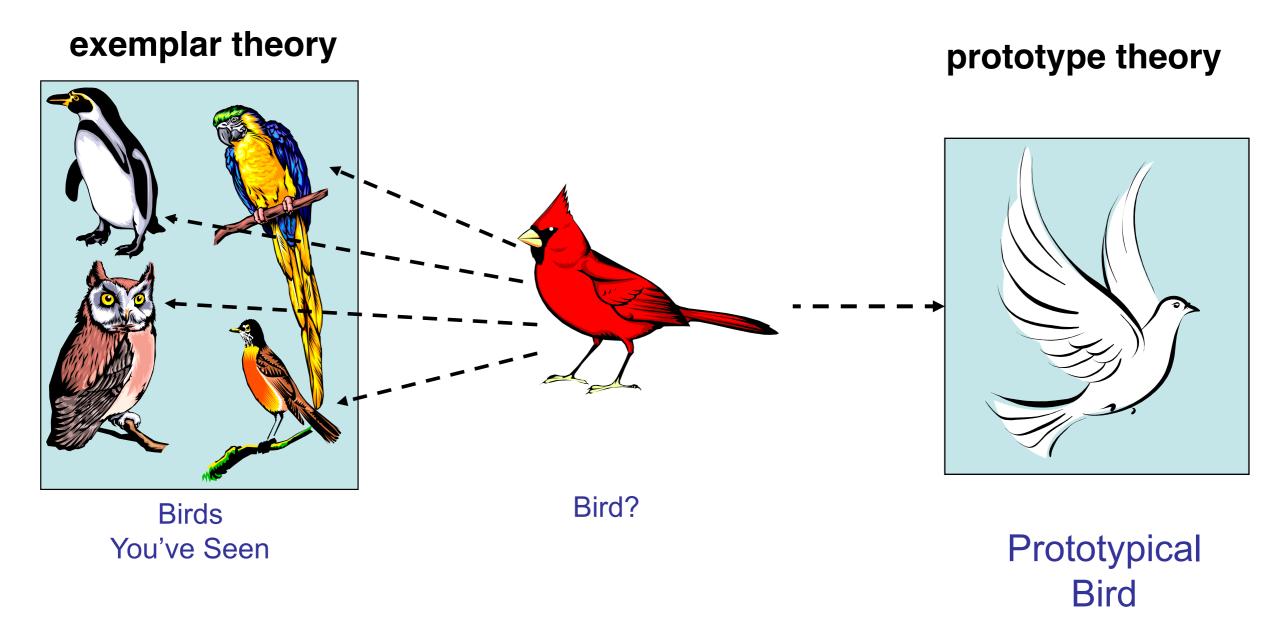
# Categories and Concepts Concepts as theories, and the knowledge view

**Brenden Lake** 

PSYCH-GA 2207

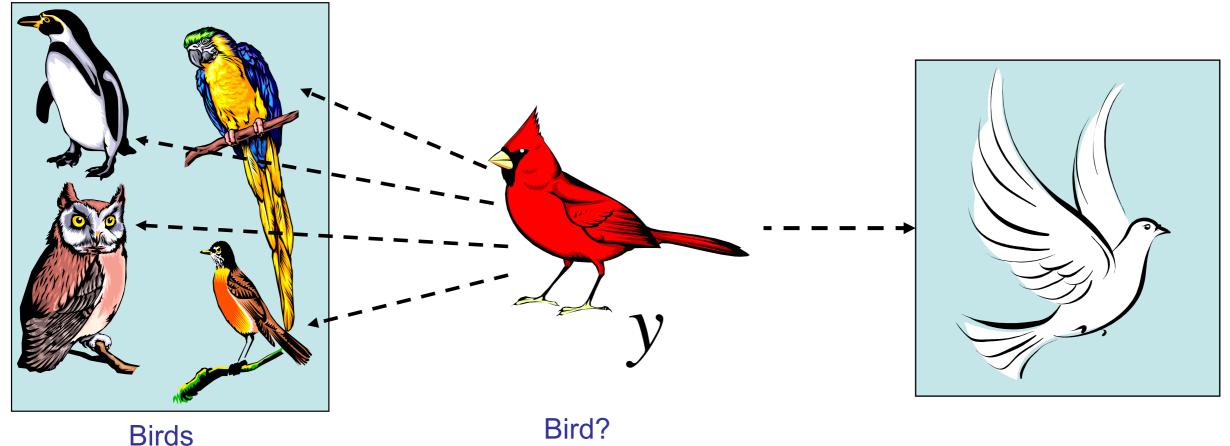
## Review: major theories



No summary representation. Representation is based on remembered category members.

