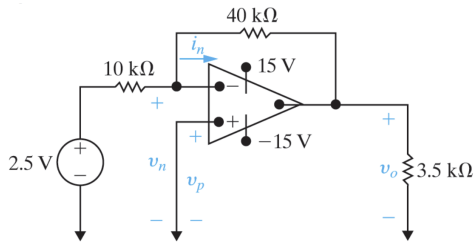


5.2

- a. Replace the 2.5 V source in the circuit in Fig. P5.1 and calculate  $v_o$  for each of the following source values: -6 V, -3.5 V, -1.25 V, 1 V, 2.4 V, 5.4 V.  
b. Specify the range of voltage source values that will not cause the op amp to saturate.



$$a) \quad \frac{V_n - V_{source}}{10K} + \frac{V_n - V_o}{40K} = 0$$

$$\text{Since } V_n = 0: V_o = -\frac{40K V_{source}}{10K}$$

$$\begin{aligned} V_{source} = -6V &\Rightarrow V_o = -4(-6) = 24V \text{ Since } 24 > 15 \text{ } V_o = 15V \\ V_{source} = -3.5V &\Rightarrow V_o = -4(-3.5) = 14V \\ V_{source} = -1.25V &\Rightarrow V_o = -4(-1.25) = 5V \\ V_{source} = 1V &\Rightarrow V_o = -4(1) = -4V \\ V_{source} = 2.4V &\Rightarrow V_o = -4(2.4) = -9.6V \\ V_{source} = 5.4V &\Rightarrow V_o = -4(5.4) = -21.6V \text{ Since } -21.6 < -15 \text{ } V_o = -15V \end{aligned}$$

$$b) \quad 15V \text{ to } -15V$$

$$V_o = -4V_s$$

for 15V

$$V_s = \frac{15}{-4} = -3.75V$$

for -15V

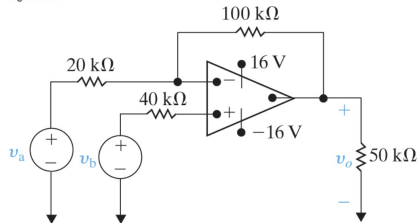
$$V_s = \frac{-15}{-4} = 3.75V$$

the voltage source must be between -3.75V and 3.75V to avoid saturation

5.4 PROBLEM 5.4 The op amp in the circuit in Fig. P5.4 is ideal.

- a. Calculate  $v_o$  if  $v_a = 4V$  and  $v_b = 0V$ .  
b. Calculate  $v_o$  if  $v_a = 2V$  and  $v_b = 0V$ .  
c. Calculate  $v_o$  if  $v_a = 2V$  and  $v_b = 1V$ .  
d. Calculate  $v_o$  if  $v_a = 1V$  and  $v_b = 2V$ .  
e. If  $v_b = 1.6V$ , specify the range of  $v_a$  such that the amplifier does not saturate.

Figure P5.4



$$\frac{v_b - v_a}{20} + \frac{v_b - v_o}{100} = 0$$

$$V_o = -5V_a + 6V_b$$

$$a) \quad V_o = -5(4) + 6(0)$$

$$V_o = -16V$$

$$b) \quad V_o = -5(2) + 6(0)$$

$$V_o = -10V$$

$$c) \quad V_o = -5(2) + 6(1)$$

$$V_o = -4V$$

$$d) \quad V_o = -5(1) + 6(2)$$

$$V_o = 7V$$

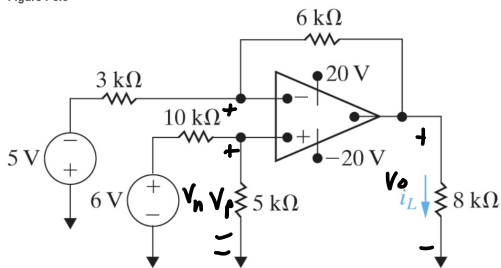
$$e) \quad 16 = -5V_a + 6(1.6) \quad \text{to} \quad -16 = -5V_a + 6(1.6)$$

$$V_a = -1.25$$

$$V_a = 5.12$$

$$-1.25V \leq V_a \leq 5.12V$$

5.6 **PROBLEM** Find  $i_L$  (in milliamperes) in the circuit in Fig. P5.6. Figure P5.6



