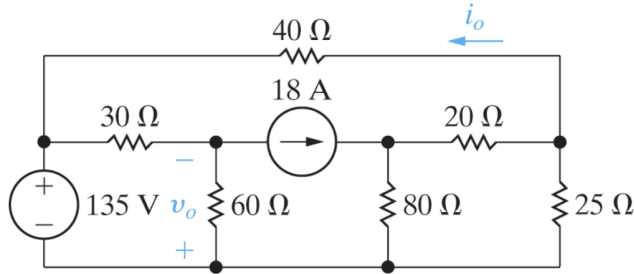
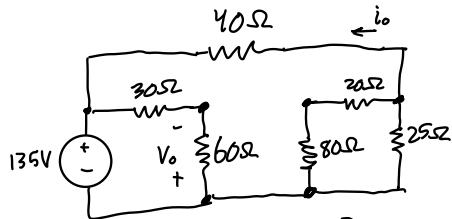


4.93 Use superposition to solve for  $i_o$  and  $v_o$  in the circuit in Fig. P4.93.  
Figure P4.93



Only Voltage

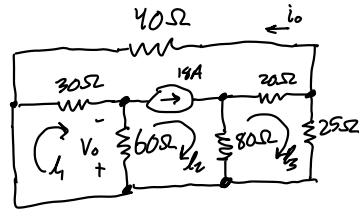


$$R_{\text{outer loop}} = 40 + [(20+80) \parallel 25] = 60\Omega$$

$$i_o = \frac{-135}{60\Omega} = -2.25A$$

$$V = \frac{60}{30+60} (-135) = -90V$$

Only current



loop 1

$$\frac{V_1}{30} + \frac{V_1}{60} + 18 = 0 \Rightarrow V_1 = -360 = V_o$$

loop 2

$$\frac{V_2 - V_1}{60} + 18 + \frac{V_2}{80} = 0$$

$$140V_2 - 90V_1 = -4500$$

$$V_2 = -411.43$$

loop 3

$$\frac{V_3}{40} + \frac{V_3}{25} + \frac{V_3 - V_2}{20} = 0$$

$$V_3 = 192$$

$$i_o = \frac{192}{40} = 4.8A$$

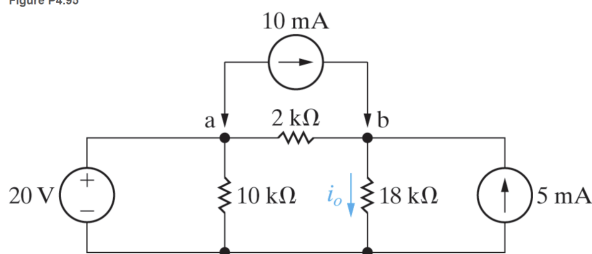
$$i_o = 4.8 + 2.25 = 7.05A$$

$$V_o = -90 + 360 = 270V$$

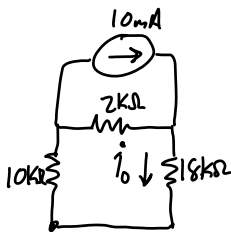
4.95

SPICE MULTISIM

- a. In the circuit in Fig. P4.95, before the 10 mA current source is attached to the terminals a, b, the current  $i_o$  is calculated and found to be 1.5 mA. Use superposition to find the value of  $i_o$  after the current source is attached.  
b. Verify your solution by finding  $i_o$  when all three sources are acting simultaneously.



a)




$$i_o = 10mA \frac{2k\Omega}{(2+18)k\Omega} = 1mA$$

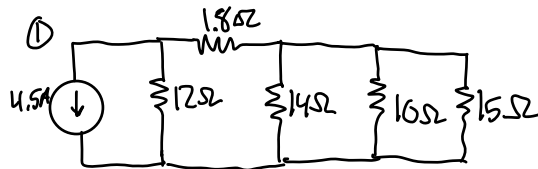
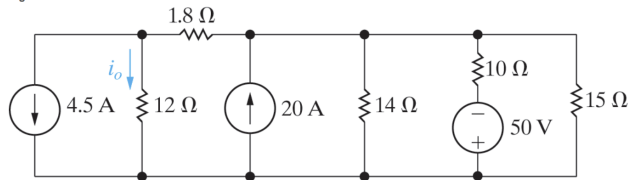
$$i_o \text{ After} = 1 + 1.5 = 2.5mA$$

$$b) \frac{V_o - 20}{2} + \frac{V_o}{18} - 5 = 0$$

$$V_o = 45V$$

$$i_o = \frac{45}{18k} = 2.5mA$$

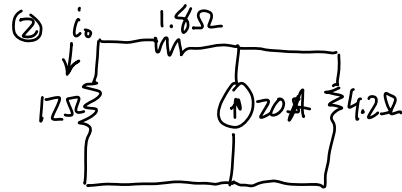
4.96 PSPICE MULTISIM Use the principle of superposition to find the current  $i_o$  in the circuit shown in Fig. P4.96 .



