

PAMS Project meeting 16th May 2017, Kraków

First principles study of CI-doped 5-AGNR on Au(111) surface

Pedro Brandimarte





5-AGNR realized with one step reaction



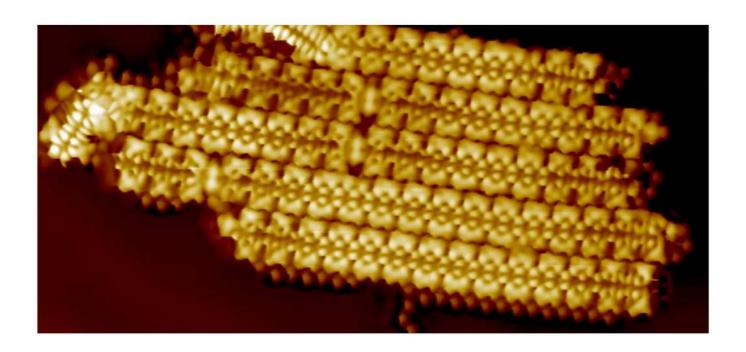






5-AGNR realized with one step reaction







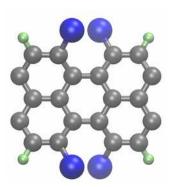


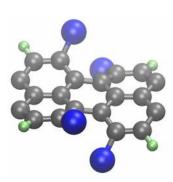


Free standing CI-5-AGNR

symmetric

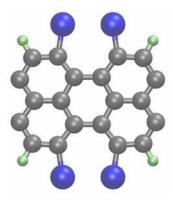
$$E_{tot} = -5178.84 \text{ eV}$$

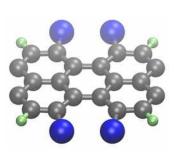




flat

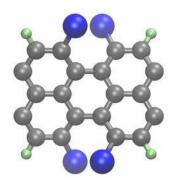
$$E_{tot} = -5175.93 \text{ eV}$$

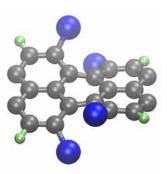




asymmetric

$$E_{tot} = -5179.04 \text{ eV}$$











Population analysis: Mulliken

Partitioning in Hilbert space

$$N = \int d\mathbf{r} \sum_{i} n_{i} |\psi_{i}(\mathbf{r})|^{2} = \sum_{A} \sum_{\mu \in A} (DS)_{\mu\mu}$$







Population analysis: Mulliken

Partitioning in Hilbert space

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Population analysis: Mulliken

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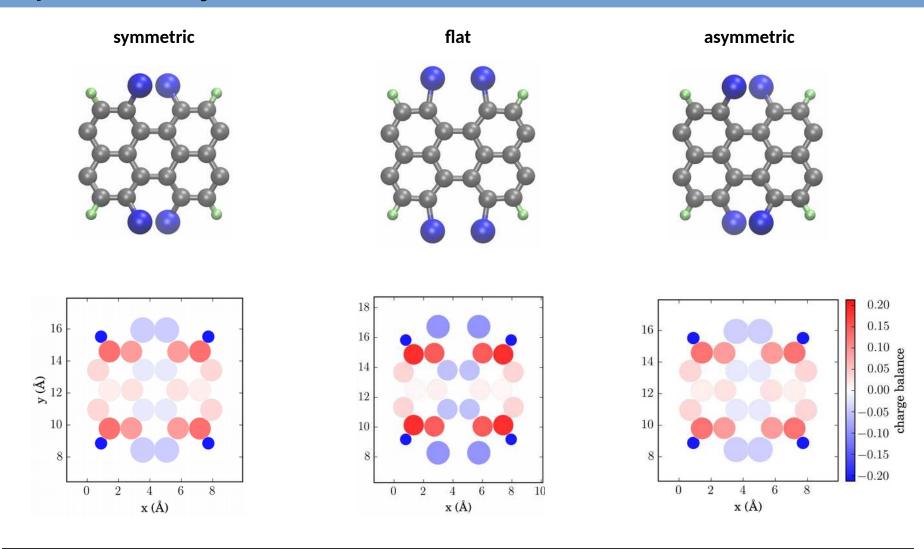
$$Q_A^{Mulliken} = eZ_A - eN_A$$







