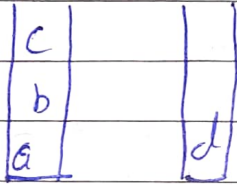


D.S - U.T - 1

Q1

(a) Ans :- (D) :- c d a b



s2.pop = c

s1.pop = d

s2.pop = b

stack 2 stack 1

In

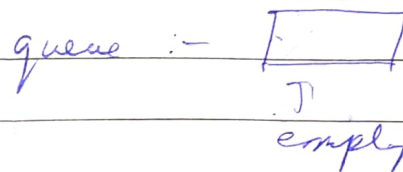
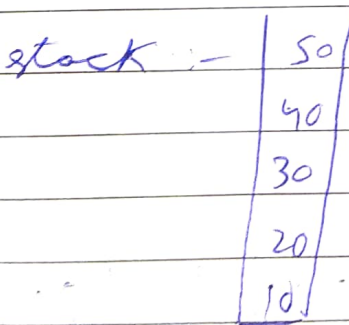
In no way it is possible for d to come before b

(b) (A) Left implementation with an array

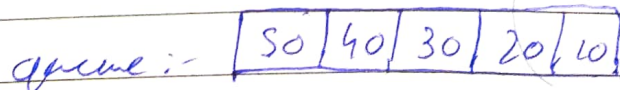
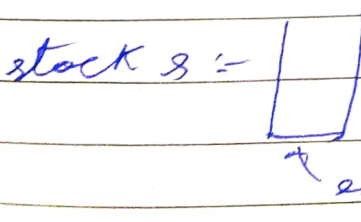
because with a position n it can be easily called as $a[n-1]$; as index is pos = 1;

Q2

state of stack and queue after end of first while loop



State of stack and queue after end of second loop



Q2 cont.

Final o.p:-

50 40 30 20 10

i.e. reverse of the queue.

$$Q3 \quad \underbrace{((2+3^*6))}_A / \underbrace{(9-8/2)}_B + \underbrace{9}_C)^*7$$

stack 1:-	*	(A)	O.P:-
	+		23
	(
	(

stack 2:-	/	(B)	O.P
	-		236*+982
	(
	/		
	(

stack 3:-	*	(C)	O.Ps
	+		236*+982/-/9+
	X		
	(

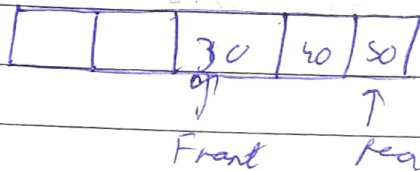
O.P:-

	O.P
	236*+982/-/9+7*

empty

Q.9

The limitation of the linear queue is that even if there is empty space in the front of the queue it cannot be utilised.

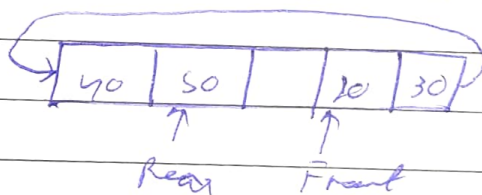


This limitation was overcome using a circular queue.

This was done using the mod operator (%).

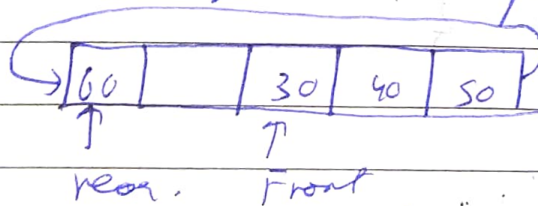
The expression is

$$i = i \% (\text{Len of Array}).$$



(b) State of the circular queue after the operations:

enqueue(10), enqueue(20), enqueue(30), enqueue(40),
enqueue(50), dequeue(), dequeue(), enqueue(60)



Q5 Write the iterative and recursive code to count number of nodes in singly LL.

(i) Iterative method.

```
int count_LL (LL *start)
{
    node *p;
    p = start;
    int i = 0;
    while (p != NULL)
    {
        i++;
        p = p->next;
    }
    return i;
}
```

(ii) Recursive Method.

```
int count_LL (node *p)
{
    if (p == NULL)
    {
        return 0;
    }
    else
    {
        return (1 + count_LL (p->next));
    }
}
```

Q6 Write following methods that operate on stack using Singly Linked List:

(i) `push(ele, stack *head)`

```
{  
    node * p;  
    p = (node *) malloc (sizeof (node));  
    p->data = ele;  
    p->next = head;  
    head = p;  
}
```

(ii) `pop (stack *head)` // On next page.

```
{  
    node * p;  
    p = *head;  
    head = p->next;  
    return p->data;  
}
```

(iii) `isEmpty (stack *start)`

```
{  
    return start == NULL;  
}
```

(iv) `peek (stack *head)`

```
{  
    if (isEmpty (head))  
    { printf ("Stack is empty"); }  
    else  
    { return head->data; }  
}
```

(ii) pop (stack * head)

{ if (isEmpty (head))

{ printf ("Stack is Empty / Stack Underflow");

};

else

{

node * p;

p = head;

head = p → next;

return p → data;

}

}