

1. Hex FAC3 in binary is:

1111101011000011

2. Hex FAC3 as an unsigned decimal is:

$$(15 * 16^3) + (10 * 16^2) + (12 * 16^1) + (3 * 16^0) \\ = 64195$$

3. Hex FAC3 as a signed decimal is:

$$(-1 * 16^3) + (10 * 16^2) + (12 * 16^1) + (3 * 16^0) = \\ = -1341$$

4. Hex 0064 in binary is:

0000 0000 0110 0100

5. Hex 0064 as an unsigned decimal is:

$$(0 * 16^3) + (0 * 16^2) + (6 * 16^1) + (4 * 16^0) \\ = 96 + 4 \\ = 100$$

6. Hex 0064 as a signed decimal is:

$$(0 * 16^3) + (0 * 16^2) + (6 * 16^1) + (4 * 16^0) \\ = 96 + 4 \\ = 100$$

7. Hex 8000 in binary is:

1000000000000000

8. Hex 8000 as an unsigned decimal is:

$$(8 * 16^3) + (0 * 16^2) + (0 * 16^1) + (0 * 16^0) \\ = 32768$$

9. Hex 8000 as a signed decimal is:

$$(-8 * 16^3) + (0 * 16^2) + (0 * 16^1) + (0 * 16^0) \\ = -32768$$

10. Decimal 8000 encoded in 16-bits (unsigned) is in hex:

16 | 8000 0  
 16 | 500 4  
 16 | 31 F  
 16 | 1 1  
 0

= 1F40

**11. Decimal 8000 encoded in 16-bits (signed) is in hex:**

16 | 8000 0  
 16 | 500 4  
 16 | 31 F  
 16 | 1 1  
 0

= 1F40

**12. Decimal -11 encoded in 16-bits (signed) is in hex:**

Decimal: -11 → 11  
 Binary: 0000 0000 0000 1011  
 Negated: 1111 1111 1111 0100  
           + 0000 0000 0000 0001  
           = 1111 1111 1111 0101

Hex = FFF5

**13. Decimal -32717 encoded in 16-bits (signed) is in hex:**

Decimal: -32717 → 32717  
 Binary: 0111 1111 1100 1101  
 Negated: 1000 0000 0011 0010  
           + 0000 0000 0000 0001  
           = 1000 0000 0011 0011

Hex = 8033

**14. Binary 10111101 in hex is:**

BD

**15. Binary 1011110100000001 as an unsigned decimal is:**

$2^{15} + 2^{13} + 2^{12} + 2^{11} + 2^{10} + 2^8 + 2^0$   
 = 32768 + 8192 + 4096 + 2048 + 1024 + 256 + 1  
 = 48385

16. Binary 1011110100000001 as a signed decimal is:

$$\begin{aligned} & (-1 * 2^{15}) + 2^{13} + 2^{12} + 2^{11} + 2^{10} + 2^8 + 2^0 \\ & = -32768 + 8192 + 4096 + 2048 + 1024 + 256 + 1 \\ & = -17151 \end{aligned}$$

17. If we had 20-bit registers, the smallest signed decimal value would be:

$$\begin{aligned} & 1000/0000/0000/0000/0000 = -2^{(20-1)} \\ & = -524288 \end{aligned}$$

18. If we had 20-bit registers, the largest signed decimal value would be:

$$\begin{aligned} & 0111/1111/1111/1111/1111 = 2^{(20-1)} - 1 \\ & = 524287 \end{aligned}$$

19. The modular sum of 16-bit hex values 3511 + 4FFC is:

$$\begin{array}{r} 11 \\ 3511 \\ + 4FFC \\ \hline 850D \end{array}$$

20. The saturated sum of 16-bit hex values 3511 + 4FFC is:

$$\begin{array}{r} 11 \\ 3511 \\ + 4FFC \\ \hline 850D \end{array}$$

21. The 16-bit operation 3511 + 4FFC has a carry (Y or N):

$$\begin{array}{r} 11 \\ 3511 \\ + 4FFC \\ \hline 850D \end{array}$$

No, the operation does not have a carry.

