



CoGrammar

CONSOLIDATION

**SKILLS
FOR LIFE**

SKILLS BOOTCAMPS



Department
for Education

Foundational Sessions Housekeeping

- The use of disrespectful language is prohibited in the questions, this is a supportive, learning environment for all - please engage accordingly.
(FBV: Mutual Respect.)
- No question is daft or silly - **ask them!**
- There are **Q&A sessions** midway and at the end of the session, should you wish to ask any follow-up questions. Moderators are going to be answering questions as the session progresses as well.
- If you have any questions outside of this lecture, or that are not answered during this lecture, please do submit these for upcoming Open Classes.

You can submit these questions here:

[SE Open Class Questions](#) or [DS Open Class Questions](#)

Foundational Sessions Housekeeping cont.

- For all **non-academic questions**, please submit a query: www.hyperiondev.com/support
- Report a **safeguarding** incident: www.hyperiondev.com/safeguardreporting
- We would love your **feedback** on lectures: [Feedback on Lectures](#)

Reminders!

GLH requirements

Guided Learning Hours

By now, ideally you should have 7 GLHs per week accrued. Remember to attend any and all sessions for support, and to ensure you reach 112 GLHs by the close of your Skills Bootcamp.

Progression Criteria

✓ **Criterion 1: Initial Requirements**

- Complete 15 hours of Guided Learning Hours and the first four tasks within two weeks.

✓ **Criterion 2: Mid-Course Progress**

- Software Engineering: Finish 14 tasks by week 8.
- Data Science: Finish 13 tasks by week 8.

✓ **Criterion 3: Post-Course Progress**

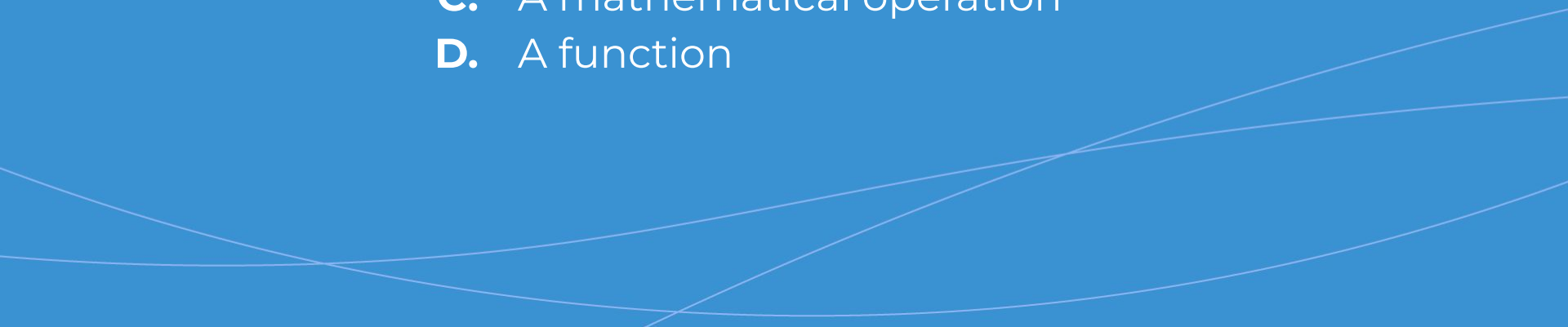
- Complete all mandatory tasks by 24th March 2024.
- Record an Invitation to Interview within 4 weeks of course completion, or by 30th March 2024.
- Achieve 112 GLH by 24th March 2024.

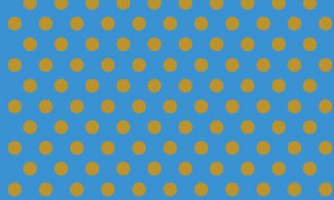
✓ **Criterion 4: Employability**

- Record a Final Job Outcome within 12 weeks of graduation, or by 23rd September 2024.