$$V_p = \frac{5k}{5k+10k} (6V) = 2V$$

$$V_n = V_p = 2V$$

$$\frac{V_n + 5}{3k} + \frac{V_n - V_o}{6k} = 0$$

$$V_o = 2(2+5) + 2$$

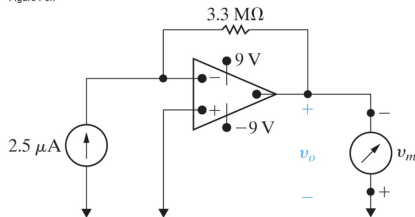
$$V_o = 16V$$

Using Ohm's law ( $V = iR \Rightarrow i = \frac{V}{R}$ )

$$i_L = \frac{V_o}{8k\Omega} = \frac{16}{8k}$$

$$\boxed{i_L = 2mA}$$

5.7 **PROBLEM** A voltmeter with a full-scale reading of 10 V is used to measure the output voltage in the circuit in Fig. P5.7. What is the reading of the voltmeter? Assume the op amp is ideal. Figure P5.7

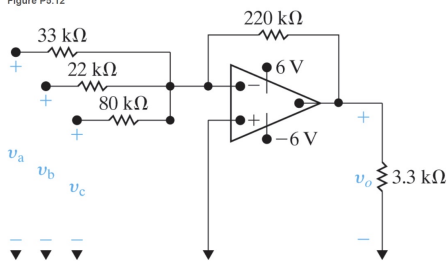


$$V_o = (2.5 \mu A) (3.3 M\Omega) = 8.25V$$

Since  $V_m$  is turned the opposite of  $V_o$

$$\boxed{V_m = -8.25V}$$

5.12 **PROBLEM** The op amp in Fig. P5.12 is ideal. a. What circuit configuration is shown in this figure? b. Find  $v_o$  if  $v_a = 1.2V$ ,  $v_b = -1.5V$ , and  $v_c = 4V$ . c. The voltages  $v_a$  and  $v_c$  remain at 1.2 V and 4 V, respectively. What are the limits on  $v_b$  if the op amp operates within its linear region? Figure P5.12



a) The circuit is an inverting summing amplifier

$$b) v_o = -\left(\frac{R_f}{R_a} v_a + \frac{R_f}{R_b} v_b + \frac{R_f}{R_c} v_c\right)$$

$$v_o = -\left(\frac{220k}{33k} (1.2) + \frac{220k}{22k} (-1.5) + \frac{220k}{80k} (4)\right)$$

$$\boxed{V_o = -4V}$$

$$c) V_o = 6V + v_o = -6V$$

$$V_o = (-8 + 10v_b + 11) = -19 - 10v_b$$

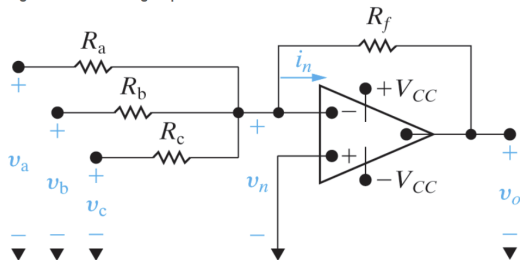
$$\textcircled{1} 6 = -19 - 10v_b \Rightarrow v_b = -2.5V$$

$$\textcircled{2} -6 = -19 - 10v_b \Rightarrow v_b = -1.3V$$

$$\boxed{-2.5V \leq v_b \leq -1.3V}$$

5.14 PSPICE MULTISIM Refer to the circuit in Fig. 5.11, where the op amp is assumed to be ideal. Given that  $R_a = 3 \text{ k}\Omega$ ,  $R_b = 5 \text{ k}\Omega$ ,  $R_c = 25 \text{ k}\Omega$ ,  $v_a = 150 \text{ mV}$ ,  $v_b = 100 \text{ mV}$ ,  $v_c = 250 \text{ mV}$ , and  $V_{CC} = \pm 6 \text{ V}$ , specify the range of  $R_f$  for which the op amp operates within its linear region.

