Predicting Automation

UC San Diego SOCI 136 - Final Project

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Abstract

Throughout the Spring Quarter, I've learned a lot about automation, AI, and the effect algorithms have on our society. From bias classification of race to misgendering of language to restructuring the traditional workplace today, AI and automation have had a tremendous impact on society today.

In my final project, I want to investigate and try to predict what features push a job towards being automated. In our investigation, we use a dataset from Kaggle (https://www.kaggle.com/andrewmvd/occupation-salary-and-likelihood-of-automation) that compiles data from the US Bureau of Labor Statistics, providing us with information such as Probability, Total Employment, Mean Annual/Hourly Salary, and corresponding Occupation. We also drew on data from SmartAsset (https://smartasset.com/checking-account/states-where-jobs-are-most-vulnerable-to-automation) to construct a dictionary of data containing the ranking of states where automation occurs the most.

Summary of Findings

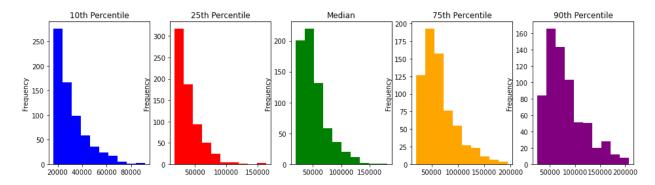
Cleaning

Luckily for us, both the Automation and Salary datasets came relatively clean. The Automation dataset had no missing values at all, meaning we did not have to do any sort of imputation. All the data types in the Automation dataset were also correct, meaning we did not have to do anything to tidy up our data.

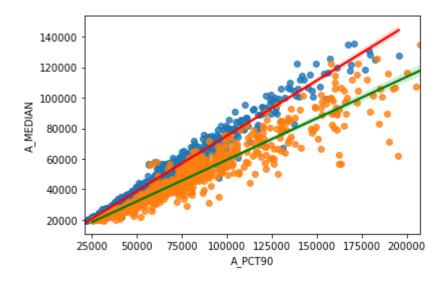
The Salary dataset did pose some problems for us. Since the dataset was formatted as an excel file, many values that were missing were filled with either a * or a # . A lot of the values that were missing were present in the A_MEDIAN , A_PCT75 , and A_PCT90 columns. This makes sense, as many niche jobs or management jobs tend to lack a median salary or upper bound on salaries. One thing to note is that the three columns are all dependent on each other. If one value is missing, all subsequent values will be missing. For example, if I am missing a value in my A_MEDIAN , both A_PCT75 and A_PCT90 will also be missing values.

In order to impute our data, we have a few approaches. We could fill them in with zero or drop the data, but both of these options would heavily bias our data. Filling in with zero would bias our salaries lower, while dropping the data is risky as over twenty of our rows having missing values, and dropping all of them would be around 5% of our data being omitted.

If we observe the histograms of the distributions of the salaries, we see that for all percentiles, our salary is heavily right skewed:



Since it's right skewed for all of our data, we can't apply any sort of normal distrubition imputation. We also can't use a Chi-Squared or Gamma distribution. When we plot our data, we see that it is mostly linear, so our best option for imputing the data is using a Linear Regression model.



A note: We did drop three rows. Dancers, Singers/Musicians, Actors. We dropped these rows as they had no salary data. This makes sense as these roles often receive variable compensation.

Using sklearn, we imputed the missing percentile values:

```
median pct25 = LinearRegression()
    X = df.dropna()['A PCT25'].values.reshape(-1, 1)
    y = df.dropna()['A MEDIAN']
    median pct25.fit(X, y)
    median_pct25.score(X, y)
    def median impute(row):
    if np.isnan(row.A_MEDIAN):
        #check if it is null
        return median_pct25.predict(np.array(row.A_PCT25).reshape(-
1, 1))[0]
        #plug in the value we want for our prediction
    else:
        return row.A MEDIAN
        #if it isn't null keep the original value
    df['A_MEDIAN'] = df.apply(median_impute, axis = 1)
    df with states['A MEDIAN'] = df with states.apply(median impute
, axis = 1)
    #we're applying column wise
```

Exploratory Data Analysis

After cleaning our dataset, we're now able to investigate our dataset! Since our main goal is to predict the probability a job title gets automated, we need to take all the unique jobs and find a way to aggregate (group) them together.

My approach to this was to take a given job title, split it into it's word components, and extract the role from that list of words. In order to do this, we split each word into a list and grab the words that end with the letter 's'. This is because roles in our dataset tend to end with the letter 's' (Managers, Executives, Engineers, Painters, etc). From our list of words ending in the ltter 's', we grab the last word as usually roles come last in a sentence. If we do not have words that end with an 's', we just grab the last word in the list as once again, the last word in a job title tends to be correlated with the job at hand.

For example:

```
Marketing Operations Managers becomes ['Marketing',
'Managers'], which when filtered down becomes ['Operations',
'Managers'] which ends up giving us 'Managers'
```

When we are missing a word that ends with 's', we get an example like this:

Postsecondary Teacher becomes ['Postsecondary', 'Teacher'], which ends up giving us 'Teacher' since we just extract the last word of the sentence.

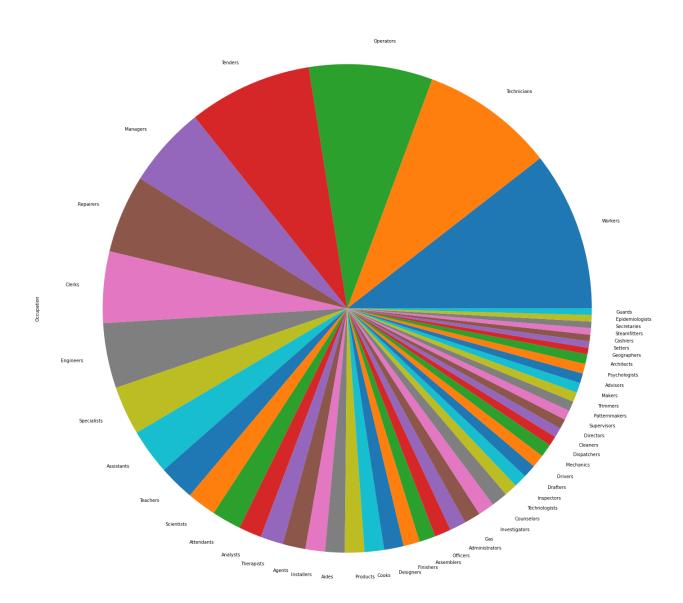
```
def job_finder(lst):
    "'"
    This helper functions takes in a list and checks for
    if a word ends with the letter 's'. It then returns the
    last word in the list of words that end with 's'.

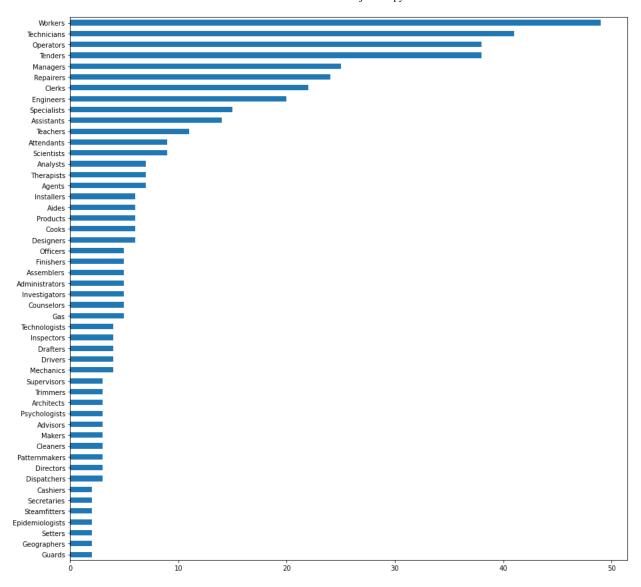
If no word ends in 's', it returns the last word in the sen
tence/list.
    """
    word = list(filter(lambda x: x.endswith('s'), lst))
    #get a list of words that end with s
    if len(word) != 0:
        return word[-1]
        #if we have words that end with s we return the last wo
rd
    else:
        return lst[-1]
        #we just return the last word if it doesn't have 's'
```

Once we have a list of the types of jobs in our dataset, we can group and view some interesting aggregates of our data.