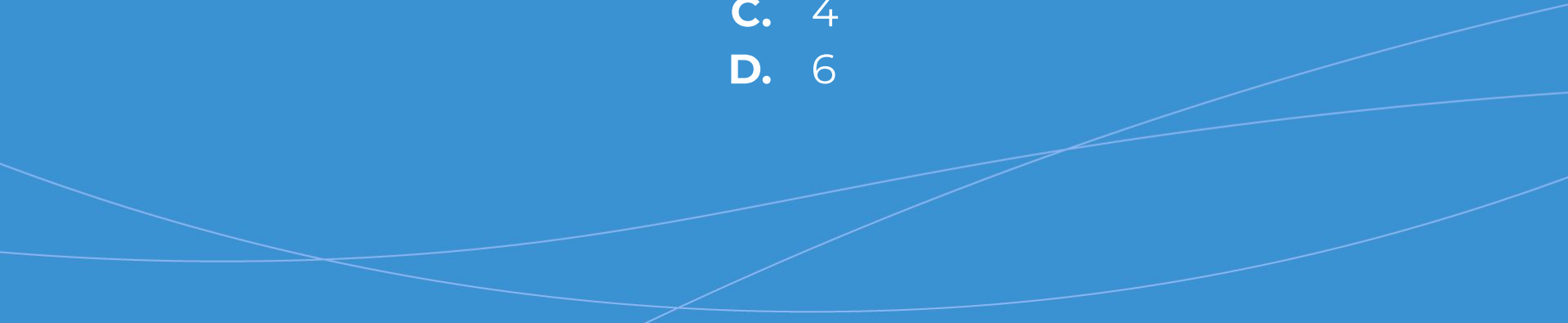


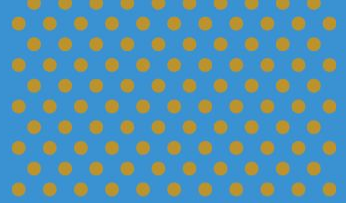
In the equation $3x - 7 = 14$, what does the variable x represent?

- A.** A constant value
 - B.** A placeholder for an unknown value
 - C.** A mathematical operation
 - D.** A function
- 



The dot product of two vectors $A = [3, 1]$ and $B = [2, -2]$ is:

- 
- A. 8
 - B. -4
 - C. 4
 - D. 6
- 



**In a standard deck of 52 playing cards,
what is the probability of drawing an
ace (any suit)?**

- A. $1/13$
- B. $1/52$
- C. $1/4$
- D. $1/16$

Sets, Functions, and Variables

Set: a collection of distinct, unordered objects also known as elements or members.

- Set that makes up the input of a function known as **domain**, and set making up the output known as the **codomain**.
- E.g. $\{1,2,3,4\}$, $\{\text{cat,dog,spider}\}$, and $\{\text{cat},1,\text{spider},4\}$ are all sets.

Function: a relation between a set of inputs and a set of permissible outputs with the property that each input is related to at most one output.

- **Univariate functions** relate one input to at most one output (i.e. $f(x) = x + 1$)
- **Multivariate functions** relate multiple inputs to at most one output (i.e. $f(x,z) = x - z + 1$)

Variables: Symbols that represent values in mathematical expressions or algorithms.

Vectors, Matrices, and Operations

Vector: quantities having both magnitude and direction, represented as an array of numbers.

- Example: $\vec{v} = [3, 4]$ represents movement 3 units to the right and 4 units up

Matrices: rectangular arrays of numbers or expressions, used to represent complex data structures or transformations.

- A 2 x 2 matrix $A = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$ could represent a linear Transformation in a plane

Scalar Operations: multiplying a vector by a scalar changes its magnitude but not direction.

Dot Product: a measure of the similarity of two vectors, calculated as the sum of the products of their corresponding entries.

Probability

Foundations of Probability

- Sample Space: The set of all possible outcomes.
- Event: Any subset of the sample space.

