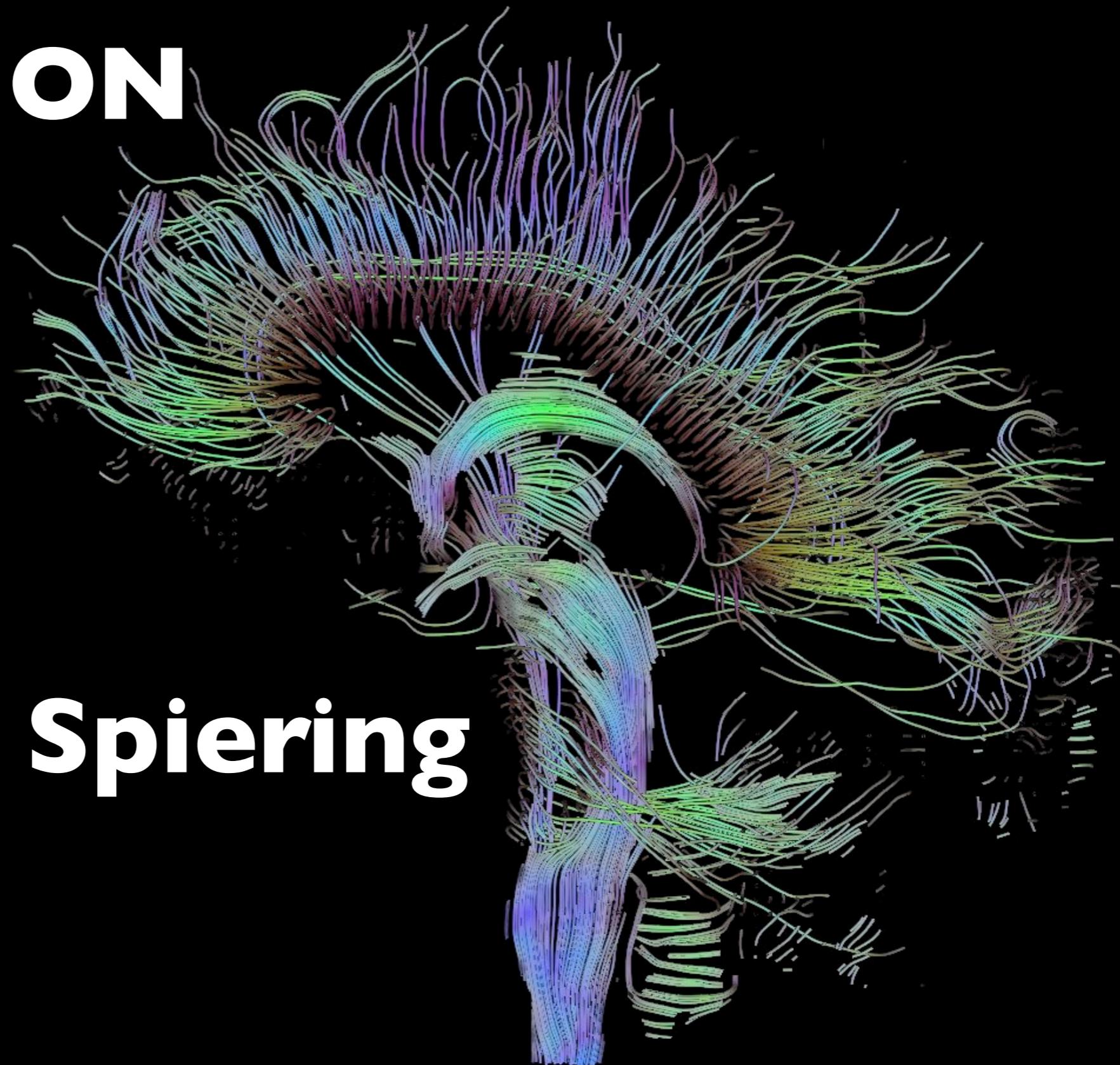


Building Better Models in Cognitive Neuroscience: APPLICATION



Dr. Brian J. Spiering

Review

- Better models help solve better problems
- Why?
- Ideals
- Modeling

ESTIMATION QUESTIONS
OD QUESTIONS
QUESTIONS
QUESTIONS
QUESTIONS







**HOW DOES
PROCEDURAL
EXPERTISE
DEVELOP?**

1) Idea

2) Inception

3) Instantiations

Previous Notions

“It has been widely held that although memory traces are at first formed in the cerebral cortex, they are finally reduced or transferred by long practice to subcortical levels” (p. 466)

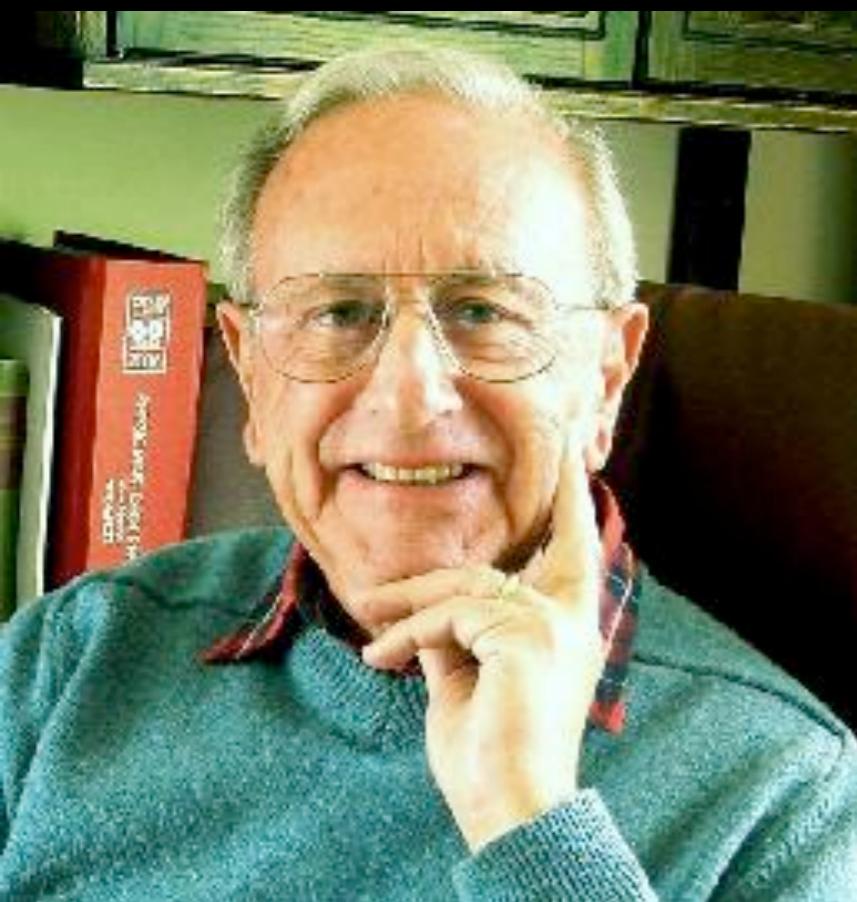
Karl Lashley (1950)

In search of the engram



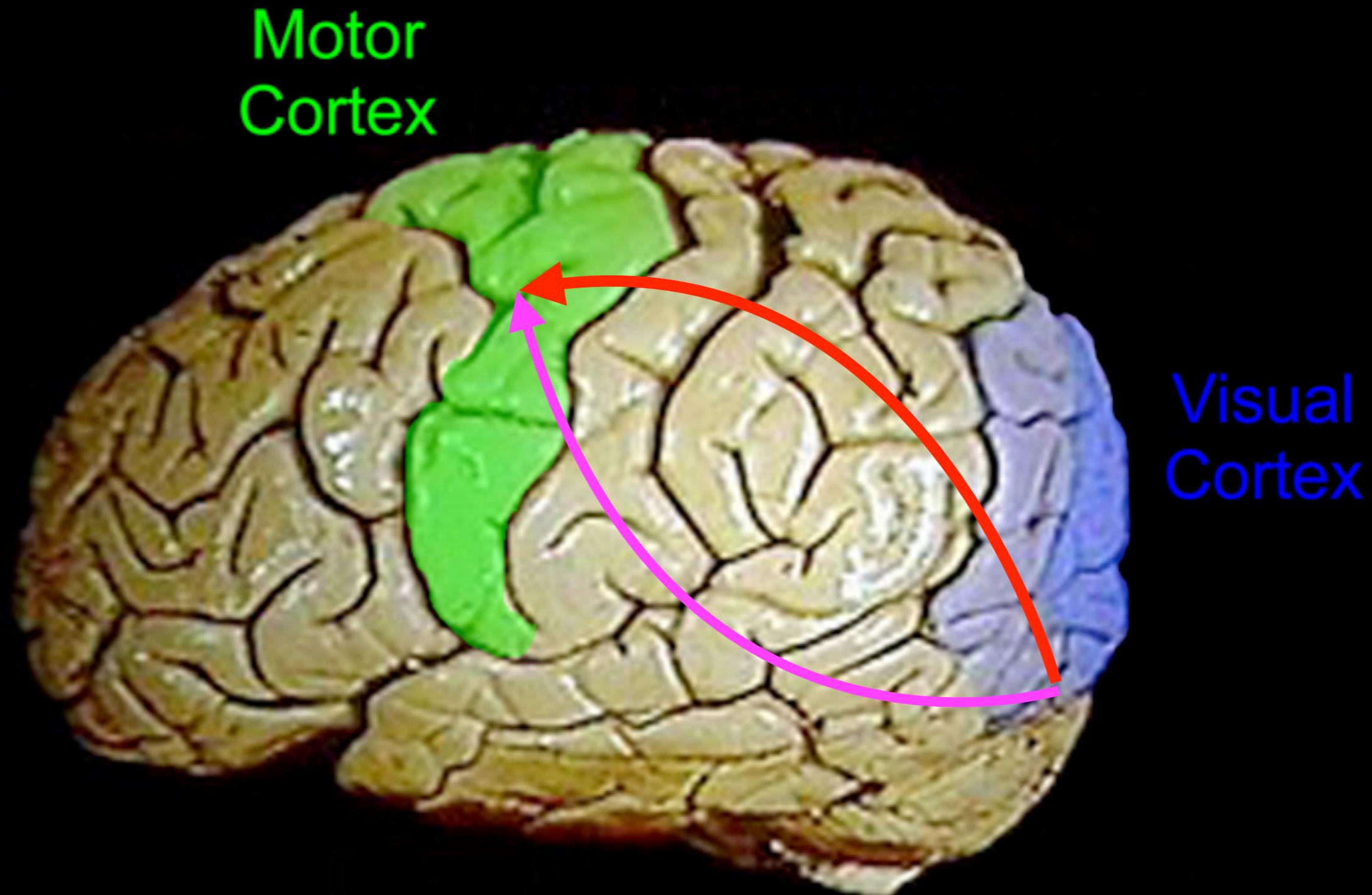
Previous Notions

“Routine, automatic, or overlearned behavioral sequences, however complex, do not engage the PFC and may be entirely organized in subcortical structures” (p. 323)

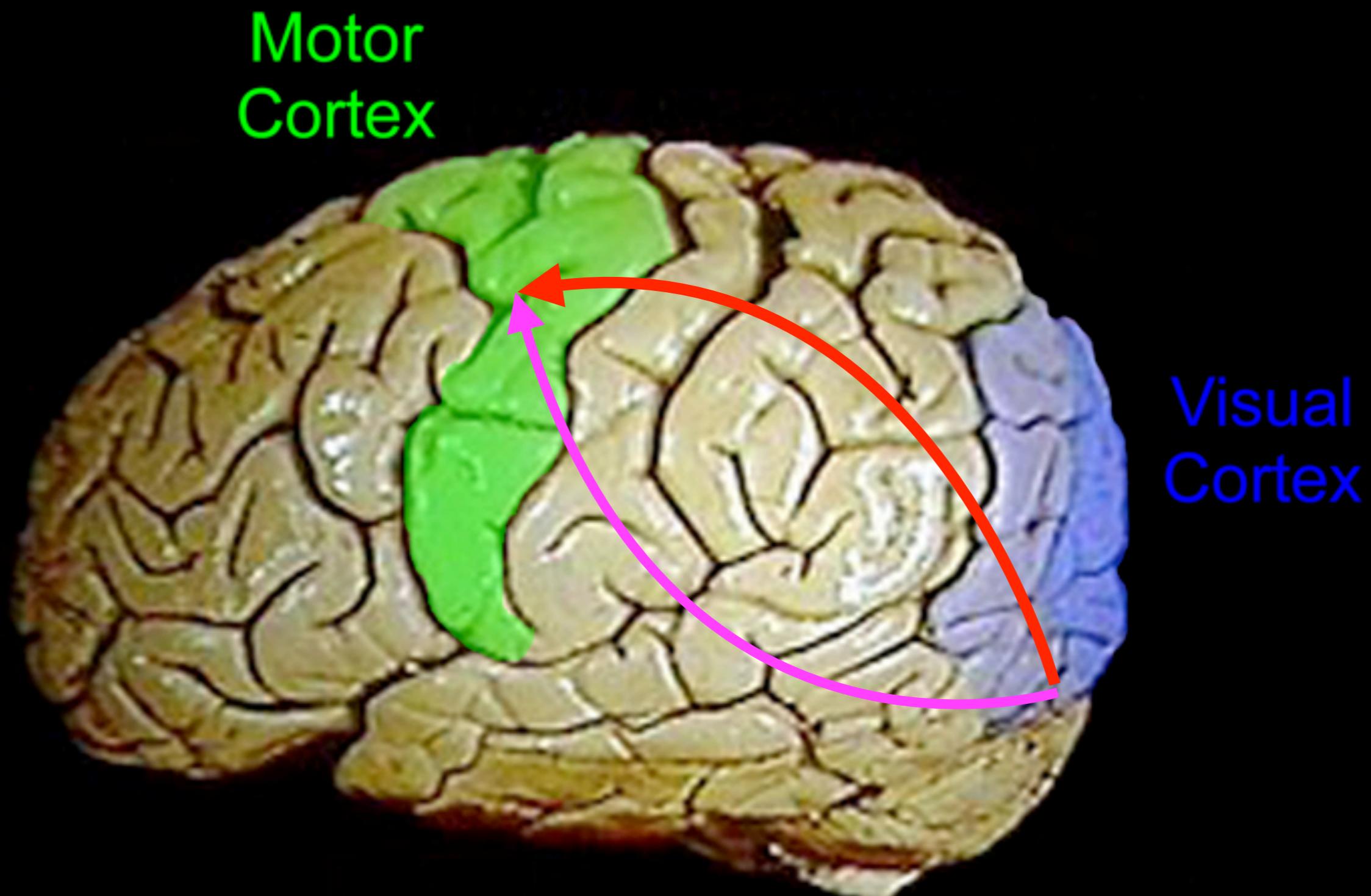


Joaquin Fuster (2001)
The prefrontal cortex – an update

Previous Notions



An Contrarian Model of Procedural Expertise



Procedural ***learning*** is striatum ***dependent***.

Procedural ***expertise*** is striatum ***independent***.

