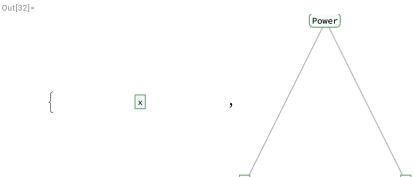
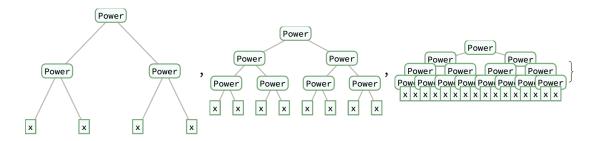
Brian — PS 13 — 2025-03-25 — Solution

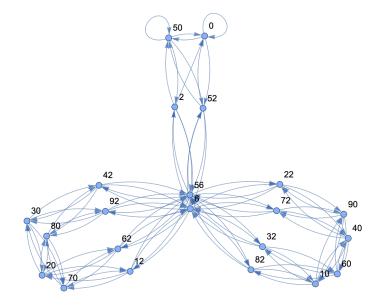
EIWL3 Sections 33 and 34

Exercises from EIWL3 Section 33

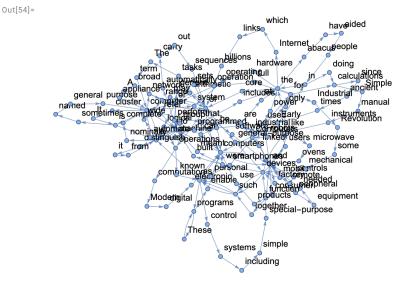
```
In[4]:= (* 33.1 *) Head[ListPlot[{1, 2, 3}]]
 Out[4]= Graphics
In[15]:= (* 33.2 *) Times @@ Array[#&, 100]
Out[15]=
     229 915 608 941 463 976 156 518 286 253 697 920 827 223 758 251 185 210 916 864 000 000 000 000 000
      000 000 000 000
In[19]:= (* 33.3 *) f@@@Tuples[{a, b}, 2]
Out[19]=
      {f[a, a], f[a, b], f[b, a], f[b, b]}
In[30]:= ExpressionTree[x<sup>x</sup>]
Out[30]=
                          Power
```







In[54]:= (* 33.7 *)Graph[Rule@@@ Partition[Take[TextWords[WikipediaData["computers"]], 200], 2, 1], VertexLabels → All]



```
ln[59]:= (* 33.8 *) f@@@ {{1, 2}, {7, 2}, {5, 4}}
Out[59]=
       {f[1, 2], f[7, 2], f[5, 4]}
```

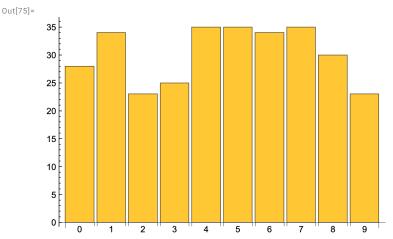
yields the same result as the more complicated

In[58]:=
$$f@@\#\&/@\{\{1, 2\}, \{7, 2\}, \{5, 4\}\}$$

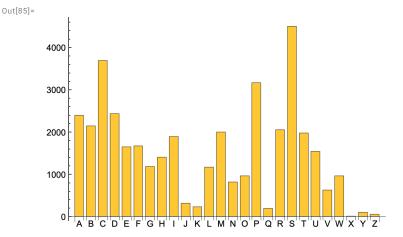
Out[58]= $\{f[1, 2], f[7, 2], f[5, 4]\}$

Exercises from EIWL3 Section 34

I think Wolfram's expected output for Exercise 34.1 is wrong. He fails to include that 8 appears 0 times. His notebook says the expected output is {7,9,9,5,1,5,4,7,1}.

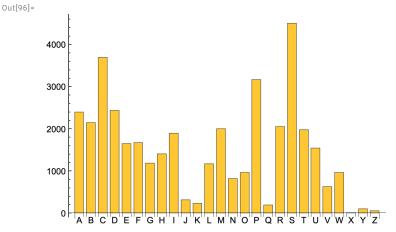


My solution to Exercise 34.2 is a little clunky. Got a better one?



Same comment about my solution to Exercise 34.3 as 34.2. I'm guessing there is a slicker way to do these two using associations. In Exercise 34.3 I finally figured out the slicker way.

```
In[96]:= (* 34.4 *)BarChart[Association[
       Table[letter → Count[Capitalize[First[Characters[#]]] & /@ WordList[], letter],
         {letter, Capitalize /@ Alphabet[]}]], ChartLabels → Automatic]
```



Out[111]= 63 1574

My solution to Exercise 34.5 is super-clunky. I may revise this solution after I look at yours:).

(* 34.6 *) Keys[

Take[Reverse[Sort[WordCounts[ExampleData[{"Text", "AliceInWonderland"}]]]], 10]]

Out[119]= {the, and, a, to, she, of, was, Alice, in, it}