

# Statistics 1 Chapter 4

## CORRELATION

⚠ this chapter is special:  
it has been dumbed down,  
and online questions may seem  
very hard.

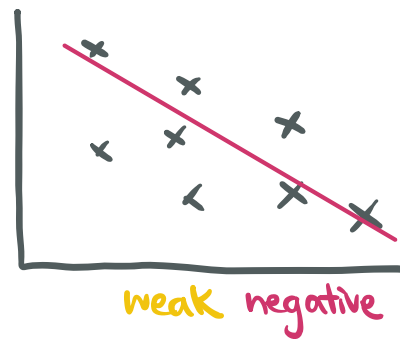
When introducing a second variable, we need to consider the  
relationship between them

**CORRELATION** is the strength of said relationship

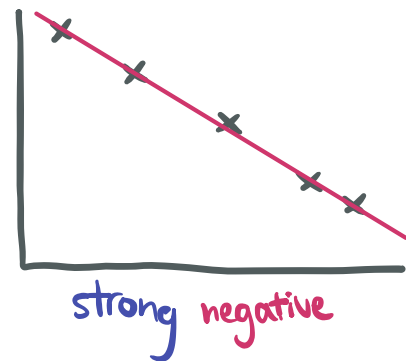
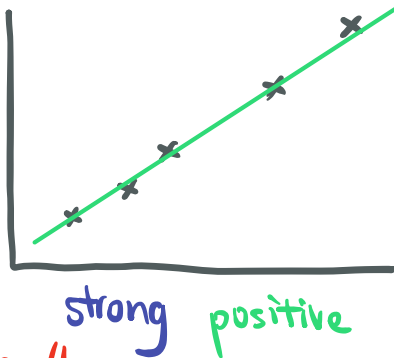
### POSITIVE CORRELATIONS

### NEGATIVE CORRELATIONS

WEAK  
CORRELATIONS

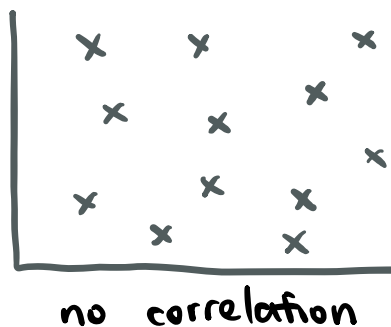


STRONG  
CORRELATIONS



⚠ Correlation doesn't  
have to be linear

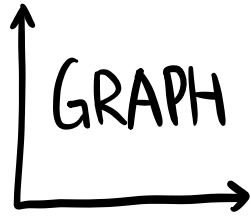
⚠ **CORRELATION  $\neq$  CAUSATION**  
just because there is a  
correlation between x and y  
doesn't mean x causes y



⚠ **VARIABLES & AXIS**  
independent variable  
on x axis  
dependent variable  
on y axis

## EXAM SKILLS

### ① Interpret the correlation from a graph



positive/negative correlation  
(strength usually not needed)

### ② Correlation or Causation?

Identify if the variables are causally related  
(not causally)