SPEED Model

(Subcortical Pathways Enable Expertise Development)

INCEPTION



F. Greg Ashby



John Ennis

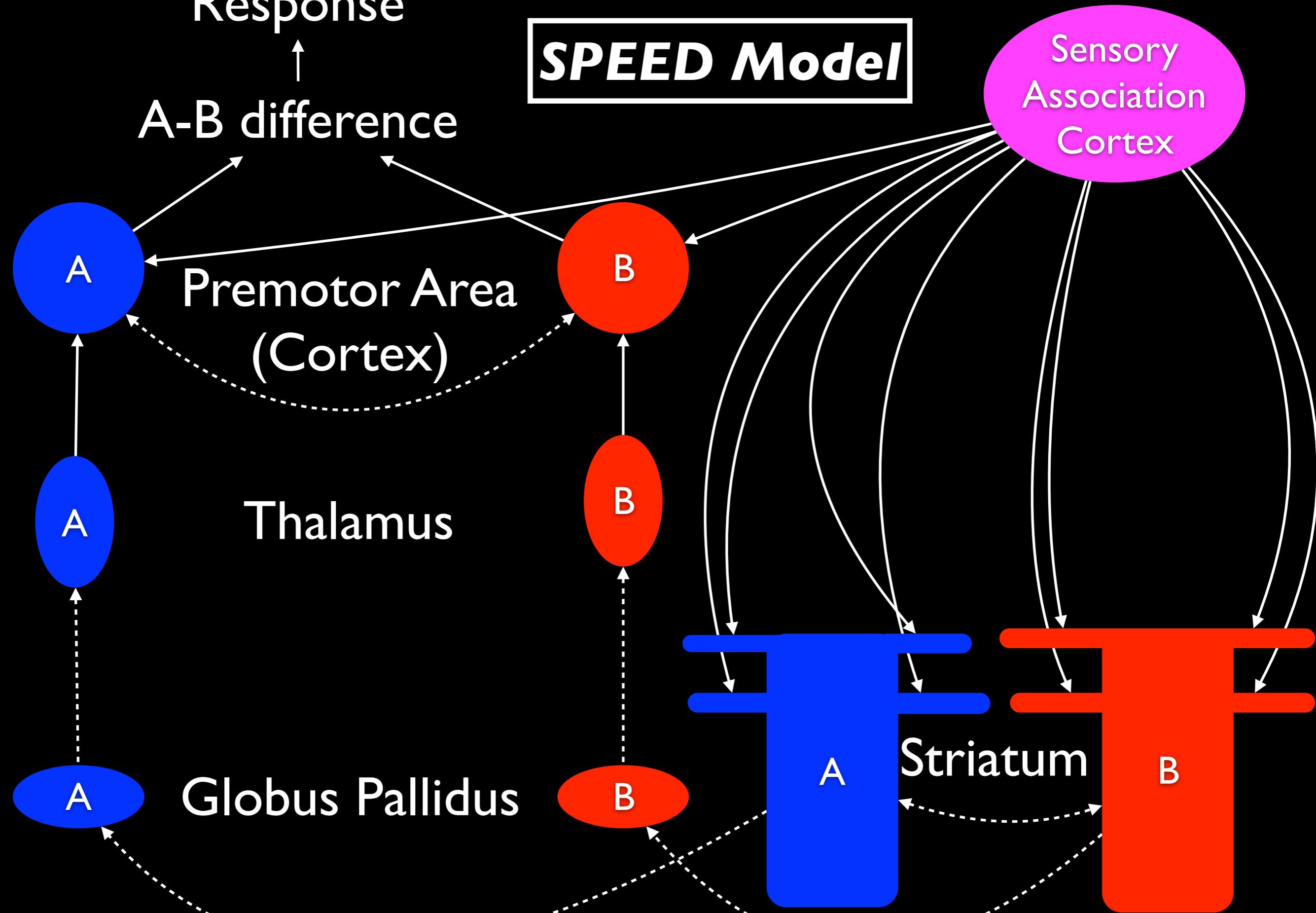
SCHMATIC OVERVIEW

Response

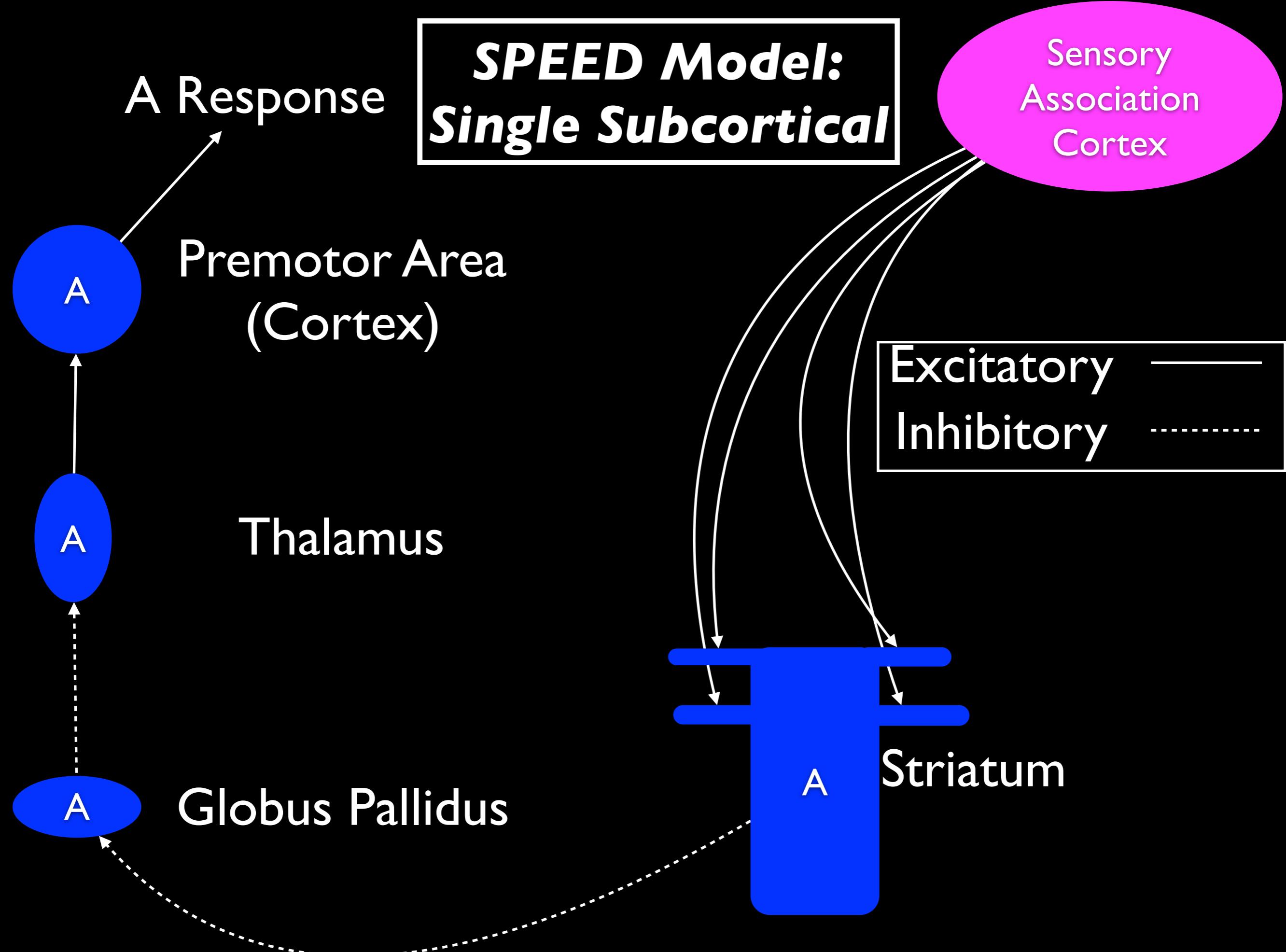


A-B difference

SPEED Model



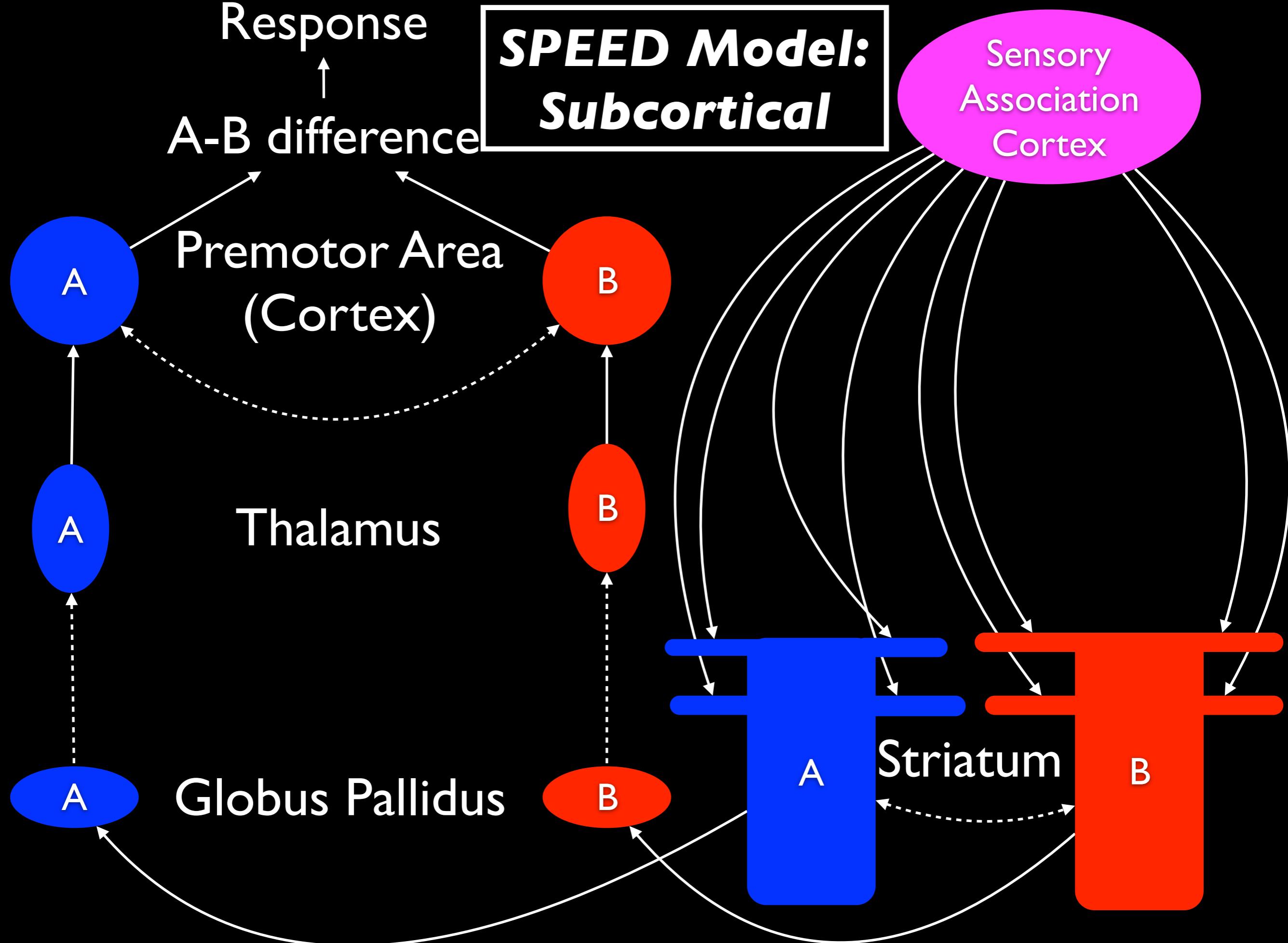
SPEED Model: *Single Subcortical*



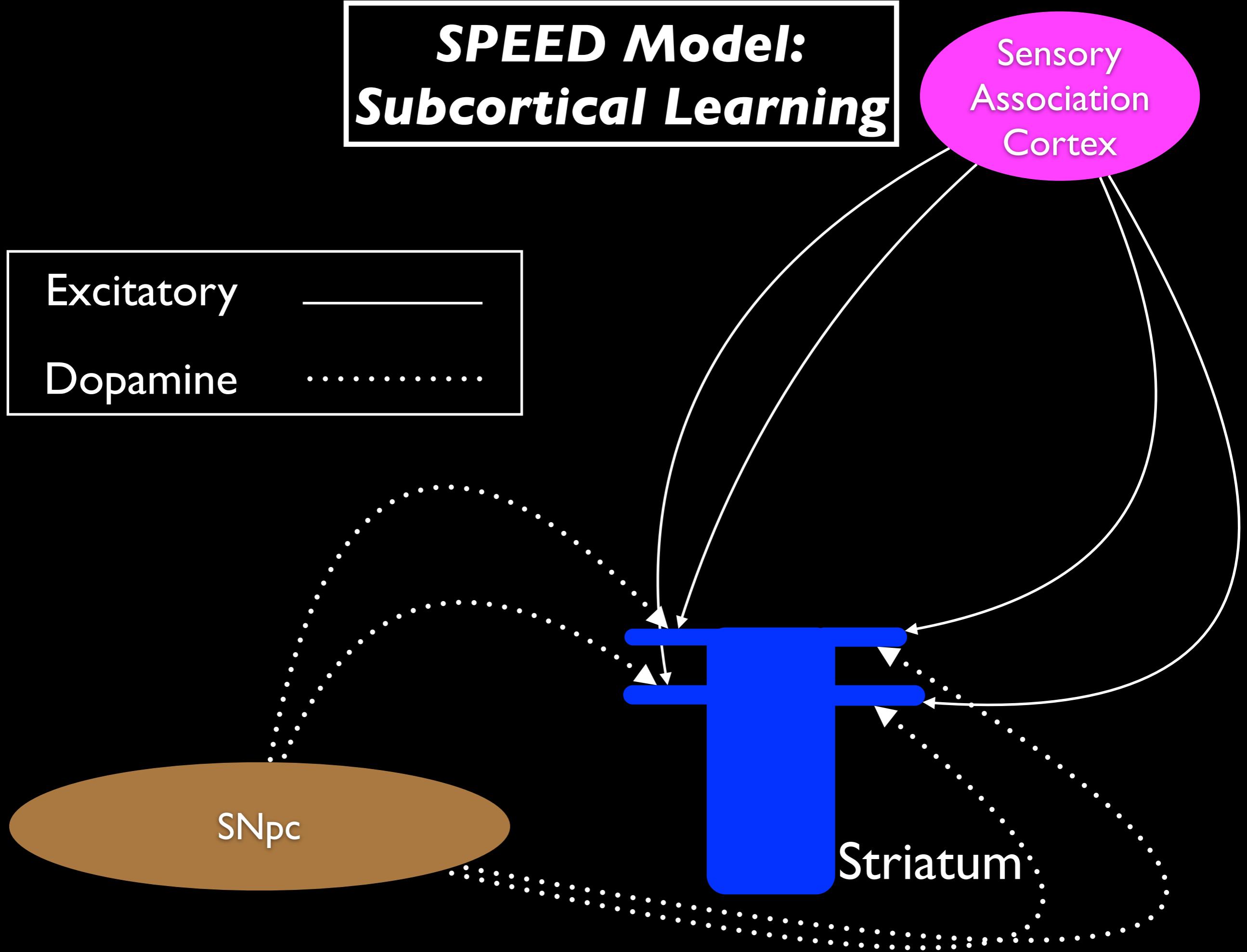
Response

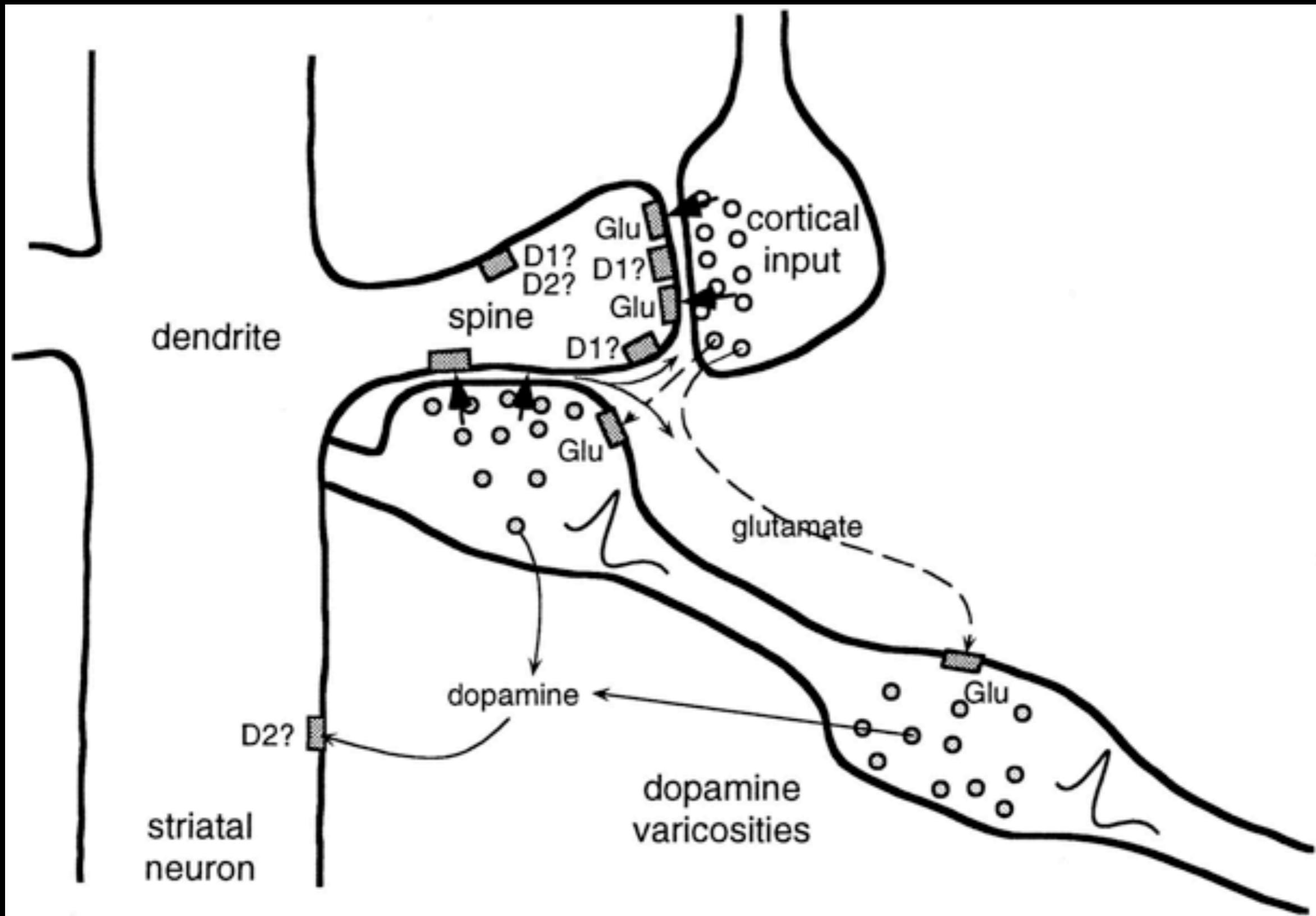
A-B difference

SPEED Model: Subcortical



SPEED Model: Subcortical Learning

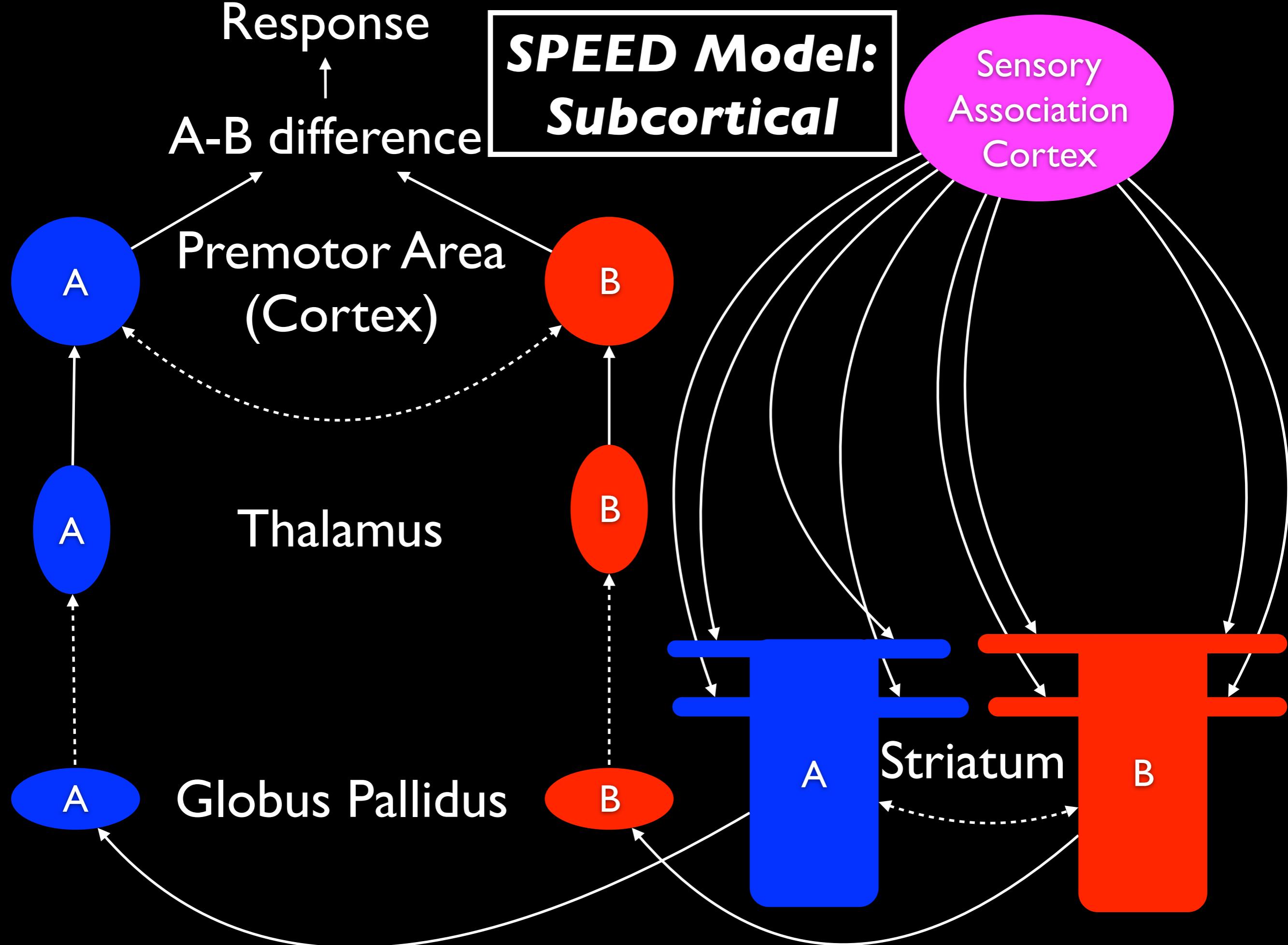




Response

