

**PHY407: Lab 8**

**Date: November 5th. 2021**

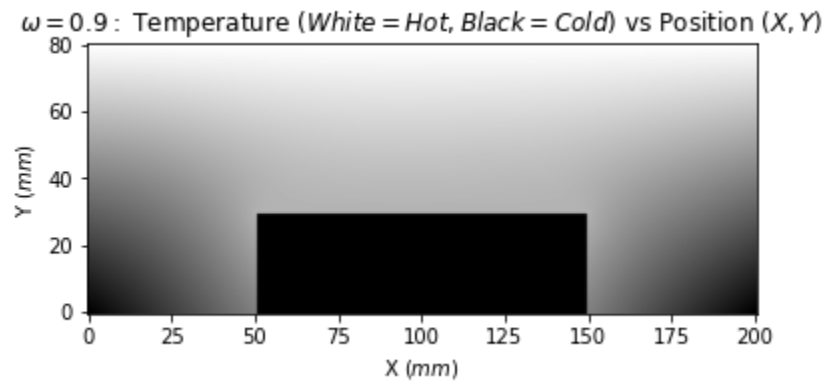
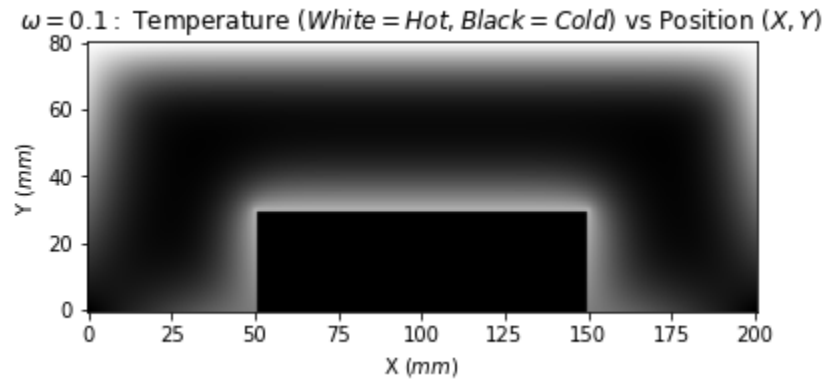
**Lab Partners: Brendan Halliday and Nikolaos Rizos**

**Contributions:**

- Q1. Nikolaos Rizos
- Q2. Brendan Halliday
- Q3. Nikolaos

### **Q1.b.**

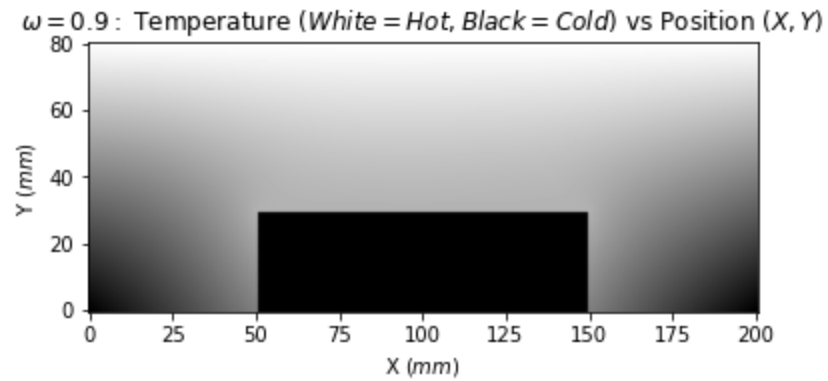
Below are the two plots for the final solution for  $\omega = 0.1$  and  $\omega = 0.9$



As can be seen, the solution for  $\omega=0.9$  has a more even temperature distribution than  $\omega = 0.1$ . This makes physical sense since heat should distribute evenly. This means that the over relaxation method for increased  $\omega$  speeds up the calculation for the solution of the distribution.

