

$$F = \underbrace{a \sqrt{\frac{660}{S_c}} u^2}_{PV} \cdot \underbrace{ff [atm_CO_2 \cdot atm_prs - pCO_2surf]}_{dCO_2star}$$

$$a = 6.972 E - 9 \text{ s/cm}$$

$$SDIC = \frac{DIC}{S} \cdot S_0$$

$$SAIK = \frac{AIK}{S} \cdot S_0$$

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$$\Delta F = \frac{\partial F}{\partial u} \Delta u + \frac{\partial F}{\partial pCO_2} \frac{\partial pCO_2}{\partial T} \Delta T + \frac{\partial F}{\partial pCO_2} \frac{\partial pCO_2}{\partial S} \Delta S + \frac{\partial F}{\partial pCO_2} \frac{\partial pCO_2}{\partial DIC} \frac{S}{S_0} \Delta SDIC + \frac{\partial F}{\partial pCO_2} \frac{\partial pCO_2}{\partial AIK} \frac{S}{S_0} \Delta SAIK + \frac{\partial F}{\partial pCO_2} \frac{\partial pCO_2}{\partial fW} \Delta fW$$

$$\frac{\partial F}{\partial u} = -2a \sqrt{\frac{660}{S_c}} u \text{ dCO}_2star$$

$$\frac{\partial F}{\partial pCO_2} = +ff \cdot a \sqrt{\frac{660}{S_c}} \cdot u^2$$

Due to
inverting
F_{CO2}

$$\frac{\partial pCO_2}{\partial T} = 0.0423 pCO_2$$

$$\frac{\partial pCO_2}{\partial S} = \frac{pCO_2}{S}$$

$$\frac{\partial pCO_2}{\partial DIC} = \frac{pCO_2 \gamma_{DIC}}{DIC}$$

$$\frac{\partial pCO_2}{\partial AIK} = \frac{pCO_2 \gamma_{AIK}}{AIK}$$

$$\frac{\partial pCO_2}{\partial fW} \Delta fW = \frac{SDIC}{S_0} \frac{\partial pCO_2}{\partial DIC} \Delta S + \frac{SAIK}{S_0} \frac{\partial pCO_2}{\partial AIK} \Delta S$$

$$\gamma_{DIC} = \frac{3AIK \cdot DIC - 2DIC^2}{(2DIC - AIK)(AIK - DIC)}$$

$$\gamma_{AIK} = \frac{AIK^2}{(2DIC - AIK)(AIK - DIC)}$$

Variable List

- FG-CO2
 - TAUX } Convert to U10
 - TAU Y }
 - QCO2star
 - pCO2SURF
 - SST
 - SSS
- DIC
 - AIK
 - TAUX2
 - TAU Y2