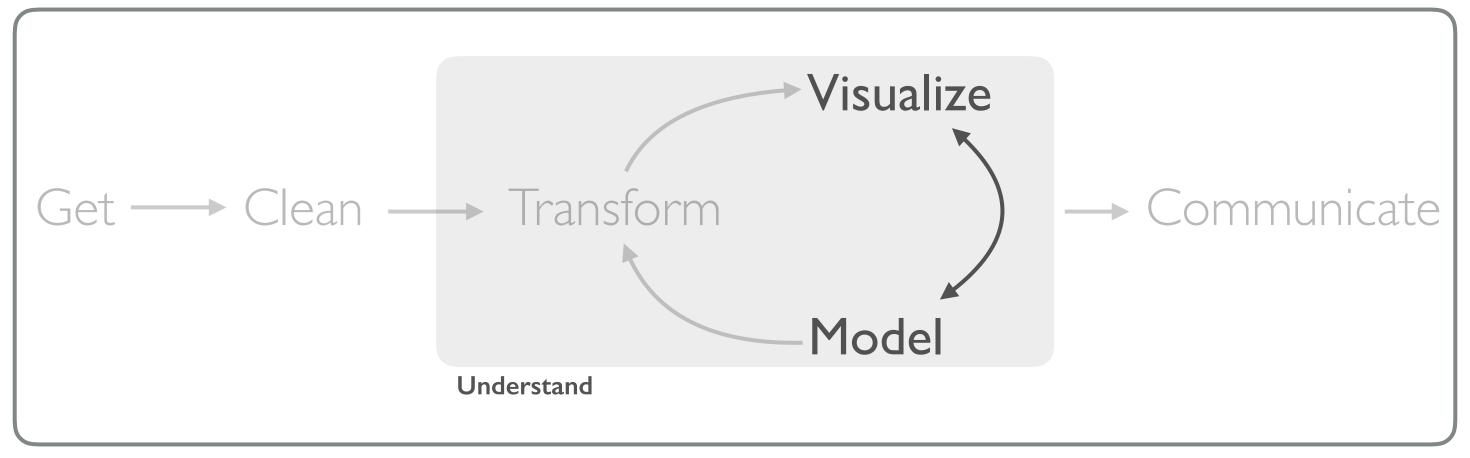
MODEL BUILDING



Program

[†]A modified version of Hadley Wickham's analytic process

PREREQUISITES



PREREQUISITES

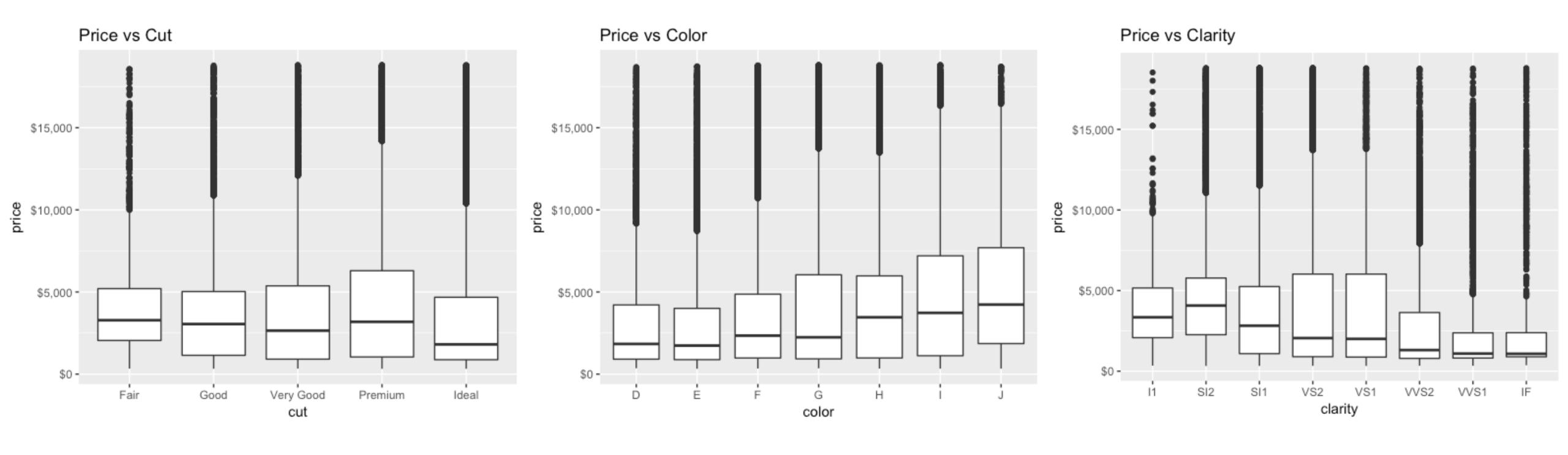
```
library(tidyverse)
library(modelr)
options(na.action = na.warn)
```

