ts[,2], use = "everything", method = c("pearson","kendall","spearman"))

##

## Pearson's product-moment correlation

##

## data: ts[, 1] and ts[, 2]

## t = 58.037, df = 583, p-value < 2.2e-16

## alternative hypothesis: true correlation is not equal to 0

## 95 percent confidence interval:

## 0.9103552 0.9344118

## sample estimates:</pre>
```

```
##
         cor
## 0.9232838
print("Correllation analysis for Biomass Energy Production and Hydroelectric Power Consumption:")
## [1] "Correllation analysis for Biomass Energy Production and Hydroelectric Power Consumption:"
cor.test(ts[,1],ts[,3], use = "everything", method = c("pearson", "kendall", "spearman"))
##
   Pearson's product-moment correlation
##
##
## data: ts[, 1] and ts[, 3]
## t = -7.056, df = 583, p-value = 4.879e-12
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.3535258 -0.2040752
## sample estimates:
##
          cor
## -0.2804997
print("Correllation analysis for Renewable Energy Production and Hydroelectric Power Consumption:")
## [1] "Correllation analysis for Renewable Energy Production and Hydroelectric Power Consumption:"
cor.test(ts[,2],ts[,3], use = "everything", method = c("pearson", "kendall", "spearman"))
##
  Pearson's product-moment correlation
##
##
## data: ts[, 2] and ts[, 3]
## t = -1.3738, df = 583, p-value = 0.17
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.13723936 0.02437056
## sample estimates:
##
## -0.05680651
```

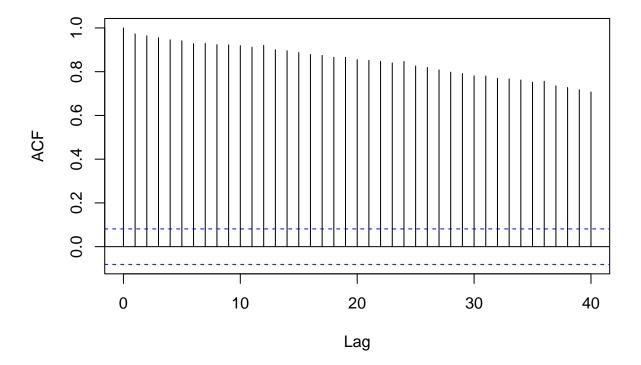
Question 6

Compute the autocorrelation function from lag 1 up to lag 40 for these three variables. What can you say about these plots? Do the three of them have the same behavior?

The Biomass and Renewable energy plots have similar behavior, starting at near 1 and fairly steadily declining to around .7 by lag 40. The Renewable Energy plot shows slight seasonal trend which makes sense because renewable energy tends to be weather depenent. The hydroelectric power consumption graph shows extreme seasonal variation with an overall slight downward trend. This makes sense because the availability of hydroelectric resources depends heeavily on the abundance of water which has seasonal elements like the presence of snow runoff in the spring and early summer.

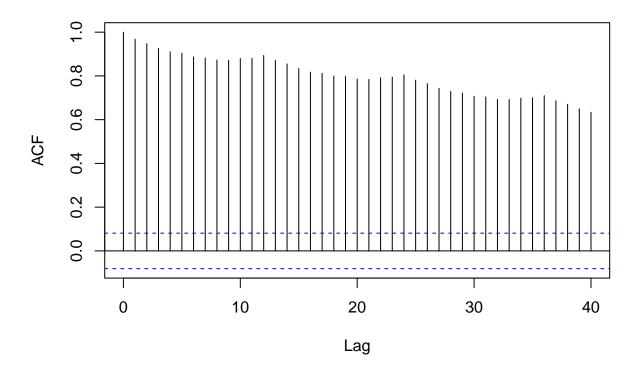
```
# first create 3 different time series for each key variable
tsBio <- ts(data = df2$'Total Biomass Energy Production', start = 1973, frequency = 1)
tsRE <- ts(data = df2$'Total Renewable Energy Production', start = 1949, frequency = 1)
tsHydro <- ts(data = df2$'Hydroelectric Power Consumption', start = 1949, frequency = 1)
acfBio <- acf(tsBio, lag.max = 40, type = "correlation", plot=TRUE)</pre>
```

Series tsBio



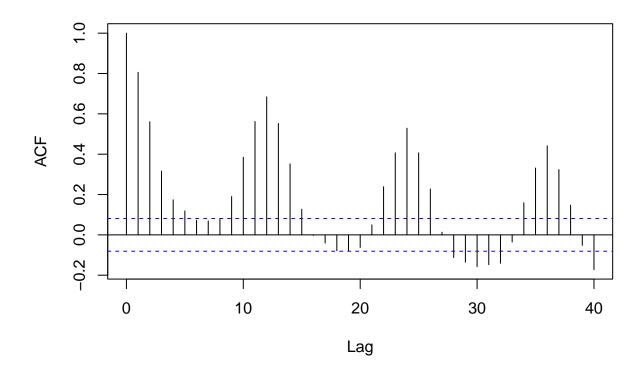
```
acfRE <- acf(tsRE, lag.max = 40, type = "correlation", plot=TRUE)</pre>
```

Series tsRE



acfHydro <- acf(tsHydro, lag.max = 40, type = "correlation", plot=TRUE)</pre>

Series tsHydro



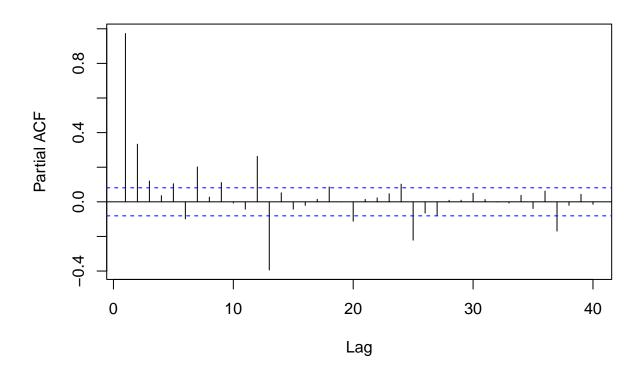
Question 7

Compute the partial autocorrelation function from lag 1 to lag 40 for these three variables. How these plots differ from the ones in Q6?

As expected, the partial autocorrelation values are the same at lag 1 as they were for the autocorrelation charts because there are no intermediary values. After, lag 1, PACF values hover around 0 for all three. The only times that the partial autocorrelation values cross the blue dotted lines that show significance levels is around lag 12 and 24 which again reflects the seasonality of these resources.

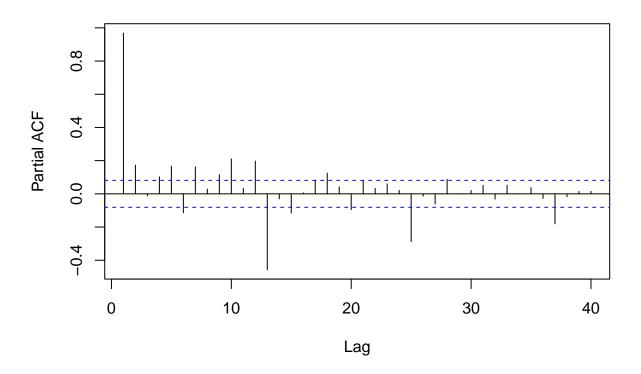
pacf(tsBio, lag.max = 40, plot = T)

Series tsBio



pacf(tsRE, lag.max = 40, plot = T)

Series tsRE



pacf(tsHydro, lag.max = 40, plot = T)

Series tsHydro

