

```

/*****
* Some other definitions
*****/

#define _inline(f...) f() __attribute__((always_inline)); f
#define _foreach(it, b, e) for (typeof(b) it = (b); it != (e); it++)
#define foreach(x...) _foreach(x)
#define all(v) (v).begin(), (v).end()
#define rall(v) (v).rbegin(), (v).rend()

/*****
* Field with barriers
*****/
#include <list>
#include <set>
const int TAM = 2000;
typedef pair<point, point> segment;
typedef pair<int, int> barrier;
struct field {
    int n, m;
    point v[TAM];
    barrier b[TAM];
    list<int> e[TAM];
    field(): n(0), m(0) {}
    void clear() {
        for (int i = 0; i < n; i++) e[i].clear();
        n = m = 0;
    }
    int ccw(int a, int b, int c) { return ::ccw(v[a], v[b], v[c]); }
    void make_barrier(int i, int j) {
        e[i].push_back(m); e[j].push_back(m);
        b[m++] = barrier(i, j);
    }

    //Removes the degenerate cases
    void normalize() {
        set<segment> T; set<point> U;
        for (int i = 0; i < n; i++) make_barrier(i, i);
        for (int i = 0; i < m; i++) {
            point p = v[b[i].first], q = v[b[i].second];
            set<point> S;
            S.insert(p); S.insert(q);
            for (int j = 0; j < m; j++) {
                point r = v[b[j].first], s = v[b[j].second];
                if (r == p || r == q || s == p || s == q) continue;
                if (cmp((q - p) % (s - r)) == 0) {
                    if (between(p, r, q)) S.insert(r);
                    if (between(p, s, q)) S.insert(s);
                } else if (seg_intersect(p, q, r, s)) {
                    S.insert(line_intersect(p, q, r, s));
                }
            }
            foreach (st, all(S)) {
                if (st != S.begin()) T.insert(segment(p, *st));
            }
        }
    }
};

```

```

        U.insert(p = *st);
    }
}
clear();
foreach (it, all(U)) v[n++] = *it;
foreach (it, all(T)) {
    int i = lower_bound(v, v+n, it->first) - v;
    int j = lower_bound(v, v+n, it->second) - v;
    make_barrier(i, j);
}
}
//Poggi-Moreira-Fleischman-Cavalcante Algorithm
//Determine the graph with all edges in an eventual minimum path
void pmfc(graph& G) {
    int sel[TAM][2], active[TAM];
    for (int i = 0; i < n; i++) {
        vector< pair<double, int> > T;
        foreach (it, all(e[i])) {
            int j = b[*it].first + b[*it].second - i;
            T.push_back(make_pair(arg(v[j] - v[i]), j));
        }
        sort(all(T));
        if (T.empty()) T.push_back(make_pair(0, i));
        active[i] = 0;
        int p = T.size();
        for (int j = 0; j < p; j++) {
            sel[i][0] = T[j].second; sel[i][1] = T[(j+1) % p].second;
            if (ccw(sel[i][0], sel[i][1], i) <= 0) {
                active[i] = 1; break;
            }
        }
    }
}
G.init(n);
for (int i = 0; i < n; i++) for (int j = 0; j < i; j++) {
    if (!active[i] || !active[j]) continue;
    if (ccw(i, j, sel[i][0]) * ccw(i, j, sel[i][1]) == -1 || \
        ccw(i, j, sel[j][0]) * ccw(i, j, sel[j][1]) == -1)
        continue;
    for (int k = 0; k < m; k++) {
        int org = b[k].first, dest = b[k].second;
        if (org == i || org == j || dest == i || dest == j) continue;
        if (seg_intersect(v[i], v[j], v[org], v[dest])) goto PROX;
    }
    G.aresta(i, j, 1, abs(v[j] - v[i]));
}
PROX: ;
}
};

/*****
* Arbitrary precision arithmetics
*****/
#include <sstream>
const int DIG = 4;
const int BASE = 10000; // BASE**3 < 2**51 --> BASE = 10^DIG