Basic Probability

- Probability of an Event: $P(E) = \frac{\text{Number of favorable outcomes}}{\text{Total number of outcomes}}$

Rules of Probability (assuming Independence and mutually exclusive):

- Addition Rule: $P(A \text{ or } B) = P(A) + P(B)$
- Multiplication Rule: $P(A \text{ and } B) = P(A) \times P(B)$

Conditional Probability:

- Probability of an event A, given event B has occurred [$P(A|B)$].

Independence and Mutual Exclusion:

- Two events are independent if $P(A|B) = P(A)$ and $P(B|A) = P(B)$, and exclusive if $P(A \text{ and } B) = 0$

Probability Distributions

- **Uniform:** Every outcome in the sample space is equally likely.
- **Binomial:** Probability distribution of the number of successes in a sequence of n independent experiments.
- **Normal:** Data tends to be around a central value (mean) with no bias left or right.

Permutations

Arrangement of objects where order is important.

To calculate permutations, we use $P(n, r) = \frac{n!}{(n-r)!}$

Where:

- ***n*** is the number of objects available to choose from
- ***r*** is the number of objects that are chosen
- ***!*** is the factorial.

Combinations

Selection where order doesn't matter.

To calculate combinations, we use $C(n, r) = \frac{n!}{r!(n-r)!}$

Where:

- ***n*** is the number of objects available to choose from
- ***r*** is the number of objects that are chosen
- ***!*** is the factorial

Gradients of Linear Functions

A constant value that represents the rate of change of the function.

- The gradient is calculated as the change in y over the change in x or “rise over run”:

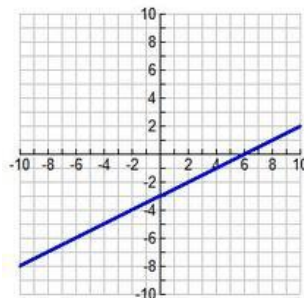
$$m = \frac{\Delta y}{\Delta x} = \frac{y_2 - y_1}{x_2 - x_1}$$

using two points on the line (x_1, y_1) and (x_2, y_2) , the starting point and end point, respectively.

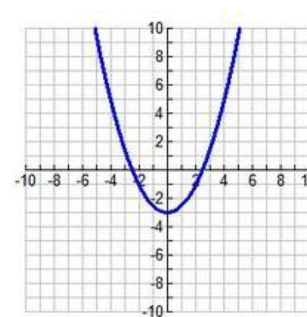
Derivatives

The rate of change of the function with respect to an independent/input variable.

- Linear functions have a **constant rate** of change/gradient, where other types of functions do not e.g. quadratic functions