THE SET-UP



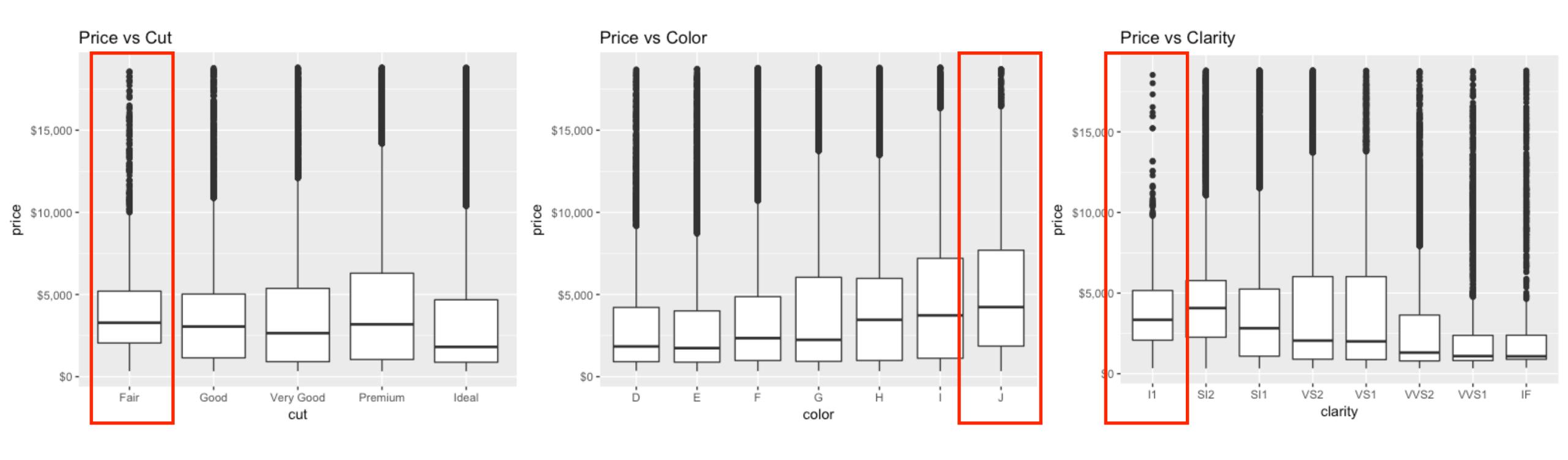
WHY ARE INFERIOR DIAMONDS MORE EXPENSIVE?

 Another analyst provided your boss with these three charts from your diamonds data set



WHY ARE INFERIOR DIAMONDS MORE EXPENSIVE?

- Another analyst provided your boss with these three charts from your diamonds data set
- This led to your boss wondering why inferior diamonds are more expensive



YOURTURN!

Spend a few minutes discussing the logic behind this with your neighbor

Feel free to explore the diamonds data set

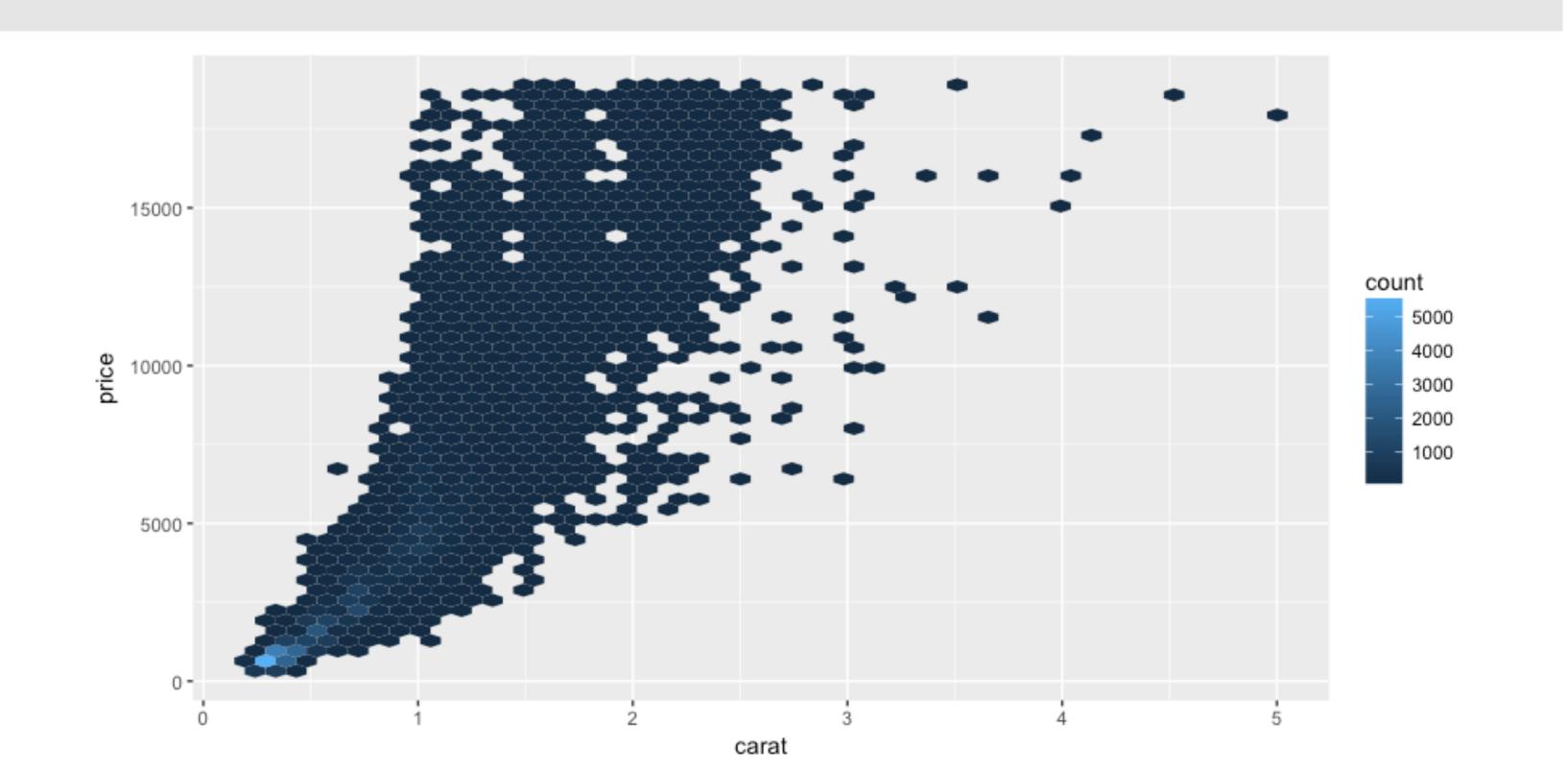
THOUGHTS?