A-B difference

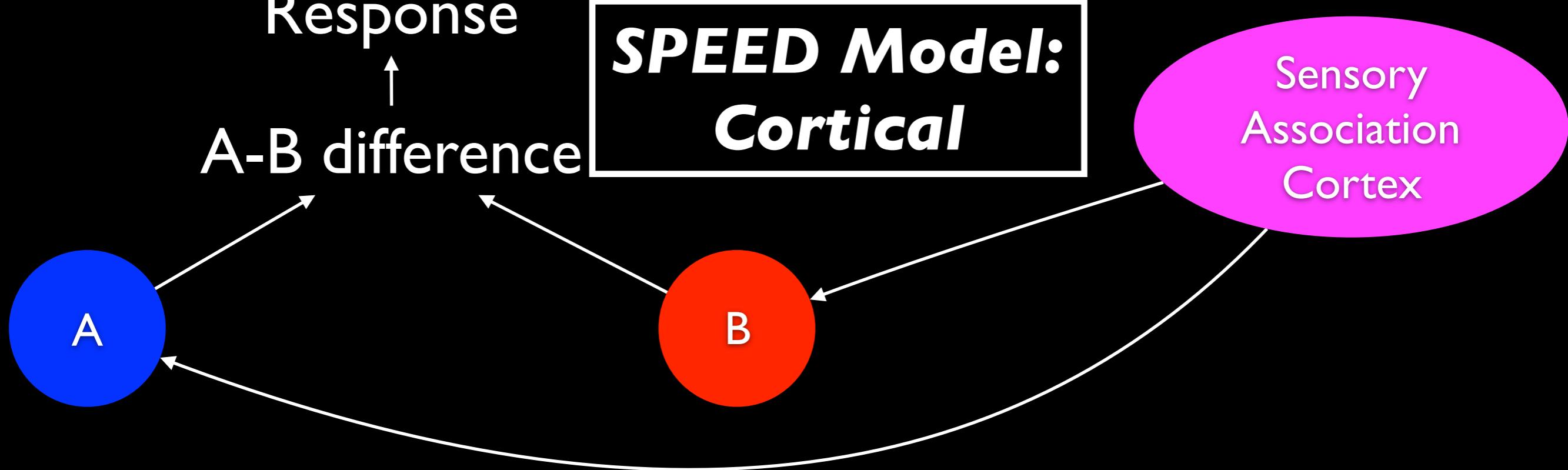
SPEED Model: Subcortical



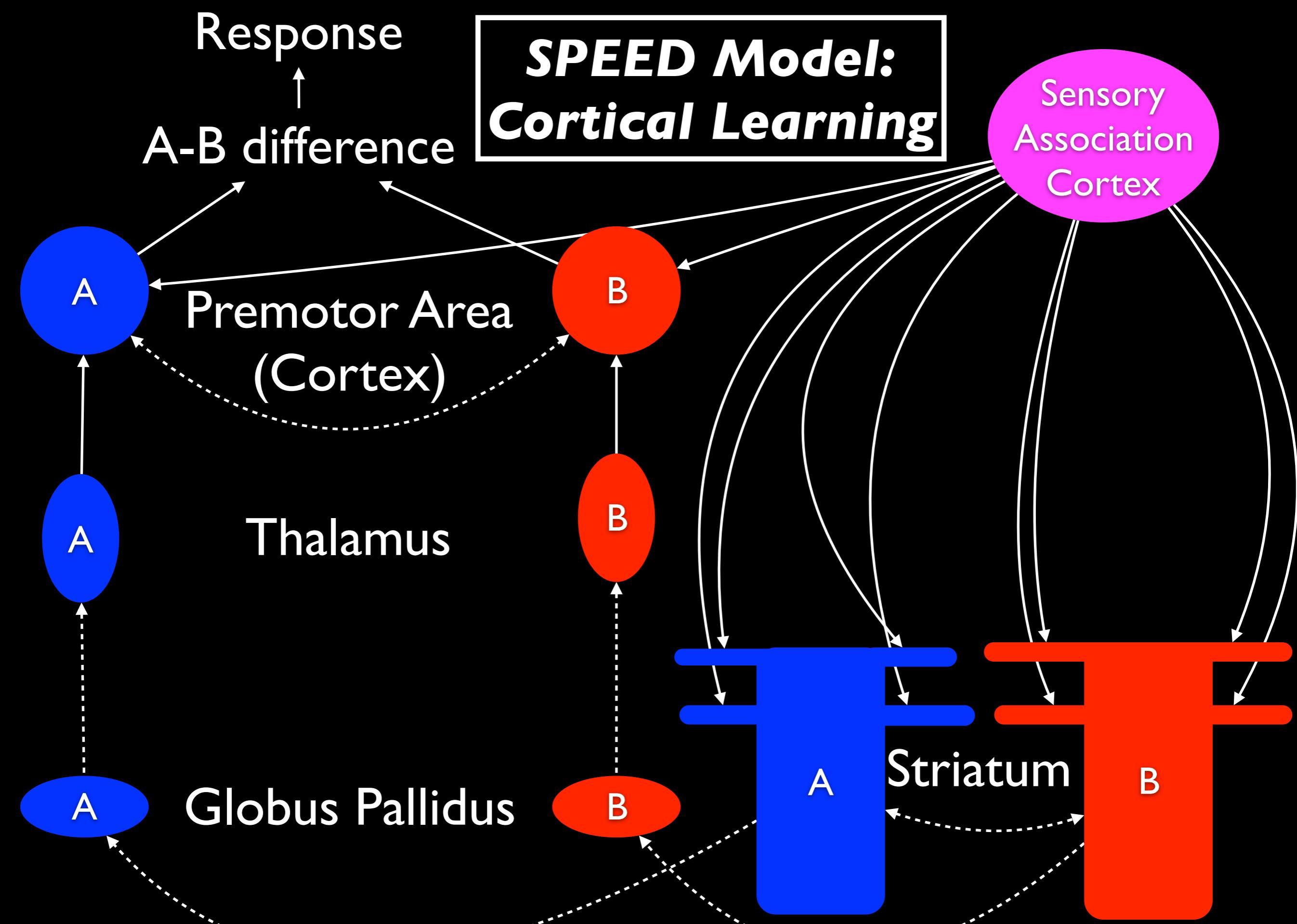
Response

A-B difference

SPEED Model: *Cortical*



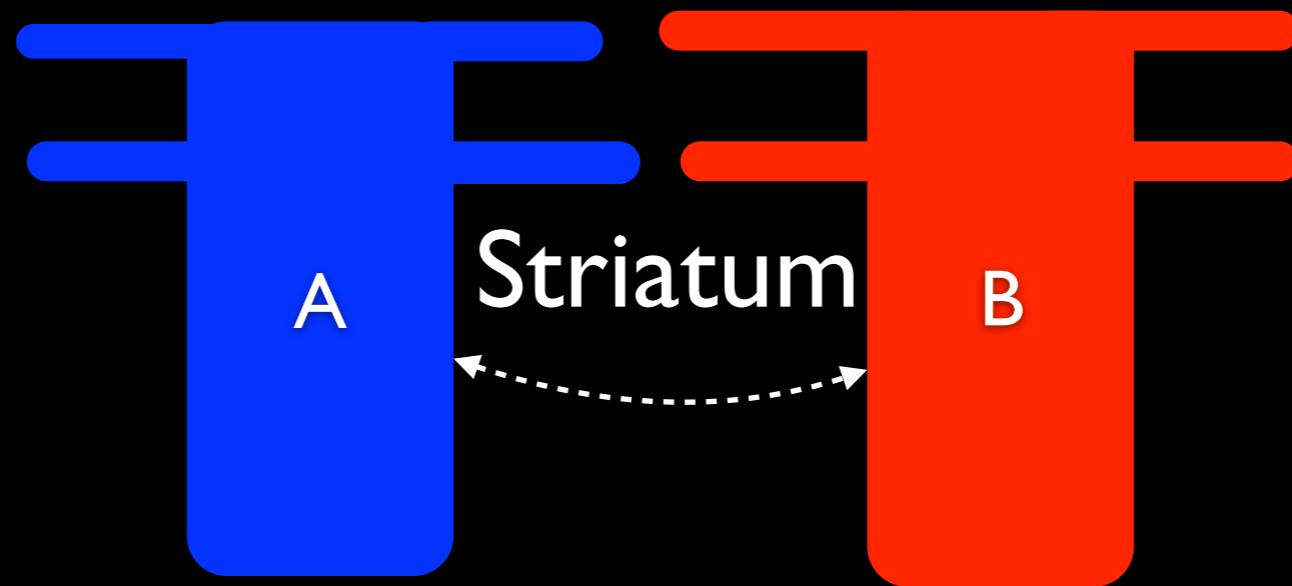
SPEED Model: Cortical Learning



ACTIVATION EQUATIONS

Sensory Association Cortex

$$I_K(t) = \frac{1}{\alpha} e^{-\frac{d(K, stimulus)^2}{2\alpha^2}}$$



$$\frac{dS_J(t)}{dt} = \left[\sum_K w_{K,J}(n) I_K(t) \right] [1 - S_J(t)]$$

$$- \beta_S S_M(t) - \gamma_S [S_J(t) - S_{base}] + \sigma_S \varepsilon(t) S_J(t) [1 - S_J(t)]$$