Figure 5.11 A summing amplifier.



$$v_o = -\left(\frac{R_f}{3\text{k}}(150\text{mV}) + \frac{R_f}{5\text{k}}(100\text{mV}) + \frac{R_f}{25\text{k}}(250\text{mV})\right)$$

$$R_f = \frac{-v_o}{6 \times 10^{-5}}$$

$$\textcircled{1} R_f = \frac{+6}{-6 \times 10^{-5}} = -75 \text{ k}\Omega \quad \textcircled{2} R_f = \frac{-6}{-6 \times 10^{-5}} = -75 \text{ k}\Omega$$

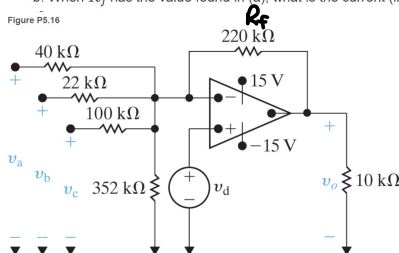
$$0 \leq R_f \leq 75 \text{ k}\Omega$$

5.17 PSPICE MULTISIM The  $220 \text{ k}\Omega$  feedback resistor in the circuit in Fig. P5.16 is replaced by a variable resistor  $R_f$ . The voltages  $v_a - v_d$  have the same values as given in Problem 5.16(a).

a. What value of  $R_f$  will cause the op amp to saturate? Note that  $0 \leq R_f \leq \infty$ .

b. When  $R_f$  has the value found in (a), what is the current (in microamperes) into the output terminal of the op amp?

Figure P5.16



$$v_a = 4 \text{ V}$$

$$v_b = 9 \text{ V}$$

$$v_c = 13 \text{ V}$$

$$v_d = 8 \text{ V}$$

$$\textcircled{a) \quad \frac{8-4}{40\text{k}} + \frac{8-9}{22\text{k}} + \frac{8-13}{100\text{k}} + \frac{8-v_o}{R_f} + \frac{8}{352\text{k}} = 0$$

$$R_f = \frac{8-v_o}{-2.73 \times 10^{-5}}$$

$$v_o = 15 + v_b = -15$$


$$\textcircled{1} R_f = \frac{-7}{-2.73 \times 10^{-5}} = 256.41 \text{ k}\Omega$$

$$\textcircled{2} R_f = \frac{23}{-2.73 \times 10^{-5}} = -842.5 \text{ k}\Omega < 0$$

$$R_f = 256.41 \text{ k}\Omega$$

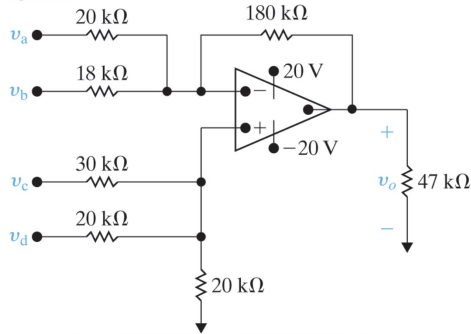
$$\textcircled{b) \quad i = -\left[\frac{15-8}{256.41\text{k}} + \frac{15}{10\text{k}}\right]$$

$$i = -1.53 \text{ mA}$$

5.31  The op amp in the adder-subtractor circuit shown in Fig. P5.31 is ideal.

- a. Find  $v_o$  when  $v_a = 1$  V,  $v_b = 2$  V,  $v_c = 3$  V, and  $v_d = 4$  V.  
b. If  $v_a$ ,  $v_b$ , and  $v_d$  are held constant, what values of  $v_c$  will not saturate the op amp?

Figure P5.31



a) Negative node

$$\frac{v_n - v_a}{20k} + \frac{v_n - v_b}{18k} + \frac{v_n - v_o}{180k} = 0$$

$$9v_n - 9v_a + 10v_n - 10v_b + v_n - v_o = 0$$

$$v_o = 20v_n - 9v_a - 10v_b = 20v_n - 29$$

Positive node

$$\frac{v_p}{20k} + \frac{v_p - v_c}{30k} + \frac{v_p - v_d}{20k} = 0$$

$$3v_p + 2v_p - 2v_c + 3v_p - 3v_d = 0$$

$$8v_p = 2v_c + 3v_d = 18 = 8v_n$$

$$v_n = \frac{9}{4} = 2.25$$

$$\therefore v_o = 20(2.25) - 29 = 16$$

$$\boxed{v_o = 16 \text{ V}}$$

b) 
$$v_o = 5v_c + 30 - 9 - 20 = 5v_c + 1$$

$$v_o = \pm 20 \text{ V}$$

①  $20 = 5v_c + 1$

$$v_c = \frac{19}{5} = 3.8$$

②  $-20 = 5v_c + 1$

$$v_c = -\frac{21}{5} = -4.2$$

$$\boxed{-4.2 \leq v_c \leq 3.8 \text{ V}}$$