

```
1 # -*- coding: utf-8 -*-
2 from __future__ import division
3
4 __author__ = 'Lampe'
5
6
7 # Check Path for Loading Modules
8 import sys
9
10 sys.path.append('/Users/Lampe/PyScripts')
11 # print sys.path
12
13 from scipy import linalg as LA
14 import math
15 import numpy as np
16 import blfunc as bl
17
18 #####
19 # print '1'
20 print '*****'
21 #####
22 # Create transformation matrix between E and arbitrary orthonormal basis
23 a_eE = bl.orth_basis()
24 a_Ee = np.transpose(a_eE)
25 print 'Prob. 1: transformation matrix a_eE'
26 print a_eE
27
28 i = np.dot(a_Ee, a_eE)
29 print 'i'
30 print i
31
32 #####
33 # Prob. 2
34 #####
35 print '*****'
36 print 'Prob. 2.i'
37 #####
38 # arbitrary symmetric tensor
39 T_EE = np.array([[7, 2, 11],
40                  [2, 4, 5],
41                  [11, 5, 6]])
42 print 'T_EE '
43 print T_EE
44 T_ee = a_eE.dot(T_EE).dot(a_Ee)
45 print 'T_ee'
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46 print T_ee
47
48 # check that transformations are done correctly
49 T_EE_ck = a_Ee.dot(T_ee).dot(a_eE)
50 print 'T_EE_ck -> verify back transformation'
51 print T_EE_ck
52
53 print '2.ii'
54 #####
55 # spherical components in the E-E basis
56 T_EE_sp = np.multiply(np.trace(T_EE) / 3, np.eye(3, 3))
57 print 'T_EE_sp'
58 print T_EE_sp
59
60 # deviatoric components in the E-E basis
61 T_EE_dev = T_EE - T_EE_sp
62 print 'T_EE_dev'
63 print T_EE_dev
64
65 #####
66 # Prob. 3
67 #####
68 print '*****'
69 print '3.i'
70 #####
71 eigval, eigvec = LA.eig(T_EE)
72
73 l1_EE, l2_EE, l3_EE = eigval
74 print 'Eigenvalue 1 = %G + %Gi' % (l1_EE.real, l1_EE.imag)
75 print 'Eigenvalue 2 = %G + %Gi' % (l2_EE.real, l2_EE.imag)
76 print 'Eigenvalue 3 = %G + %Gi' % (l3_EE.real, l3_EE.imag)
77
78 P1_E, P2_E, P3_E = eigvec[:, 0], eigvec[:, 1], eigvec[:, 2]
79
80 print 'Principal Vector 1 in E basis => %G, %G, %G' % (P1_E[0], P1_E[1],
... P1_E[2])
81 print 'Principal Vector 2 in E basis => %G, %G, %G' % (P2_E[0], P2_E[1],
... P2_E[2])
82 print 'Principal Vector 3 in E basis => %G, %G, %G' % (P3_E[0], P3_E[1],
... P3_E[2])
83
84 print '3.ii'
85 #####
86 P_EE = eigvec
87
```

```
88 print 'orthonormal Principal basis wrt E-E:'
89 print P_EE
90
91 print '3.iii'
92 #####
93 a_EP = P_EE
94 print 'transformation matrix between the E-P basis(a_EP):'
95 print a_EP
96
97 a_PE = np.transpose(a_EP)
98 print 'a_PE'
99 print a_PE
100
101 T_PP = a_PE.dot(T_EE).dot(a_EP)
102 print 'components of T in the Principal basis:'
103 print T_PP
104 print 'yes, the diagonal components should be the eigenvalues with all
... other components = zero'
105
106 print '3.iv'
107 #####
108 T_PP_inv = LA.inv(T_PP)
109 # T_EE_inv = np.linalg.multi_dot(a_EP, T_PP_inv, a_PE)
110 T_EE_inv = a_EP.dot(T_PP_inv).dot(a_PE)
111
112 print "check if inverse is correct -> should get Identity matrix"
113 print np.dot(T_EE, T_EE_inv)
114
115 print '3.v'
116 #####
117 eigval, eigvec = LA.eig(T_ee)
118
119 l1_ee, l2_ee, l3_ee = eigval
120 print 'Eigenvalue 1 = %G + %Gi' % (l1_ee.real, l1_ee.imag)
121 print 'Eigenvalue 2 = %G + %Gi' % (l2_ee.real, l2_ee.imag)
122 print 'Eigenvalue 3 = %G + %Gi' % (l3_ee.real, l3_ee.imag)
123
124 P1_e, P2_e, P3_e = eigvec[:, 0], eigvec[:, 1], eigvec[:, 2]
125
126 print 'Principal Vector 1 in e basis => %G, %G, %G' % (P1_e[0], P1_e[1],
... P1_e[2])
127 print 'Principal Vector 2 in e basis => %G, %G, %G' % (P2_e[0], P2_e[1],
... P2_e[2])
128 print 'Principal Vector 3 in e basis => %G, %G, %G' % (P3_e[0], P3_e[1],
... P3_e[2])
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```
129 P_ee = eigvec
130
131 print 'Eigenvectors off by a const.'
132
133 #####
134 # Prob. 4
135 #####
136 print '*****'
137 print '4'
138 #####
139 T_E_vm = bl.tran_3x3_vm(T_EE)
140 print "T_EE in v-m notation"
141 print T_E_vm
142
143 #####
144 # Prob. 5
145 #####
146 print '*****'
147 print '5'
148 #####
149 A_eE = bl.tran_a_A(a_eE)
150 A_Ee = np.transpose(A_eE)
151
152 T_e_vm = A_eE.dot(T_E_vm)
153 T_E_vm = A_Ee.dot(T_e_vm)
154
155 print "T_e_vm in v-m notation"
156 print T_e_vm
157 print "T_E_vm in V-m notation"
158 print T_E_vm
159
160 orth_ck = A_eE.dot(A_Ee)
161 print "Check that A_eE is orthogonal"
162 print orth_ck
163
164
```