A MAJOR CONFOUNDING VARIABLE

CONFOUNDINGVARIABLE

```
ggplot(diamonds, aes(carat, price)) +
  geom_hex(bins = 50)
```

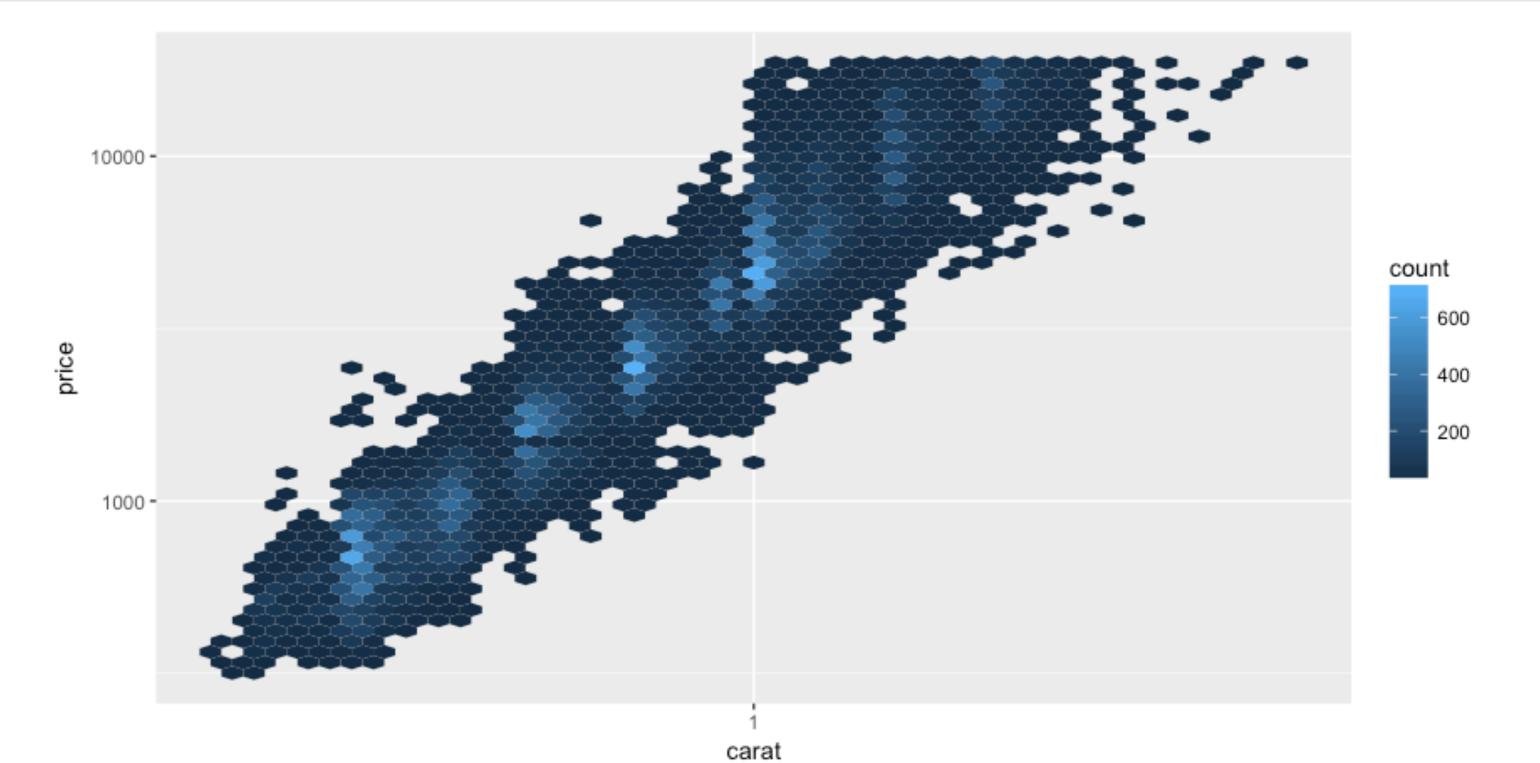


The carat variable has a big impact on price but is not captured in the previous 2-dimension plots

The relationship is non-linear. How could you transform the variables to assess a linear relationship?

CONFOUNDINGVARIABLE

```
ggplot(diamonds, aes(carat, price)) +
  geom_hex(bins = 50) +
  scale_x_log10() +
  scale_y_log10()
```



The carat variable has a big impact on price but is not captured in the previous 2-dimension plots

The relationship is non-linear. How could you transform the variables to assess a linear relationship?

YOURTURN - PART !!

- 1. Can you measure the strength of this linear relationship?
- 2. Does the strength of the linear relationship differ depending on the different levels of cut, color, and clarity?

YOURTURN - PART !!

- 1. Can you measure the strength of this linear relationship?
- 2. Does the strength of the linear relationship differ depending on the different levels of cut, color, and clarity?

```
# what is the strength of this linear relationship?
cor.test(log10(diamonds$carat), log10(diamonds$price))
Pearson's product-moment correlation
data: log10(diamonds$carat) and log10(diamonds$price)
t = 866.59, df = 53938, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.9653436 0.9664747
sample estimates:
      cor
0.9659137
```

YOURTURN - PART !!

- 1. Can you measure the strength of this linear relationship?
- 2. Does the strength of the linear relationship differ depending on the different levels of cut, color, and clarity?

```
# Does it differ depending on the different levels of cut, color, and clarity
diamonds %>%
  group_by(cut) %>%
  summarise(corr = cor(log10(carat), log10(price)),
           p_value = cor.test(log10(carat), log10(price))$p.value)
# A tibble: 5 \times 3
        cut corr p_value
      <ord> <dbl> <dbl>
    Fair 0.9085131
  Good 0.9687510
3 Very Good 0.9716746
    Premium 0.9697578
     Ideal 0.9661884
```

YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

```
# step 1: fit model
mod_carat <- lm(log10(price) ~ log10(carat), data = diamonds)</pre>
```

YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

```
# step 2: assess model numerically
summary(mod_carat)
Call:
lm(formula = log10(price) \sim log10(carat), data = diamonds)
Residuals:
          1Q Median
                         30
    Min
                                       Max
-0.65506 - 0.07362 - 0.00257 0.07225 0.58106
Coefficients:
             Estimate Std. Error t value Pr(>|t|)
(Intercept) 3.6692067 0.0005927 6190.9 <2e-16 ***
                                 866.6 <2e-16 ***
log10(carat) 1.6758167 0.0019338
Signif codes: 0 (***) 0 001 (**) 0 01 (*) 0 05 ( ) 0 1 ( ) 1
```

YOURTURN - PART 2!