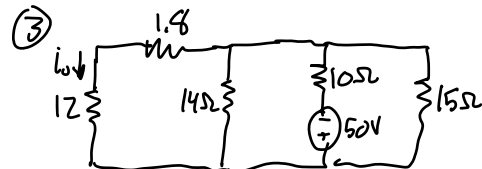
$$14 \parallel 10 \parallel 15 = 4.2 \Omega$$

$$i_o = -4.5 \frac{1.8 + 4.2}{12 + 1.8 + 4.2} = -1.5 \text{ A}$$


$$i_o = 4.67 - 1.5 - 1.17 = 2 \text{ A}$$

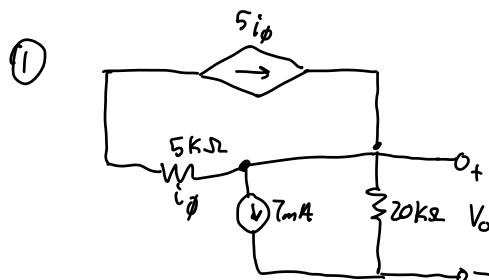
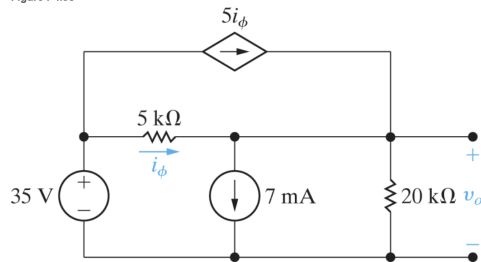


$$i_o = 20 \frac{4.2}{18} = 4.67 \text{ A}$$



$$i_o = -5 \frac{4.2}{18} = -1.17 \text{ A}$$

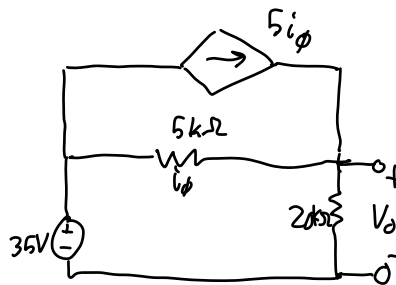
4.98 PSPICE MULTISIM Use the principle of superposition to find  $v_o$  in the circuit in Fig. P4.98 .



$$\frac{v_o}{20} + \frac{v_o}{5} + v_o + 7 = 0$$

$$v_o = -5.6 \text{ V}$$

②



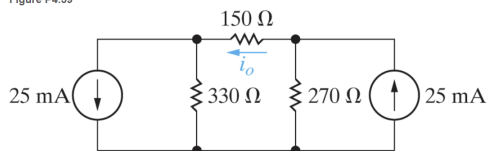
$$\frac{v_o}{20} + \frac{v_o - 35}{5} + 35 - v_o = 0$$

$$v_o = 33.6 \text{ V}$$

$$v_o = 33.6 - 5.6 = 28 \text{ V}$$

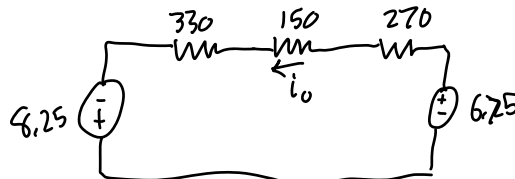
4.59 PSYCHIC MULTISIM

- a) Use source transformations to find the current  $i_o$  in the circuit in Fig. P4.59.  
b) Verify your solution by using the node-voltage method to find  $i_o$ .



