## A Non-Standard but Cleaner Approach to Image Calibration We presume that pixel i has the following response: $O_i = \alpha_i \mathcal{I}_i + \beta_i \mathcal{T} + \gamma_i'$ For the lights $T_i = L_i$ , $O_i = O_{L,i}$ For the flats $T_i = F$ , $O_i = O_{F,i}$ T is the exposure duration. ai, Bi, and li are unknown, pixel-dependent constants. F is also unknown, but its important feature is that it is pixel-independent. We choose to expose our darks for the same duration T as the lights. The darks have $T_i = 0$ and $O_i = O_{D,i}$ Because the darks have the same T, if we subtract, the BiT and the Si terms disappear, and we learn $O_{L,i} - O_{D,i} = \alpha_i \mathcal{I}_i$

For our biases, we choose the same exposure time as the flats. This time is usually quite short relative to 7. for example, the lights and darks might have 7=30s. Our darks and biases typically have exposure duration tels.  $O_{F,i} = \alpha_i F + \beta_i t + \delta_i$  $O_{\mathcal{B},i} = \beta_i t + \delta_i$ We subtract and learn  $O_{F,i} - O_{B,i} = \alpha_i F$ Now we divide and learn  $\frac{O_{L,i} - O_{D,i}}{O_{F,i} - O_{B,i}} = \frac{\alpha_i T_i}{\alpha_i F} = \frac{T_i}{F}$ We call the LHS the calibrated image.  $C_i = \frac{O_{Li} - O_{D,i}}{O_{F,i} - O_{B,i}}$ It still has the unknown f, in it, but because f is pixel-independent, I then another pixel, j, then  $\frac{C_{i}}{C_{i}} = \frac{T_{i}/F}{T_{i}/F} = \frac{T_{i}}{T_{i}}$