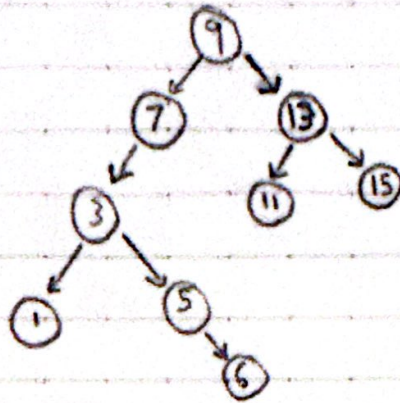
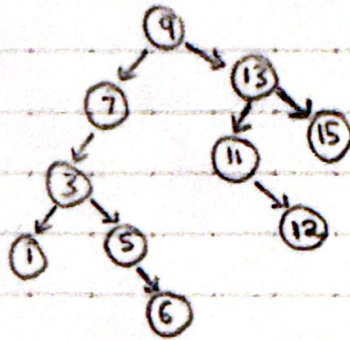


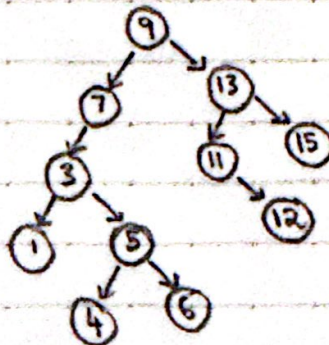
Q2. $bst[6] = \text{None}$



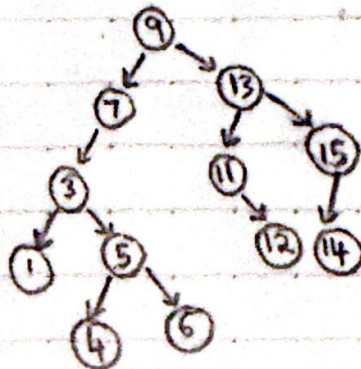
$bst[12] = \text{None}$



$bst[4] = \text{None}$

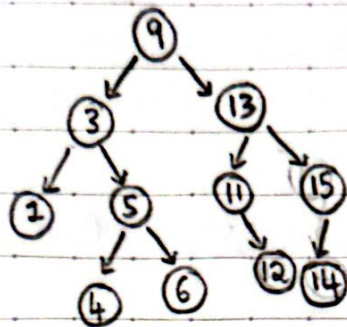


$bst[14] = \text{None}$

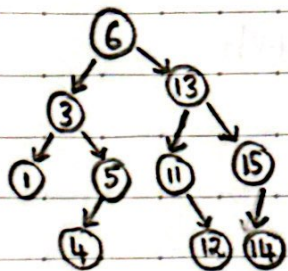


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Q1 continued

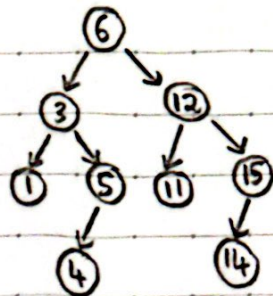
del bst[7]



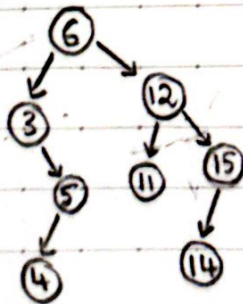
del bst[9]



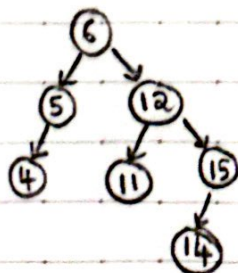
del bst[13]



del bst[11]



del bst[3]



Q2c. In section (a), you insert to the same path each time, meaning the first insert would be moving 0 elements, the second element moving 1 element and the n^{th} insert, moving $n-1$ elements.

$$\therefore \text{summation is } 0+1+2+3+\dots+n-1 = \frac{n(n-1)}{2} = \Theta(n^2) //$$

In section (b), the list is split in half each time and an element is inserted in the tree. We know that insertion is $\Theta(h)$

$$\begin{aligned} \therefore \text{summation is } & \underbrace{(\log n + \dots + \log n)}_{\substack{\downarrow \\ n \text{ times}}} + \Theta(h) \\ & = n(\log n) + h \\ & = \Theta(n \log n) + \Theta(h) = \Theta(n \log n) // \end{aligned}$$