Population analysis: Mulliken









Population analysis: Hirshfeld

$$ho^{pro}(m{r}) = \sum_A
ho_A^{free}(m{r})$$







Population analysis: Hirshfeld

$$ho^{pro}(m{r}) = \sum_A
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$$ho_A^{eff}(m{r}) = rac{
ho_A^{free}(m{r})}{
ho_A^{pro}(m{r})}
ho^{mol}(m{r})$$







Population analysis: Hirshfeld

$$ho^{pro}(m{r}) = \sum_{A}
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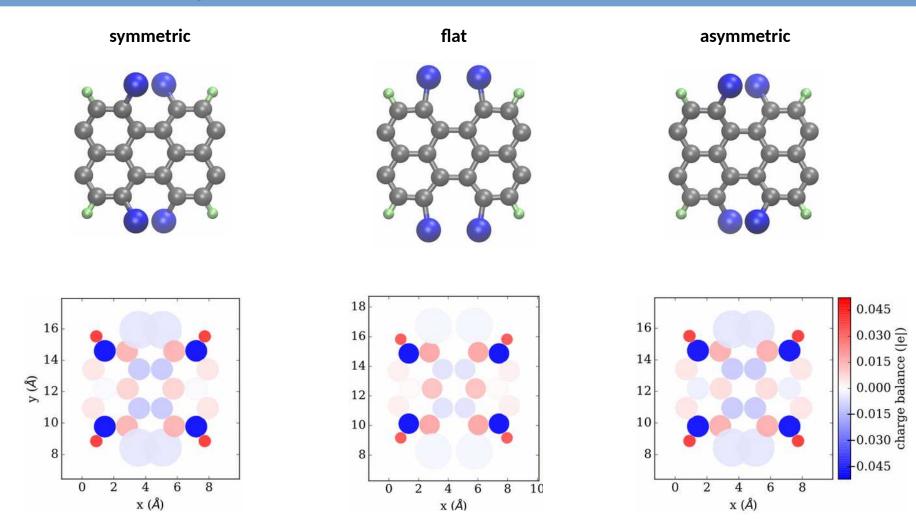
$$Q_A^{Hirshfeld} = eZ_A - e \int d\mathbf{r} \rho_A^{eff}(\mathbf{r})$$







Population analysis: Hirshfeld

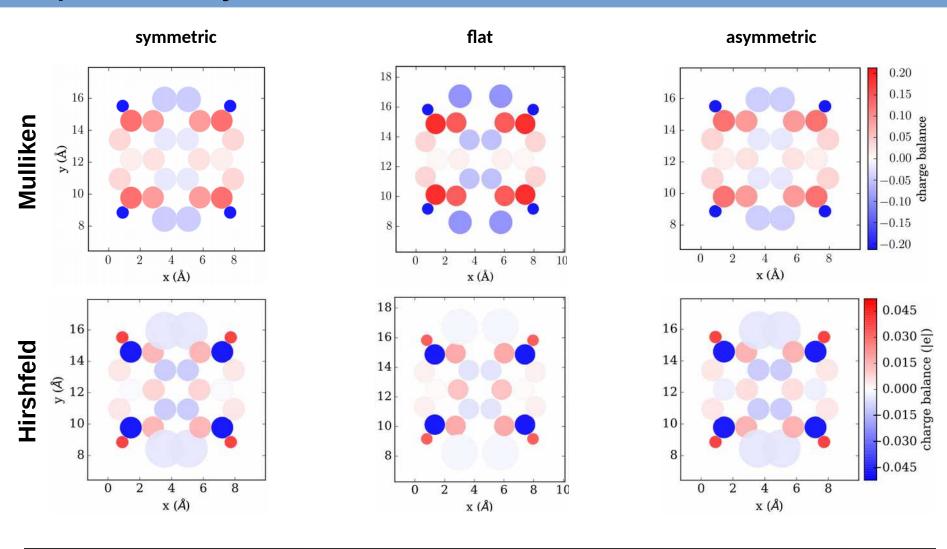








Population analysis: Hirshfeld









Population analysis: Bader

$$\nabla \rho(\mathbf{r}) \cdot \mathbf{n}(\mathbf{r}) = 0, \quad \forall \mathbf{r} \in \partial \Omega$$