Some interesting plots are:

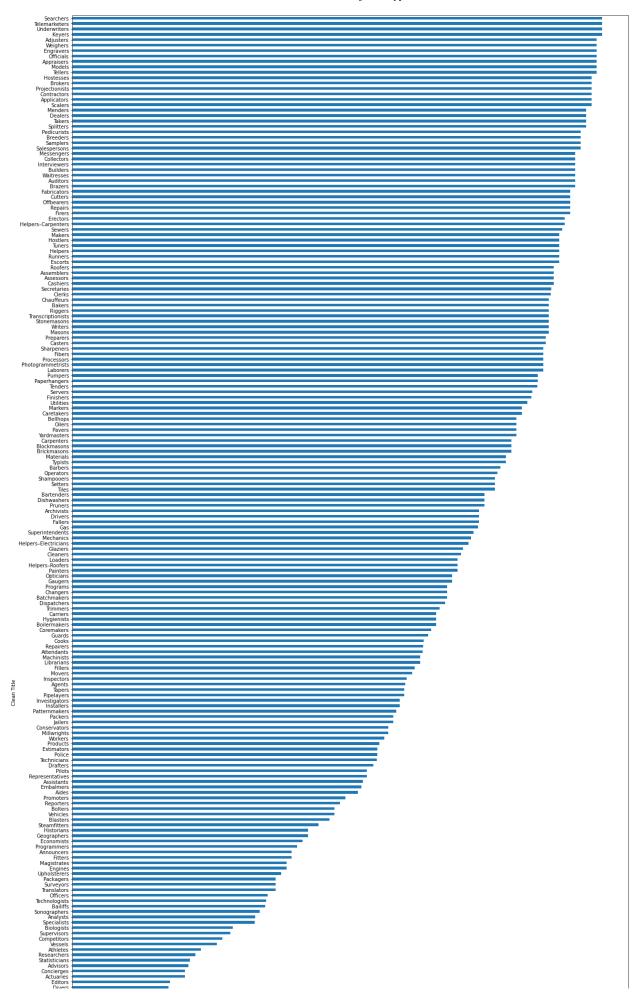
The Top 50 Most Common Jobs

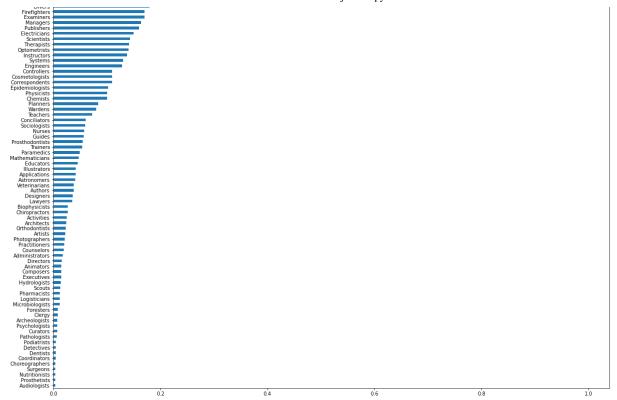




The Probability of Specific Jobs Being Automated

This is sorted in descending order





Top 10 Most Likely to be Automated

	Probability
Clean Title	
Searchers	0.99
Telemarketers	0.99
Underwriters	0.99
Keyers	0.99
Adjusters	0.98
Weighers	0.98
Engravers	0.98
Officials	0.98
Appraisers	0.98
Models	0.98

Top 10 Least Likely to be Automated

Probability

	Probability
Clean Title	
Pathologists	0.0064
Podiatrists	0.0046
Detectives	0.0044
Dentists	0.0044
Coordinators	0.0042
Choreographers	0.0040
Surgeons	0.0039
Nutritionists	0.0039
Prosthetists	0.0035
Audiologists	0.0033

When we look at our data a lot of these probabilities seem accurate.

Telemarketers: The annoying spam callers are without a doubt facing automation, especially with the envoy of new cutting edge speech and NLP AI's. Most advertisement calls, interviewing scheduling calls, and even scam calls are now automated.

Appraisers: Most appraisal can now be done using some sort of Machine Learning Model.

Weighers: We can use AI to weigh a majority of stuff. Electronic Scales, etc.

Officials: For sports, most timing and referee work can be done with cameras that catch images at a high FPS. Most officials tend to be volunteers now (Swimming, Rowing, Soccer, etc).

Surgeons: Although they did do surgery on a grape

(https://www.uchicagomedicine.org/forefront/surgery-articles/they-did-surgery-on-a-grape-and-we-did-a-q-and-a-with-a-surgeon-about-it), we should not expect any automation of surgeons anytime soon.

Detectives: Jobs that require high levels of critical thinking are not likely to face automation anytime soon.

Dentists: Jobs that require fine motors skills or high skill in general are automation safe, for now.

Some observations make less sense though:

Models: I'm not quite sure how we would automate things such as fashion and runway models. Maybe people enjoy seeing digital versions of their clothes? This left me a bit confused.

Models and Feature Engineering

When trying to figure out how to predict our data, since we're using salaries and job counts to predict probability, it's likely best for us to use a Regression model. A classifier wouldn't make much sense here. The three types of Regression we're going to try are LinearRegression(), RandomForestRegression(), and DecisionTreeRegressor().

We also need to select what features we want to use for our baseline model!

The features we are dropping are ['SOC', 'OCC_CODE', 'OCC_TITLE', 'OCC_GROUP']

The reasons why we're dropping each column is:

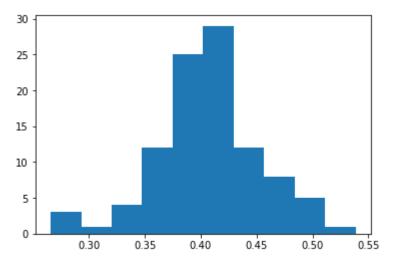
SOC: We're dropping this column. While it is numeric, it's actually a categorical variable that identifies what the unique job is. As so, it will contribute nothing to our model and its predictions.

OCC_CODE, OCC_TITLE, OCC_GROUP: Two of these are repeated iterations of SOC and OCCUPATION left from our inner merge earlier. OCC_GROUP is also not very useful as it's just grouping of jobs and their types. We can drop this.

When creating our baseline model, LinearRegression() ended up working out the best. Both tree regressors ended up giving very low scores for fitting our model. For the rest of our modeling, we stuck with LinearRegression(). The baseline model is attached below.

Here are the distribution of scores for our baseline model:

```
scores = []
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(feature
s, outcome, test_size = 0.3)
    pl.fit(f_train, o_train)
    scores.append(pl.score(f_test, o_test))
plt.hist(scores)
```



The features we engineered to try and improve our model were:

Clean Title (OHE) - This is a one-hot encoded column containing the job title we used to aggregate our jobs on earlier.

State Proportions - This is the proportion of the occupation in each state over the total number of jobs in the United States. Having a proportion lets us know how prevalent a job is in each state. (number of jobs per state/total jobs)

Total Economic Contribution - How much does this job contribute to our GDP? (mean wage * total employees)

Median Salary (Binarized) - A true or false column indicating if Median Salary is greater than what the US considers as upper-middle class salary (\$150,000).

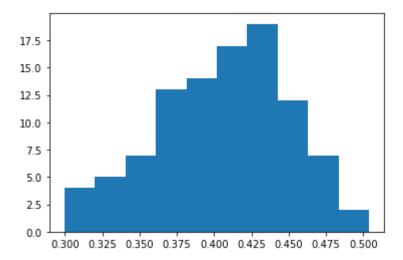
Most Common State - A column containing the state where the occupation is most common. Ordinal State Ranking - A column that ranks states ordinally (drawn from Bureau of labor) and percent risk of automation also from Bureau of labor

For our final model, we were able to improve predictions slightly, but not by much. The final model is attached below:

```
as is = ['STATE RANKING', 'STATE AUTOMATION']
    standard scale = ['TOT EMP', 'A MEAN', 'A PCT10', 'A PCT25',
           'A MEDIAN', 'A PCT75', 'A PCT90', 'ECONOMIC CONTRIBUTIO
N']
    ohe = ['Clean Title', 'Occupation', 'BIGGEST STATE']
    binarize = ['LARGE_SALARY']
    states = ['Alabama', 'Alaska', 'Arizona',
            'Arkansas', 'California', 'Colorado', 'Connecticut', 'D
elaware',
            'District of Columbia', 'Florida', 'Georgia', 'Hawaii',
'Idaho',
            'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'L
ouisiana',
            'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minn
esota',
            'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Neva
da',
            'New Hampshire', 'New Jersey', 'New Mexico', 'New York'
            'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma',
'Oregon',
            'Pennsylvania', 'Rhode Island', 'South Carolina', 'Sout
h Dakota',
            'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'W
ashington',
            'West Virginia', 'Wisconsin', 'Wyoming']
    preproc = ColumnTransformer(
    transformers = [
        #('states', FunctionTransformer(lambda x: x/sum(features st
ate_df['TOT_EMP'])), states),
        #take the proportion of jobs in the US
        ('binarize', Binarizer(), binarize),
        ('as is', FunctionTransformer(lambda x: x), as is),
        ('standard', StandardScaler(), standard scale),
        ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
    ])
    pl = Pipeline(steps = [('preprocessing', preproc), ('regressor'
, LinearRegression())])
```

Here are the distribution of scores for our final model:

```
scores = []
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(feature
s, outcome, test_size = 0.3)
    pl.fit(f_train, o_train)
    scores.append(pl.score(f_test, o_test))
plt.hist(scores)
```



Conclusions and Findings

Even after extensive feature engineering, we were not able to increase the accuracy of the model by much. With just salary and total number of employees present in the US, we are not able to make consistently accurate predictions of jobs and their probabilities of being automated. The highest accuracy we had was around 50%, which is not reliable enough for practical application. For future projects, sourcing from more sources to get more data could generate a more reliable prediction model.

