**Basics of Stacks** 

into a stack is the first one to be deleted from it.

and deleting elements are called push() and pop() respectively.

automatically becomes the top element (tray) of that stack.

Problems Tutorial Stacks are dynamic data structures that follow the Last In First Out (LIFO) principle. The last item to be inserted

you require a tray from that stack. Inserting and deleting elements

For example, you have a stack of trays on a table. The tray at the top of the stack is the first item to be moved if

Stacks have restrictions on the insertion and deletion of elements. Elements can be inserted or deleted only from

When the top element of a stack is deleted, if the stack remains non-empty, then the element just below the

one end of the stack i.e. from the top. The element at the top is called the top element. The operations of inserting

previous top element becomes the new top element of the stack. For example, in the stack of trays, if you take the tray on the top and do not replace it, then the second tray

Features of stacks

· Dynamic data structures

· Do not have a fixed size Do not consume a fixed amount of memory • Size of stack changes with each push() and pop() operation. Each push() and pop() operation increases and decreases the size of the stack by  ${f 1}$ , respectively.

A stack can be visualized as follows: top element با

Deletion of top

element.

(Pop)

4

1

2

7

6

STACK

top = top +1; //Incrementing top position

stack[ top ] = x ; //Inserting element on incremented position

cout << "Stack is empty. Underflow condition! " << endl ;</pre>

top element

1

2

7

6

STACK

//If the top position is the last of position in a

7

1

2

- 6

top element إ ل

Insertion of 4.

(Push)

if (top == n-1) {

- STACK
- Operations push( x ): Insert element x at the top of a stack

void push (int stack[ ] , int x , int n) {

- stack, this means that the stack is full cout << "Stack is full.Overflow condition!" ;</pre> } else{
- } } pop(): Removes an element from the top of a stack
- if( isEmpty ( ) ) {

{

from stack

}

{

}

}

{

}

void pop (int stack[ ] ,int n )

} else top = top - 1 ; //Decrementing top's position will detach last element

topElement ( ): Access the top element of a stack

return stack[ top ];

int topElement ( )

bool isEmpty ( ) { if ( top == -1 ) //Stack is empty return true ;

return false;

size ( ): Determines the current size of a stack

else

int size ( )

#include <iostream>

using namespace std;

isEmpty ( ): Check whether a stack is empty

Implementation

void push (int stack[ ] , int x , int n)

top = top +1;

return true ;

return false;

if( isEmpty ( ) )

if ( top == -1 ) //Stack is empty

int top = -1; //Globally defining the value of top as the stack is empty

cout << "Stack is full.Overflow condition!" ;</pre>

//Incrementing the top position

stack[ top ] = x ; //Inserting an element on incremented position

cout << "Stack is empty. Underflow condition! " << endl ;</pre>

top = top - 1 ; //Decrementing top's position will detach last element

return top + 1;

if (top == n-1) //If the top position is the last of position of the stack, this means that the stack is full.

{

- else
- } }
- bool isEmpty ( ) {

- Output
- 2 1)

1

- 0 push(stack, 5, 3) 2)
- 1 0

5

10

5

24

10

5

sequence is balanced.

push(stack, 24, 3)

1

push(stack, 10, 3)

0

4)

2

1

- greater than or equal to the number of closing brackets, and the total number of opening brackets is equal to the number of closing brackets. You can check this using stack. Let's see how. You can maintain a stack where you store a parenthesis. Whenever, you come across an opening parenthesis, push
  - if(str[ i ] == ')' ) { if(top == -1)

{

}

else

{

#include <iostream>

int top;

{

using namespace std;

{

- }
- if(top == -1)cout << "String is balanced!" << endl;</pre> else
- } int main ( )
- //balanced parenthesis string. char str[ ] = { '(' , 'a' , '+', ' ( ', 'b ' , '-' , ' c' ,')' , ' ) '}; // unbalanced string .

char stack [ 15 ];

- top = -1;check (str , 9 , stack ); //Passing balanced string top = -1 ;check(str1 , 5 , stack) ; //Passing unbalanced string
- return 0; }
  - Output
  - String is unbalanced! Contributed by: Anand Jaisingh

} void pop ( )

{

}

{

{

{

else

{

}

else

int size ( )

int main( )

return top + 1;

int stack[ 3 ];

push(stack , 5 , 3 ) ;

push(stack , 10 , 3);

push (stack , 24 , 3) ;

push(stack , 12 , 3) ;

//Accessing the top element

for(int i = 0; i < 3; i++)

pop();

pop ( );

Current size of stack: 1

Current size of stack: 3

Initially stack is

top = 0

<□ top element

top = 1

<□ top element

top = 2

Consider the balanced parentheses problem.

empty. top = -1.

//Removing all the elements from the stack

Current top element in stack: 24 (Stack is full. Overflow condition!)

int topElement (int stack[])

return stack[ top ];

//Let's implement these functions on the stack given above

cout << "Current size of stack is " << size ( ) << endl ;

cout << "Current size of stack is " << size( ) << endl ;

cout << "Current size of stack is " << size( ) << endl ;

//As the stack is full, further pushing will show an overflow condition.

cout << "The current top element in stack is " << topElement(stack) << endl;</pre>

//As the stack is empty , further popping will show an underflow condition.

stack

Deleting all

2

1

0

2

1

0

You have a bracket sequence made up of opening '(' and closing ')' parentheses. You must check if this bracket

A bracket sequence is considered balanced if for every prefix of the sequence, the number of opening brackets is

it in the stack. However, whenever you come across a closing parenthesis, pop a parenthesis from the stack.

void check (char str[], int n, char stack [])

for(int i = 0 ; i < n ; i++)

if (str [ i ] == '(')

top = top + 1;

stack[ top ] = ' ( ';

top = top -1;

top = top -1;

cout << "String is unbalanced!" << endl ;</pre>

char str1 [ ] = { '(' , '(' , 'a' , ' + ' , ' b' , ')' } ;

break ;

pop(stack, 3)

elements from stack.

push(stack, 12, 3)

As ,stack is full ,it will show

OVERFLOW CONDTION!

 As top = 2, current size of stack is top+1, i.e 3. Now stack is full as 3 is maximum size of

pop(stack, 3)

pop(stack, 3)

pop(stack, 3)

As **stack** is empty, further

UNDERFLOW CONDITION!

deleting will cause

EMPTY STACK !!

top = -1

// pushing element 5 in the stack .

- from stack

}

- Current size of stack: 0 (Stack is empty. Underflow condition!) Refer to the following image for more information about the operations performed in the code.
- 2
- 3) 2
- 0 Application

{

- - String is balanced!