A

Globus Pallidus

B

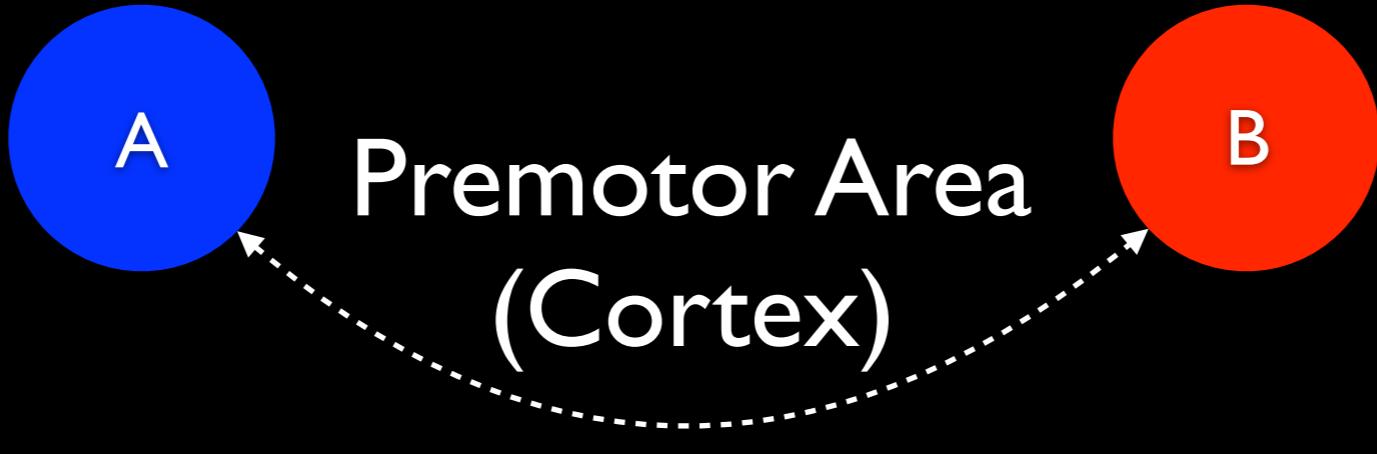
$$\frac{dG_J(t)}{dt} = -\alpha_G S_J(t)G_J(t) - \beta_G[G_J(t) - G_{base}]$$



Thalamus



$$\frac{dT_J(t)}{dt} = -\alpha_T G_J(t) T_J(t) - \beta_T [T_J(t) - T_{base}]$$



$$\begin{aligned} \frac{dE_J(t)}{dt} = & \left[\alpha_E T_J(t) + \sum_K v_{K,J}(n) I_K(t) \right] [1 - E_J(t)] \\ & - \beta_E E_K(t) - \gamma_E [E_J(t) - E_{base}] + \sigma_E \varepsilon(t) E_J(t) [1 - E_J(t)], \end{aligned}$$

Response
↑
A-B difference

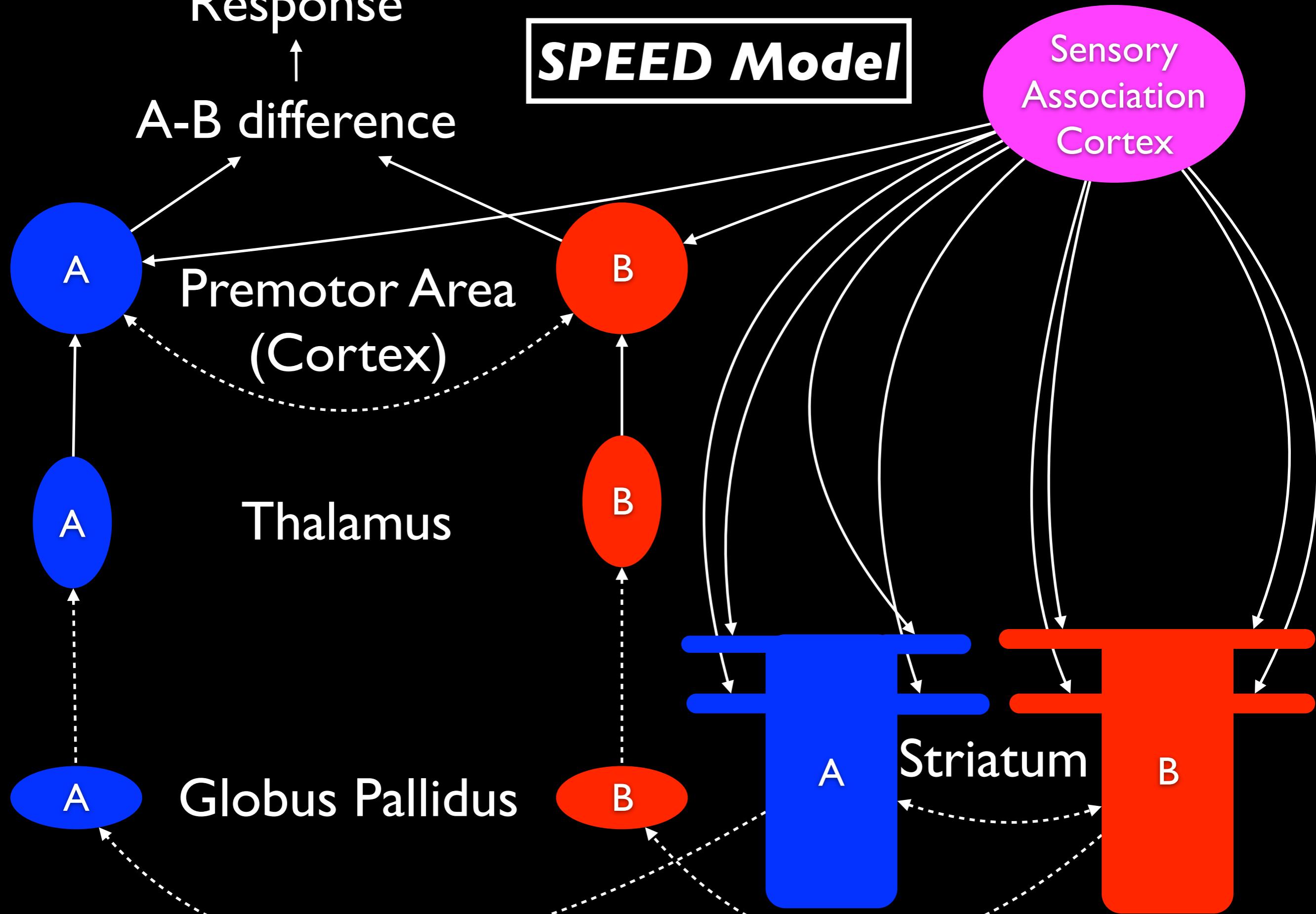
$$\Delta_{A,B}(t) = \int [E_A(t) - E_B(t)]dt.$$