Summary representation of typical properties or central tendency.

## Both theories rely on "similarity"



Relies on "similarity" of an item to exemplars

$$sim(y, C) = \sum_{x \in C} sim(y, x)$$

You've Seen

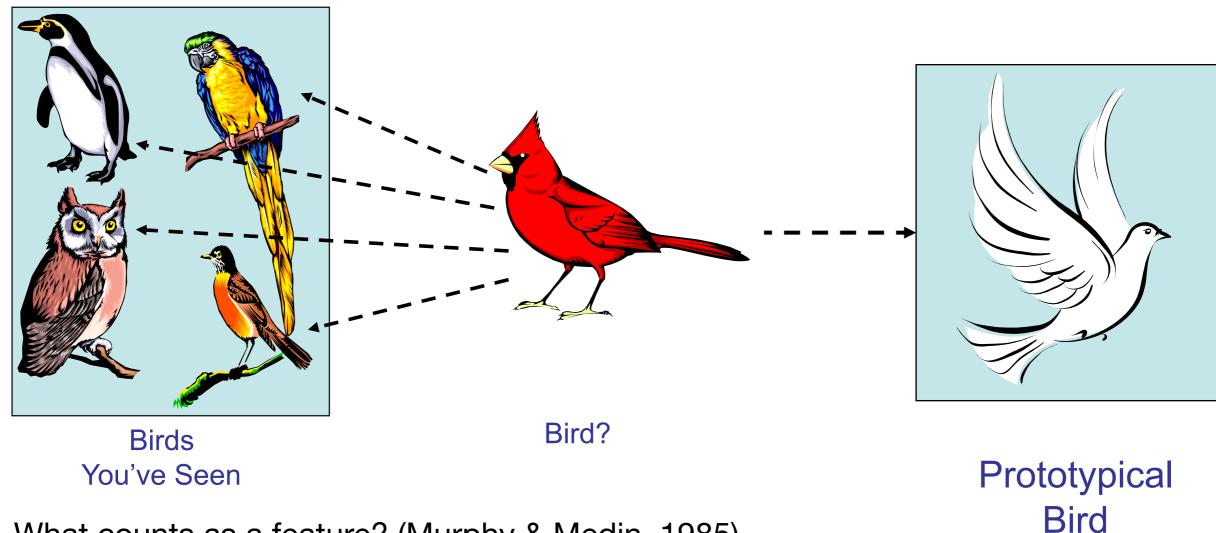
$$P(y \in C) = \frac{\sin(y, C)}{\sum_{C'} \sin(y, C')}$$

Prototypical Bird

Relies on "similarity" of an item to prototype

$$P(y \in C) = \frac{\text{sim}(y, C)}{\sum_{C'} \text{sim}(y, C')}$$

## Similar in what respect? What counts as a feature?



- What counts as a feature? (Murphy & Medin, 1985)
  - To change the importance of age, we could include features for "around 10 years ago," "around 100 years ago," "1000 years ago", etc.
  - To change importance of size, we could include "smaller than the earth," "smaller than a country", "smaller than a city," etc.
- It is difficult to establish the "respects for similarity" (Medin, Goldstone, & Gentner, 1993, *Psych Rev*)