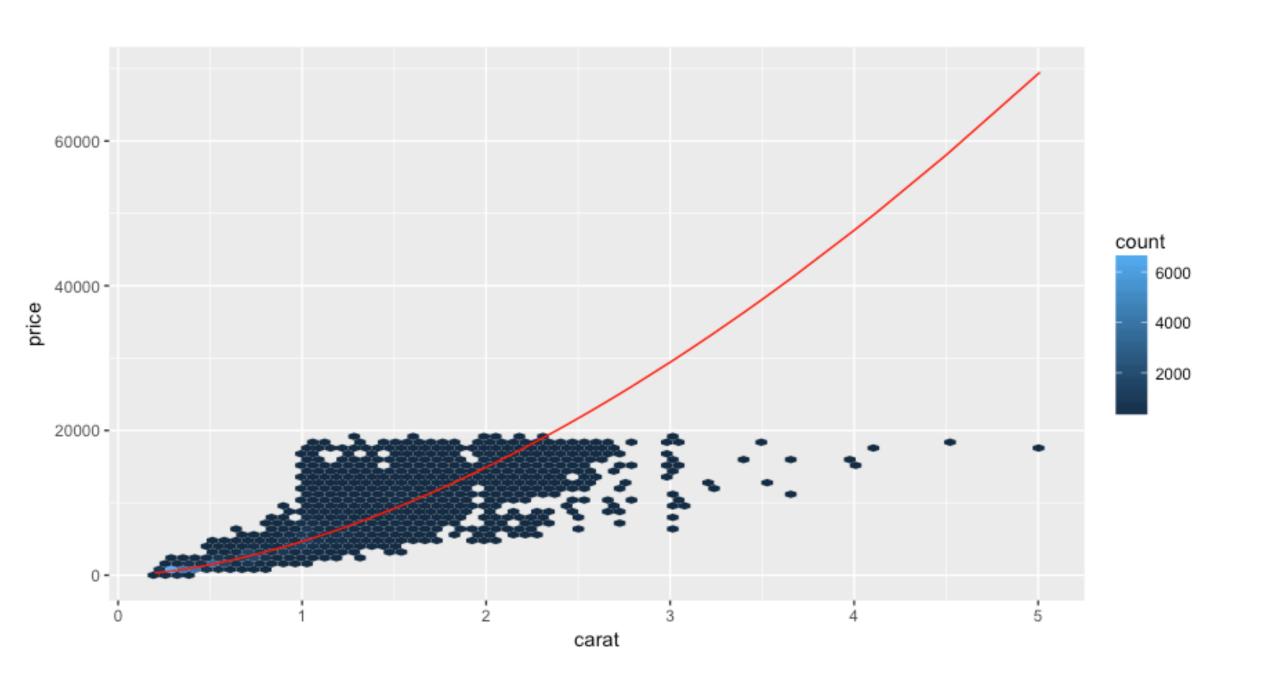
- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

```
# step 3: get prediction and residual data
diamonds2 <- diamonds %>%
  add_predictions(mod_carat) %>%
  add_residuals(mod_carat) %>%
 mutate(trans_pred = 10 ^ pred)
diamonds2
# A tibble: 53,940 \times 13
              cut color clarity depth table price x y
                                                                                  resid trans_pred
   carat
                                                                       pred
   <dbl>
                          <ord> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl>
                                                                                             <dbl>
                                                                      <dbl>
                                                                                  <dbl>
            <ord> <ord>
   0.23
                                 61.5
                                              326
                                                  3.95 3.98 2.43 2.599580 -0.08636196
                                                                                          397.7220
            Ideal
                            SI2
                                         55
                                                  3.89 3.84 2.31 2.533370 -0.02015289
                                                                                          341.4841
   0.21
          Premium
                            SI1
                                 59.8
                                              326
   0.23
                            VS1
                                 56.9
                                         65
                                              327
                                                  4.05 4.07 2.31 2.599580 -0.08503181
                                                                                          397.7220
             Good
                           VS2 62.4
                                                                                          586.5220
   0.29
                                         58
                                              334 4.20 4.23 2.63 2.768284 -0.24453784
          Premium
                                                                                          655.8766
                                 63.3
                                                  4.34 4.35 2.75 2.816822 -0.29177734
    0.31
             Good
                            SIZ
                                                  3.94 3.96 2.48 2.630554 -0.10421509
                                                                                          427.1244
    0.24 Very Good
                           VVS2
                                 62.8
                                              336
                                                 3.95 3.98 2.47 2.630554 -0.10421509
                                                                                          427.1244
                           VVS1
                                 62.3
                                         57
                                              336
    0.24 Very Good
                                                                                          122 1272
    a 26 Vary Good
                                                              2 53 2 688800 _0 16117038
```