Response

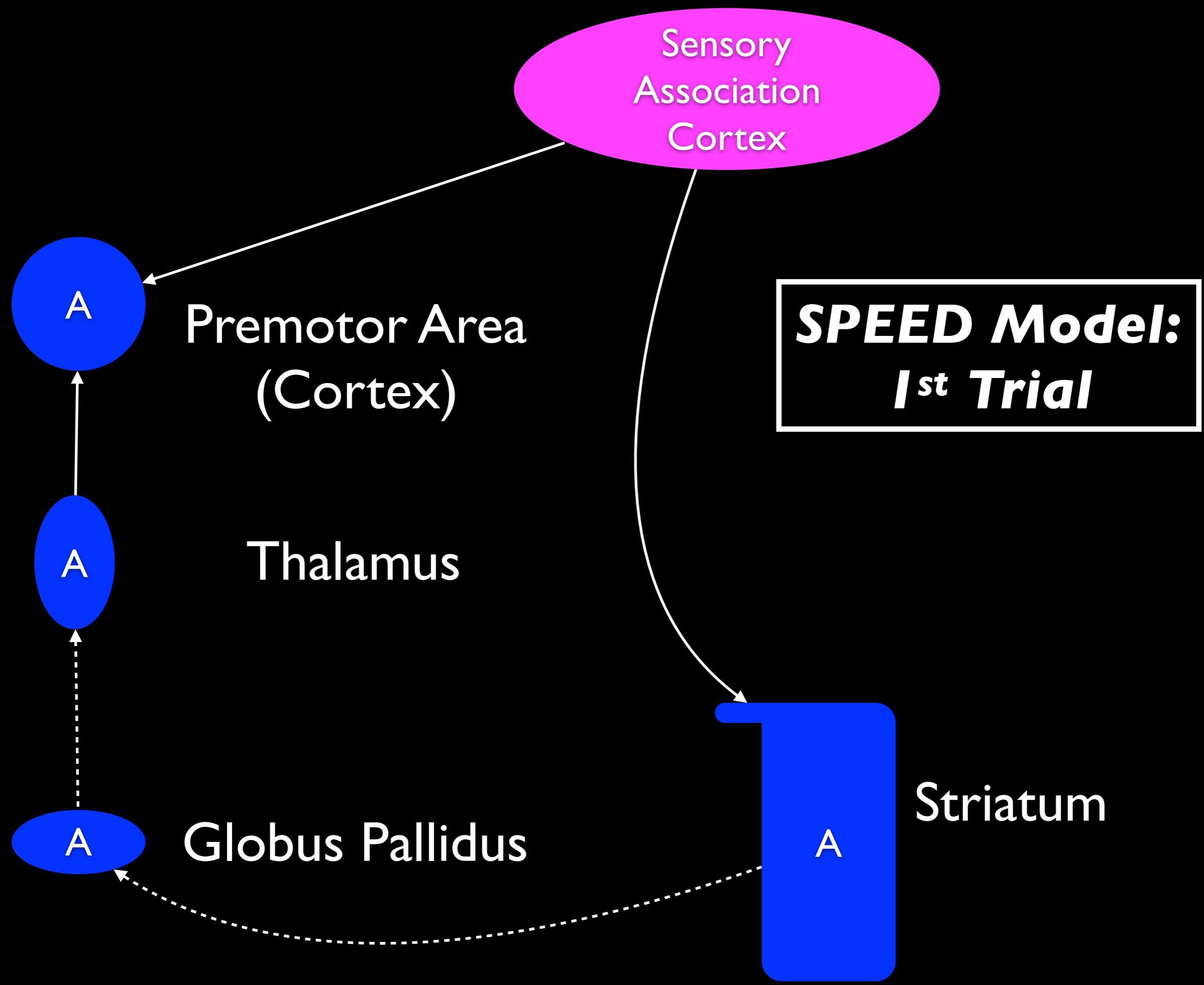


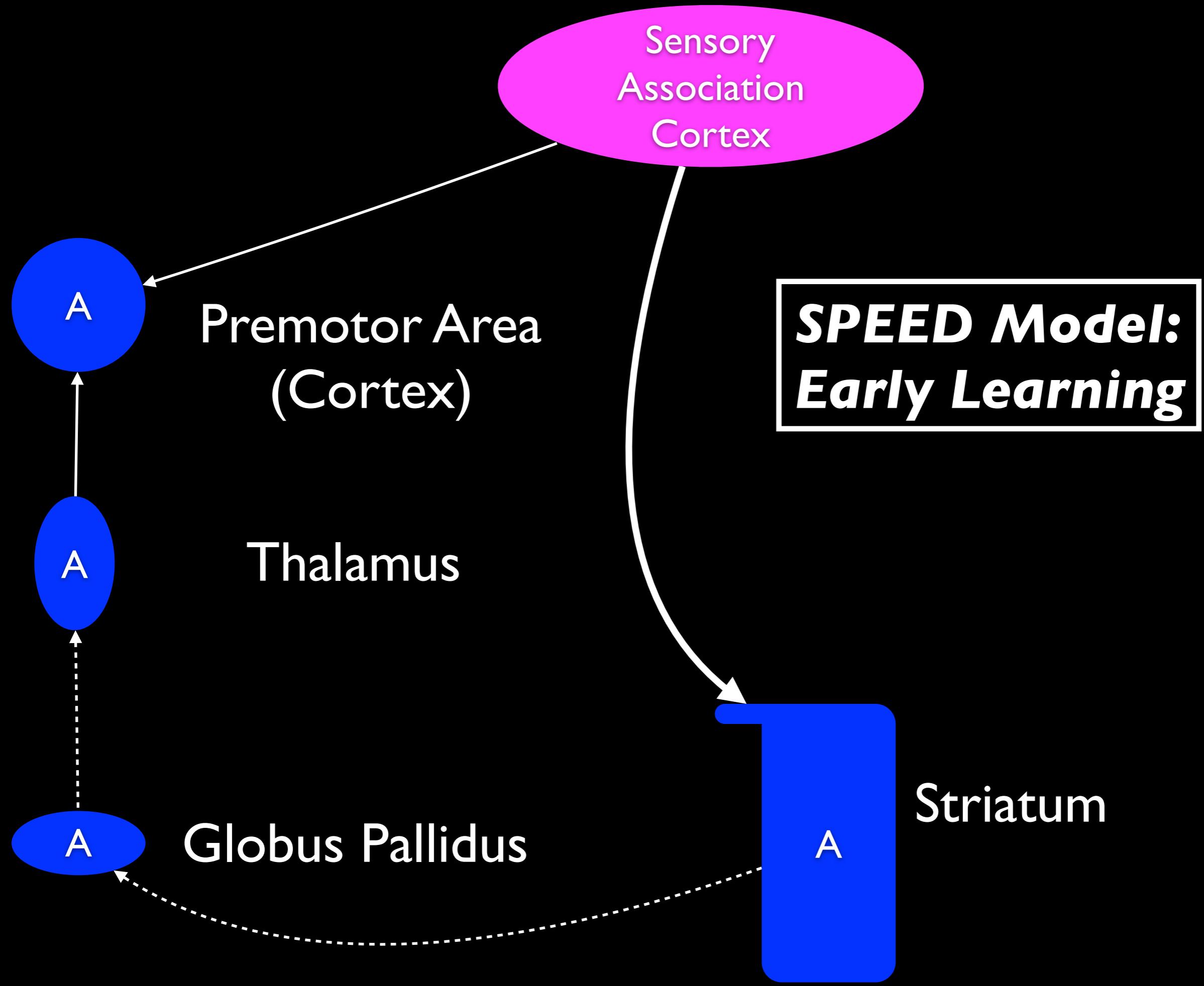
A-B difference

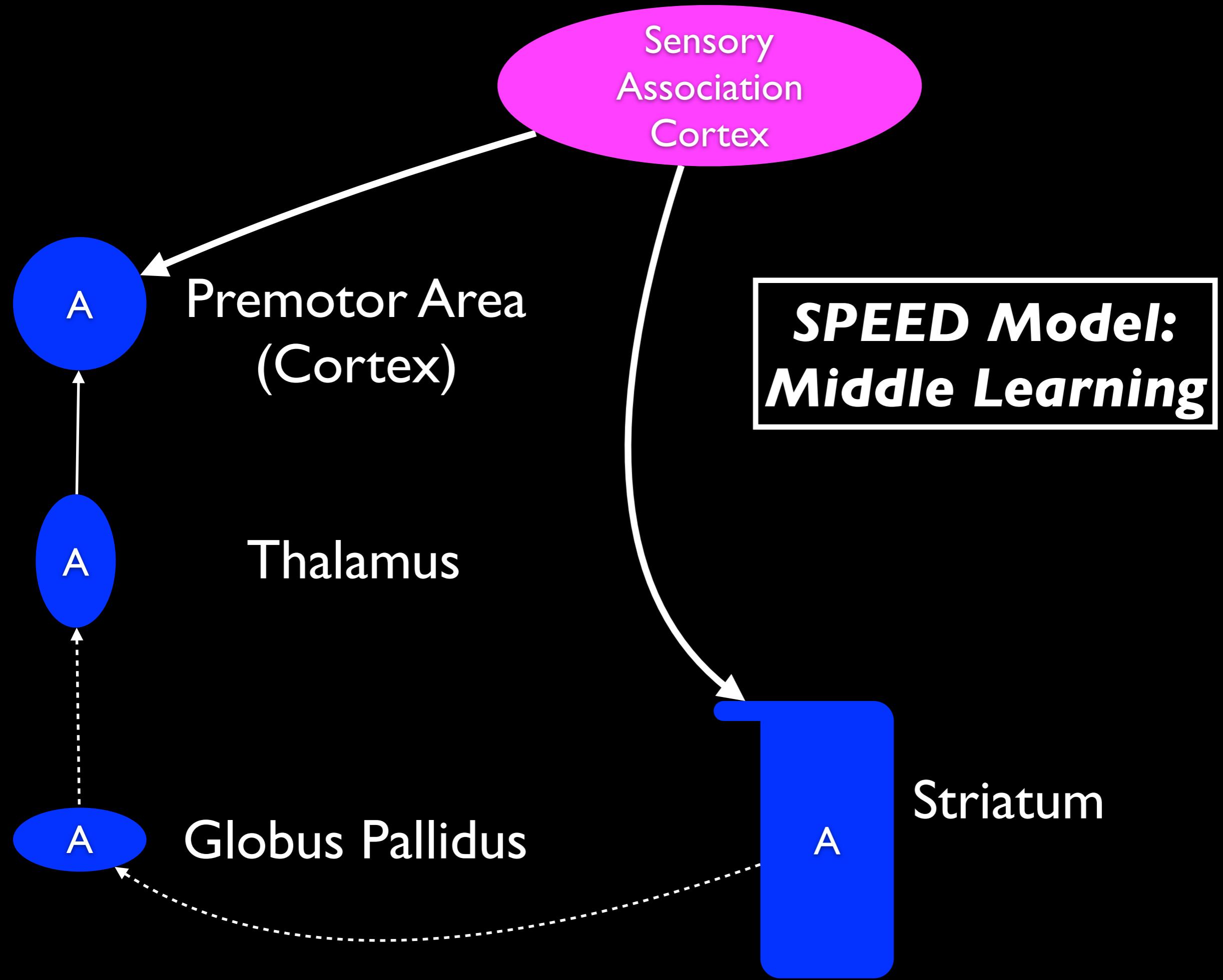
SPEED Model

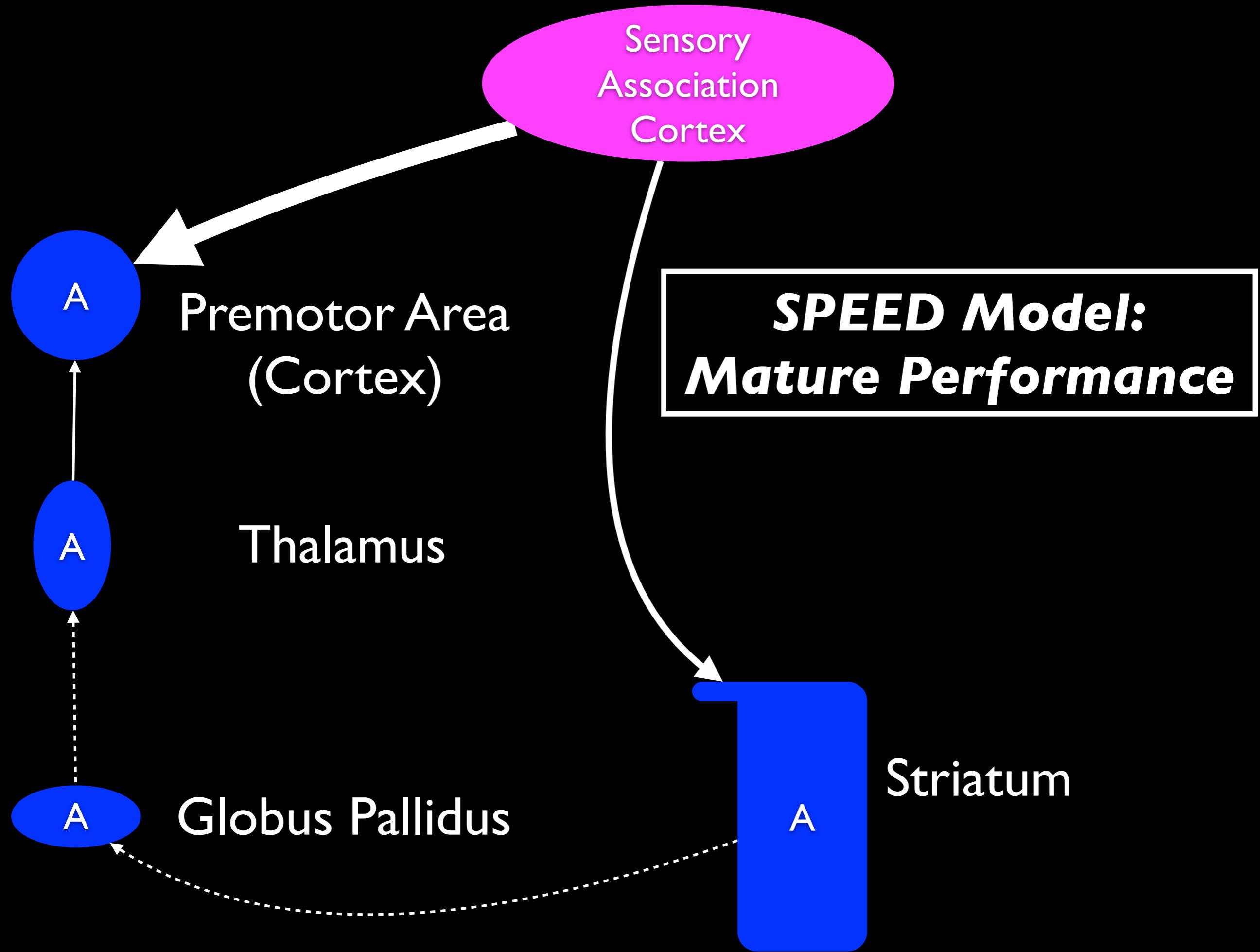


LEARNING

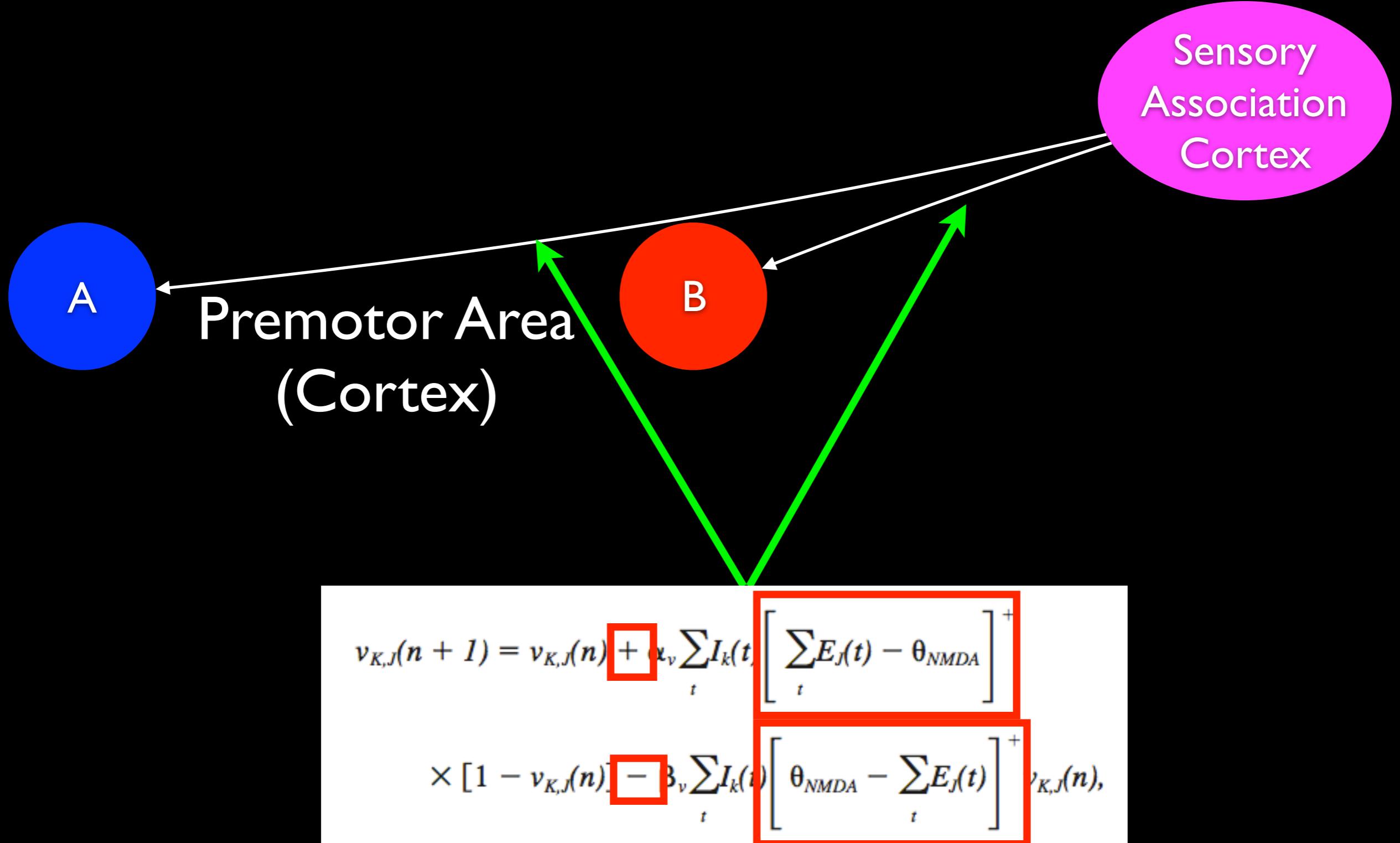








**LEARNING
EQUATIONS**



2-Factor Learning

$$w_{K,J}(n+1) = w_{K,J}(n)$$

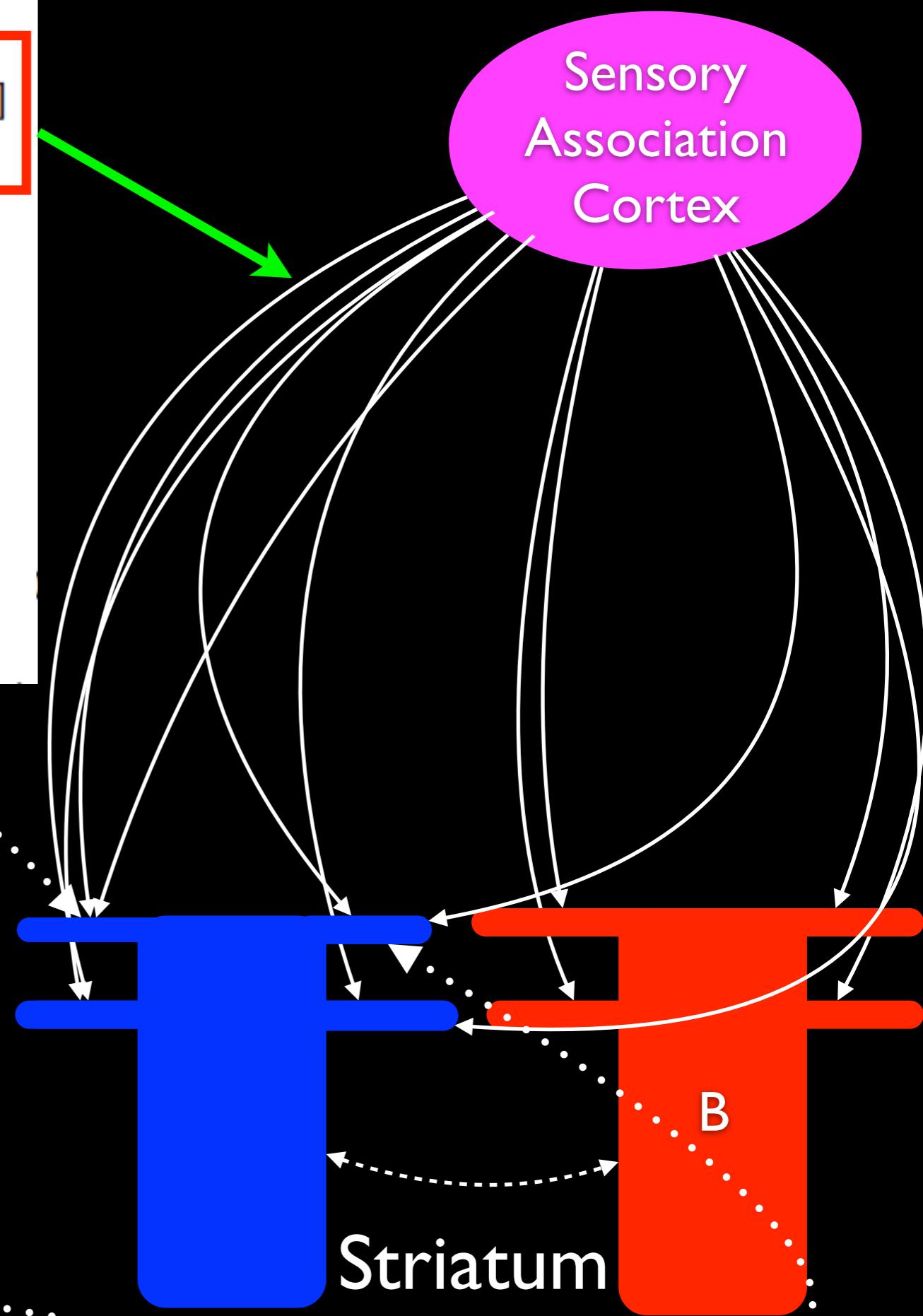
$$+ \alpha_w \sum_t I_K(t) \left[\sum_t S_J(t) - \theta_{NMDA} \right]^+ [D(n) - D_{base}]^+ [1 - w_{K,J}(n)]$$

$$- \beta_w \sum_t I_K(t) \left[\sum_t S_J(t) - \theta_{NMDA} \right]^+ [D_{base} - D(n)]^+ w_{K,J}(n)$$

$$- \gamma_w \sum_t I_K(t) \left[\theta_{NMDA} - \sum_t S_J(t) \right]^+ w_{K,J}(n)$$

$$- \phi_w \left(1 - \frac{1 - [D(n) - D_{base}]^+}{1 - D_{base}} \right) w_{K,J}(n),$$