Population analysis: Bader

$$\nabla \rho(\mathbf{r}) \cdot \mathbf{n}(\mathbf{r}) = 0, \quad \forall \mathbf{r} \in \partial \Omega$$

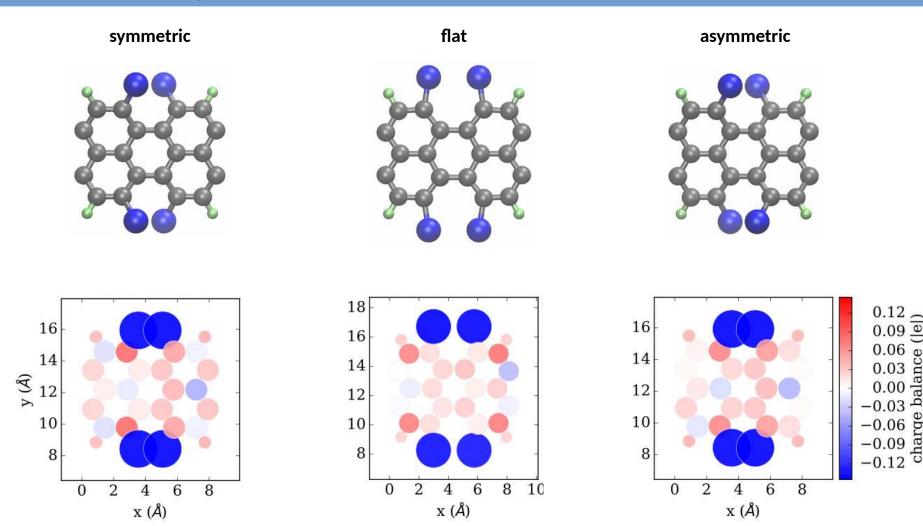
$$Q_A^{Bader} = eZ_A - e \int_{\Omega_A} d\mathbf{r} \rho(\mathbf{r})$$