```

```

const int TAM = 2048;
struct bigint {
    int v[TAM], n;
    bigint(int x = 0): n(1) {
        memset(v, 0, sizeof(v));
        v[n++] = x; fix();
    }
    bigint(char *s): n(1) {
        memset(v, 0, sizeof(v));
        int sign = 1;
        while (*s && !isdigit(*s)) if (*s++ == '-') sign *= -1;
        char *t = strdup(s), *p = t + strlen(t);
        while (p > t) {
            *p = 0; p = max(t, p - DIG);
            sscanf(p, "%d", &v[n]);
            v[n++] *= sign;
        }
        free(t); fix();
    }
    bigint& fix(int m = 0) {
        n = max(m, n);
        int sign = 0;
        for (int i = 1, e = 0; i <= n || e && (n = i); i++) {
            v[i] += e; e = v[i] / BASE; v[i] %= BASE;
            if (v[i]) sign = (v[i] > 0) ? 1 : -1;
        }
        for (int i = n - 1; i > 0; i--)
            if (v[i] * sign < 0) { v[i] += sign * BASE; v[i+1] -= sign; }
        while (n && !v[n]) n--;
        return *this;
    }
    int cmp(const bigint& x = 0) const {
        int i = max(n, x.n), t = 0;
        while (1) if ((t = ::cmp(v[i], x.v[i])) || i-- == 0) return t;
    }
    bool operator <(const bigint& x) const { return cmp(x) < 0; }
    bool operator ==(const bigint& x) const { return cmp(x) == 0; }
    bool operator !=(const bigint& x) const { return cmp(x) != 0; }
    operator string() const {
        ostringstream s; s << v[n];
        for (int i = n - 1; i > 0; i--) {
            s.width(DIG); s.fill('0'); s << abs(v[i]);
        }
        return s.str();
    }
}

friend ostream& operator <<(ostream& o, const bigint& x) {
    return o << (string) x;
}

bigint& operator +=(const bigint& x) {
    for (int i = 1; i <= x.n; i++) v[i] += x.v[i];
    return fix(x.n);
}

bigint operator +(const bigint& x) { return bigint(*this) += x; }
bigint& operator -=(const bigint& x) {

```

```

    for (int i = 1; i <= x.n; i++) v[i] -= x.v[i];
    return fix(x.n);
}
bigint operator -(const bigint& x) { return bigint(*this) -= x; }
bigint operator -() { bigint r = 0; return r -= *this; }
void ams(const bigint& x, int m, int b) { /* *this += (x * m) << b;
    for (int i = 1, e = 0; (i <= x.n || e) && (n = i + b); i++) {
        v[i+b] += x.v[i] * m + e; e = v[i+b] / BASE; v[i+b] %= BASE;
    }
}
bigint operator *(const bigint& x) const {
    bigint r;
    for (int i = 1; i <= n; i++) r.ams(x, v[i], i-1);
    return r;
}
bigint& operator *=(const bigint& x) { return *this = *this * x; }
// cmp(x / y) == cmp(x) * cmp(y); cmp(x % y) == cmp(x);
bigint div(const bigint& x) {
    if (x == 0) return 0;
    bigint q; q.n = max(n - x.n + 1, 0);
    int d = x.v[x.n] * BASE + x.v[x.n-1];
    for (int i = q.n; i > 0; i--) {
        int j = x.n + i - 1;
        q.v[i] = int((v[j] * double(BASE) + v[j-1]) / d);
        ams(x, -q.v[i], i-1);
        if (i == 1 || j == 1) break;
        v[j-1] += BASE * v[j]; v[j] = 0;
    }
    fix(x.n); return q.fix();
}
bigint& operator /=(const bigint& x) { return *this = div(x); }
bigint& operator %=(const bigint& x) { div(x); return *this; }
bigint operator /(const bigint& x) { return bigint(*this).div(x); }
bigint operator %(const bigint& x) { return bigint(*this) %= x; }
bigint pow(int x) {
    if (x < 0) return (*this == 1 || *this == -1) ? pow(-x) : 0;
    bigint r = 1;
    for (int i = 0; i < x; i++) r *= *this;
    return r;
}
bigint root(int x) {
    if (cmp() == 0 || cmp() < 0 && x % 2 == 0) return 0;
    if (*this == 1 || x == 1) return *this;
    if (cmp() < 0) return -(-*this).root(x);
    bigint a = 1, d = *this;
    while (d != 1) {
        bigint b = a + (d /= 2);
        if (cmp(b.pow(x)) >= 0) { d += 1; a = b; }
    }
    return a;
}
};
};