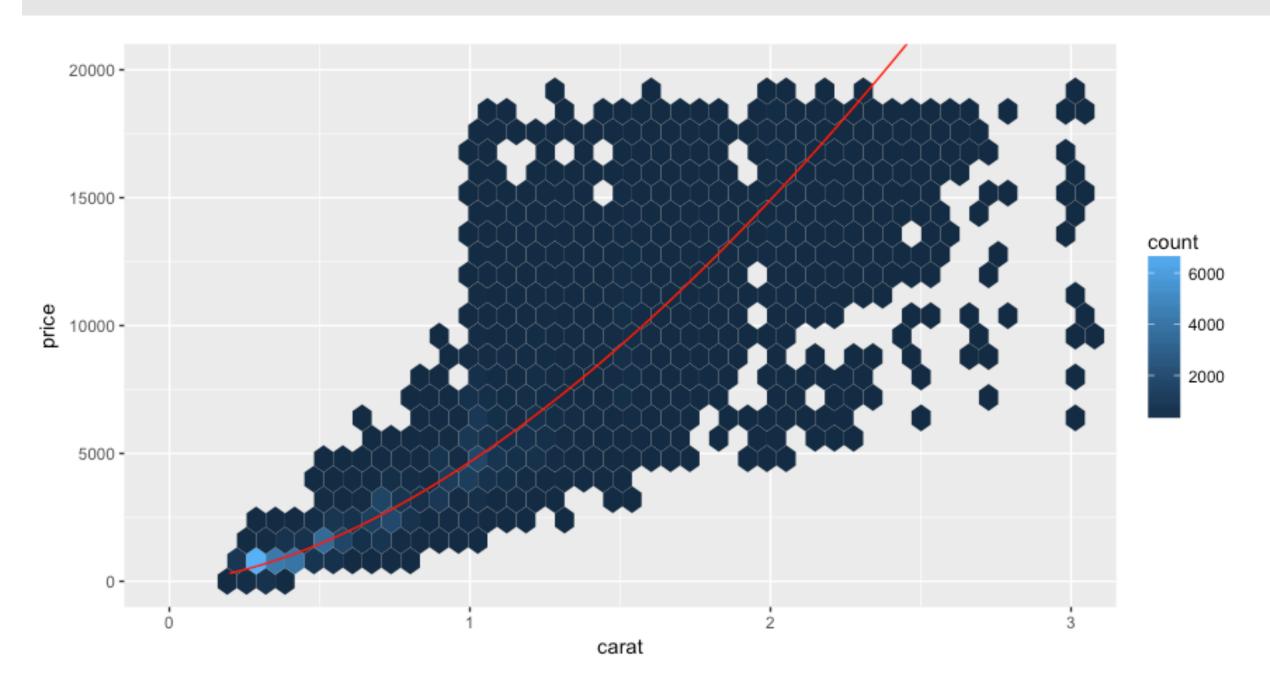
YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

```
# step 4: assess model predictions visually
ggplot(diamonds2, aes(carat, price)) +
  geom_hex(bins = 75) +
  geom_line(aes(y = trans_pred), color = "red")
```



```
# step 4: assess model predictions visually
ggplot(diamonds2, aes(carat, price)) +
  geom_hex(bins = 75) +
  geom_line(aes(y = trans_pred), color = "red") +
  coord_cartesian(xlim = c(0, 3), ylim = c(0, 20000))
```

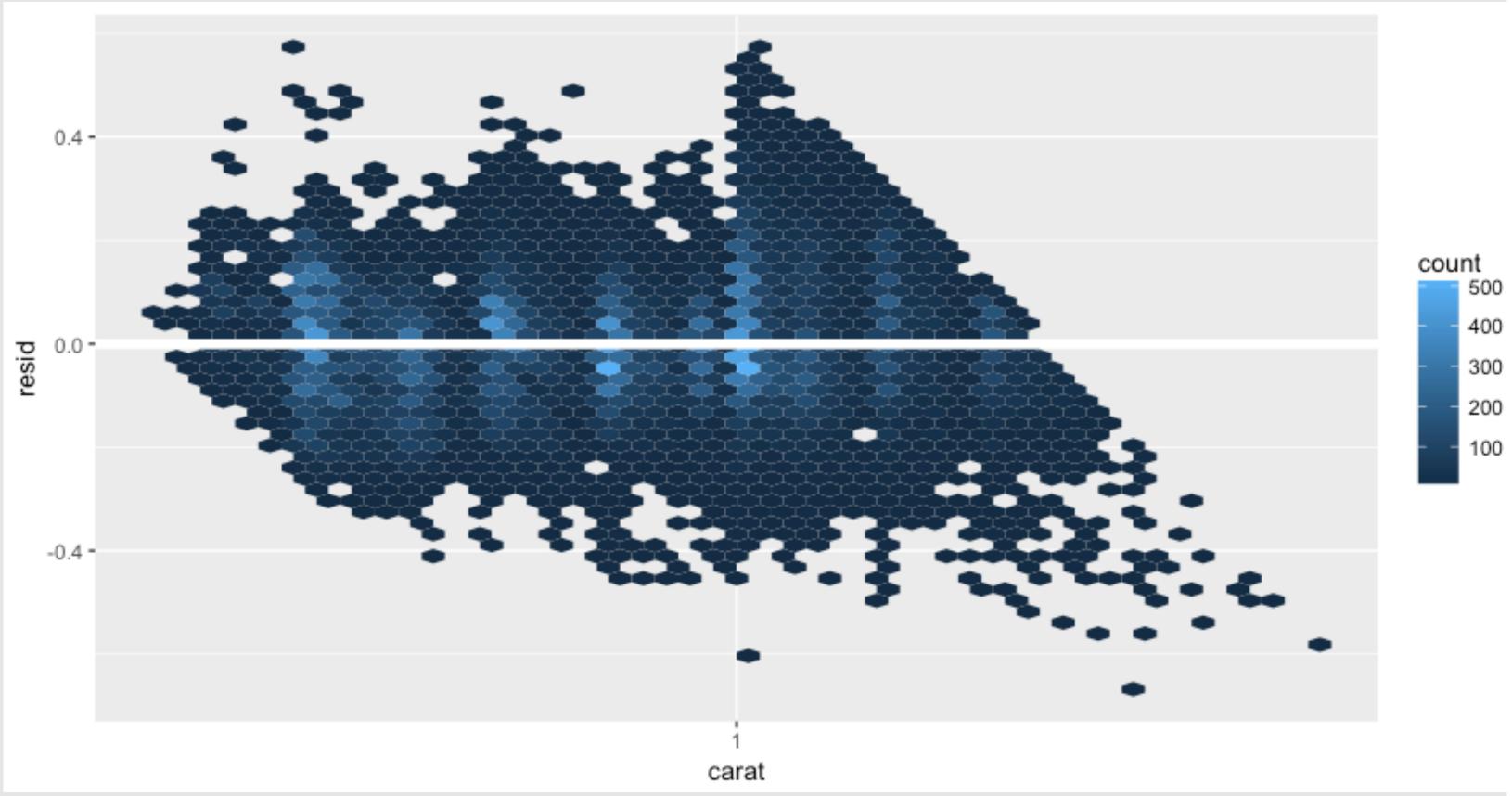


YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

step 5: assess model residuals visually
ggplot(diamonds2, aes(carat, resid)) +
 geom_hex(bins = 50) +
 geom_ref_line(h = 0) +