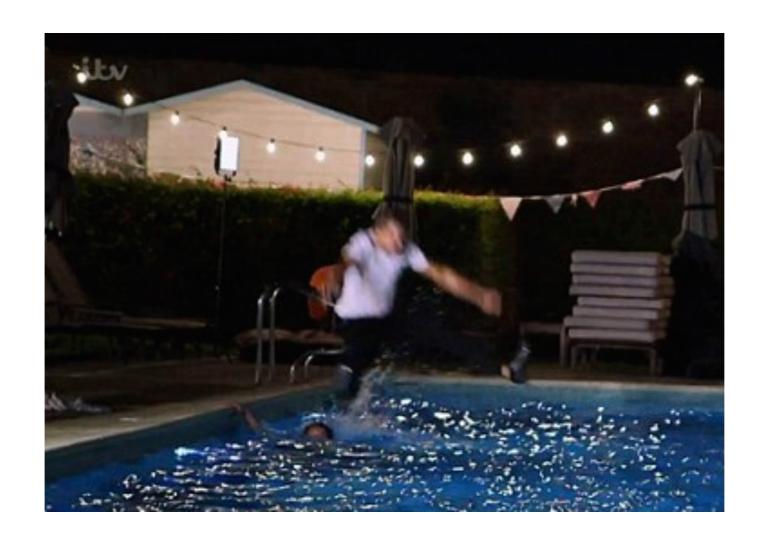
## Whatever is selecting the features is doing the explanatory work



"Flammable" applies to many things, but we only associate it strongly to some things due to its theoretical role (Murphy & Medin, 1985)

## Concepts are more than characteristic features or sets of examples

Would you classify this man as "drunk"? (Murphy & Medin)



What characteristic feature tells you this? Would you need a similar previous example in order to tell you this?

## Ad hoc categories (Barsalou, 1983)

- e.g., "Things to carry out of a burning house"
  - [children, dog, photo albums, computer, etc.]









- "ways to escape being killed by the Mafia"
  - [changing your name, move to Montana, etc.]
- "things that could fall on your head"
- "things to take on a camping trip"
- "possible costumes to wear to a Halloween party"
- "places to look for an antique desk"

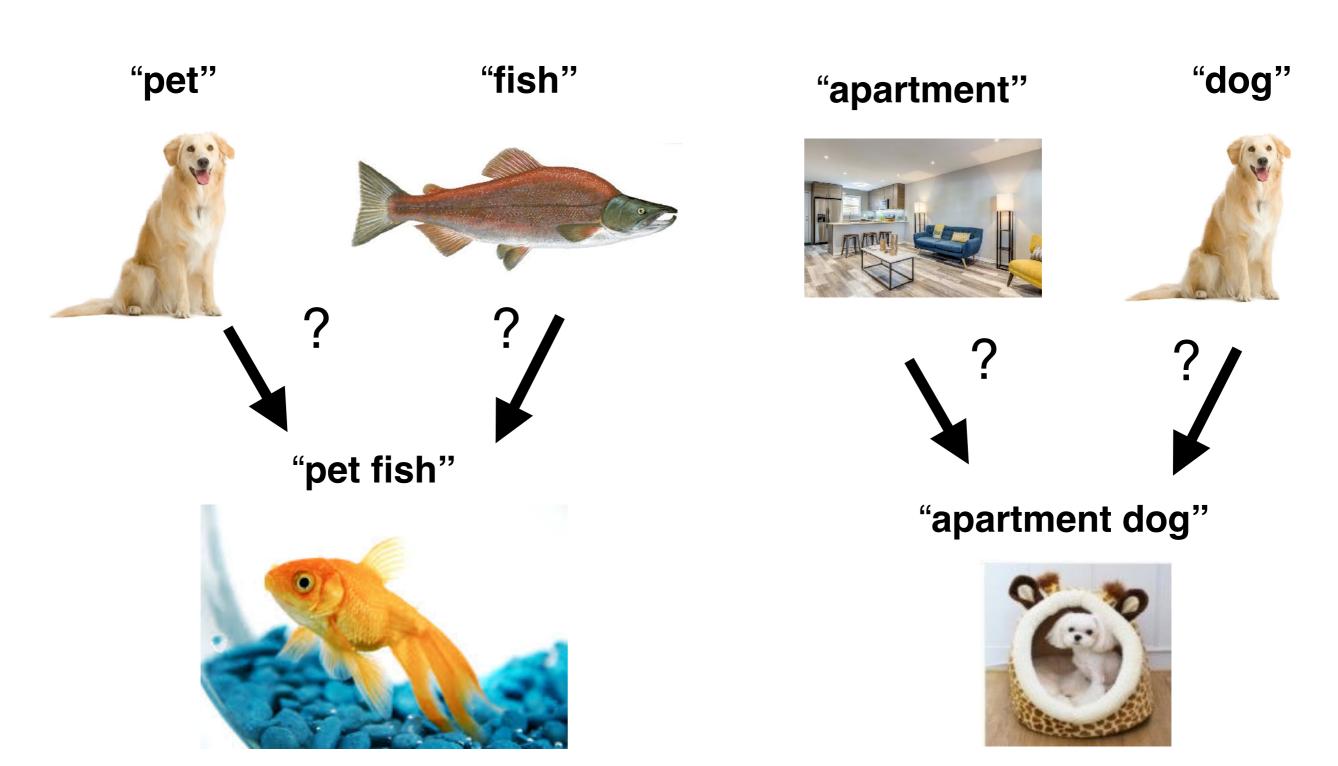
## Ad hoc categories (Barsalou, 1983)