Population analysis: Bader

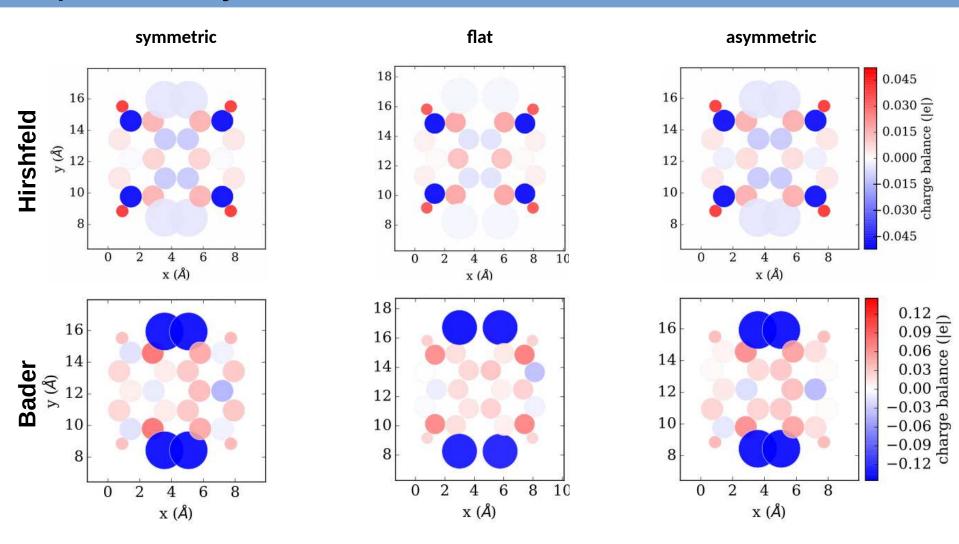








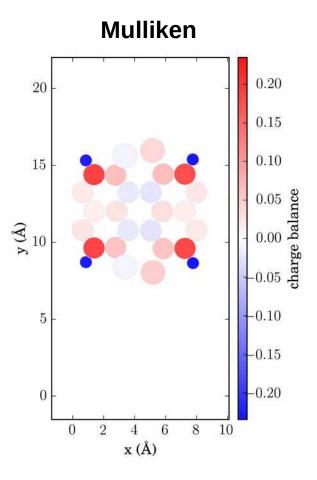
Population analysis: Bader







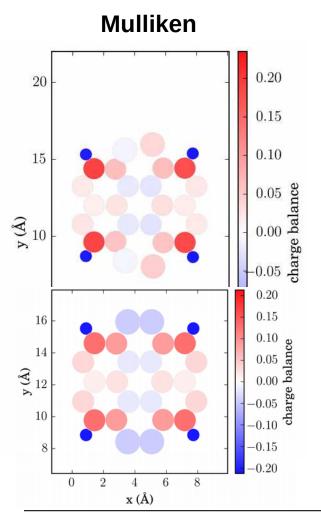








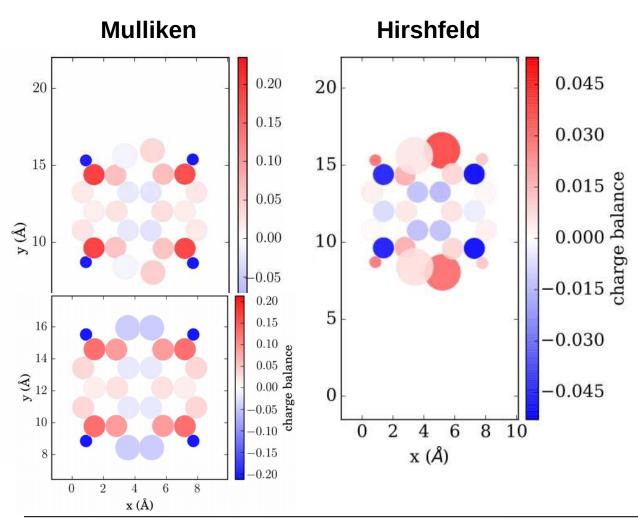








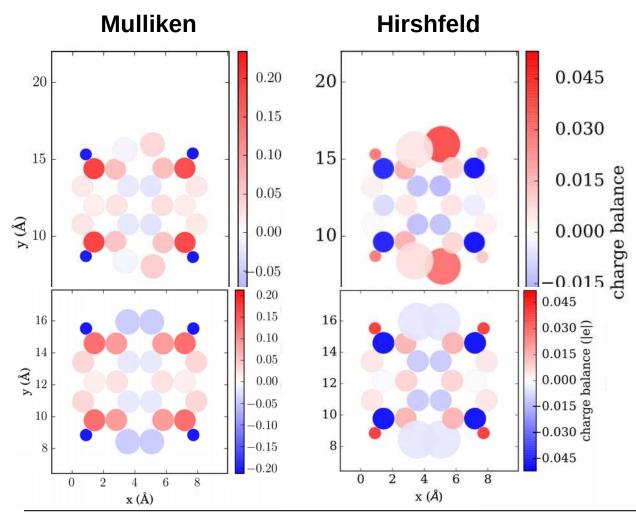








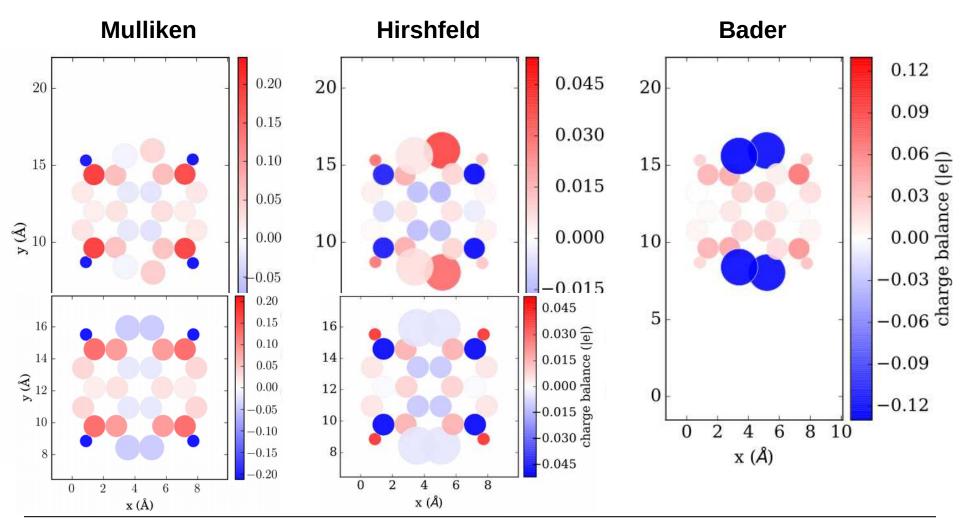