```

```

/*****
* BOOKCASE
*****/

```

```

int main () {
    int runs; cin>>runs;
    while (runs--) {
        int N;
        cin>>N;
        vector<pair<int,int> > b(N);
        for (int i=0; i<N; i++)
            cin>>b[i].first>>b[i].second;
        sort(b.begin(),b.end(),greater<pair<int,int> >());

        vector<int> h(N),t(N),tsum(N+1);
        for (int i=0; i<N; i++) {
            h[i]=b[i].first;
            t[i]=b[i].second;
            tsum[i+1]=tsum[i]+t[i];
        }

        vector<vector<int> > H(tsum[N]+1, vector<int>(tsum[N]+1, INF));
        H[0][0]=0;

        for (int i=0; i<N; i++)
            for (int T1=tsum[i+1]; T1>=0; T1--)
                for (int T2=tsum[i+1]; T2>=0; T2--) {
                    if (T1> t[i]) H[T1][T2] <?= H[T1-t[i]][T2];
                    if (T1==t[i]) H[T1][T2] <?= H[T1-t[i]][T2] + h[i];
                    if (T2> t[i]) H[T1][T2] <?= H[T1][T2-t[i]];
                    if (T2==t[i]) H[T1][T2] <?= H[T1][T2-t[i]] + h[i];
                }

        int res = INT_MAX;
        for (int T1=1; T1<=tsum[N]; T1++)
            for (int T2=1; T2<=tsum[N]; T2++)
                res <?= (T1 >? T2 >? (tsum[N]-T1-T2)) * (h[0]+H[T1][T2]);
        cout << res << endl;
    }
}

```

```

/*****
* VASE COLLECTOR
*****/

```

```

long long v[36]; int bitcnt[1<<18];

int countbits(long long a) {return bitcnt[a>>18]+bitcnt[a&0x3FFFF];}

int check(int n, int cur, int sel, long long mask) {
    if (countbits(mask)<n) return 0;
    if (sel==n) return 1;
    if (sel+36-cur<n) return 0;
    return check(n,cur+1,sel,mask) || check(n,cur+1,sel+1,mask&v[cur]);
}

```

```

int main() {
    for(int i=0;i<(1<<18);i++) {
        int cnt=0;
        for(int j=0;j<18;j++)
            if ((1<<j)&i) cnt++;
        bitcnt[i]=cnt;
    }

    int N;
    cin >> N;
    while (N--) {
        int m;
        cin >> m;
        for(int i=0;i<36;i++) v[i]=0;
        for(int i=0;i<m;i++) {
            int x,y;
            cin >> x >> y;
            v[y-1]|=(1LL<<(x-1));
        }

        int n;
        for(n=2;n*n<=m && check(n,0,0,(1LL<<36)-1);n++);
        cout << n-1 << endl;
    }
    return 0;
}

/*****
* Transversing a maze (Ro and Bot Meet - ACM 2117)
* Transversing a maze using left or right hand rule. In this
* code the maze nxm is represented as an int M[n][m] matrix in
* which each cell is a bit mask indicating if the path in some
* direction is open or not. We have:
*
*   ----- The one bit in the mask indicates that a direction
*   |    0    | is open. Ro transverses the maze using the left
*   | 3    1 | hand rule and Bot using the right hand rule.
*   |    2    |
*   -----
* *****/
#define between(i,a,b) ( (a<=i) && (i<=b) )
#define in_maze(i,j) ((0<=i)&&(i<n)&&(0<=j)&&(j<m))

int getValue( char c ) {
    if ( c >= 'A' && c <= 'F' ) return ( c - 'A' ) + 10;
    else if ( c >= 'a' && c <= 'f' ) return ( c - 'a' ) + 10;
    else return ( c - '0' );
}

int M[50][50]; int diri[4] = {-1,0,1,0}; int dirj[4] = {0,1,0,-1};

int main() {
    int n,m, maze=1;
    char ch[10];
    int roi, roj, rod, boti, botj, botd;
    while (scanf("%d %d", &n, &m), n || m) {