### EX 4A (p. 61) (Ans p. 215)

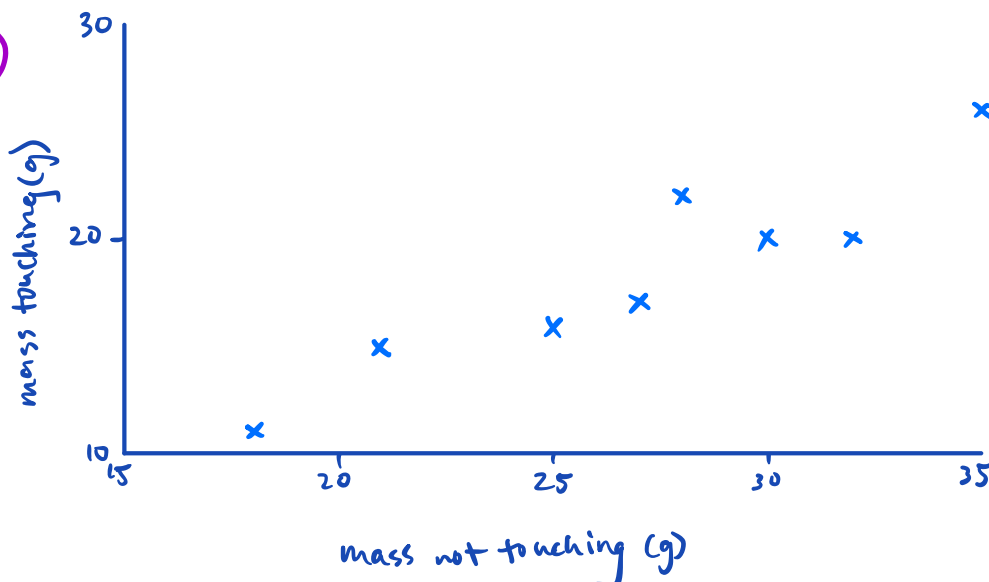
#### ① a) Positive

b) The longer someone takes this drug, the larger the loss in weight

#### ② a) No correlation

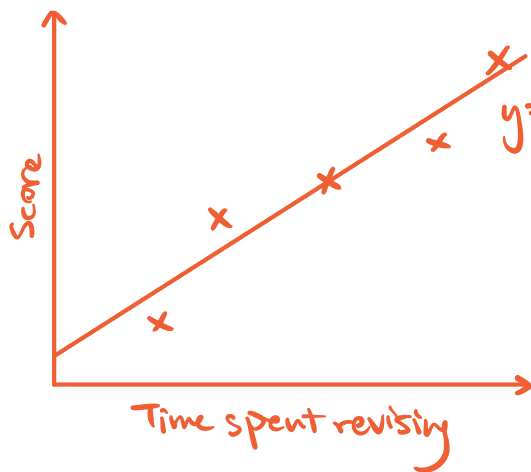
b) The scatter graph doesn't support this claim

#### ③ a)



b) Positive: when mass not touching increases, mass touching increases

## 4.2: Linear Regression



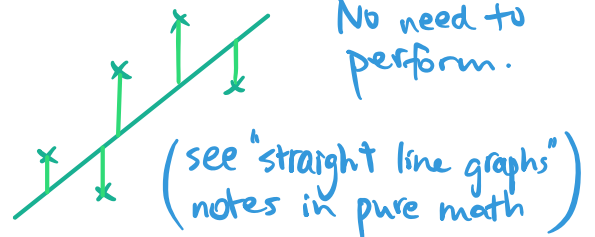
used to predict a result

model  
in  
form  $y = a + bx$

① least squares regression line

minimize  $\sum (\bar{y} - y)^2$

No need to  
perform.



Non-linear regression



They will NOT  
give you this!

$$y = a + bx$$

Interpreting a: y value when x is 0

(e.g. when you don't revise, you will get 20 marks)

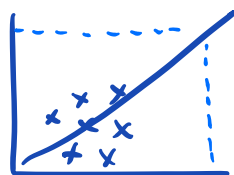
Interpreting b: y increase when x increases 1 unit

(e.g. you get 3 marks for every hour you revise)

Justifying linear regression

"data suggests linear relationship"

Interpolating vs Extrapolating



line of best fit

estimate within range

line of best fit

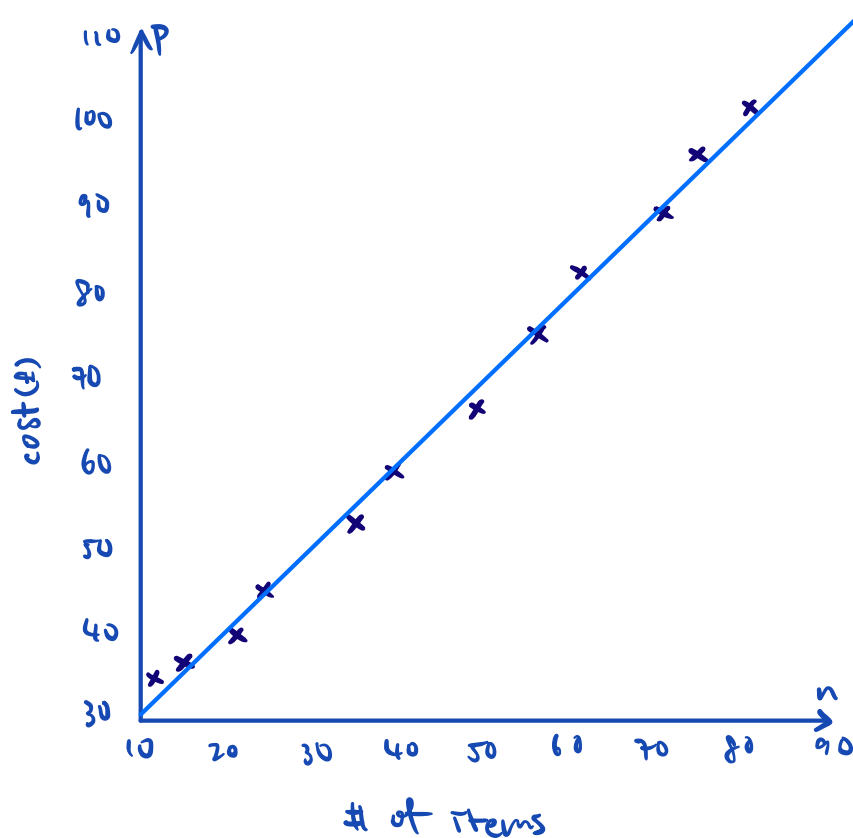
estimate out of range

Interpolation is more reliable

Extrapolation is less reliable

## EX 4B (p.65)

① a), b)



c) 21.0: it would cost £21 to produce 0 items

0.98: each item costs £0.98 to produce

d) it's suitable because the regression line is very close to the actual costs and the costs show a linear trend.