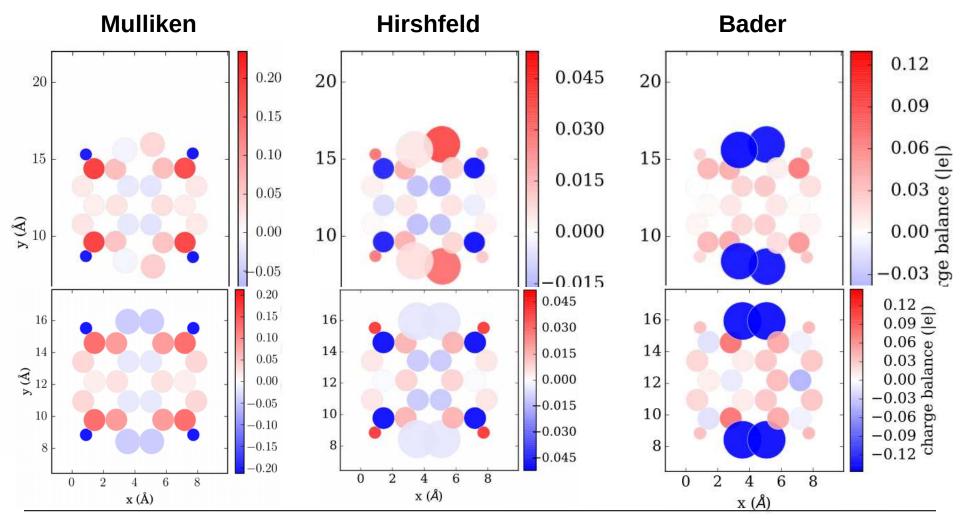












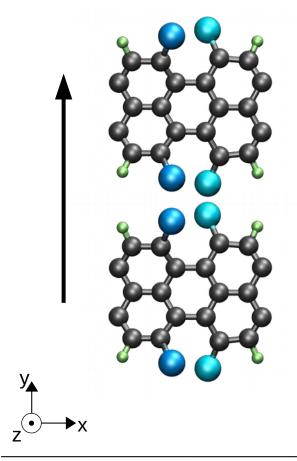






Interaction between CI-5AGNRs

initial

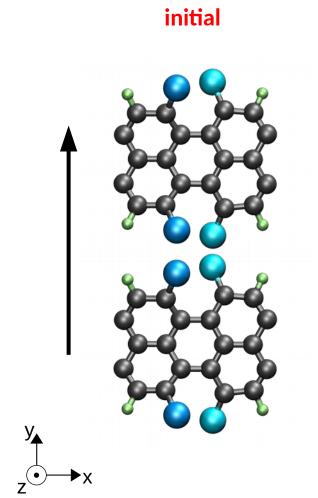




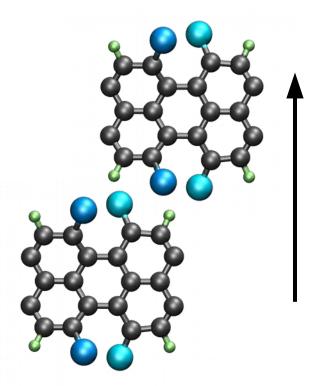




Interaction between CI-5AGNRs









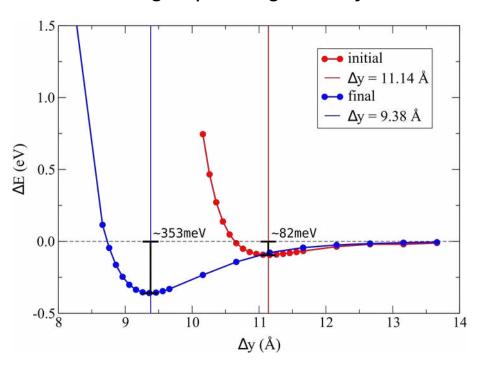




Interaction between CI-5AGNRs