```

```

rep(i,n) rep(j,m) {
    scanf("%s", ch);
    M[i][j] = getValue( ch[0] );
}
roi = roj = 0; rod = (M[0][0] & (1<<3)) ? 1 : 2;
boti = n-1; botj = m-1; botd = (M[n-1][m-1] & (1<<1)) ? 3 : 0;
bool found = false;
while (in_maze(roi,roj) && in_maze(boti,botj))
{
    if ((roi == boti) && (roj == botj)) {found = true; break;}
    rod = (rod+3)%4; botd = (botd+1)%4;
    while (!(M[roi][roj] & (1<<rod))) rod = (rod + 1)%4;
    while (!(M[boti][botj] & (1<<botd))) botd = (botd + 3)%4;
    roi += diri[rod]; roj += dirj[rod];
    boti += diri[botd]; botj += dirj[botd];
}
printf("Maze %d: The robots ", maze++);
if (found) printf("meet in row %d, column %d.\n\n", roi+1,
roj+1);
else printf("do not meet.\n\n");
}
}

/*****
* EURO EFFICIENCE - minimize coins used ( including change )
*****/
#define between(x,a,b) ( (a<x) && (x<b) )
#define p_rep(i,n) for (int i=1; i<=n; i++)
int main() {
    int testcases, sum, c, s, d[101]; bool finished;
    scanf("%d", &testcases);
    while(testcases--){
        s = 1; finished = false;
        p_rep(i,100) d[i] = INF;
        rep(i,6) { scanf("%d", &c); d[c] = 1; } // coin values
        while (!finished) {
            finished = true; ++s;
            p_rep(i,100) {
                if (d[i] == INF) finished = false;

                p_rep(j,100) if (d[i]+d[j] == s)
                {
                    if (i+j <= 100) d[i+j] <?= s;
                    if (i-j > 0) d[i-j] <?= s;
                    if (j-i > 0) d[j-i] <?= s;
                }
            }
        }

        s = sum = 0;
        p_rep(i,100) {
            s >?= d[i]; sum += d[i];
        }
        printf("%4.2f %d\n", ((float)sum) / 100., s);
    }
}