Ad hoc categories are like common categories in many ways...

- have a graded structure
- lead to reliable typicality ratings
- certain items being generated more in production tasks
- How would a prototype or exemplar model represent these categories?
- These properties of categories don't seem affected by how well the category has been learned, how many examples have been seen, or how well-established the class is in memory

## **Conceptual combination**

Prototypes or sets of exemplars don't help to explain how categories combine



## Concepts as theories, and the knowledge view (Murphy & Medin, 1985)

- A concept is naive theory or a "mental explanation"
- Explanations are the glue that holds concepts together
- Concepts are coherent to the extent that they fit people's background knowledge or naive theories about the world
- Don't take "theory" too seriously.
  - not a full-fledged scientific-like theory
  - Greg Murphy says it is better to talk about how knowledge influences concepts, and the term "theory theory" is an abomination
  - Some distinguished researchers do believe development is like theory construction and theory change, where "theories" are actually like real scientific theories (e.g., Carey, Gopnik)

## **Examples of Theories or General Knowledge That Might be Relevant to Concept Learning**

- biological knowledge
- naive physics
- naive psychology
  - beliefs, desires, goals
  - psychological effects of different events
  - different personality types
- causal mechanics of various machines and artifacts

Note that each of these has many specific parts and pieces of knowledge.

## **Category Coherence**

## Concepts are more than characteristic features or sets of examples

Here are features of something that is not a concept:

- requires oil when heating
- can play music
- is written in Sanskrit
- chews food thoroughly before swallowing
- is transparent

## **Category Coherence**

Such a concept does not exist, and if you tried to teach it to people, it would presumably be difficult to learn.

How do categorization theories address this? They don't, really.

- Classical view
  - Identifies a common feature(s), but doesn't constrain what it is ("likes pizza or is on the Sistine Shapel")
- Exemplar theory
  - any set of objects can be a category
- Prototype theory
  - incoherent list of features could be prototype

These accounts of concepts don't provide constraints on what concepts are natural or learnable

## Barsalou (1985). JEP:LMC

#### Possible Determinants of Typicality

- Exemplar's similarity to central tendency (family resemblance; Rosch's findings from last lecture)
- Exemplar's frequency of instantiation (how often do you think of the object as a category member?)
- Rating of proposed ideal qualities (most relevant for ad hoc categories, but Barsalou gave reasonable goals given to common categories)
  - e.g. efficiency for "vehicles"
  - necessary of wearing for "clothing"

## Barsalou (1985)

Predicting "Exemplar Goodness" (typicality) Ratings

Common Categories (e.g., vehicles, clothing, birds)

	Raw r	Partial <i>r</i>
Central Tend.	.63	.71
Frequency	.47	.36
Ideal	.46	.45



Goal-Derived Categories (e.g., birthday presents, foods to eat on a diet)