3-Factor Learning



Dopamine Release

Correct Trial

$$D(n) = D_{base} + [1 - P(C)](1 - D_{base})$$

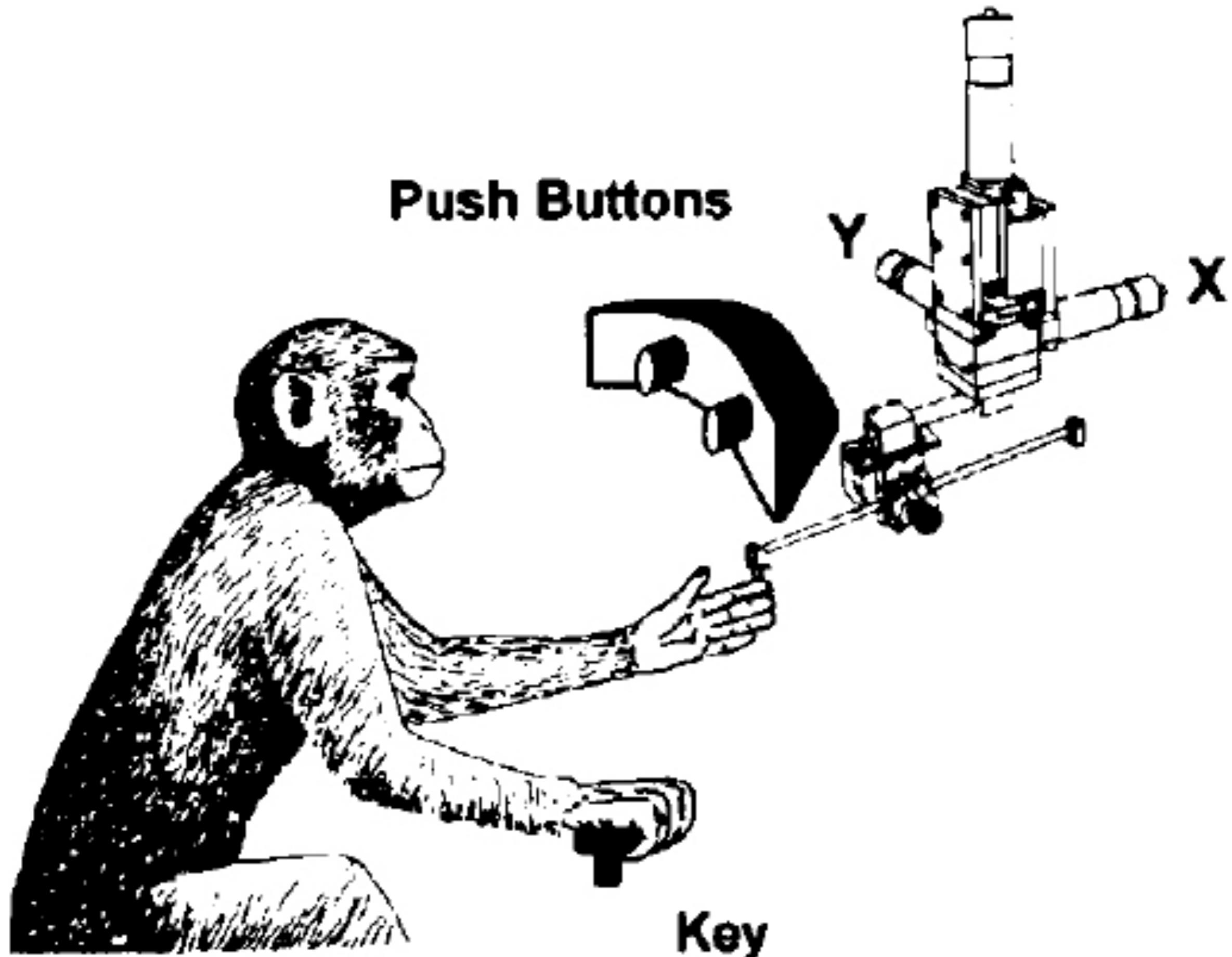
Incorrect Trial

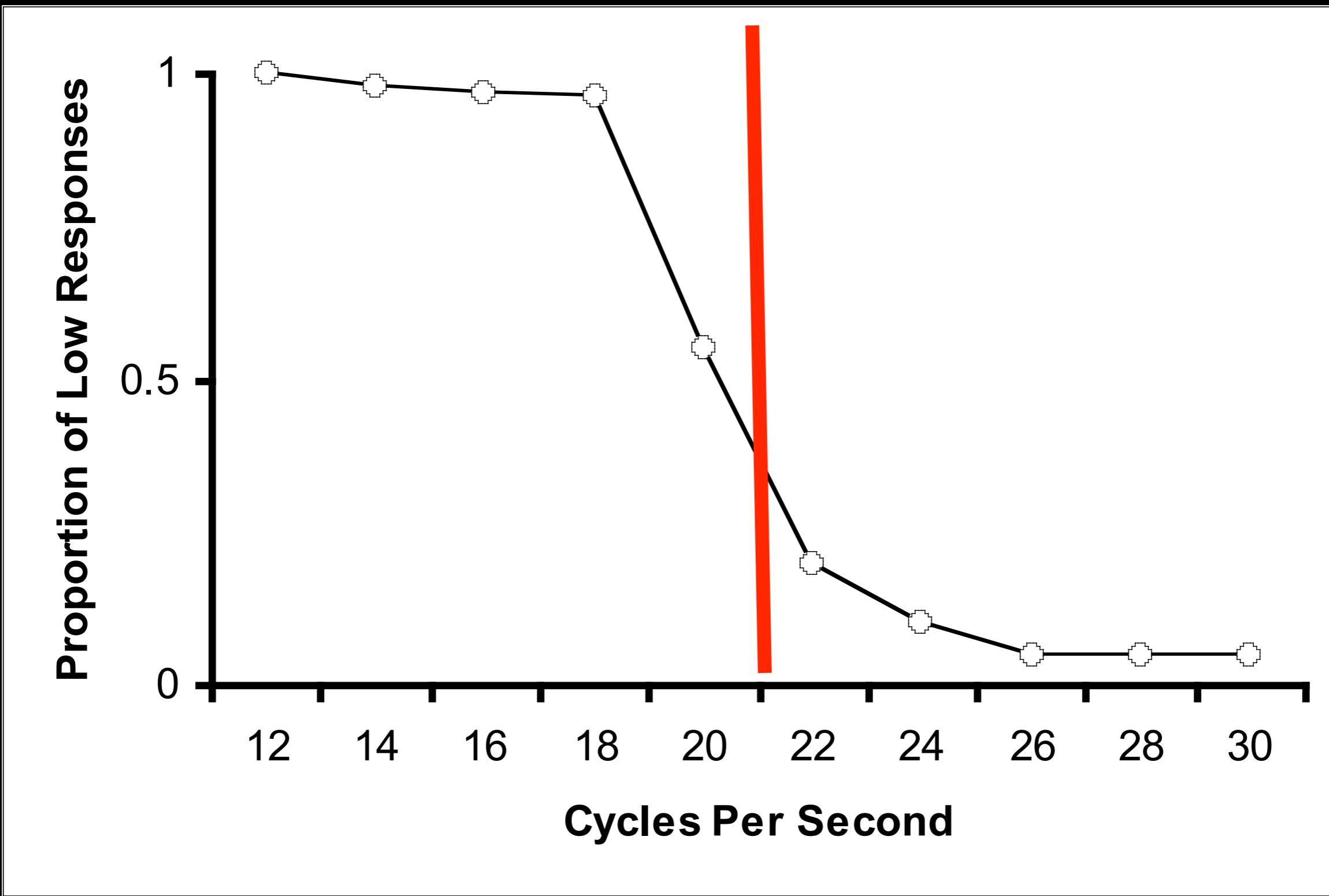
$$D(n) = D_{base} - P(C)D_{base},$$



Break

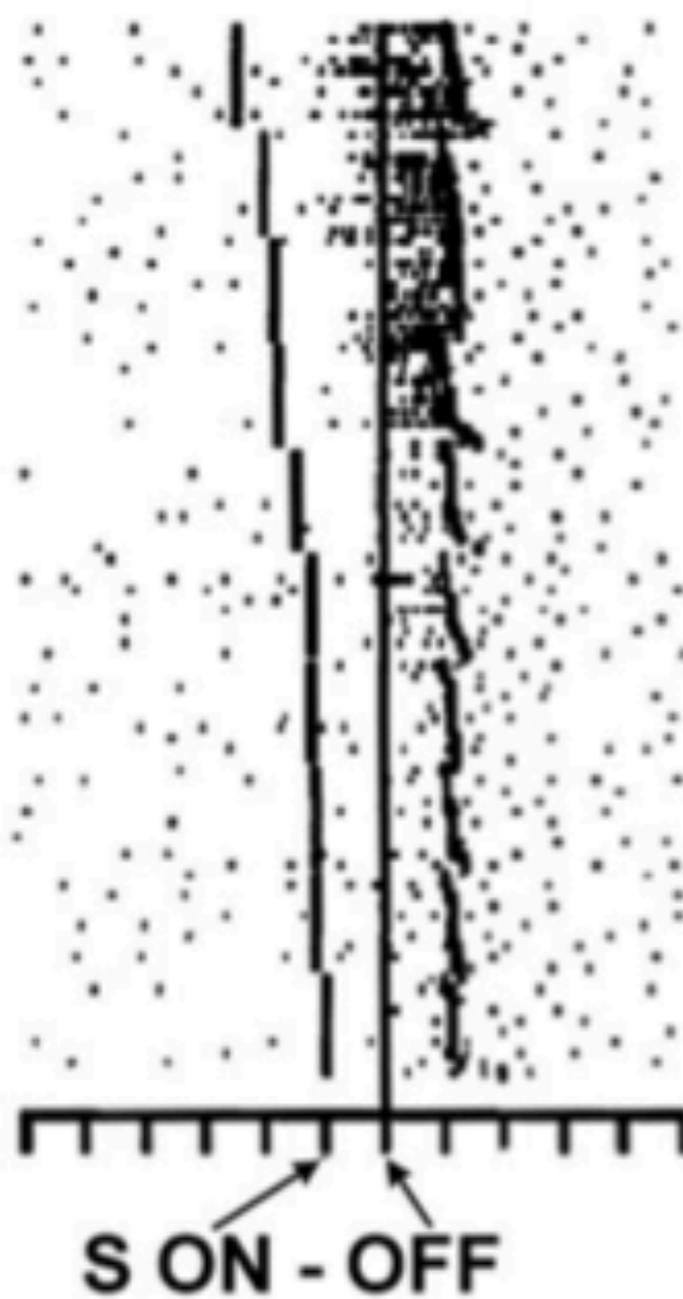
INSTANTIATIONS



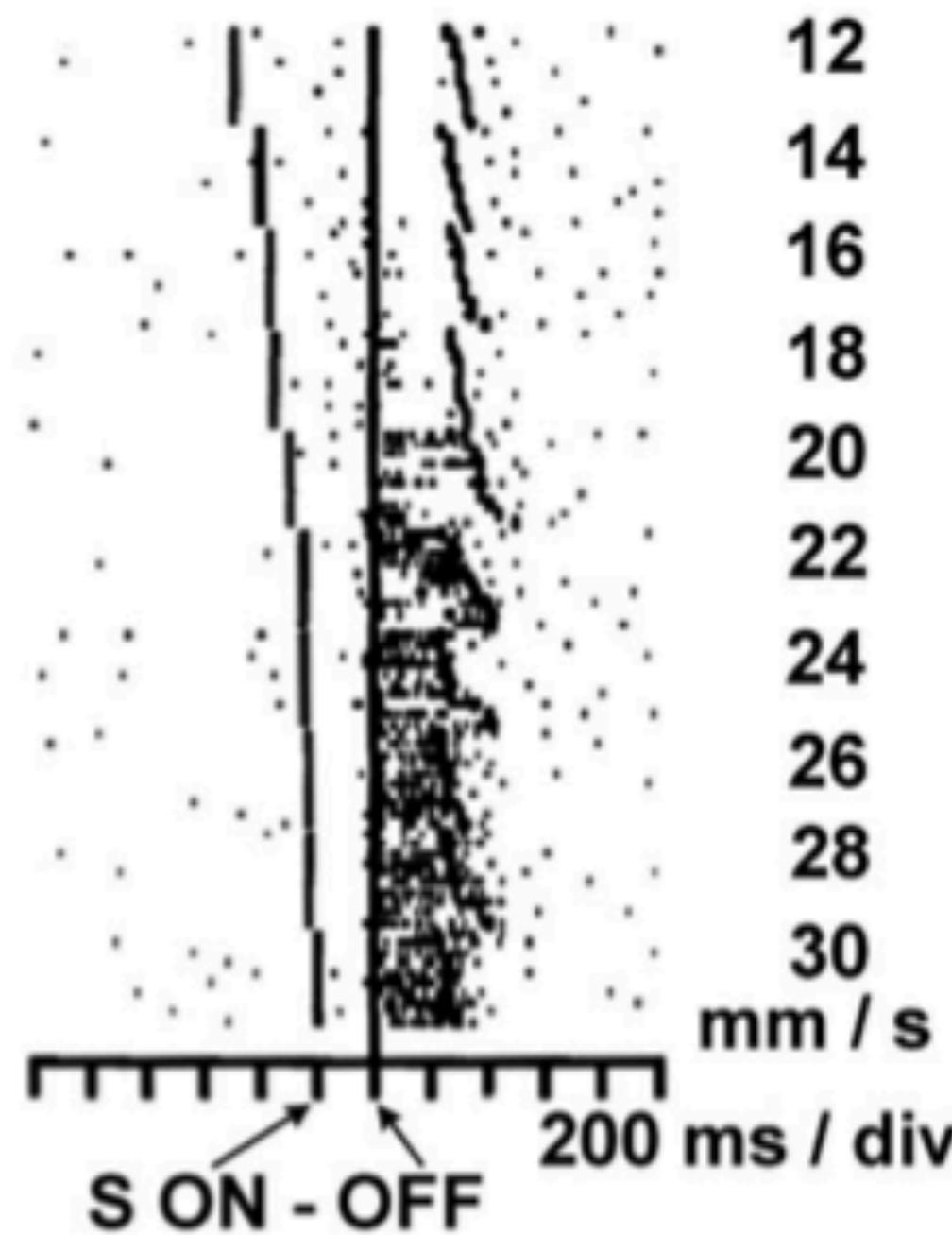


Single Cell Responses -- Left Putamen

