# Punish Liars, Not Free-Riders

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#### Motivation

Uncertainty about willingness to contribute to collective action.

- · Climate efforts
- · Refugee crisis
- Military coalitions

Private information makes collective action even harder.

- · Is the project feasible?
- · How to divide the labor?

#### **Central Question**

When and how can *communication* promote cooperation in collective action when actors have private information?

- · Won't solve all problems of collective action
- · Can it help with those that stem from private information?

### **Main Findings**

Communication can bring us up to complete-information second-best if:

- 1. Participants care about the future
- 2. Set of potential projects is risky enough

But through a very different mechanism than tit-for-tat

- · Objective is honesty, not fairness
- Equilibrium division of labor may be—should be!—uneven
- · Have to punish giving more than you claim to be willing

#### The Model

Players  $i \in \{1,2\}$  interact over infinite periods. In each stage, a new project that costs 2 units of effort.

- 1. Nature draws types  $\omega_i \in \{0, 1, 2\}$ 
  - Most a player is willing to contribute to assure success: none, half, or all of the project cost
  - Drawn anew each period (as in Sartori 2002)
- 2. Players send cheap-talk messages about their types
- 3. Players select contributions  $x_i \in \{0, 1, 2\}$
- 4. Payoffs realized:

$$u_i(x_i, x_j \mid \omega_i) = \begin{cases} 1 - c(\omega_i)x_i & x_i + x_j \ge 2, \\ -c(\omega_i)x_i & x_i + x_j < 2. \end{cases}$$

# **Complete Information Benchmark**

With complete information, efficient Nash equilibrium

- · If insufficient total willingness, no contributions
- · Otherwise, distribute costs to most-willing player

$$\omega_{2} = 0 \quad \omega_{2} = 1 \quad \omega_{2} = 2$$

$$\omega_{1} = 0 \quad (0,0) \quad (0,0) \quad (0,2)$$

$$\omega_{1} = 1 \quad (0,0) \quad (1,1) \quad (0,2)$$

$$\omega_{1} = 2 \quad (2,0) \quad (2,0) \quad (1,1)$$

### One-Shot Setting

With incomplete information, incentive compatibility problem for high type

- · Pretend to only be willing to contribute half
- · Save unit of effort if partner is half or fully willing
- · No worse off if partner is totally unwilling

## **Dynamic Setting**

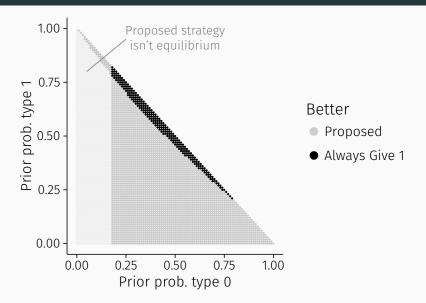
#### Proposed equilibrium

- 1. Each period, each player honestly reveals type
- 2. Coordinate on complete-information second-best
- 3. Any deviation  $\rightarrow$  revert to no-communication stage BNE

#### Conditions

- Discount factor great enough
  - Efficiency loss from reversion to no-communication hurts
- · Great enough chance of totally unwilling type
  - · High type doesn't want to make "unobservable" lie

## **Welfare Comparison**



# **Closing Thoughts**

#### Conclusions:

- · Under uncertainty, cannot simply punish free-riders
- · Honest communication is sustainable if:
  - Interaction is repeated
  - "Too high" contributions are punished
  - · Real risk of failure if dishonest

#### **Future directions:**

- Historical application to alliances?
- · Endogenize project selection?
- · Lab experiment?