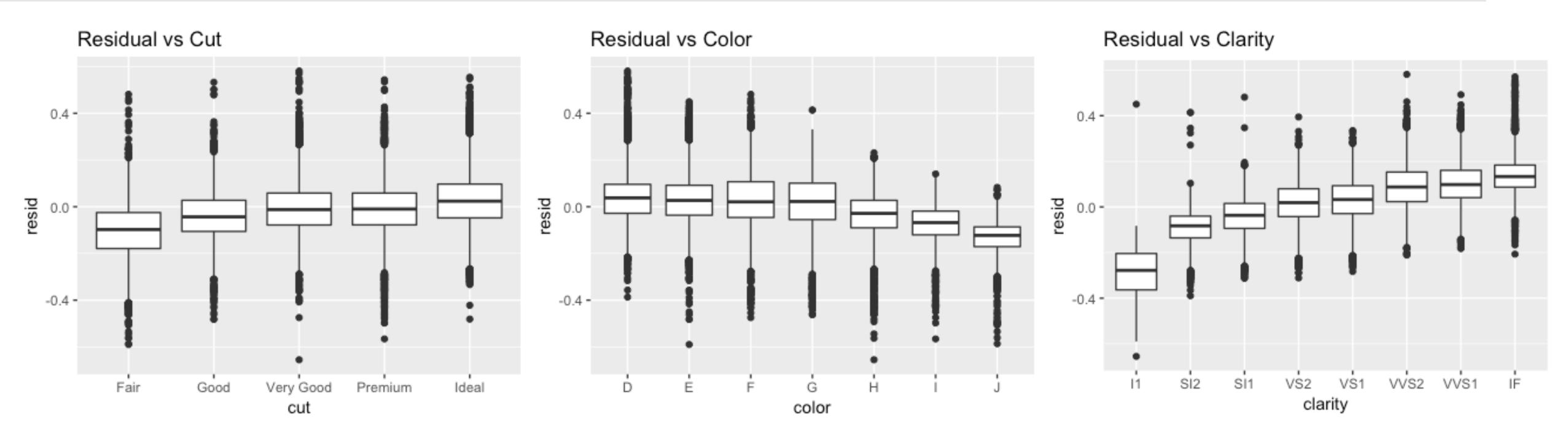
scale_x_log10()



YOURTURN - PART 2!

- 1. Fit a linear model between the price and carat variables
- 2. Assess model numerically
- 3. Get prediction and residual data and add it to the diamonds data set
- 4. Visually assess model predictions
- 5. Visually assess model residuals
- 6. Visually assess relationship between residuals and cut, color, clarity. What does this tell you?

```
# step 6: reassess relationship between residuals and other characteristics
p1 <- ggplot(diamonds2, aes(cut, resid)) + geom_boxplot() + ggtitle("Residual vs Cut")
p2 <- ggplot(diamonds2, aes(color, resid)) + geom_boxplot() + ggtitle("Residual vs Color")
p3 <- ggplot(diamonds2, aes(clarity, resid)) + geom_boxplot() + ggtitle("Residual vs Clarity")
gridExtra::grid.arrange(p1, p2, p3, nrow = 1)</pre>
```



BUILDING ONTO THE BASIC MODEL

A MORE COMPLEX MODEL

Results from our price ~ carat residual assessment suggest that cut, color, and clarity may have an influence in price

Create a model that extends our previous model by incorporating cut, color, and clarity (without interaction)

A MORE COMPLEX MODEL

```
diamonds3 <- diamonds %>%
  select(price, carat, color, cut, clarity)

mod_diamond <- lm(log10(price) ~ log10(carat) +
color + cut + clarity, data = diamonds3)</pre>
```

Results from our price ~ carat residual assessment suggest that cut, color, and clarity may have an influence in price

How does this model appear to fit numerically?

A MORE COMPLEX MODEL

```
summary(mod_diamond)
Call:
lm(formula = log10(price) \sim log10(carat) + color + cut +
clarity,
   data = diamonds3)
Residuals:
    Min
             10 Median
                                        Max
-0.43910 -0.03751 -0.00010 0.03622 0.84591
Coefficients:
               Estimate Std. Error t value Pr(>|t|)
(Intercept)
            3.6728414 0.0005071 7242.225 < 2e-16 ***
```

log10(carat) 1.8837175 0.0011288 1668.750 < 2e-16 ***

color 0 -0.0415287 -0.0008090 -51.335 < 2e-16 ***

color.L

-0.1909054 0.0008804 -216.828 < 2e-16 ***

Results from our price ~ carat residual assessment suggest that cut, color, and clarity may have an influence in price

How does this model appear to fit numerically?

Assessing predictions in a more complex model like this is hard to do visually...

```
diamonds3 %>%
 data_grid(cut, .model = mod_diamond)
# A tibble: 5 \times 4
      cut carat color clarity
     <ord> <dbl> <chr> <chr>
     Fair 0.7 G SI1
           0.7 G SI1
      Good
3 Very Good
           0.7 G
                    SI1
   Premium
           0.7
               G SI1
    Ideal
            0.7
                        SI1
```

...but using data_grid with .model helps

- This creates a table with each unique value of cut and...
- adds the most typical value for the other variables in the model