In terms of other findings, the dataset itself provided a very insightful look into the jobs that are being automated right now and what the salaries of those jobs and employee count of those jobs look like. We see that mostly white-collar work (low-skill entry, decent salary) jobs are being automated away. High skill jobs tend to be harder to automate, so logically they are the hardest to automate away. Interesingly enough, programming itself is a job that sits in the middle of the automation distribution. It's likely basic programming tasks are slowly being automated away.

Does this mean automation is bad per se? No it doesn't. Automation itself produces new jobs, just as it takes away the old. Automation is inevitable and we shouldn't fight it, but we should take steps to ensure the automation is done in a way ensures the lifestyles of people working in a traditional setting are not uprooted by innovation.

Code

We start our investigation by importing the neccesary libraries to explore and clean our data.

```
In [340]: import pandas as pd #to manipulate dataframes
import numpy as np
import matplotlib.pyplot as plt #plotting
import os
import seaborn as sns #plotting
```

This line imports our datasets.

auto is a dataframe consisting of the probabilities certain jobs are automated as well as the number of jobs for the listed role present in each state.

salary is a dataframe consisting of salary data for each listed role as well as some summary rows. It contains data such as our average hourly and yealy salary, the standard error for each salary, and the different percentiles for each listed job.

```
In [341]: auto = pd.read_csv('automation_data_by_state.csv', encoding='cp1252')
    salary = pd.read_excel('occupation_salary.xlsx')
In [342]: auto.head(3)
```

Out[342]:

laska	Arizona	Arkansas	California	Colorado	Connecticut	 South Dakota	Tennessee	Texas	Utah	•
760	5750	2710	31150	880	1410	 560	5460	5890	3650	
6490	43300	20680	261780	41540	33280	 3730	44400	168610	36200	
40	470	110	3760	480	300	 0	670	1210	380	

```
In [343]: salary.head(3)
```

Out[343]:

	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRSE	H_MEAN	A_MEAN	MEAN_PRS
0	00-0000	All Occupations	total	140400040	0.1	23.86	49630	0.
1	11-0000	Management Occupations	major	7090790	0.2	56.74	118020	0.
2	11-1000	Top Executives	minor	2465800	0.2	61.03	126950	0

Cleaning and EDA (Exploratory Data Analysis)

Our data is quite clean to begin with, but we are missing some values indicated by the # and * symbols. Along side that, it seems we have some duplicates columns as well, and a couple columns with mostly null values. Let's do some investigation into our data and see what we need to clean up to ensure it is workable for our models and exploration.

```
In [344]: auto.columns, salary.columns
Out[344]: (Index(['SOC', 'Occupation', 'Probability', 'Alabama', 'Alaska', 'Arizon
          a',
                   'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                  'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                  'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                   'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                  'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                   'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                  'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                   'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                   'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washingto
          n',
                  'West Virginia', 'Wisconsin', 'Wyoming'],
                 dtype='object'),
           Index(['OCC CODE', 'OCC TITLE', 'OCC GROUP', 'TOT EMP', 'EMP PRSE', 'H M
          EAN',
                   'A MEAN', 'MEAN PRSE', 'H PCT10', 'H PCT25', 'H MEDIAN', 'H PCT7
          5',
                   'H PCT90', 'A PCT10', 'A PCT25', 'A MEDIAN', 'A PCT75', 'A PCT9
          0',
                   'ANNUAL', 'HOURLY'],
                 dtype='object'))
```

Looks like our automation dataset is quite clean, there isn't a single null value! Most of the cleaning will be done in our salary dataset it seems. This is possibly due to it being an excel file rather than a csv(comma seperated values) file. We see that the ANNUAL and HOURLY columns are mostly null, so we can likely drop that data as it may be too difficult for us to impute data in.

Lets merge our two dataframes together, since we know our auto dataset is quite clean, we mostly want to keep values in our auto dataset and work with those. Lets do an inner merge to keep values present in both tables. We'll join on SOC and OCC_CODE as those are the IDs the US Bureau of Labor Statistics uses to classify these jobs.

In [345]:	<pre>auto.isnull().mean()</pre>		In [346]:	salary.isnu	ll().mean()
Out[345]:	SOC	0.0	Out[346]:	OCC_CODE	0.000000
040[013].	Occupation	0.0	σασίοισίο	OCC_TITLE	0.000000
	Probability	0.0		OCC_TITLE	0.000000
	Alabama			—	
		0.0		TOT_EMP	0.000000
	Alaska	0.0		EMP_PRSE	0.000000
	Arizona	0.0		H_MEAN	0.000000
	Arkansas	0.0		A_MEAN	0.000000
	California	0.0		MEAN_PRSE	0.000000
	Colorado	0.0		H_PCT10	0.00000
	Connecticut	0.0		H_PCT25	0.000000
	Delaware	0.0		H_MEDIAN	0.000000
	District of Columbia	0.0		H_PCT75	0.000000
	Florida	0.0		н_РСТ90	0.000000
	Georgia	0.0		A_PCT10	0.000000
	Hawaii	0.0		A_PCT25	0.000000
	Idaho	0.0		A_MEDIAN	0.000000
	Illinois	0.0		A_PCT75	0.000000
	Indiana	0.0		A_PCT90	0.000000
	Iowa	0.0		ANNUAL	0.941176
	Kansas	0.0		HOURLY	0.995696
	Kentucky	0.0		dtype: floa	t64
	Louisiana	0.0			
	Maine	0.0			
	Maryland	0.0			
	Massachusetts	0.0			
	Michigan	0.0			
	Minnesota	0.0			
	Mississippi	0.0			
	Missouri	0.0			
	Montana	0.0			
	Nebraska	0.0			
	Nevada	0.0			
	New Hampshire	0.0			
	New Jersey	0.0			
	New Mexico	0.0			
	New York	0.0			
	North Carolina	0.0			
	North Dakota	0.0			
	Ohio	0.0			
	Oklahoma	0.0			
	Oregon	0.0			
	Pennsylvania	0.0			
	Rhode Island	0.0			
	South Carolina	0.0			
	South Dakota	0.0			
	Tennessee	0.0			
	Texas	0.0			
	Utah	0.0			
	Vermont	0.0			
	Virginia	0.0			
	Washington	0.0			
	West Virginia	0.0			
	Wisconsin	0.0			
	Wyoming	0.0			
	dtype: float64				

```
In [347]: df = auto.merge(salary, how = 'inner', left_on = 'SOC', right_on = 'OCC_COD
    df = df.drop(["ANNUAL", "HOURLY"], axis = 1)
    df.head(3)
```

Out[347]:

	soc	Occupation	Probability	Alabama	Alaska	Arizona	Arkansas	California	Colorado	Conne
0	11- 1011	Chief Executives	0.015	1030	760	5750	2710	31150	880	
1	11- 1021	General and Operations Managers	0.160	26930	6490	43300	20680	261780	41540	
2	11- 2011	Advertising and Promotions Managers	0.039	50	40	470	110	3760	480	

3 rows × 72 columns

Some of these columns have pretty obscure and unintelligble labels, so lets clarify what some of these labels mean:

- OCC GROUP The category of the size of the group. Total > Major > Minor > Broad > Detailed
- EMP_PRSE Employment Relative Standard Error (i.e. how accurate the information is with higher numbers being bad)
- H MEAN Mean hourly wage
- A MEAN Mean annual wage
- MEAN_PRSE Mean wage Relative Standard Error
- H PCT 10 Hourly wage 10 percentile
- H PCT 25 Hourly wage 25 percentile
- etc..

We've run into our first major issue! A lot of our numerical columns have the dtype of <code>object</code>, implying that they're strings and not numeric values. We want to manipulate numeric values, so we will likely need to convert all of the columns that are numeric to int64 or float64.

However, since many of these columns have values missing/filled in with # and *, we need to either drop those data values, fill them with zero, or find a way to impute them without bias.

```
In [348]: df.dtypes
Out[348]: SOC
                            object
                            object
           Occupation |
           Probability
                           float64
          Alabama
                             int64
          Alaska
                             int64
          A PCT10
                            object
           A PCT25
                            object
           A MEDIAN
                            object
                            object
          A PCT75
          А РСТ90
                            object
          Length: 72, dtype: object
```

Since annual and hourly wages are both linearly dependent on each other (as in we can/should be able to calculate and draw the same information from one rather than both), we can drop one of them and work solely with one of them. Lets work with annual salary rather than hourly wages.

Let's make a smaller dataframe so we can see our data more clearly as well.

Lets investigate what values are missing, indicated by a * or a #.