```

```
}
```

```
/* *****  
* STABLE MARRIAGE - match m men to n woman in a stable and monogamic*  
* fashion. L[i][ ] is the list of women in order of decreasing      *  
* preference of man i and R[j][i] is how attractive man i to woman  *  
* j, so, if R[j][i1] > R[j][i2] then woman j prefers man i1 to i2.  *  
* L2R[i] contains man i's mate and R2L[j] contains the mate of woman*  
* j or -1 if she is unmated. Condition: n>=m. Complexity O(m^2)  
*  
***** */
```

```
int m, n; int L[MAXM][MAXW], R[MAXW][MAXM];  
int L2R[MAXM], R2L[MAXW]; int p[MAXM];
```

```
void stableMarriage() {  
    static int p[MAXM]; //man's preferences  
    rep(j,n) R2L[j] = -1; rep(k,128) p[k] = 0;  
  
    rep(i,m) { //for each man  
        int man = i;  
        while( man >= 0 )  
        {  
            int wom;  
            while( 1 ) { //proposes women  
                wom = L[man][p[man]++];  
                if( R2L[wom] < 0 || R[wom][man] > R[wom][R2L[wom]] ) break;  
            }  
            int hubby = R2L[wom]; //old husband from the woman  
            R2L[L2R[man] = wom] = man;  
            man = hubby; //remarry dumped husband  
        }  
    }  
}
```

```
/* *****  
* SET RECONSTRUCTION FROM PAIRWISE SUM: Given a multiset S of      *  
* integers, reconstructs the multiset V such that S is the multiset *  
* of pairwise sums of V. Returns true if successful and false if    *  
* confused.  
***** */
```

```
#include <set>
```

```
bool pairsums( int *ans, multiset< int > &seq ) {
```

```
    int N = seq.size();
```

```
    if( N < 3 ) return false;
```

```
    __typeof( seq.end() ) it = seq.begin();
```

```
    int a = *it++, b = *it++, i = 2;
```

```
    for( ; i * ( i - 1 ) < 2 * N && it != seq.end(); i++, ++it ) {
```

```
        // assume seq[i] = ans[1] + ans[2]
```

```
        ans[0] = a + b - *it;
```

```
        if( ans[0] & 1 ) continue;
```

```
        ans[0] >>= 1;
```

```
        // try ans[0] as a possible least element
```

```
        multiset< int > seq2 = seq;
```

```
        int j = 1;
```



```

        while( seq2.size() ) {
            ans[j] = *seq2.begin() - ans[0];
            for( int k = 0; k < j; k++ ) {
                __typeof( seq2.end() ) jt=seq2.find(ans[k]+ans[j]);
                if( jt == seq2.end() ) goto HERE;
                seq2.erase( jt );
            }
            j++;
        }
        HERE;;
        if( j * ( j - 1 ) < 2 * N ) continue;
        // it worked! [modify this to deal with multiple answers]
        return true;
    }
    return false;
}

/*****
* POWER MOD: Computes b^p mod m. Wants b >= 0, p >= 0, m >= 1.
*****/
int powmod( long long b, int p, int m )
{
    long long r = 1;
    for( int i = ( 1 << 30 ); i; i >=> 1 )
        //for( long long i = ( 1LL << 62 ); i; i >=> 1 )//for big powers
        {
            r *= r; r %= m;
            if( p & i ) { r *= b; r %= m; }
        }
    return ( int )r;
}

/*****
* ROMAN NUMERALS
*****/

string fill( char c, int n ) { string s; while( n-- ) s += c; return s; }

string toRoman( int n ) {
    if( n < 4 ) return fill( 'i', n );
    if( n < 6 ) return fill( 'i', 5 - n ) + "v";
    if( n < 9 ) return string( "v" ) + fill( 'i', n - 5 );
    if( n < 11 ) return fill( 'i', 10 - n ) + "x";
    if( n < 40 ) return fill( 'x', n / 10 ) + toRoman( n % 10 );
    if( n < 60 ) return fill( 'x', 5 - n / 10 ) + 'l' + toRoman( n % 10 );
    if( n < 90 ) return string( "l" ) + fill( 'x', n / 10 - 5 ) + toRoman( n % 10 );
    if( n < 110 ) return fill( 'x', 10 - n / 10 ) + "c" + toRoman( n % 10 );
    if( n < 400 ) return fill( 'c', n / 100 ) + toRoman( n % 100 );
    if( n < 600 ) return fill( 'c', 5 - n / 100 ) + 'd' + toRoman( n % 100 );
    if( n < 900 ) return string( "d" ) + fill( 'c', n / 100 - 5 ) +