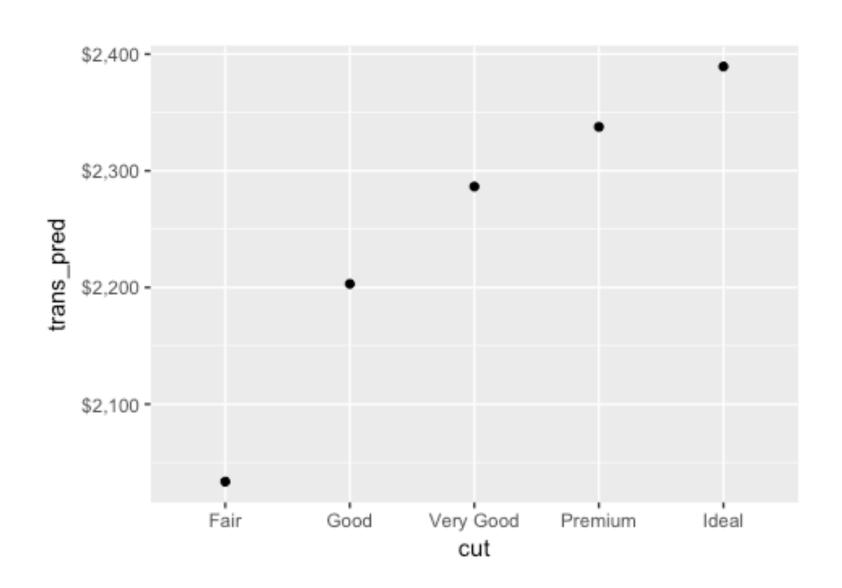
```
diamonds3 %>%
 data_grid(cut, .model = mod_diamond) %>%
 add_predictions(mod_diamond)
# A tibble: 5 \times 5
       cut carat color clarity
                                pred
     <ord> <dbl> <chr> <chr>
                               <dbl>
      Fair
            0.7 G SI1 3.308263
            0.7 G SI1 3.343028
      Good
            0.7 G SI1 3.359169
3 Very Good
   Premium
                G SI1 3.368780
            0.7
            0.7
                         SI1 3.378279
     Ideal
```

we can then add the most likely predicted values for each level of cut holding all else constant

```
diamonds3 %>%
  data_grid(cut, .model = mod_diamond) %>%
  add_predictions(mod_diamond) %>%
  mutate(trans_pred = 10 ^ pred) %>%
  ggplot(aes(cut, trans_pred)) +
  geom_point() +
  scale_y_continuous(labels = scales::dollar)
```

we can then transform our predicted values back to dollars...

and plot the most likely price for each level of cut



```
diamonds3 %>%
  data_grid(cut, .model = mod_diamond) %>%
  add_predictions(mod_diamond) %>%
  mutate(trans_pred = 10 ^ pred) %>%
  ggplot(aes(cut, trans_pred)) +
  geom_point() +
  scale_y_continuous(labels = scales::dollar)
```

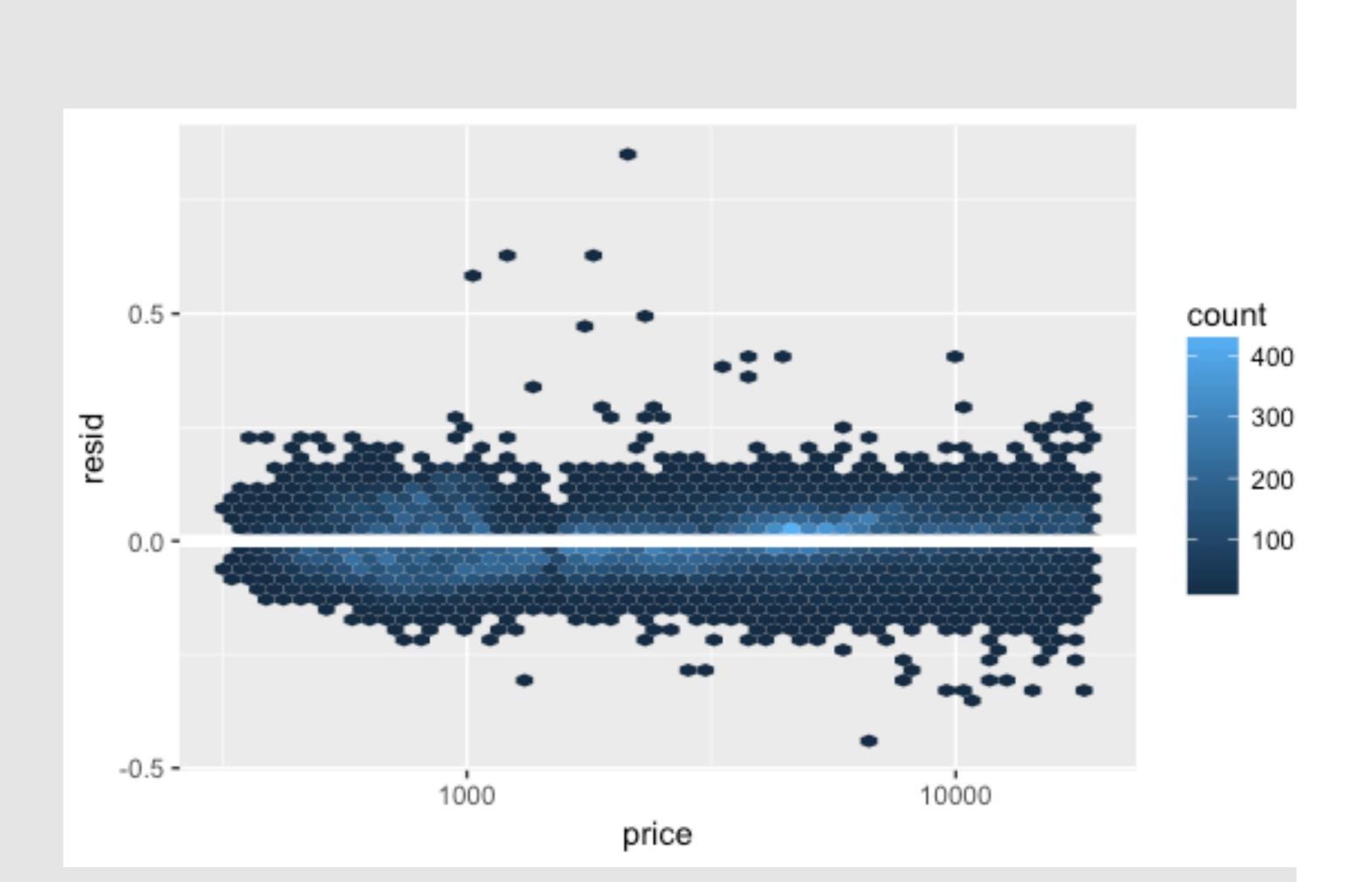
changing cut to color or clarity will allow you to see similar plots for those variables.