In [352]: df.loc[(df['A_MEAN'] == '*') | (df['A_MEAN'] == '#')]

Out[352]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRSE
202	27- 2011	Actors	0.370	27-2011	Actors	detailed	48620	8.2
207	27- 2031	Dancers	0.130	27-2031	Dancers	detailed	10060	8.3
210	27- 2042	Musicians and Singers	0.074	27-2042	Musicians and Singers	detailed	40110	3.0

In [353]: df.loc[(df['A_PCT10'] == '*') | (df['A_PCT10'] == '#')]

Out[353]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRSE
202	27- 2011	Actors	0.370	27-2011	Actors	detailed	48620	8.2
207	27- 2031	Dancers	0.130	27-2031	Dancers	detailed	10060	8.3
210	27- 2042	Musicians and Singers	0.074	27-2042	Musicians and Singers	detailed	40110	3.0

In [354]: df.loc[(df['A_PCT25'] == '*') | (df['A_PCT25'] == '#')]

Out[354]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRSE
202	27- 2011	Actors	0.370	27-2011	Actors	detailed	48620	8.2
207	27- 2031	Dancers	0.130	27-2031	Dancers	detailed	10060	8.3
210	27- 2042	Musicians and Singers	0.074	27-2042	Musicians and Singers	detailed	40110	3.0

In [355]: df.loc[(df['A_MEDIAN'] == '*') | (df['A_MEDIAN'] == '#')]

Out[355]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRS
202	27- 2011	Actors	0.3700	27-2011	Actors	detailed	48620	8.
207	27- 2031	Dancers	0.1300	27-2031	Dancers	detailed	10060	8.
210	27- 2042	Musicians and Singers	0.0740	27-2042	Musicians and Singers	detailed	40110	3.
229	29- 1022	Oral and Maxillofacial Surgeons	0.0036	29-1022	Oral and Maxillofacial Surgeons	detailed	5380	9.
230	29- 1023	Orthodontists	0.0230	29-1023	Orthodontists	detailed	5200	8.
235	29- 1060	Physicians and Surgeons	0.0042	29-1060	Physicians and Surgeons	broad	649850	0.

In [356]: df.loc[(df['A_PCT75'] == '*') | (df['A_PCT75'] == '#')]

Out[356]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_I
0	11- 1011	Chief Executives	0.0150	11-1011	Chief Executives	detailed	223260	
202	27- 2011	Actors	0.3700	27-2011	Actors	detailed	48620	
207	27- 2031	Dancers	0.1300	27-2031	Dancers	detailed	10060	
210	27- 2042	Musicians and Singers	0.0740	27-2042	Musicians and Singers	detailed	40110	
228	29- 1021	Dentists; General	0.0044	29-1021	Dentists, General	detailed	105620	
229	29- 1022	Oral and Maxillofacial Surgeons	0.0036	29-1022	Oral and Maxillofacial Surgeons	detailed	5380	
230	29- 1023	Orthodontists	0.0230	29-1023	Orthodontists	detailed	5200	
231	29- 1024	Prosthodontists	0.0550	29-1024	Prosthodontists	detailed	750	
235	29- 1060	Physicians and Surgeons	0.0042	29-1060	Physicians and Surgeons	broad	649850	

In [357]: df.loc[(df['A_PCT90'] == '*') | (df['A_PCT90'] == '#')]

Out[357]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_F
0	11- 1011	Chief Executives	0.0150	11-1011	Chief Executives	detailed	223260	
1	11- 1021	General and Operations Managers	0.1600	11-1021	General and Operations Managers	detailed	2188870	
2	11- 2011	Advertising and Promotions Managers	0.0390	11-2011	Advertising and Promotions Managers	detailed	28860	
3	11- 2021	Marketing Managers	0.0140	11-2021	Marketing Managers	detailed	205900	
4	11- 2022	Sales Managers	0.0130	11-2022	Sales Managers	detailed	365230	
7	11- 3021	Computer and Information Systems Managers	0.0350	11-3021	Computer and Information Systems Managers	detailed	352510	
8	11- 3031	Financial Managers	0.0690	11-3031	Financial Managers	detailed	543300	
25	11- 9121	Natural Sciences Managers	0.0180	11-9121	Natural Sciences Managers	detailed	54780	
52	13- 2052	Personal Financial Advisors	0.5800	13-2052	Personal Financial Advisors	detailed	201850	
93	17- 2171	Petroleum Engineers	0.1600	17-2171	Petroleum Engineers	detailed	32780	
162	23- 1011	Lawyers	0.0350	23-1011	Lawyers	detailed	619530	
202	27- 2011	Actors	0.3700	27-2011	Actors	detailed	48620	
204	27- 2021	Athletes and Sports Competitors	0.2800	27-2021	Athletes and Sports Competitors	detailed	10260	
207	27- 2031	Dancers	0.1300	27-2031	Dancers	detailed	10060	
210	27- 2042	Musicians and Singers	0.0740	27-2042	Musicians and Singers	detailed	40110	
228	29- 1021	Dentists; General	0.0044	29-1021	Dentists, General	detailed	105620	
229	29- 1022	Oral and Maxillofacial Surgeons	0.0036	29-1022	Oral and Maxillofacial Surgeons	detailed	5380	
230	29- 1023	Orthodontists	0.0230	29-1023	Orthodontists	detailed	5200	
231	29- 1024	Prosthodontists	0.0550	29-1024	Prosthodontists	detailed	750	

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_F
235	29- 1060	Physicians and Surgeons	0.0042	29-1060	Physicians and Surgeons	broad	649850	
237	29- 1081	Podiatrists	0.0046	29-1081	Podiatrists	detailed	9800	
361	41- 3031	Securities; Commodities; and Financial Service	0.0160	41-3031	Securities, Commodities, and Financial Service	detailed	353780	
643	53- 2011	Airline Pilots; Copilots; and Flight Engineers	0.1800	53-2011	Airline Pilots, Copilots, and Flight Engineers	detailed	81520	

With the exception of three occupations, Actors, Dancers, and Singers/Musicians, most of our data is missing an upper percentile. This makes sense as often times higher wages are more difficult to calculate since they are more sparsely reported. We will likely need to drop Actors, Dancers, and Singers/Musicians as we simply do not have enough data to use those rows. We need to investigate how we could impute these missing values (Median, 75th, 90th Percentile)

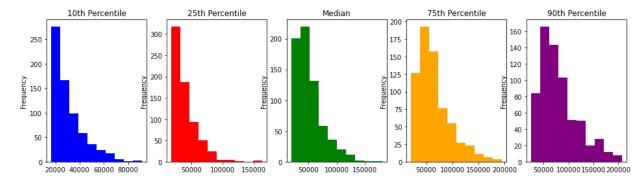
```
In [358]: #lets replace the * and # with np.NaNs
          df.replace('#', np.NaN, inplace = True)
          df.replace('*', np.NaN, inplace = True)
          df_with_states.replace('#', np.NaN, inplace = True)
          df with states.replace('*', np.NaN, inplace = True)
In [359]: df.dtypes
Out[359]: SOC
                           object
          Occupation |
                           object
          Probability
                          float64
          OCC CODE
                           object
          OCC TITLE
                           object
          OCC GROUP
                           object
          TOT EMP
                            int64
          EMP PRSE
                          float64
          A MEAN
                          float64
                          float64
          MEAN PRSE
          A PCT10
                          float64
          A PCT25
                          float64
                          float64
          A MEDIAN
          A PCT75
                          float64
          A PCT90
                          float64
          dtype: object
```

```
Out[360]: SOC
                            object
           Occupation
                            object
           Probability
                           float64
           OCC CODE
                            object
           OCC TITLE
                            object
           OCC GROUP
                            object
                             int64
           TOT EMP
           EMP PRSE
                           float64
                           float64
           A MEAN
                           float64
           MEAN PRSE
                           float64
           A PCT10
           A PCT25
                           float64
           A MEDIAN
                           float64
           A PCT75
                           float64
                           float64
           A PCT90
           dtype: object
```

```
In [362]: fig, axes = plt.subplots(1, 5, figsize=(16,4))

df['A_PCT10'].plot(kind = 'hist', ax=axes[0], title='10th Percentile', colo
    df['A_PCT25'].plot(kind = 'hist', ax=axes[1], title='25th Percentile', colo
    df['A_MEDIAN'].plot(kind = 'hist', ax=axes[2], title='Median', color = 'gre
    df['A_PCT75'].plot(kind = 'hist', ax=axes[3], title='75th Percentile', colo
    df['A_PCT90'].plot(kind = 'hist', ax=axes[4], title='90th Percentile', colo
```

Out[362]: <AxesSubplot:title={'center':'90th Percentile'}, ylabel='Frequency'>



```
df.isnull().mean()
In [363]:
Out[363]: SOC
                         0.00000
          Occupation
                         0.00000
          Probability
                         0.00000
          OCC_CODE
                         0.00000
          OCC TITLE
                         0.00000
          OCC_GROUP
                         0.00000
          TOT_EMP
                         0.00000
          EMP_PRSE
                         0.00000
          A MEAN
                         0.00000
          MEAN_PRSE
                         0.00000
          A PCT10
                         0.00000
          A PCT25
                         0.00000
          A MEDIAN
                         0.004380
          A_PCT75
                         0.008759
          A PCT90
                         0.029197
          dtype: float64
```

Our data is missing at random (MAR) depedent on previous percentile columns. If we look at our data, any column missing the previous percentile (say the median), will be missing all subsequent percentiles (75th, 90th).