$$25\text{mA}(330\Omega) = 8.25\text{V}$$

$$25\text{mA}(270\Omega) = 6.75\text{V}$$

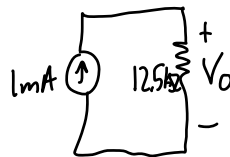
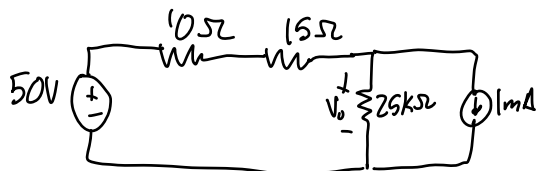
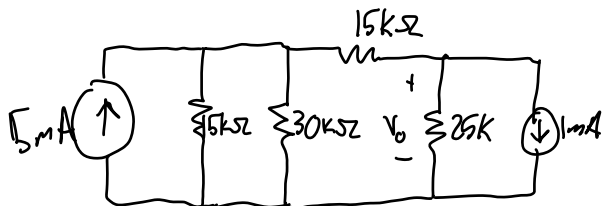
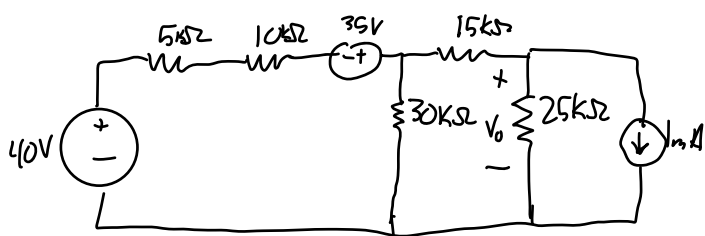
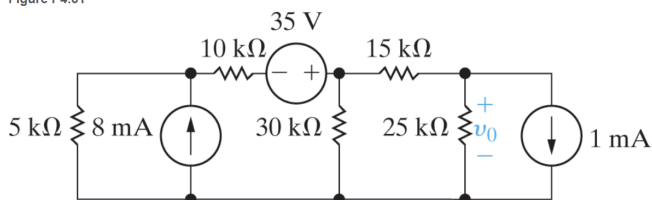


$$i_o = \frac{(6.75 + 8.25)}{330 + 150 + 270}$$

$$i_o = 20\text{mA}$$

4.61

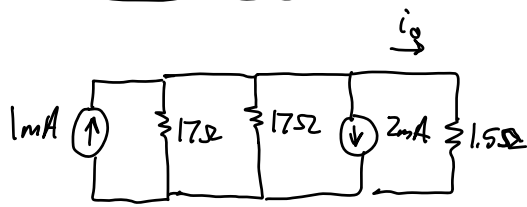
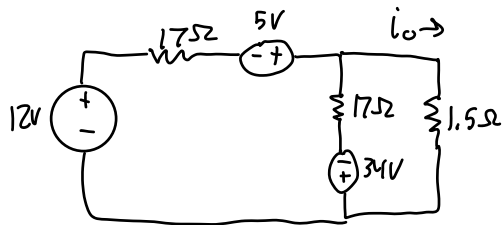
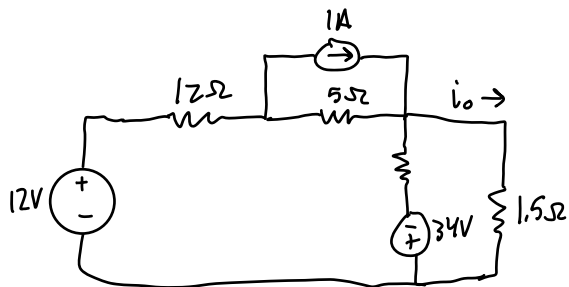
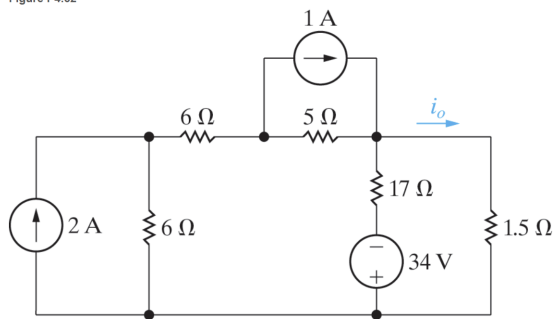
- a) Make a series of source transformations to find the voltage  $v_o$  in the circuit in Fig. P4.61.  
b) Verify your solution using the mesh-current method.



$$V_o = (12.5\text{k}\Omega)(1\text{mA}) = 12.5\text{V}$$

4.62 PROBLEM

- a) Use a series of source transformations to find  $i_o$  in the circuit in Fig. P4.62.  
 b) Verify your solution by using the mesh-current method to find  $i_o$ .



$$i_o = (-1\text{mA}) \frac{8.5\Omega}{(8.5+1.5)\Omega}$$

$$i_o = -0.85\text{A}$$