Opportunity to create a function!

YOURTURN!

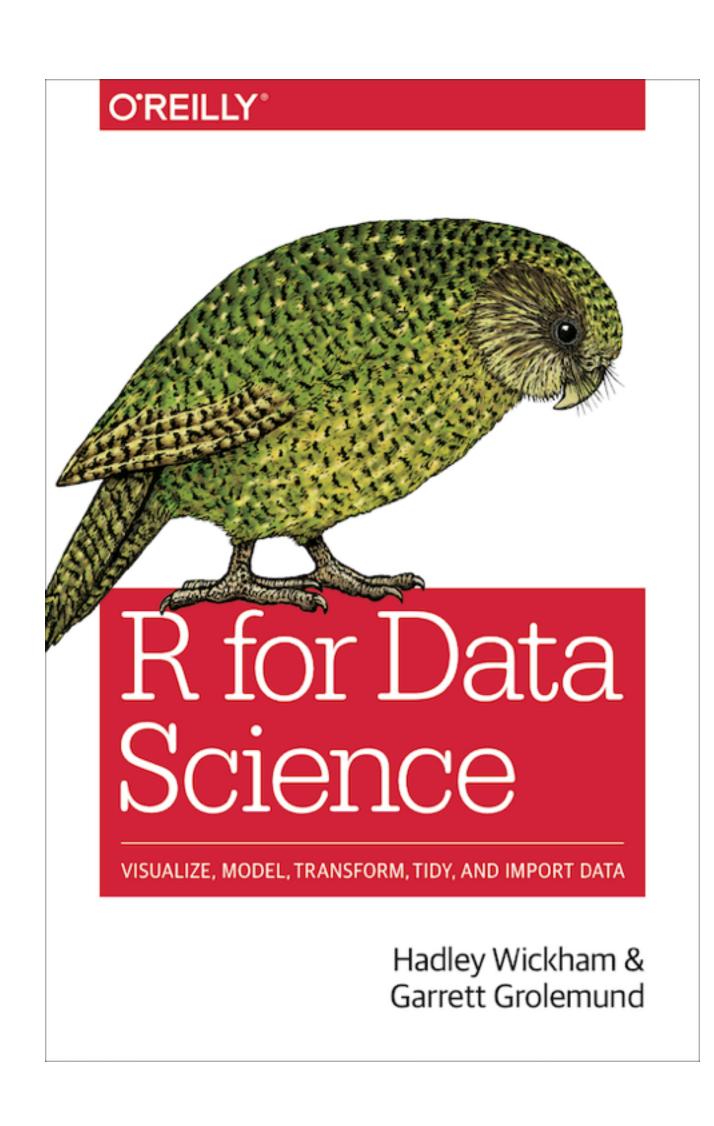
Lastly, how do the residuals look for this mod_diamond model?

```
# assess residuals
diamonds3 %>%
  add_residuals(mod_diamond) %>%
  ggplot(aes(price, resid)) +
  geom_hex(bins = 50) +
  geom_ref_line(h = 0) +
  scale_x_log10()
```

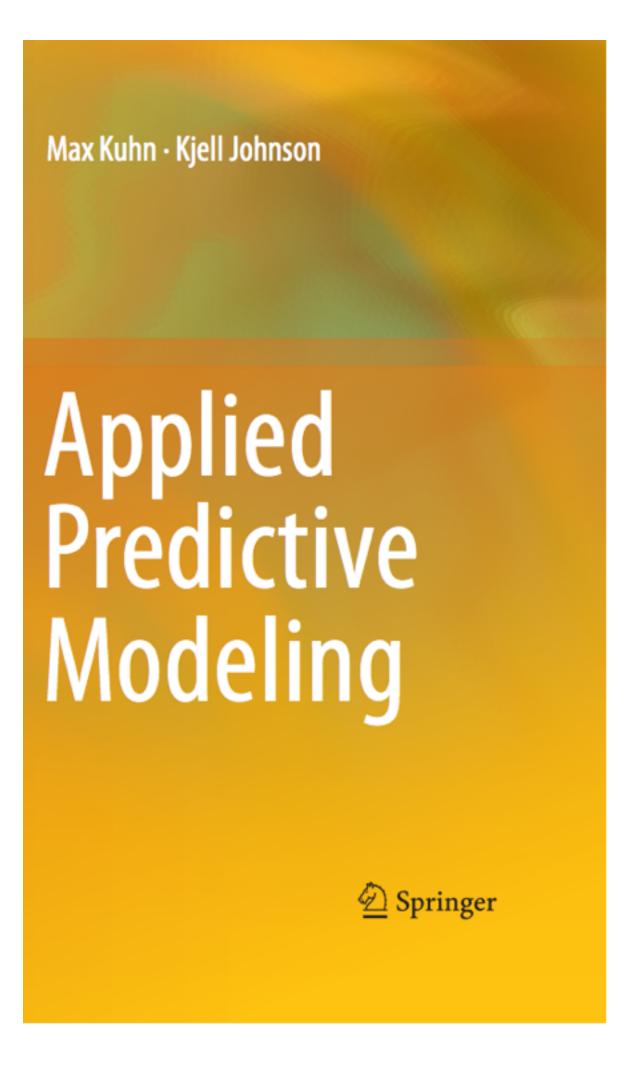




LEARN MORE



Springer Texts in Statistics Gareth James Daniela Witten Trevor Hastie Robert Tibshirani An Introduction to Statistical Learning with Applications in R



WHATTO REMEMBER

FUNCTIONS TO REMEMBER

Operator/Function	Description
cor, cor.test	Compute correlation
pairs, geom_ref_line	Plot pairwise x-y scatterplots, add reference line to ggplot (great for assessing residual)
$lm(y \sim x, data = df)$	Linear model specification
summary, residuals, fitted.values, coef	Summarize and extract components out of the lm() object
<pre>add_predictions, add_residuals, gather_predictions, gather_residuals</pre>	Shortcut functions to add predicted values and residuals from an lm() object to a new or existing data frame
model_matrix	assess model specification