Lets see if we can impute the data using linear regression.

```
In [364]: sns.regplot(df['A_PCT75'], df['A_MEDIAN'], line_kws={"color": "red"})
sns.regplot(df['A_PCT90'], df['A_MEDIAN'], line_kws={"color": "green"})
```

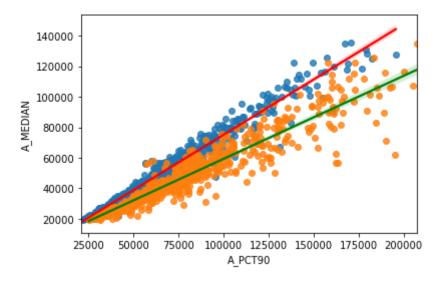
/Users/brianhuang/opt/anaconda3/lib/python3.8/site-packages/seaborn/_deco rators.py:36: FutureWarning: Pass the following variables as keyword arg s: x, y. From version 0.12, the only valid positional argument will be `d ata`, and passing other arguments without an explicit keyword will result in an error or misinterpretation.

```
warnings.warn(
```

/Users/brianhuang/opt/anaconda3/lib/python3.8/site-packages/seaborn/_deco rators.py:36: FutureWarning: Pass the following variables as keyword arg s: x, y. From version 0.12, the only valid positional argument will be `d ata`, and passing other arguments without an explicit keyword will result in an error or misinterpretation.

warnings.warn(

Out[364]: <AxesSubplot:xlabel='A_PCT90', ylabel='A_MEDIAN'>



Our data is in fact linear!

```
In [365]: from sklearn.linear_model import LinearRegression

In [366]: median_pct10 = LinearRegression()
    X = df.dropna()['A_MEDIAN'].values.reshape(-1, 1)
    y = df.dropna()['A_PCT10']
    median_pct10.fit(X, y)
    median_pct10.score(X, y)
```

This linear regression model using the 10th percentile has a score of 90%, which is lower than when we regress against the 25th percentile, so we will use the 25th percentile to impute our data!

Impute our Median

Out[366]: 0.9096855513608675

```
In [367]: median_pct25 = LinearRegression()
          X = df.dropna()['A PCT25'].values.reshape(-1, 1)
          y = df.dropna()['A_MEDIAN']
          median_pct25.fit(X, y)
          median pct25.score(X, y)
Out[367]: 0.9716513598120117
In [368]: def median impute(row):
              if np.isnan(row.A MEDIAN):
                  #check if it is null
                  return median pct25.predict(np.array(row.A PCT25).reshape(-1, 1))[0
                  #plug in the value we want for our prediction
              else:
                  return row.A MEDIAN
                  #if it isn't null keep the original value
In [369]: |df['A MEDIAN'] = df.apply(median impute, axis = 1)
          df_with_states['A_MEDIAN'] = df_with_states.apply(median_impute, axis = 1)
          #we're applying column wise
In [370]: df['A MEDIAN'].isnull().mean()
Out[370]: 0.0
```

Impute our 75th Percentile

We've filled in the null values for all our median values. We can use that to regress on our 75th percentile now.

```
In [181]: pct75_median = LinearRegression()
    X = df.dropna()['A_MEDIAN'].values.reshape(-1, 1)
    y = df.dropna()['A_PCT75']
    pct75_median.fit(X, y)
    pct75_median.score(X, y)

Out[181]: 0.9694471291503226

In [182]: def pct75_impute(row):
    if np.isnan(row.A_PCT75):
        #check if it is null
        return pct75_median.predict(np.array(row.A_MEDIAN).reshape(-1, 1))[
        #plug in the value we want for our prediction
    else:
        return row.A_PCT75
        #if it isn't null keep the original value
```

```
Prediction Automation - SOCI 136 Final Project - Jupyter Notebook
In [371]: df['A PCT75'] = df.apply(pct75 impute, axis = 1)
          df with states['A PCT75'] = df with states.apply(pct75 impute, axis = 1)
           #we're applying column wise
In [372]: df['A_PCT75'].isnull().mean()
Out[372]: 0.0
           Impute our 90th Percentile
In [373]: pct90 median = LinearRegression()
          X = df.dropna()['A MEDIAN'].values.reshape(-1, 1)
          y = df.dropna()['A_PCT90']
          pct90 median.fit(X, y)
          pct90_median.score(X, y)
Out[373]: 0.8840707862523232
In [374]: pct90_pct75 = LinearRegression()
          X = df.dropna()['A_PCT75'].values.reshape(-1, 1)
          y = df.dropna()['A_PCT90']
          pct90_pct75.fit(X, y)
          pct90 pct75.score(X, y)
Out[374]: 0.9599652528485136
```

```
In [375]: def pct90 impute(row):
              if np.isnan(row.A PCT90):
                  #check if it is null
                  return pct90 pct75.predict(np.array(row.A PCT75).reshape(-1, 1))[0]
                  #plug in the value we want for our prediction
                  return row.A PCT90
                  #if it isn't null keep the original value
```

```
In [376]: df['A PCT90'] = df.apply(pct90 impute, axis = 1)
          df with states['A PCT90'] = df with states.apply(pct90 impute, axis = 1)
          #we're applying column wise
```

```
In [377]: | df['A PCT90'].isnull().mean()
Out[377]: 0.0
```

All our null values should be cleaned now! Data types should also be correct!

```
df.isnull().mean(), df.dtypes
Out[378]: (SOC
                            0.0
            Occupation
                            0.0
            Probability
                            0.0
            OCC CODE
                            0.0
            OCC TITLE
                            0.0
            OCC_GROUP
                            0.0
            TOT_EMP
                            0.0
            EMP_PRSE
                            0.0
            A MEAN
                            0.0
            MEAN_PRSE
                            0.0
            A PCT10
                            0.0
                            0.0
            A PCT25
                            0.0
            A MEDIAN
            A PCT75
                            0.0
            A PCT90
                            0.0
            dtype: float64,
            SOC
                             object
                             object
            Occupation
            Probability
                            float64
            OCC CODE
                             object
            OCC_TITLE
                             object
            OCC GROUP
                             object
            TOT EMP
                              int64
            EMP PRSE
                            float64
                            float64
            A MEAN
            MEAN PRSE
                            float64
            A PCT10
                            float64
            A PCT25
                            float64
                            float64
            A MEDIAN
            A PCT75
                            float64
            А РСТ90
                            float64
            dtype: object)
```

Lets explore some of our data now that it's all cleaned up! The first question we should investigate is what jobs or rather job titles are most frequent in our dataset? Is there a way for us to group the data so that we can investigate if certain types of jobs are more prone to automation?

The dataset presents us with a unique set of job titles so we'll need to do some cleaning to aggregate certain jobs together. In our set we see many forms of managers, executives, engineers, etc. Lets see if we can create a column that we can use to group all of this data together.

Out[577]: 0

```
In [577]: common_words = df['Occupation'].str.replace(';',"").str.split().apply(job_f
#pull all our occupations, strip them into individual words, split them int
common_words.head(10)
```

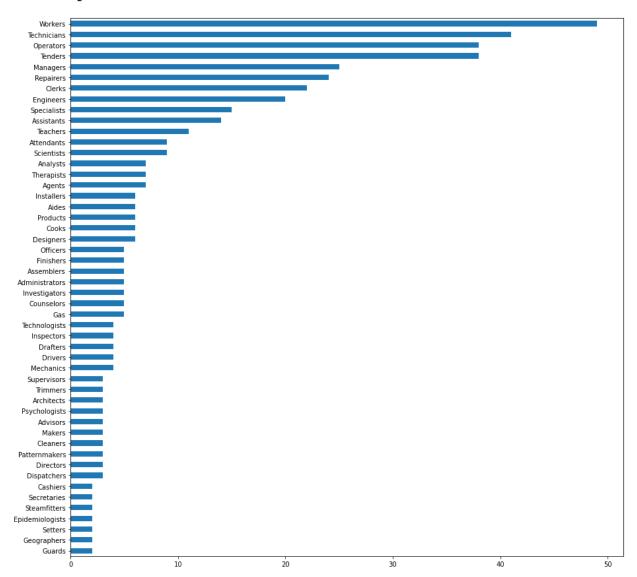
```
1
       Managers
2
       Managers
3
       Managers
4
       Managers
5
       Managers
6
       Managers
7
       Managers
8
       Managers
       Managers
Name: Occupation, dtype: object
```

Executives

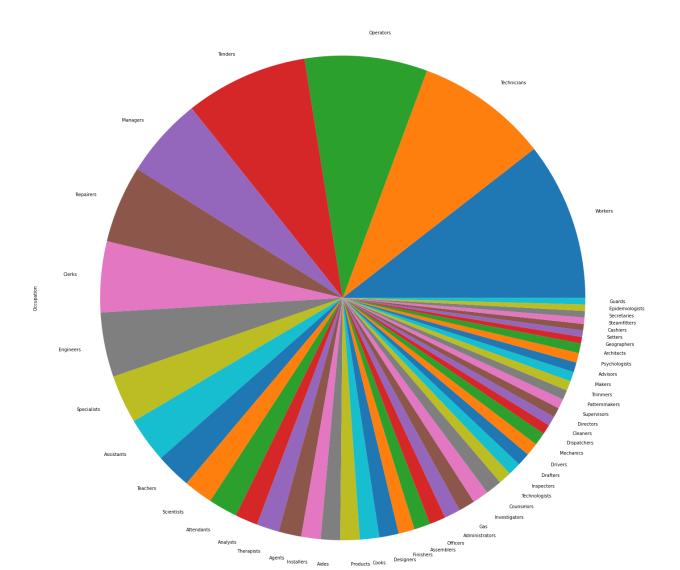
The two plots below display the frequency of the most common jobs. We imagine that jobs with more frequency are more prone to automation as they tend to be white-collar work (easy entry with low education). We can also see some older jobs may be prone to automation in our plot following these two plots.