Low Speed Cell



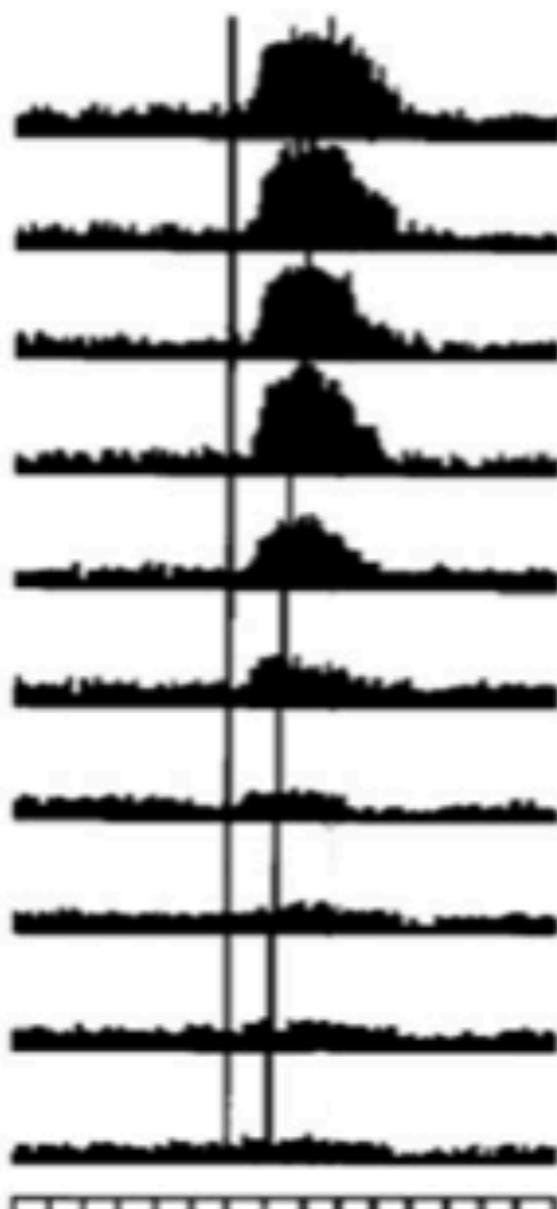
High Speed Cell



Population Responses -- Premotor Cortex

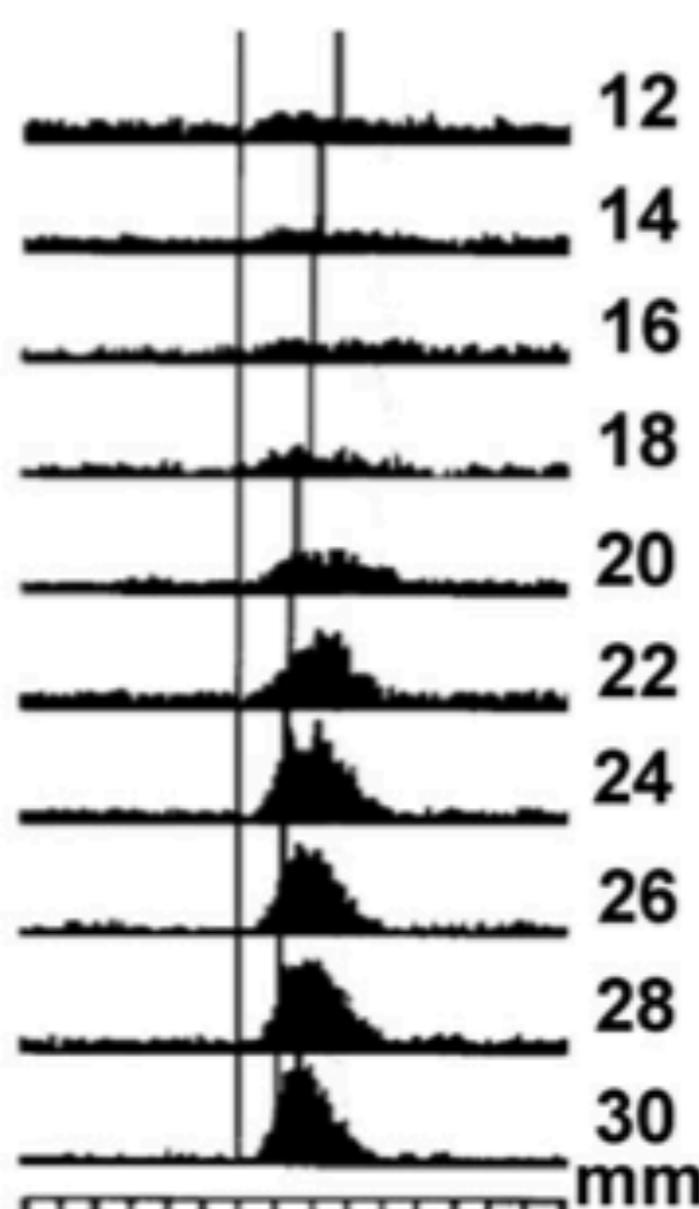
Low Speed Cells

n=57



High Speed Cells

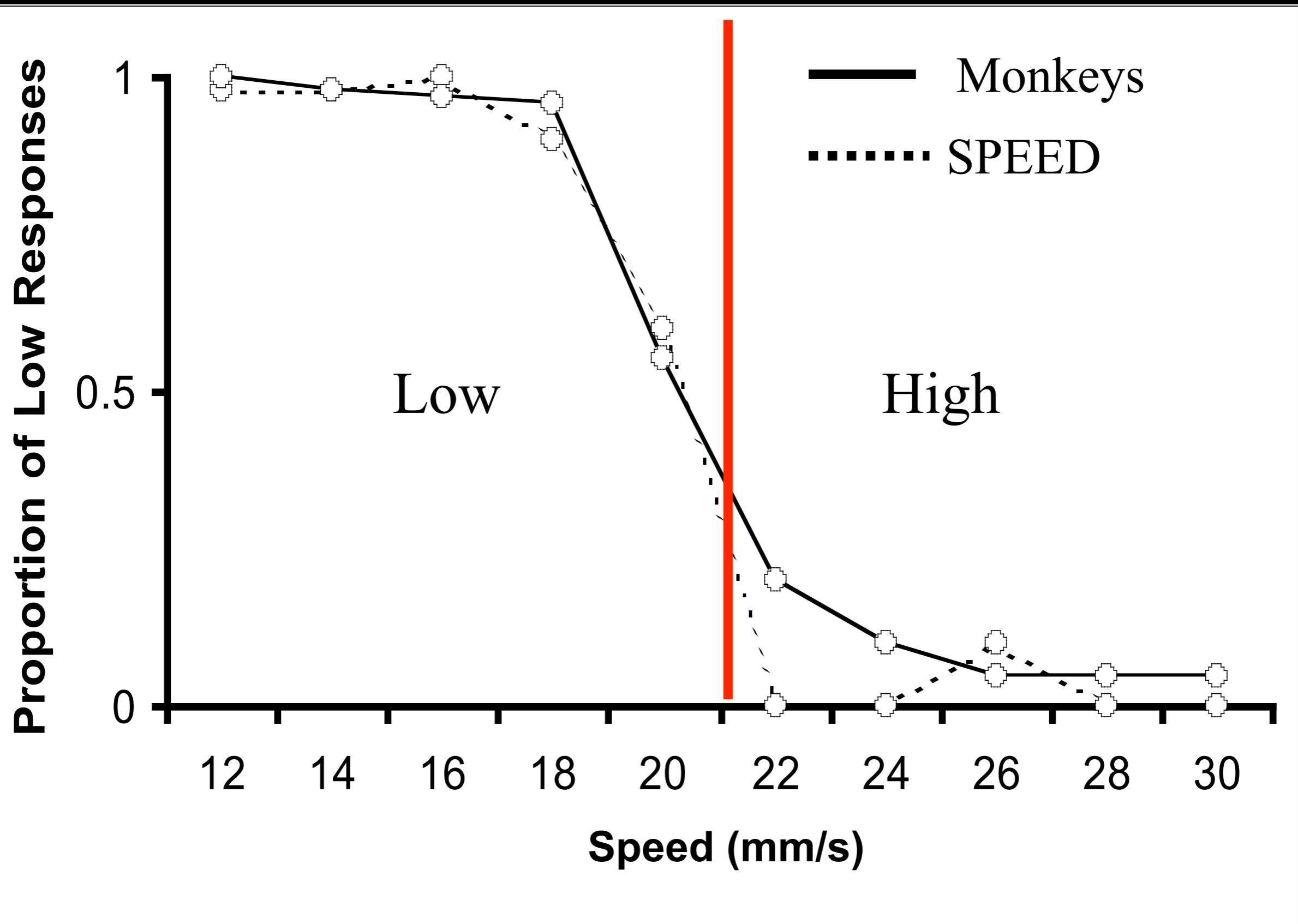
n=47

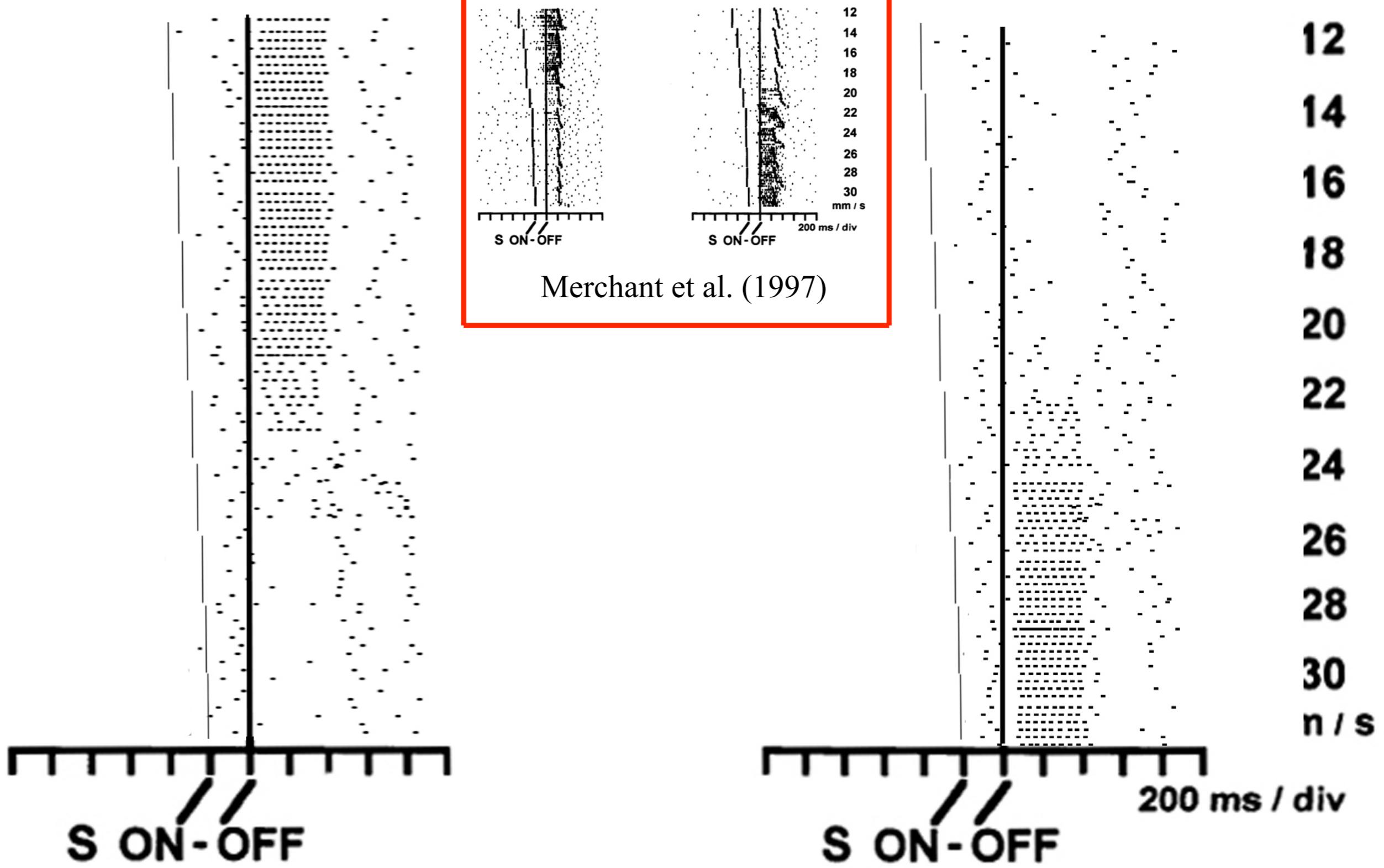


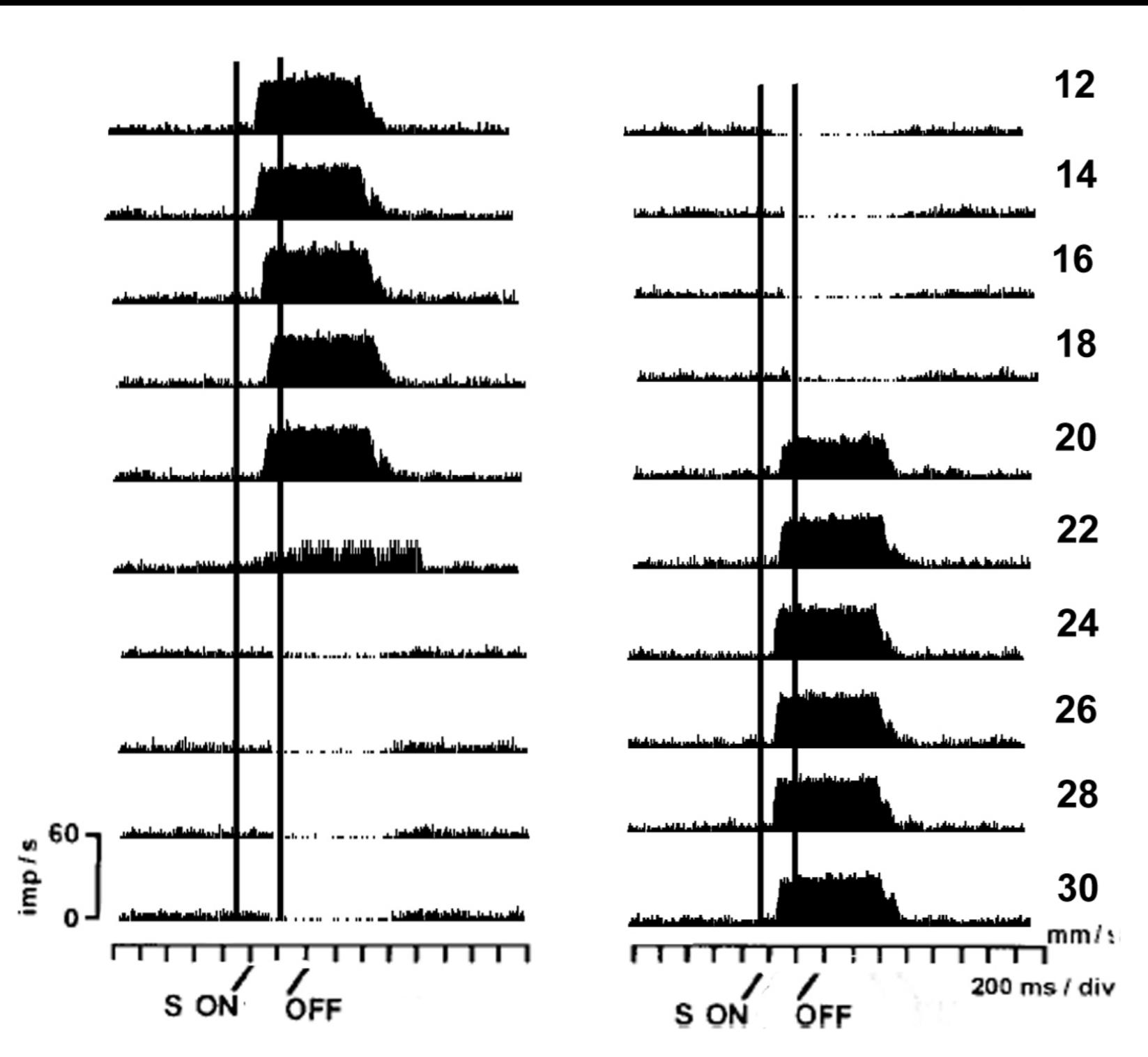
mm/s

S ON - OFF

