

$$\geq (-, -) = (-, -)$$

$$\exists(\lambda x_i : -, \mathcal{X})$$

$$> (-, -) \quad \vee(-, -)$$

$$\forall(\lambda x_i : -, \mathcal{X}) \wedge(-, -)$$

$$N^-(\lambda x_i : -, \mathcal{X})$$

e.g.:

$S \rightarrow$

$\exists(\lambda x_1 : A, \mathcal{X}) \rightarrow$

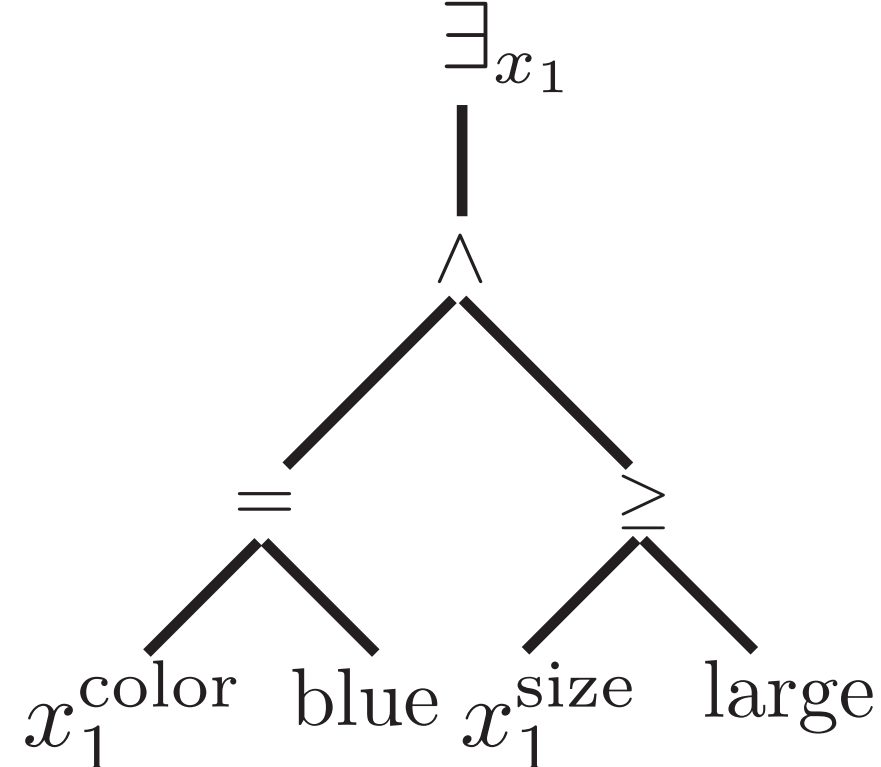
$\exists(\lambda x_1 : B, \mathcal{X}) \rightarrow$

$\exists(\lambda x_1 : H(B, B), \mathcal{X}) \rightarrow$

$\exists(\lambda x_1 : \wedge(= (x_1, D1), I(x_1, D2)), \mathcal{X}) \rightarrow$

$\exists(\lambda x_1 : \wedge(= (x_1, \text{blue, colour}), \geq (x_1, \text{medium, size})), \mathcal{X})$

**There is a blue cone that is at least medium sized**



$S \rightarrow$

$N^=(\lambda x_1 : A, 1, \mathcal{X})$

$N^=(\lambda x_1 : S, 1, \mathcal{X})$

$N^=(\lambda x_1 : N^{\geq}(\lambda x_2, A, 2, \mathcal{X}), 1, \mathcal{X}) :$

$N^=(\lambda x_1 : N^{\geq}(\lambda x_2, B, 2, \mathcal{X}), 1, \mathcal{X}) :$

$N^=(\lambda x_1 : N^{\geq}(\lambda x_2, \wedge(B, B), 2, \mathcal{X}), 1, \mathcal{X}) :$

$N^=(\lambda x_1 : N^{\geq}(\lambda x_2 : \wedge(= (x_1, D1), I(x_1, x_2, E2)), 2, \mathcal{X}), 1, \mathcal{X})$

$N^=(\lambda x_1 : N^{\geq}(\lambda x_2 : \wedge(= (x_1, \text{red, colour}), > (x_1, x_2, \text{ypos})), 2, \mathcal{X}), 1, \mathcal{X})$

**One red cone is above at least two other cones**