In [381]: common_words.value_counts().head(50).sort_values().plot(kind = 'barh', figs

Out[381]: <AxesSubplot:>



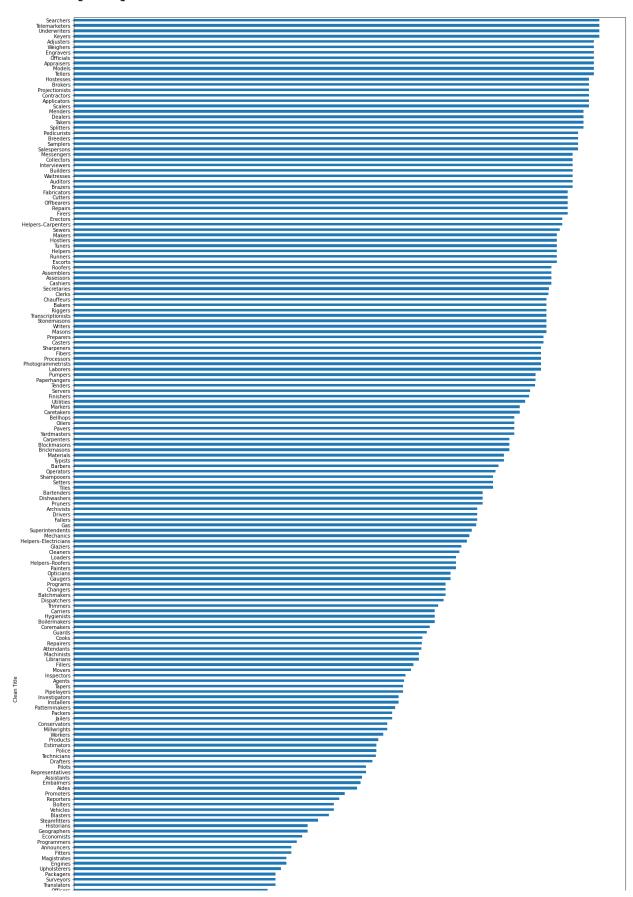
```
In [382]: common_words.value_counts().head(50).plot(kind = 'pie', figsize = (25, 25))
Out[382]: <AxesSubplot:ylabel='Occupation'>
```

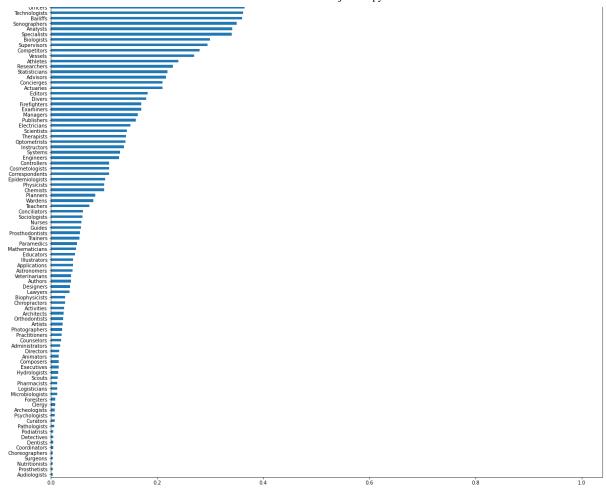


This horizontal bar graph shows the probability of each grouped job title being automated, sorted in descending order (largest to smallest).

```
In [384]: df['Clean Title'] = common_words
    df_with_states['Clean Title'] = common_words
    df.groupby('Clean Title')['Probability'].mean().sort_values().plot(kind = '
```

Out[384]: <AxesSubplot:ylabel='Clean Title'>





In [196]: df.groupby('Clean Title')['Prob #jobs with the highest likeliho

In [197]: df.groupby('Clean Title')['Prob #jobs that are least likely to

Out[196]:

Out[197]:

	Probability		Probability
Clean Title		Clean Title	
Searchers	0.99	Pathologists	0.0064
Telemarketers	0.99	Podiatrists	0.0046
Underwriters	0.99	Detectives	0.0044
Keyers	0.99	Dentists	0.0044
Adjusters	0.98	Coordinators	0.0042
Weighers	0.98	Choreographers	0.0040
Engravers	0.98	Surgeons	0.0039
Officials	0.98	Nutritionists	0.0039
Appraisers	0.98	Prosthetists	0.0035
Models	0.98	Audiologists	0.0033

Prediction Model

Before we create our prediction model, we need to decide which features we're going to use, what features we are going to engineer, and how we're going to deal with categorical features.

In [198]: df.head()

Out[198]:

	soc	Occupation	Probability	OCC_CODE	OCC_TITLE	OCC_GROUP	TOT_EMP	EMP_PRSE	A
0	11- 1011	Chief Executives	0.015	11-1011	Chief Executives	detailed	223260	0.7	19
1	11- 1021	General and Operations Managers	0.160	11-1021	General and Operations Managers	detailed	2188870	0.3	12
2	11- 2011	Advertising and Promotions Managers	0.039	11-2011	Advertising and Promotions Managers	detailed	28860	2.3	1 ⁻
3	11- 2021	Marketing Managers	0.014	11-2021	Marketing Managers	detailed	205900	1.0	14
4	11- 2022	Sales Managers	0.013	11-2022	Sales Managers	detailed	365230	0.6	1(

```
In [396]: features_df = df.drop(['SOC', 'OCC_CODE', 'OCC_TITLE', 'OCC_GROUP'], axis =
    features_state_df = df_with_states.drop(['SOC', 'OCC_CODE', 'OCC_TITLE', 'O
```

The features we are dropping are ['SOC', 'OCC_CODE', 'OCC_TITLE', 'OCC_GROUP']

The reasons why we're dropping each column is:

SOC: We're dropping this column. While it is numeric, it's actually a categorical variable that identifies what the unique job is. As so, it will contribute nothing to our model and its predictions.

OCC_CODE, OCC_TITLE, OCC_GROUP: Two of these are repeated iterations of SOC and OCCUPATION left from our inner merge earlier. OCC_GROUP is also not very useful as it's just grouping of jobs and their types. We can drop this.

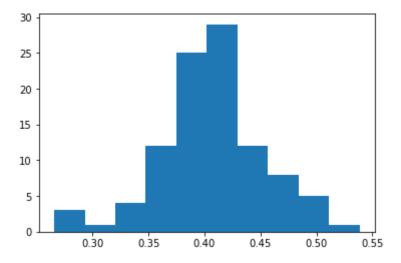
```
In [561]: from sklearn.pipeline import Pipeline
          #create our pipelines
          from sklearn.preprocessing import OneHotEncoder
          from sklearn.preprocessing import FunctionTransformer
          from sklearn.preprocessing import OrdinalEncoder
          #ohe our categorical column
          from sklearn.preprocessing import StandardScaler
          from sklearn.preprocessing import Binarizer
          #scale our numerical variables
          from sklearn.compose import ColumnTransformer
          from sklearn.ensemble import RandomForestRegressor
          from sklearn.tree import DecisionTreeRegressor
          #assemble our models
          from sklearn.model selection import train test split
          from sklearn.model selection import GridSearchCV
          #ensure fairness in our models (no overfitting or bias)
          from sklearn.decomposition import PCA
          from sklearn.decomposition import TruncatedSVD
          from sklearn.metrics import mean squared error
```

Baseline Model

We use our baseline model to compare against any future model we make.

```
In [578]: outcome = df['Probability']
          features = features df.drop('Probability', axis = 1)
In [618]: standard_scale = ['TOT_EMP', 'EMP_PRSE', 'A MEAN', 'MEAN PRSE', 'A PCT10',
                  'A_MEDIAN', 'A_PCT75', 'A_PCT90']
          ohe = ['Clean Title', 'Occupation']
          preproc = ColumnTransformer(
          transformers = [
              ('standard', StandardScaler(), standard scale),
              ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
          ])
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [619]: f train, f test, o train, o test = train test split(features, outcome, test
          pl.fit(f train, o train)
          pl.score(f test, o test)
Out[619]: 0.4244483399556953
In [611]: mean squared error(o test, pl.predict(f test), squared = False)
Out[611]: 0.2758217172210338
```

```
In [584]: scores = []
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(features, outcome,
    pl.fit(f_train, o_train)
    scores.append(pl.score(f_test, o_test))
```



As we can see, our baseline model is not very good right now. Our scores are also highly variant. What features can we engineer to improve our model as it is now?