	Raw r	Partial <i>r</i>
Central Tend.	.38	.05 (ns)
Frequency	.72	.51
Ideal	.70	.44



## Pazzani (1991). JEP:LMC

#### Between-subject condition

- learning which examples are in "category alpha" (control condition)
- learning "whether the balloon will be inflated when a person blows into it" (knowledge condition)

#### Stimuli

photograph of person performing an action on balloon

(stretch or dip)

#### Stimulus dimensions

- color—"yellow" or "purple"
- size of balloon—"large" or "small"
- age of person—"child" or "adult"
- action—"stretch" or "dip in water"

#### Rules

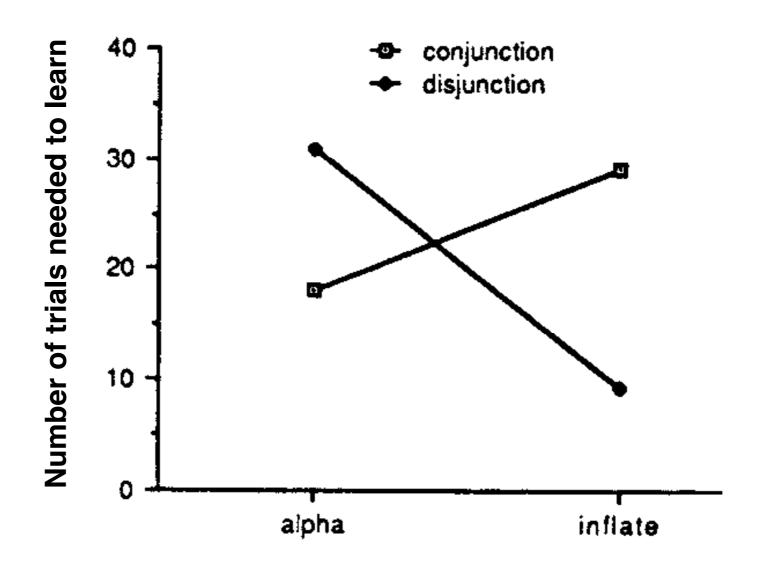
- Conjunctive: "small AND yellow"
- Disjunctive: "adult OR stretch"



(random photo from web)

## **Pazzani** (1991)

Knowledge influences what is easy to learn. Conjunctive categories are usually easier to learn than disjunctive categories, but knowledge can make this the opposite



## Murphy & Allopenna (1994). JEP:LMC

Prototypes of Two Categories: Knowledge Condition

#### **Category 1 Prototype**

- Made in Africa
- Lightly insulated
- Green
- Drives in jungles
- Has wheels

#### **Category 2 Prototype**

- Made in Norway
- Heavily insulated
- White
- Drives on glaciers
- Has treads

(Plus some nonpredictive features)

## Murphy & Allopenna (1994)

Prototypes of Two Categories: Neutral Condition

#### **Category 1 Prototype**

- Green
- Manual
- Radial tires
- Air bags
- Vinyl seat covers

#### **Category 2 Prototype**

- White
- Automatic
- Non-radial tires
- Automatic seat belts
- Cloth seat covers

(Plus some nonpredictive features)

## Murphy & Allopenna (1994)

#### Results:

- Knowledge condition: learned in 2.2 blocks
- Neutral condition: learned in 4.1 blocks
- It's easy to learn categories that build a coherent model of the object
  - not just meaningful features in isolation





(here are more random photos from the web)

## Linear separability

- Prototype models can learn linearly separable (LS) categories but not non-linearly separably (NLS) categories
- Exemplar models can learn either, and don't care
- People can learn either equally well (or poorly)