Interaction energy: $\Delta E = E_{tot} - E_{GNR1} - E_{GNR2}$

gas phase geometry



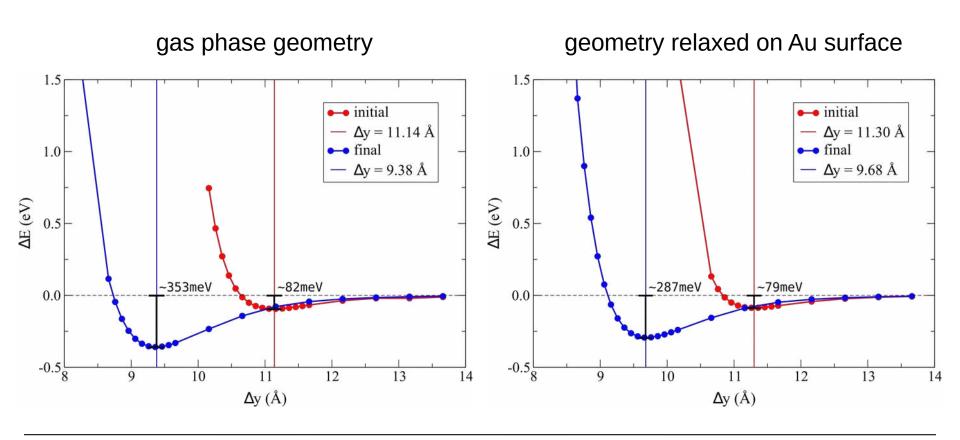






Interaction between CI-5AGNRs

Interaction energy: $\Delta E = E_{tot} - E_{GNR1} - E_{GNR2}$

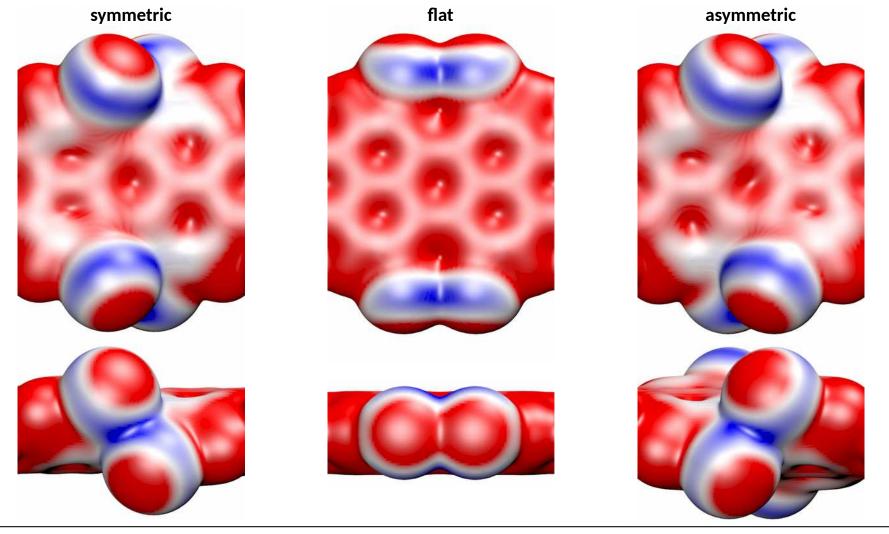








Electrostatic potential (mapped on charge density surface)









