

Assignment 1 Report

Group 8

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Procedure:

- Prompt asking for input from the user
- Get the value of X from the user
- $t0$ stores the number of iterations, initialised with 0
- $t1$ stores the current sum after going through an iteration, initialised with 0
- $t2$ stores the current term that will be added in the current iteration
- For the term in Taylor Series, we keep track of the power of x in $t4$ that will contribute to the term being added in that iteration. For example this term stores x^0 in the first iteration, x^1 in the second iteration, x^2 in the third iteration and so on.
- For the term in Taylor Series, we keep the track of the factorial in $t5$ that will contribute to the term being added in that iteration. For example this term stores $0!$ in the first iteration, $1!$ in the second iteration, $2!$ in the third iteration and so on.
- Entering the loop for calculating the taylor series sum
- Adding the Term of a taylor series to current sum
- Increasing the number of iterations by 1
- Calculating the next power of x in $t4$ by multiplying with the previous power of x
- Calculating the next factorial in $t5$ by multiplying the last factorial value with number of iterations
- Calculating the term to be added for the next iteration by dividing $t4$ with $t5$
- Moving the quotient after the division to our term to be added in iteration
- Going to LoopCondition to check if the iteration needs to be further continued
- If the term that needs to be added in the current iteration of Taylor Series is greater than 0, we continue with the next iteration
- Printing the answer for the calculated value of e^x

Printing the answer for number of iterations done

Input (x)	Calculated Value	Number of Iterations
-5	1	1
-4	1	1
-3	1	1
-2	1	1
-1	1	1
0	1	1
1	2	2
2	6	4
3	18	7
4	50	9
5	143	12
6	391	12
7	1035	13
8	2429	11
9	4757	10
10	10501	12