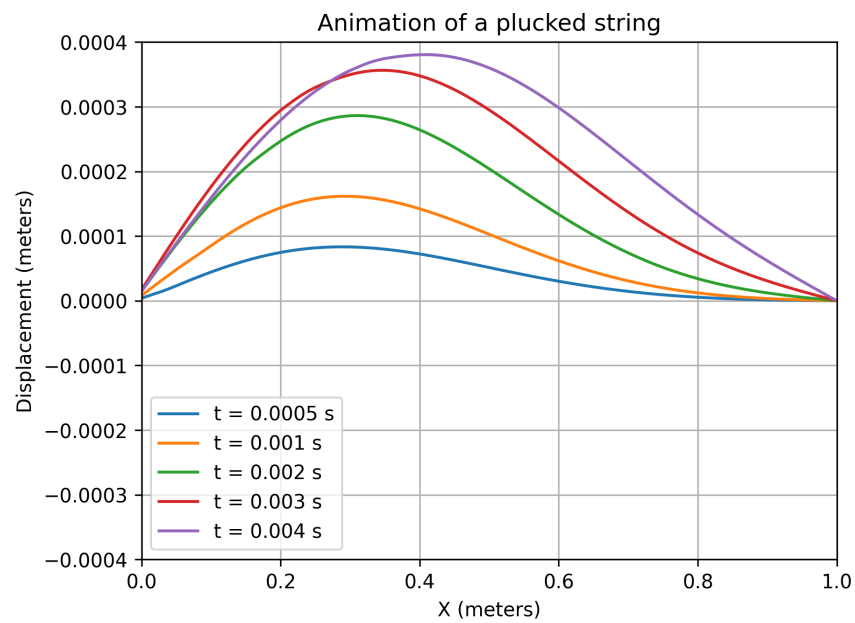
### **Q1.c.**

We notice that in the early, non converged stages of the solution, the profile is not symmetric about the vertical bisector. However, as it finally converges, it does become symmetric. Below is a plot of the converged solution. As the solution finally converges, the calculated temperature at  $x = 2.5$  cm,  $y = 1$  cm is 3.26 degrees celsius.