Interaction between CI-5AGNRs on Au(111) surface

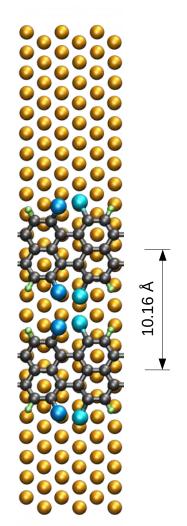
optimization

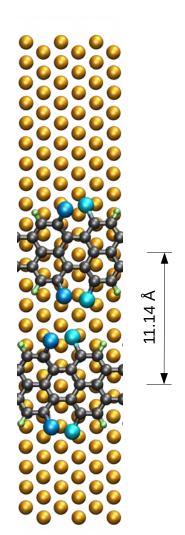


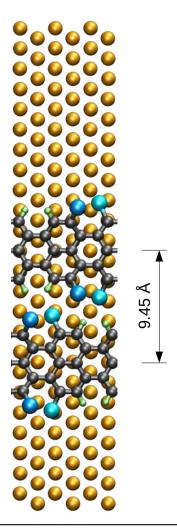




Interaction between CI-5AGNRs on Au(111) surface





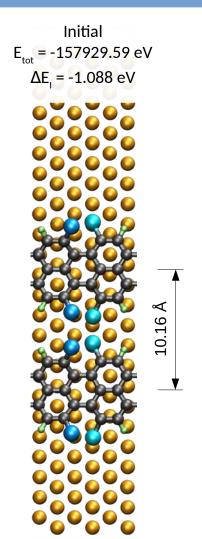


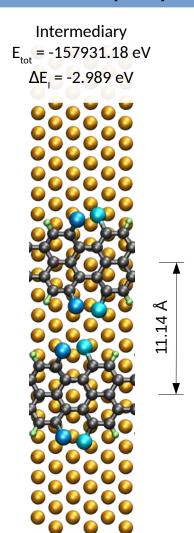


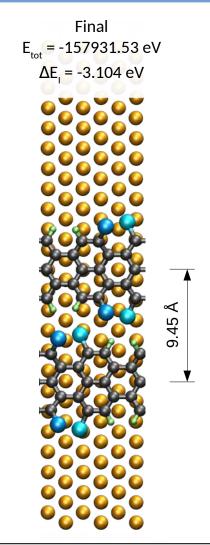




Interaction between CI-5AGNRs on Au(111) surface





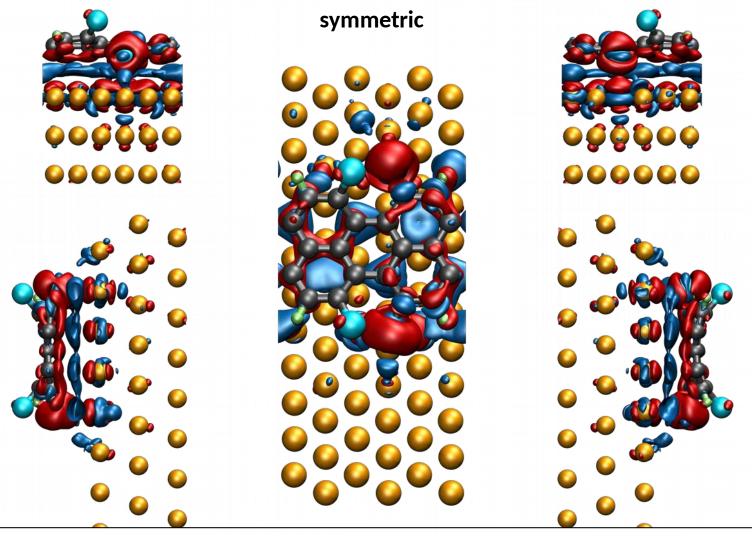








Induced charge upon adsorption

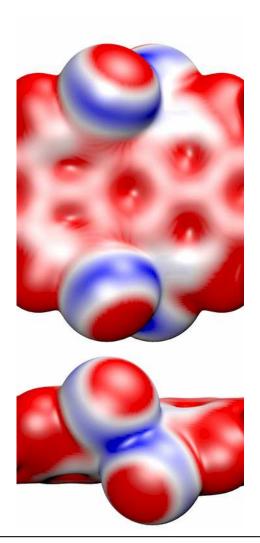








Electrostatic potential (mapped on charge density surface)