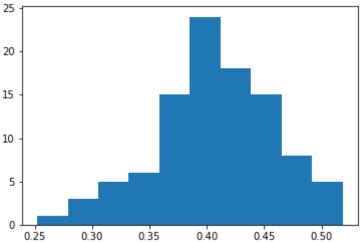
Model Selection

```
In [403]: outcome = df['Probability']
  features = features_df.drop('Probability', axis = 1)
```

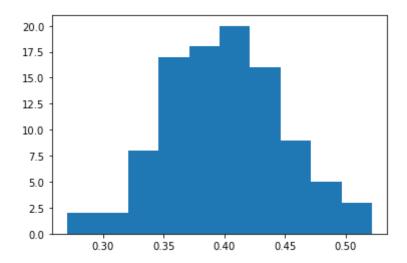
```
In [404]: features_df.head(5)
```

Out[404]:

	Occupation	Probability	TOT_EMP	EMP_PRSE	A_MEAN	MEAN_PRSE	A_PCT10	A_PCT25	A_N
0	Chief Executives	0.015	223260	0.7	194350.0	0.4	69780.0	114100.0	1
1	General and Operations Managers	0.160	2188870	0.3	122090.0	0.2	44290.0	64890.0	!
2	Advertising and Promotions Managers	0.039	28860	2.3	117810.0	1.5	44950.0	67000.0	10
3	Marketing Managers	0.014	205900	1.0	144140.0	0.5	67490.0	93200.0	1;
4	Sales Managers	0.013	365230	0.6	135090.0	0.3	55790.0	79420.0	1



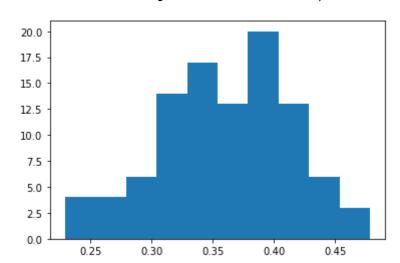
```
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(features, outcome,
    pl.fit(f_train, o_train)
    scores.append(pl.score(f_test, o_test))
```



```
In [412]: f_train, f_test, o_train, o_test = train_test_split(features, outcome, test
    pl.fit(f_train, o_train)
    pl.score(f_test, o_test)
```

Out[412]: 0.19903510317935946

```
In [413]: scores = []
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(features, outcome,
    pl.fit(f_train, o_train)
        scores.append(pl.score(f_test, o_test))
plt.hist(scores)
```



Looks like our best bet for a model is going to be sticking with LinearRegression models. All the Decision Tree regressors are having issues with default max_depth, so its best to stick with what we know best.

Feature Engineering

```
In [414]: features_df["ECONOMIC_CONTRIBUTION"] = features_df['A_MEAN'] * features_df[
    features_state_df["ECONOMIC_CONTRIBUTION"] = features_df['A_MEAN'] * featur
    features_df.head(1)
```

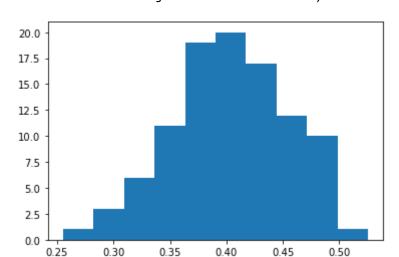
Out[414]:

Probability TOT_EMP EMP_PRSE A_MEAN MEAN_PRSE A_PCT10 A_PCT25 A_MEDIAN A_PC 0.015 223260 0.7 194350.0 0.4 69780.0 114100.0 181210.0 234946.310

The amount a job contributes to the economy could factor in to how likely it is or isn't to be automated, so let's calculate how much each job adds to the economy in terms of workers being paid and money being put back into the circulation.

```
outcome = df['Probability']
In [284]:
          features = features_df.drop('Probability', axis = 1)
In [285]: standard_scale = ['TOT_EMP', 'A_MEAN', 'A_PCT10', 'A PCT25',
                  'A MEDIAN', 'A PCT75', 'A PCT90', 'ECONOMIC CONTRIBUTION']
          ohe = ['Clean Title', 'Occupation']
          preproc = ColumnTransformer(
          transformers = [
              ('standard', StandardScaler(), standard scale),
              ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
          ])
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [286]: f_train, f_test, o_train, o_test = train_test_split(features, outcome, test
          pl.fit(f train, o train)
          pl.score(f_test, o_test)
Out[286]: 0.42815925038702685
```

```
In [622]: scores = []
for _ in range(100):
    f_train, f_test, o_train, o_test = train_test_split(features, outcome,
    pl.fit(f_train, o_train)
        scores.append(pl.score(f_test, o_test))
plt.hist(scores)
```



Another thing we could consider is that very high salaries could be for high-skill jobs that are not likely to be automated. Let's add a column that is the binarized form of our median annual salary. We're using the median as it is more considerate of outliers, which are heavily present in wages (think about how some people make very large salaries and bias our mean).

```
In [623]: features_df['LARGE_SALARY'] = features_df['A_MEDIAN'] > 150000
    features_state_df['LARGE_SALARY'] = features_df['A_MEDIAN'] > 150000

In [624]: outcome = df['Probability']
    features = features_df.drop('Probability', axis = 1)
```

```
In [625]: standard_scale = ['TOT_EMP', 'A MEAN', 'A PCT10', 'A PCT25',
                  'A_MEDIAN', 'A_PCT75', 'A_PCT90', 'ECONOMIC_CONTRIBUTION']
          ohe = ['Clean Title', 'Occupation']
          binarize = ['LARGE_SALARY']
          preproc = ColumnTransformer(
          transformers = [
              ('binarize', Binarizer(), binarize),
              ('standard', StandardScaler(), standard_scale),
              ('one_hot', OneHotEncoder(handle_unknown = 'ignore'), ohe)
          ])
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [626]: f_train, f_test, o_train, o_test = train_test_split(features, outcome, test
          pl.fit(f_train, o_train)
          pl.score(f_test, o_test)
Out[626]: 0.3715094708644727
In [627]: scores = []
          for _ in range(100):
              f_train, f_test, o_train, o_test = train_test_split(features, outcome,
              pl.fit(f_train, o_train)
              scores.append(pl.score(f test, o test))
          plt.hist(scores)
Out[627]: (array([ 3., 6., 4., 20., 16., 14., 19., 6., 8., 4.]),
           array([0.32198325, 0.34025765, 0.35853206, 0.37680646, 0.39508086,
                  0.41335527, 0.43162967, 0.44990407, 0.46817848, 0.48645288,
                  0.50472728]),
           <BarContainer object of 10 artists>)
           20.0
           17.5
           15.0
           12.5
           10.0
            7.5
            5.0
            2.5
```

Lets see if adding data about the states impacts how our model predicts information.

```
In [628]: outcome = features_state_df['Probability']
    features = features_state_df.drop('Probability', axis = 1)
```

0.0

```
In [629]: standard_scale = ['TOT_EMP', 'A_MEAN', 'A_PCT10', 'A_PCT25',
                  'A_MEDIAN', 'A_PCT75', 'A_PCT90', 'ECONOMIC_CONTRIBUTION', 'Alabama'
                  'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                  'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                  'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                  'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                  'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                  'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                  'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                  'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                  'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington',
                  'West Virginia', 'Wisconsin', 'Wyoming']
          ohe = ['Clean Title', 'Occupation']
          binarize = ['LARGE SALARY']
          preproc = ColumnTransformer(
          transformers = [
              ('binarize', Binarizer(), binarize),
              ('standard', StandardScaler(), standard_scale),
              ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
          ])
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [630]: f_train, f_test, o_train, o_test = train_test_split(features, outcome, test
```

```
In [630]: f_train, f_test, o_train, o_test = train_test_split(features, outcome, test
pl.fit(f_train, o_train)
pl.score(f_test, o_test)
```

Out[630]: 0.4164919615092717

No change it seems. Let's see if we can engineer the states columns to give us more data about our set. We'll start by engineering a column that gives us the state where each job is most present. We can use that column to also engineer another column giving us an ordinal ranking of if a state is highly likely to have jobs automated (1) or very unlikely (50).