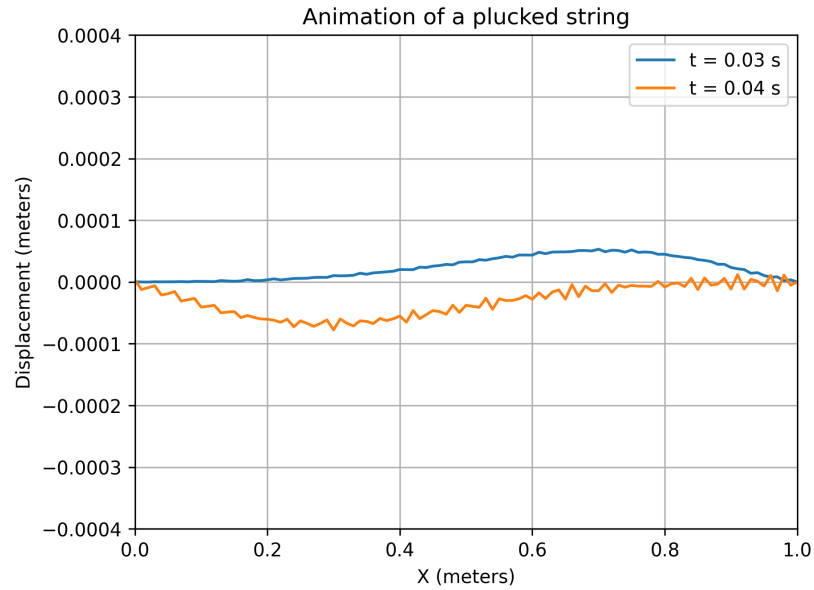


**Q2.**

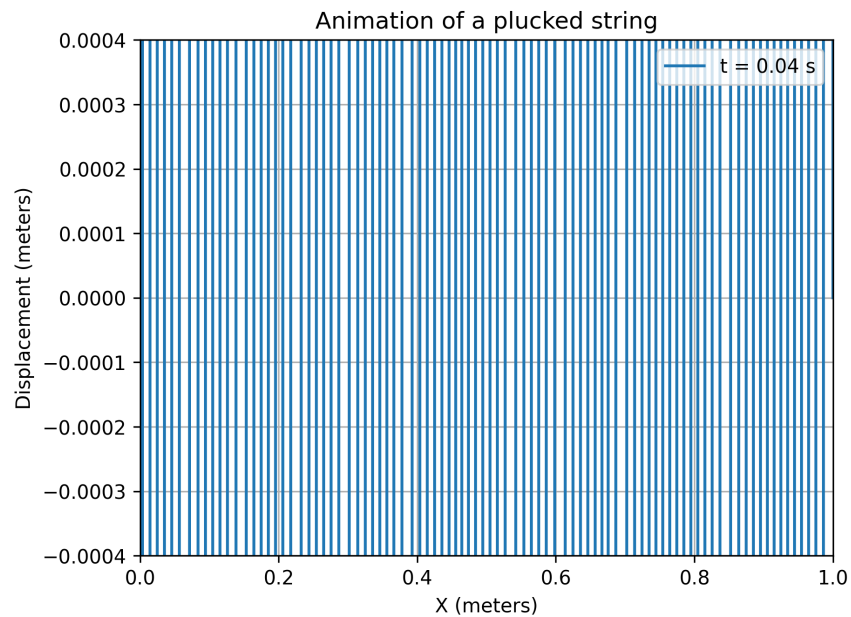
Here are some plots before the solution goes unstable.



After sometime, the solution turns into this:



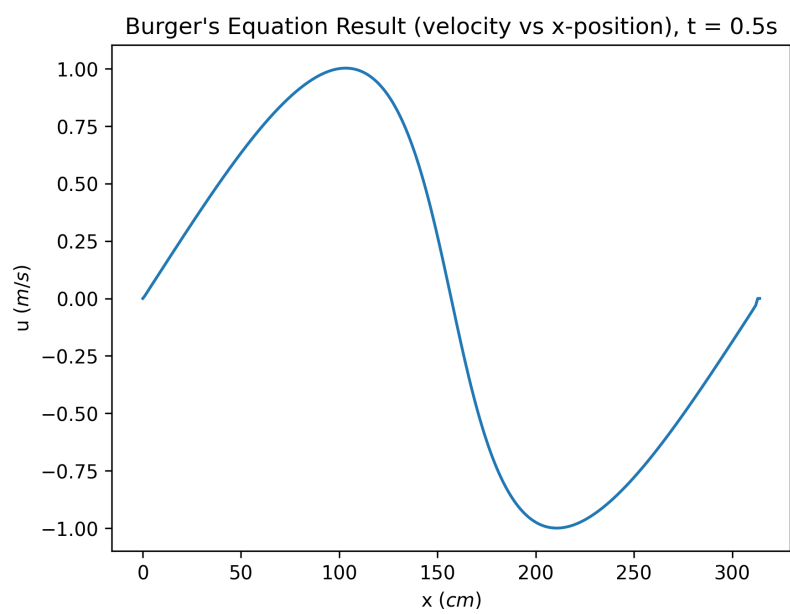
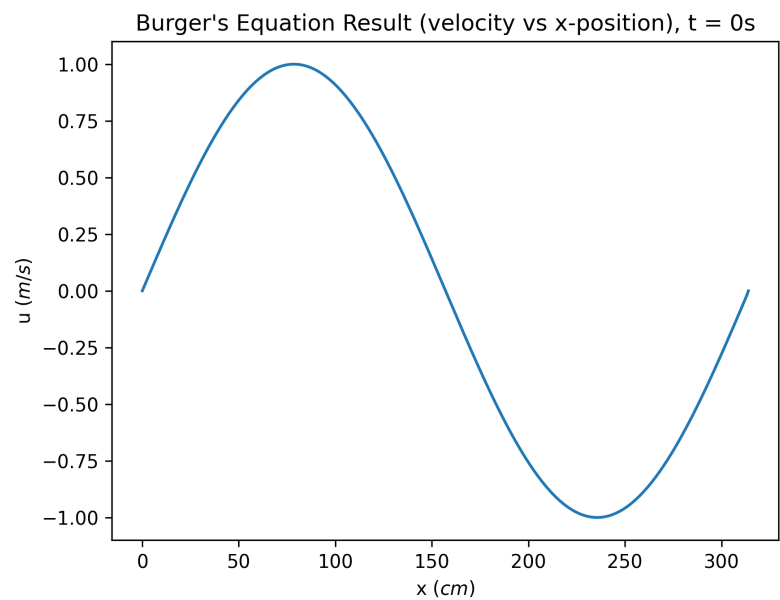
The form of the wave is still somewhat visible, but perhaps less so. After even more time, the solution becomes super unstable.