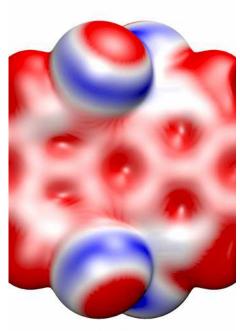
symmetric

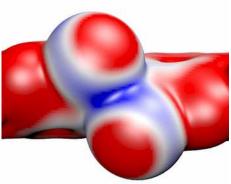




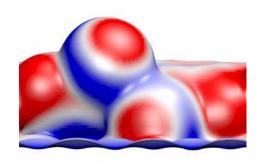


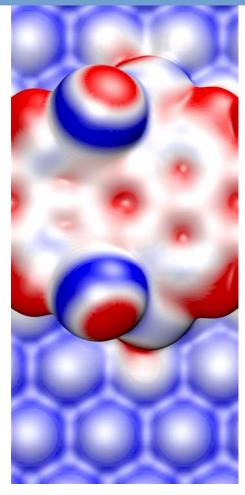
Electrostatic potential (mapped on charge density surface)











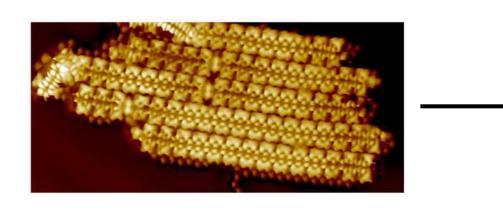


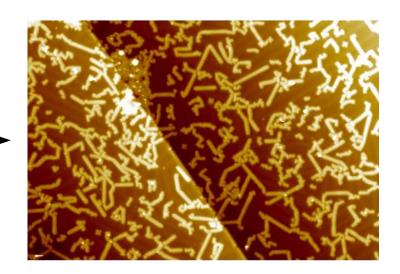




5-AGNR realized with one step reaction





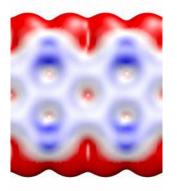




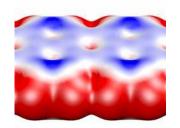




Electrostatic potential (mapped on charge density surface)



Pristine 5-AGNR



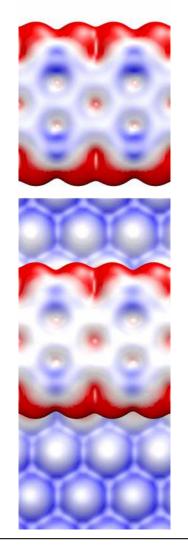


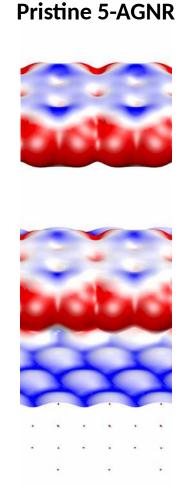


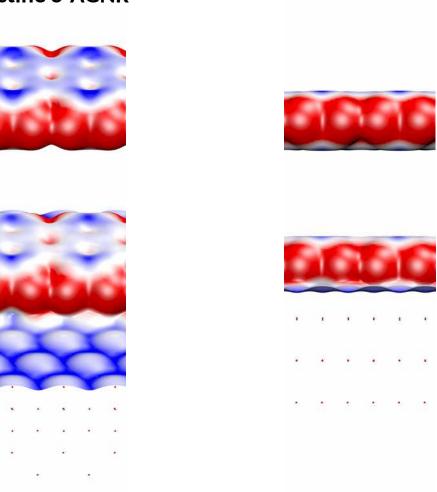




Electrostatic potential (mapped on charge density surface)













Thank you for your attention!