22. The 16-bit operation 3511 + 4FFC has a overflows (Y or N):

$$\begin{array}{r} 11 \\ 3511 \\ + 4FFC \\ \hline 850D \end{array}$$

Yes, we added two positive values and got a negative.

23. The modular sum of 16-bit hex values 6159 + F702 is:

$$\begin{array}{r} 1 \\ 6159 \\ + F702 \\ \hline 585B \end{array}$$

24. The saturated sum of 16-bit hex values 6159 + F702 is:

$$\begin{array}{r} 1 \\ 6159 \\ + F702 \\ \hline 1585B \end{array}$$

= FFFF (maximum representable value at 16-bits)

25. The 16-bit operation 6159 + F702 has a carry (Y or N):

$$\begin{array}{r} 1 \\ 6159 \\ + F702 \\ \hline 585B \end{array}$$

Yes, the operation has a carry of 1.

26. The 16-bit operation 6159 + F702 has a overflows (Y or N):

$$\begin{array}{r} 1 \\ 6159 \\ + F702 \\ \hline 585B \end{array}$$

For signed, modular arithmetic, there is no overflow. For unsigned numbers, there is overflow.

27. The modular sum of 16-bit hex values EEEE + C00C is:

$$\begin{array}{r} 1 \quad 1 \\ EEEE \\ + C00C \\ \hline AEFA \end{array}$$

**28. The saturated sum of 16-bit hex values EEEE + C00C is:**

$$\begin{array}{r} 1 \quad 1 \\ \text{E E E E} \\ + \text{C 0 0 C} \\ \hline 1 \text{ A E F A} \end{array}$$

= FFFF (maximum representable value at 16-bits)

**29. The 16-bit operation 9EEE + AB0C has a carry (Y or N):**

$$\begin{array}{r} 1 \quad 1 \quad 1 \\ 9 \text{ E E E} \\ + \text{A B 0 C} \\ \hline 4 \text{ 9 F A} \end{array}$$

Yes, the operation has a carry of 1.

**30. The 16-bit operation 9EEE + AB0C has a overflows (Y or N):**

$$\begin{array}{r} 1 \quad 1 \quad 1 \\ 9 \text{ E E E} \\ + \text{A B 0 C} \\ \hline 4 \text{ 9 F A} \end{array}$$

For signed, modular arithmetic, there is no overflow, because adding 2 negative numbers results in a negative. For unsigned numbers, there is overflow because there is a carry.

**31. The negation of 16-bit word B00F is:**

Binary: 1011 0000 0000 1111  
Negation: 0100 1111 1111 0001  
Hex = 4FF1

**32. The negation of 16-bit word 2232 is:**

Binary: 0010 0010 0011 0010  
Negation: 1101 1101 1100 1100  
Hex = DDCC

**33. The negation of 16-bit word 8000 is:**

Binary: 1000 0000 0000 0000  
Negation: 0111 1111 1111 1110  
Hex = 7FFE

**34. The negation of 32-bit word FFF329BA is:**

Binary: 1111 1111 1111 0011 0010 1001 1011 1010

Negation: 0000 0000 0000 1100 1101 0110 0100 0100

Hex = 000CD644

**40. 96.03125 as a 32-bit float, in hex is:**

a. 96 => 0110/0000 => 0060 (hex)

b. .03125 =  $1/16^2 * 8$  => .0800 (hex)

c. 0060.0800

**35. Hex 43700000, when interpreted as an IEEE-754 pattern, is in decimal:**

a. 0/10000110/1110...

b.  $e = 134 - 127 = 7$

c.  $1.111 \times 2^7 = 11110000$

d. 240

**36. Hex C0FF0000, when interpreted as an IEEE-754 pattern, is in decimal:**

a. 1/10000001/11111110...

b.  $e = 129 - 127 = 2$

c.  $1.1111111 \times 2^2 = 111.11111$

d. -7.96875