Linear



Quadratic

Rules of Differentiation

- **Constant rule:** if C is a constant,

$$\frac{d}{dx}C = 0$$

- **Constant multiple rule:** if C is a constant,

$$\frac{d}{dx}Cf(x) = Cf'(x)$$

- **Power rule**

$$\frac{d}{dx}x^n = nx^{n-1}$$

- **Sum and Difference rule**

$$\frac{d}{dx}[f(x) \pm g(x)] = \frac{d}{dx}f(x) \pm \frac{d}{dx}g(x)$$

Rules of Differentiation

- **Product Rule**

$$\frac{d}{dx} [f(x)g(x)] = f(x)g'(x) + g(x)f'(x)$$

- **Quotient Rule (derived from product rule)**

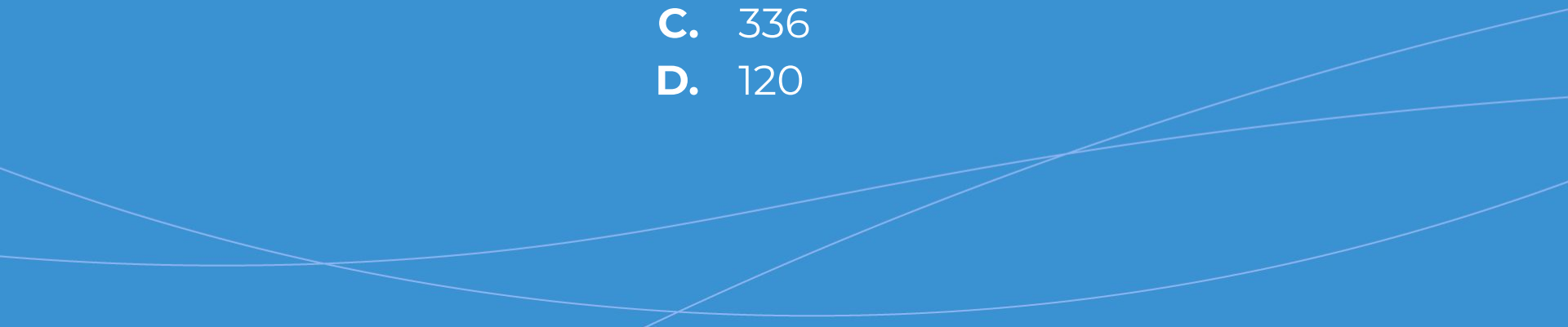
$$\frac{d}{dx} \left[\frac{f(x)}{g(x)} \right] = \frac{g(x)f'(x) - f(x)g'(x)}{[g(x)]^2}$$

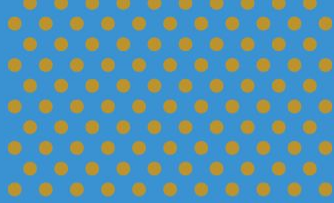
- **Chain Rule**

$$\frac{d}{dx} f[g(x)] = f'[g(x)]g'(x)$$

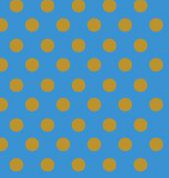


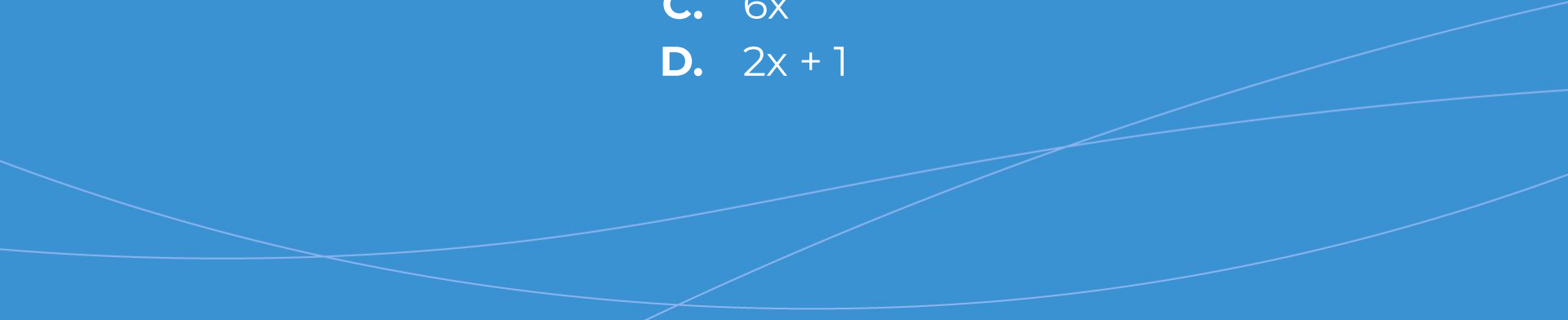
In how many ways can you choose a committee of 3 members from a group of 8 people?

- A. 56
 - B. 24
 - C. 336
 - D. 120
- 



What is the derivative of the function
 $f(x) = 3x^2 + 2x + 1$?



- A.** $6x + 2$
 - B.** $3x^2 + 2$
 - C.** $6x$
 - D.** $2x + 1$
- 



Questions and Answers