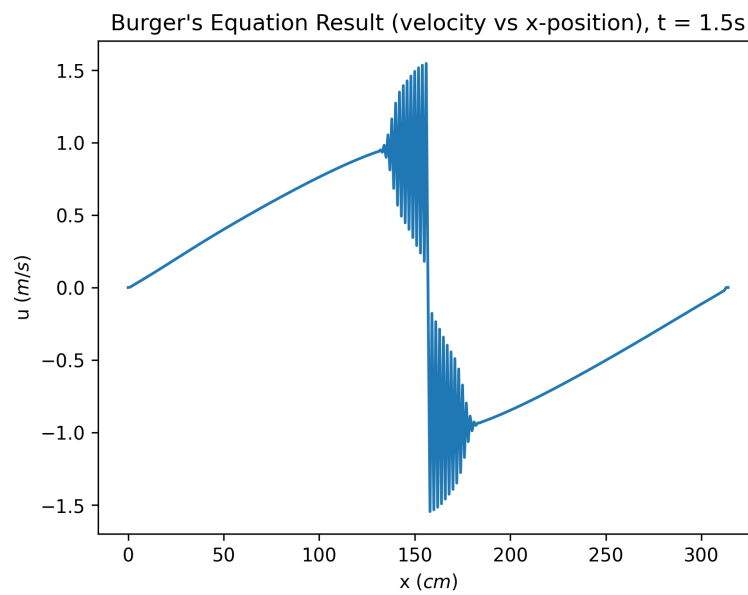
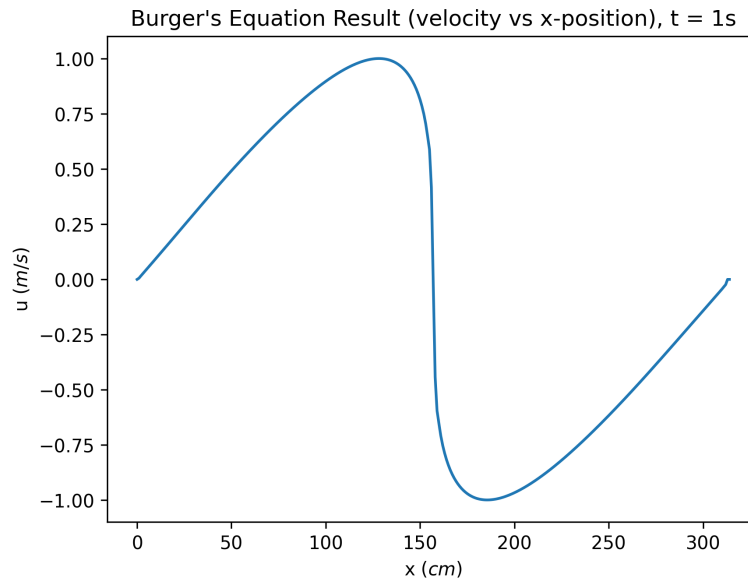


Which is clearly incomprehensible and unstable.

### Q3.

Here are the plots generated for increasing time:





We see as time progresses, the results for Burger's equation approaches something like a sawtooth function. However, for time 1.5s, we see dramatic and unrealistic aberrations near the "discontinuities".