```

```

toRoman( n % 100 );
    if( n < 1100 ) return fill( 'c', 10 - n / 100 ) + "m" + toRoman( n
% 100 );
    if( n < 4000 ) return fill( 'm', n / 1000 ) + toRoman( n % 1000 );
    return "?";
}

/*****
* Hungarian Algorithm
*****/

#define SIZE (2*MAX+1)

int mat[SIZE][SIZE];    /* Weighted Matrix */
int matchedWith[SIZE];
int level[SIZE]; int parent[SIZE]; int N;
int weight[SIZE];    /* Weight/Label of each Node */
int S[SIZE]; /* Set of vertices of X/U in Hungarian Tree */
int T[SIZE]; /* Vertices in Y/V and in the current Matching */

void init(void) { rep(i,SIZE) memset(mat[i],0,sizeof(int)*SIZE); }

int augmentPath(int u) {
    int v,w,last; int q[SIZE+1],head,tail;
    memset(level,0,sizeof(int)*(2*N+1));
    memset(parent,0,sizeof(int)*(2*N+1));
    head = 0; tail = 1; q[1] = u; level[u]= 1; last = 0;
    while((head!=tail) && !last) {
        head++; v = q[head];
        if(level[v]%2) {
            for(w=N+1;w<=2*N;w++) {
                if(!level[w] && (mat[v][w]==weight[v]+weight[w])) {
                    if(!matchedWith[w]) {
                        parent[w] = v;
                        last = w;
                        break;
                    }
                    else if(matchedWith[w]!=v)/* Unmatched Edge(v,w) */
                    {
                        parent[w] = v; level[w] = level[v]+1; q[++tail] = w;
                    }
                }
            }
        }
    }
    else
    {
        w = matchedWith[v];/* Matching partner of v */
        parent[w] = v;
        q[++tail] = w; /* Enque matched Edge (v,w) */
        level[w] = level[v]+1;
    }
}

if(last) {

```

```

    for(w=last; w; w=parent[parent[w]]) {
        matchedWith[w] = parent[w];
        matchedWith[parent[w]] = w;
    }
    return 1;
}
else
{
    for(v=1; v<=N; v++)
    {
        if(level[v]) S[v] = 1;
        if(level[N+v]) T[N+v] = 1;
    }
    return 0;
}
}

void optimalMatching(void) {
    int i, j, max, slack, u, v;
    int nMatch, eps;
    memset(matchedWith, 0, sizeof(int)*(2*N+1));
    for(i=1; i<=N; i++) {
        max = 0;
        for(j=N+1; j<=2*N; j++) if(mat[i][j] > max) max = mat[i][j];
        weight[i] = max; weight[i+N] = 0;
    }
    nMatch = 0;
    while(1) {
        memset(S, 0, sizeof(int)*(2*N+1));
        memset(T, 0, sizeof(int)*(2*N+1));
        for(i=1; i<=N; i++) {
            if(!matchedWith[i]) {
                if(augmentPath(i)) nMatch++;
            }
        }
        if(nMatch == N) break;
        eps = INF;
        for(i=1; i<=N; i++) if(S[i]) for(j=N+1; j<=2*N; j++) if(!T[j]){
            slack = weight[i]+weight[j]-mat[i][j];
            if(slack < eps) eps = slack;
        }
        for(i=1; i<=N; i++) {
            if(S[i]) weight[i] -= eps;
            if(T[i+N]) weight[i+N] += eps;
        }
    }
    return ;
}

void main(void)

//usage
N =...; init();
for(i=1; i<=N; i++) for(j=N+1; j<=2*N; j++)
    scanf("%d", &mat[i][j]);

```

```
optimalMatching();  
answer in matchedWith[i] i=1...N
```

```
/*  
* Perimeter of the union of rectangles  
*/
```

```
double union_perimeter(vector<rect>& R) {  
    int n = R.size(); if (n == 0) return 0;  
    vector< pair<double, int> > E;  
    int m = 0;  
    for (int i = 0; i < n; i++) {  
        E.push_back(make_pair(R[i].x1, i));  
        E.push_back(make_pair(R[i].x2, ~i));  
        y[m++] = R[i].y1;  
        y[m++] = R[i].y2;  
    }  
    sort(all(E)); sort(y, y + m); m = unique(y, y + m, cmp_eq) - y;  
    double last = E[0].first, r = 0, dy = 0;  
    segtree T(0, m-1);  
    for (int i = 0; i < 2*n; i++) {  
        int k = E[i].second; bool in = (k >= 0); if (!in) k = ~k;  
        double dx = E[i].first - last;  
        r += dx * T.a;  
        int a = lower_bound(y, y + m, R[k].y1, cmp_lt) - y;  
        int b = lower_bound(y, y + m, R[k].y2, cmp_lt) - y;  
        if (in) T.insert(a, b);  
        else T.erase(a, b);  
        r += fabs(dy - T.len);  
        dy = T.len;  
        last += dx;  
    }  
    return r;  
}
```