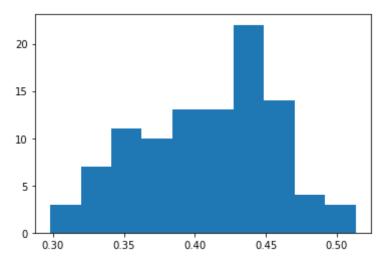
```
In [631]: features_state_df[['Alabama', 'Alaska', 'Arizona',
                    'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                    'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                    'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                    'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                    'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                    'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                    'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                    'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                    'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington', 'West Virginia', 'Wisconsin', 'Wyoming']] = features_state_df[['Ala
                    'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                    'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                    'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                    'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                    'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                    'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                    'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                    'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                    'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington',
                    'West Virginia', 'Wisconsin', 'Wyoming']]/sum(features_state_df['TO
           #get the percent of jobs present in each state
In [632]: features_state_df["BIGGEST_STATE"] = features_state_df[['Alabama', 'Alaska']
                    'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                    'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                    'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                    'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                    'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                    'New Hampshire', 'New Jersey', 'New Mexico', 'New York', 'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                    'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                    'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington', 'West Virginia', 'Wisconsin', 'Wyoming']].idxmax(axis = 1)
           #qrab the state which has the most of this specific occupation
In [633]: | features_state_df[['Occupation', 'BIGGEST_STATE']]['BIGGEST_STATE']
Out[633]: 0
                      California
           1
                      California
           2
                        New York
           3
                      California
                      California
           680
                           Texas
           681
                           Texas
           682
                      California
           683
                  West Virginia
           684
                           Texas
           Name: BIGGEST STATE, Length: 685, dtype: object
```

In [634]: #this data is sourced from smartasset, which sourced its data from the US B #https://smartasset.com/checking-account/states-where-jobs-are-most-vulnera states = {'Nevada': 1, 'South Dakota': 2, 'Wyoming': 3, 'Louisiana': 4, 'Montana': 5, 'South Carolina': 6, 'Mississippi': 7, 'Florida': 8, 'Texas': 9, 'Alabama': 10, 'West Virginia': 11, 'Oklahoma': 12, 'Idaho': 13, 'Hawaii': 14, 'Arkansas': 15, 'North Dakota': 16, 'Missouri': 17, 'Wisconsin': 18, 'Indiana': 19, 'Kansas': 20, 'Nebraska': 21, 'Iowa': 22, 'New Mexico': 23, 'Tennessee': 24, 'Kentucky': 25, 'Pennsylvania': 26, 'Maine': 27, 'Delaware': 28, 'Georgia': 29, 'North Carolina': 30, 'New Hampshire': 31, 'Ohio': 32, 'Alaska': 33, 'Utah': 34, 'Arizona': 35, 'Oregon': 36, 'Michigan': 37, 'California': 38, 'Vermont': 39, 'Washington': 40, 'New Jersey': 41, 'Rhode Island': 42, 'Illinois': 43, 'Minnesota': 44, 'Colorado': 45, 'New York': 46, 'Virginia': 47, 'Connecticut': 48, 'Maryland': 49, 'Massachusetts': 50, 'District of Columbia': 51 } percents = {'Nevada': .5916,

```
'South Dakota': .5849,
 'Wyoming': .5644,
 'Louisiana': .5590,
 'Montana': .5536,
 'South Carolina': .5528,
 'Mississippi': .5509,
 'Florida': .5503,
 'Texas': .5501,
 'Alabama': .5499,
 'West Virginia': .5478,
 'Oklahoma': .5463,
 'Idaho': .5460,
 'Hawaii': .5445,
 'Arkansas': .5444,
 'North Dakota': .5438,
 'Missouri': .5432,
 'Wisconsin': .5411,
 'Indiana': .5404,
 'Kansas': .5399,
 'Nebraska': .5397,
 'Iowa': .5382,
 'New Mexico': .5382,
 'Tennessee': .5380,
 'Kentucky': .5377,
 'Pennsylvania': .5368,
 'Maine': .5359,
 'Delaware': .5326,
 'Georgia': .5323,
 'North Carolina': .5314,
 'New Hampshire': .5300,
 'Ohio': .5299,
 'Alaska': .5280,
 'Utah': .5266,
 'Arizona': .5229,
 'Oregon': .5215,
 'Michigan': .5202,
 'California': .5197,
 'Vermont': .5181,
 'Washington': .5165,
 'New Jersey': .5160,
 'Rhode Island': .5153,
 'Illinois': .5152,
 'Minnesota': .5137,
 'Colorado': .5128,
 'New York': .5088,
 'Virginia': .5040,
 'Connecticut': .4967,
 'Maryland': .4849,
 'Massachusetts': .4743,
 'District of Columbia': .3779
}
```

```
In [635]: features_state_df["STATE_RANKING"] = features_state_df['BIGGEST_STATE'].rep
features_state_df["STATE_AUTOMATION"] = features_state_df['BIGGEST_STATE'].
```

```
In [636]: | outcome = features_state_df['Probability']
          features = features state df.drop('Probability', axis = 1)
In [643]: as_is = ['STATE_RANKING', 'STATE_AUTOMATION']
          standard scale = ['TOT EMP', 'A MEAN', 'A PCT10', 'A PCT25',
                 'A_MEDIAN', 'A_PCT75', 'A_PCT90', 'ECONOMIC_CONTRIBUTION']
          ohe = ['Clean Title', 'Occupation', 'BIGGEST_STATE']
          binarize = ['LARGE_SALARY']
          states = ['Alabama', 'Alaska', 'Arizona',
                  'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                  'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                  'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                  'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                  'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                  'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                  'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                  'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                  'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington',
                  'West Virginia', 'Wisconsin', 'Wyoming']
          preproc = ColumnTransformer(
          transformers = [
              #('states', FunctionTransformer(lambda x: x/sum(features state df['TOT
              #take the proportion of jobs in the US
              ('binarize', Binarizer(), binarize),
              ('as is', FunctionTransformer(lambda x: x), as_is),
              ('standard', StandardScaler(), standard scale),
              ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
          1)
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [644]: f train, f test, o train, o test = train test split(features, outcome, test
          pl.fit(f train, o train)
          pl.score(f test, o test)
Out[644]: 0.397074772133411
In [645]: scores = []
          for in range(100):
              f train, f test, o train, o test = train test split(features, outcome,
              pl.fit(f train, o train)
              scores.append(pl.score(f_test, o_test))
```



```
In [647]: mean_squared_error(o_test, pl.predict(f_test), squared = False)
```

Out[647]: 0.2684132907877855

Final Model

```
In [648]: as is = ['STATE RANKING', 'STATE AUTOMATION']
          standard scale = ['TOT EMP', 'A MEAN', 'A PCT10', 'A PCT25',
                 'A_MEDIAN', 'A_PCT75', 'A_PCT90', 'ECONOMIC_CONTRIBUTION']
          ohe = ['Clean Title', 'Occupation', 'BIGGEST_STATE']
          binarize = ['LARGE SALARY']
          states = ['Alabama', 'Alaska', 'Arizona',
                   'Arkansas', 'California', 'Colorado', 'Connecticut', 'Delaware',
                  'District of Columbia', 'Florida', 'Georgia', 'Hawaii', 'Idaho',
                  'Illinois', 'Indiana', 'Iowa', 'Kansas', 'Kentucky', 'Louisiana',
                  'Maine', 'Maryland', 'Massachusetts', 'Michigan', 'Minnesota',
                  'Mississippi', 'Missouri', 'Montana', 'Nebraska', 'Nevada',
                  'New Hampshire', 'New Jersey', 'New Mexico', 'New York',
                  'North Carolina', 'North Dakota', 'Ohio', 'Oklahoma', 'Oregon',
                  'Pennsylvania', 'Rhode Island', 'South Carolina', 'South Dakota',
                  'Tennessee', 'Texas', 'Utah', 'Vermont', 'Virginia', 'Washington',
                  'West Virginia', 'Wisconsin', 'Wyoming']
          preproc = ColumnTransformer(
          transformers = [
              #('states', FunctionTransformer(lambda x: x/sum(features state df['TOT
              #take the proportion of jobs in the US
              ('binarize', Binarizer(), binarize),
              ('as_is', FunctionTransformer(lambda x: x), as_is),
              ('standard', StandardScaler(), standard scale),
              ('one hot', OneHotEncoder(handle unknown = 'ignore'), ohe)
          ])
          pl = Pipeline(steps = [('preprocessing', preproc), ('regressor', LinearRegr
In [649]: f train, f test, o train, o test = train test split(features, outcome, test
          pl.fit(f train, o train)
          pl.score(f test, o test)
Out[649]: 0.512132295771798
In [650]: mean squared error(o test, pl.predict(f test), squared = False)
Out[650]: 0.25500664187457406
In [651]: scores = []
          for in range(100):
              f_train, f_test, o_train, o_test = train_test_split(features, outcome,
              pl.fit(f train, o train)
              scores.append(pl.score(f test, o test))
```

```
In [652]: plt.hist(scores)
```