#### LINEARLY SEPARABLE CATEGORIES

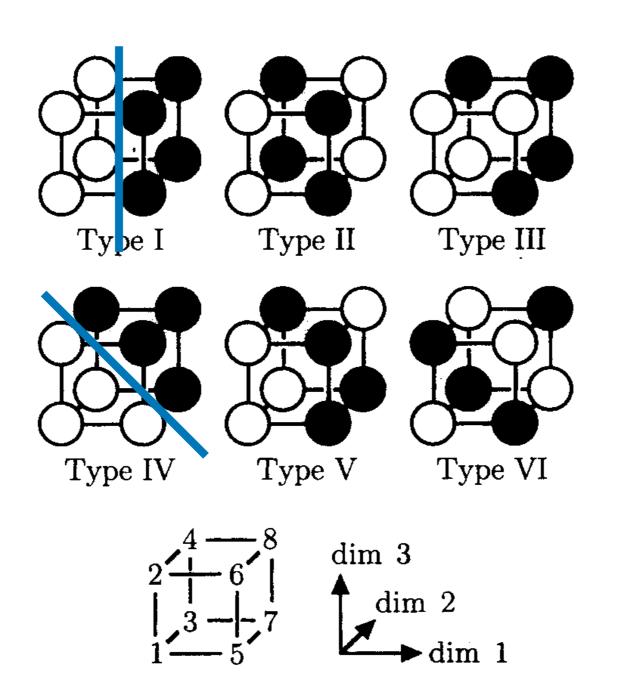
CATEGORY A  DIMENSION				CATEGORY B  DIMENSION					
EXEMPLAR	ď	D <sup>5</sup>	D <sub>3</sub>	$D_{\underline{b}}$	EXEMPLAR	ď	D <sub>2</sub>	D <sup>3</sup>	D
A <sub>1</sub>	1	1	1	0	B <sub>1</sub>	1	1	0	0
A <sub>2</sub>	1	0	1	1	B <sub>2</sub>	0	0	0	1
<sup>A</sup> 3	1	1	0	1	В3	0	1	1	٥
A <sub>4</sub>	0	1	1	1	$\mathtt{B}_{\mathtt{l}_{\mathtt{l}}}$	1	0	1	O

#### CATEGORIES NOT LINEARLY SEPARABLE

CATEGORY A					CATEGORY B				
DIMENSION					DIMENSION				
EXEMPLAR	D <sub>1</sub>	D <sup>5</sup>	D <sub>3</sub>	D <sup>ff</sup>	EXEMPLAR	$\mathfrak{d}_1$	$D_2$	D <sub>3</sub>	ď
A	1	0	0	0	В	0	٥	0	1
A <sub>2</sub>	1	0	1	0	B <sub>2</sub>	0	1	O	0
<b>A</b> 3	1	1	1	1	<sup>B</sup> 3	1	0	1	1
A <sub>4</sub>	0	1	1	1	B <sub>Li</sub>	0	0	0	0

### Linear separability: Another view

For Shepard, Hovland, and Jenkins stimuli, only Type I and Type IV are linearly separable.



## Wattenmaker, Dewey, Murphy, & Medin (1986)

- Wattenmaker et al. (1986) investigates how category structure interacts with prior knowledge. Knowledge can influence structure in different ways...
- Some knowledge just emphasizes specific features
  - suggest summing of evidence
- Some knowledge emphasizes relations
  - suggests configural properties are important

## Wattenmaker, Dewey, Murphy, & Medin (1986)

#### LS vs. NLS category structure

- 1's and 0's referred to honest or dishonest actions (trait condition)
- or else they had various traits mixed together (control)
- categories themselves had arbitrary names (e.g., A vs. B)

#### **Prediction**

- People should want to sum up trait-consistent features, leading to LS categories being better
- "category A is people who are mostly dishonest"
  - only when there are consistent traits

## Wattenmaker, Dewey, Murphy, & Medin (1986)

- It worked
- # of errors:

	Control	Trait
LS	49	27 (easier)
NLS	44 (easier)	37

- Knowledge can do more than highlight individual features (e.g. Pazzani or Murphy and Allopenna)
- Here (Ex 1), knowledge can make people behave more like a prototype model (or more like an exemplar model, Wattenmakers et al. Ex 3)
- Knowledge does not always strictly lead to easier learning, it depends on the category structure