200 ms / div







SPEED

12

14

16

18

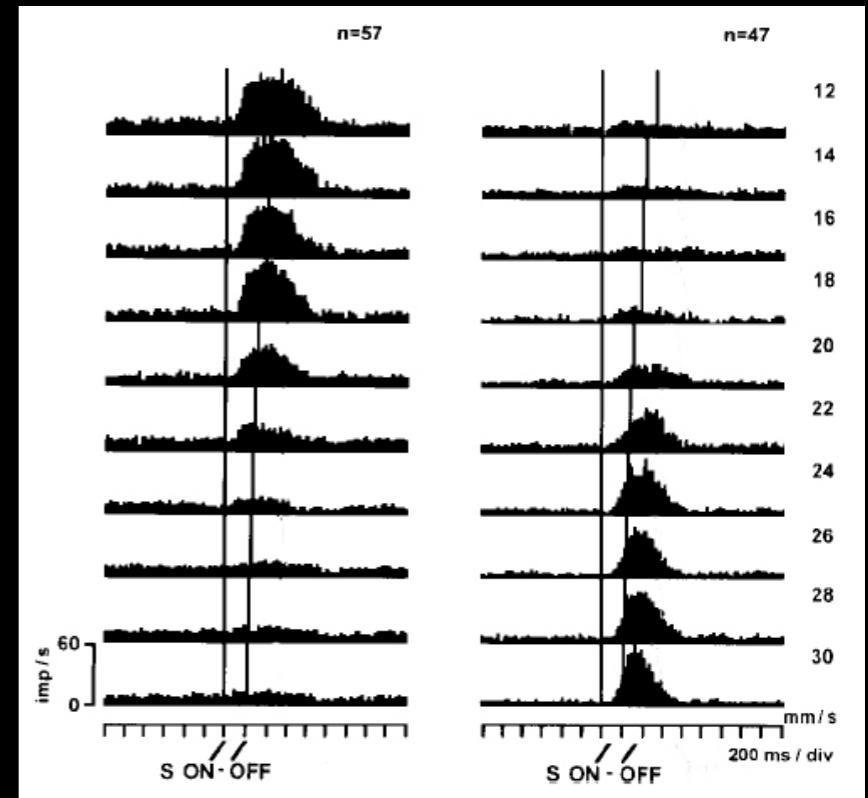
20

22

24

28

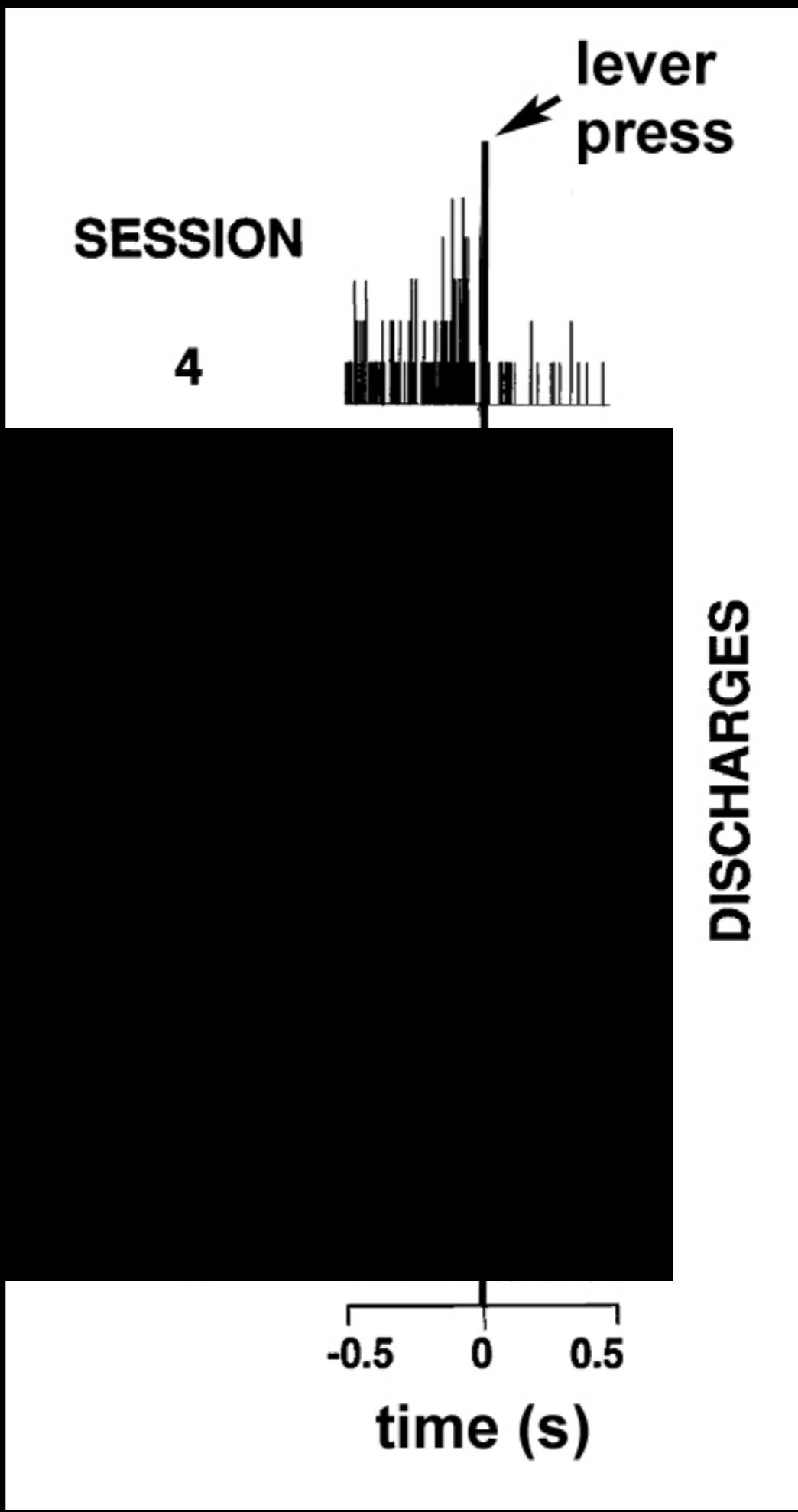
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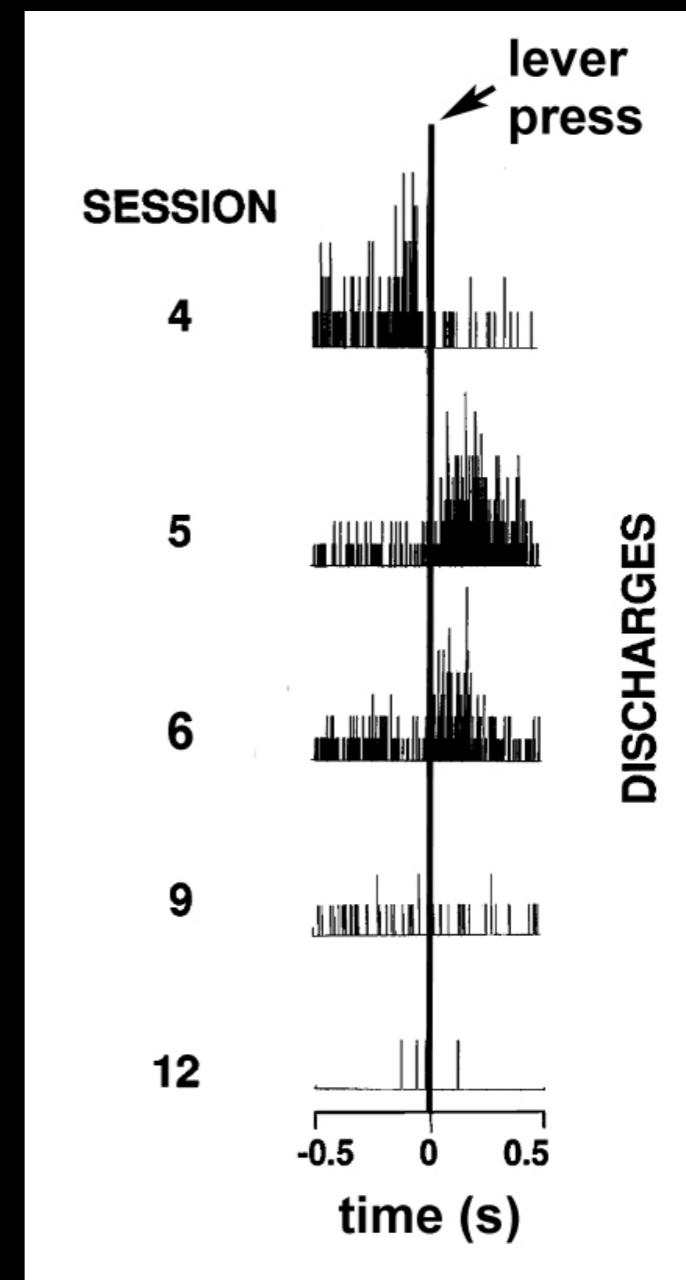
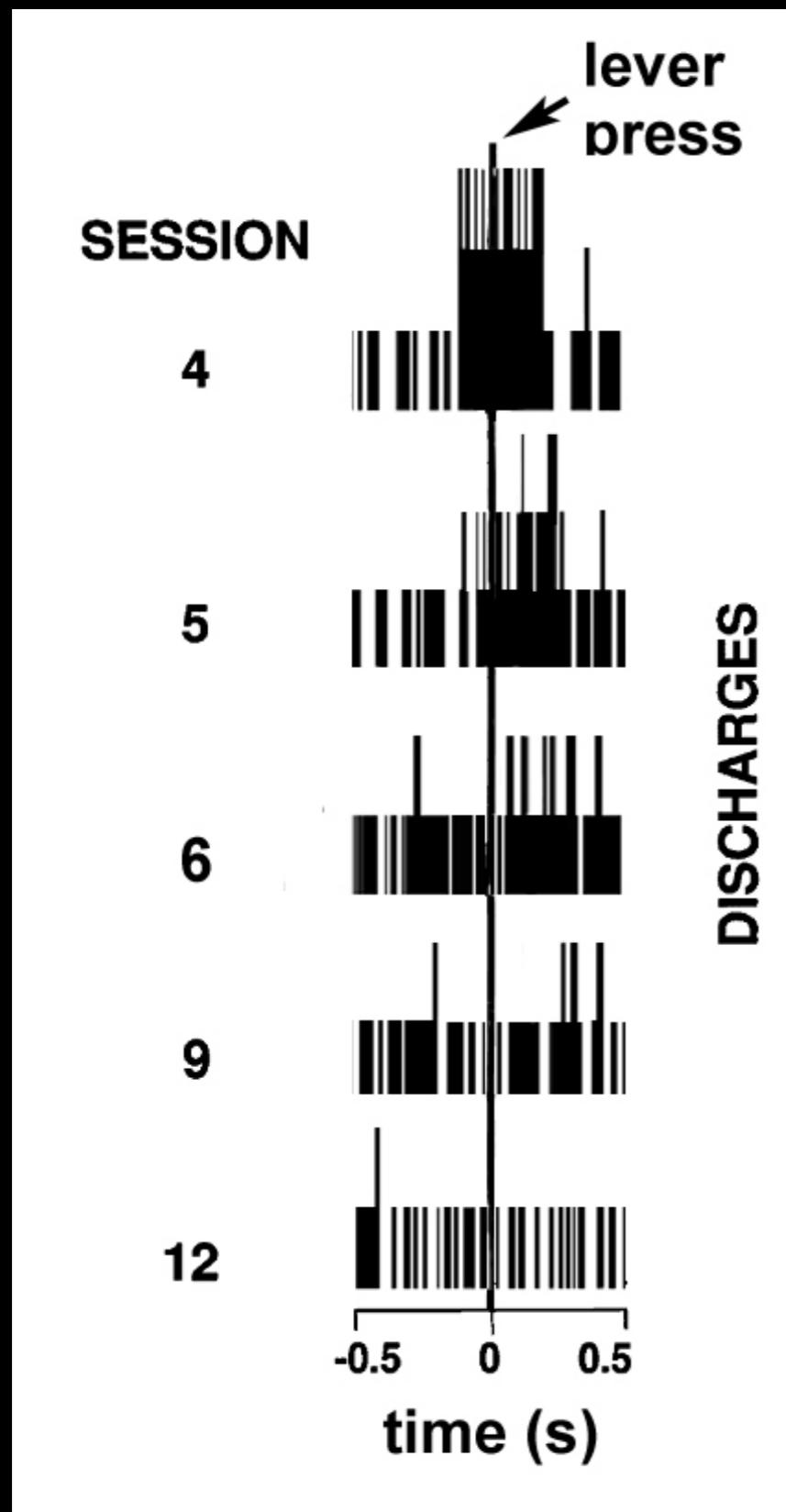


Romo et al., 1997

Carelli, Wolske, & West (1997)



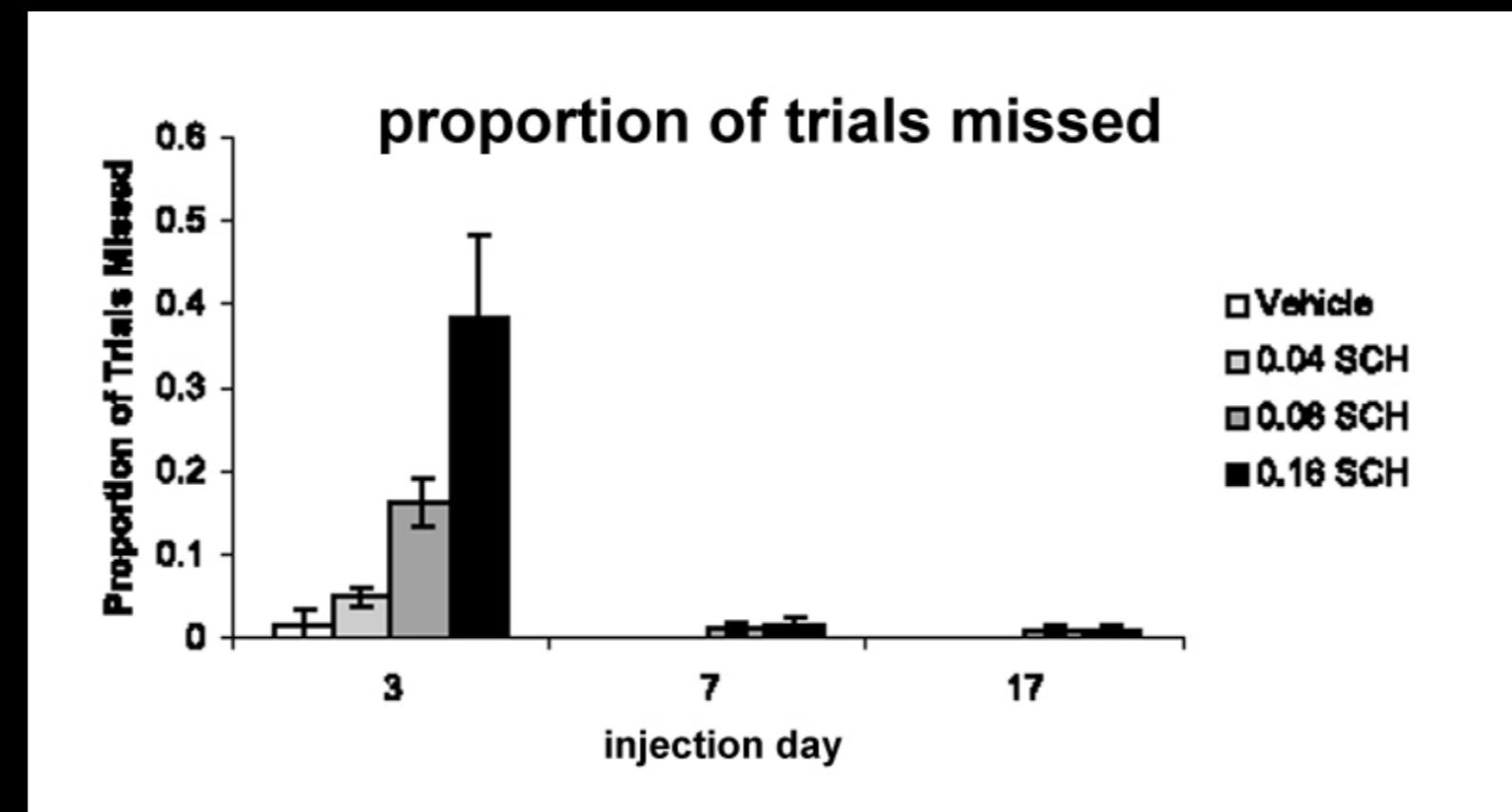


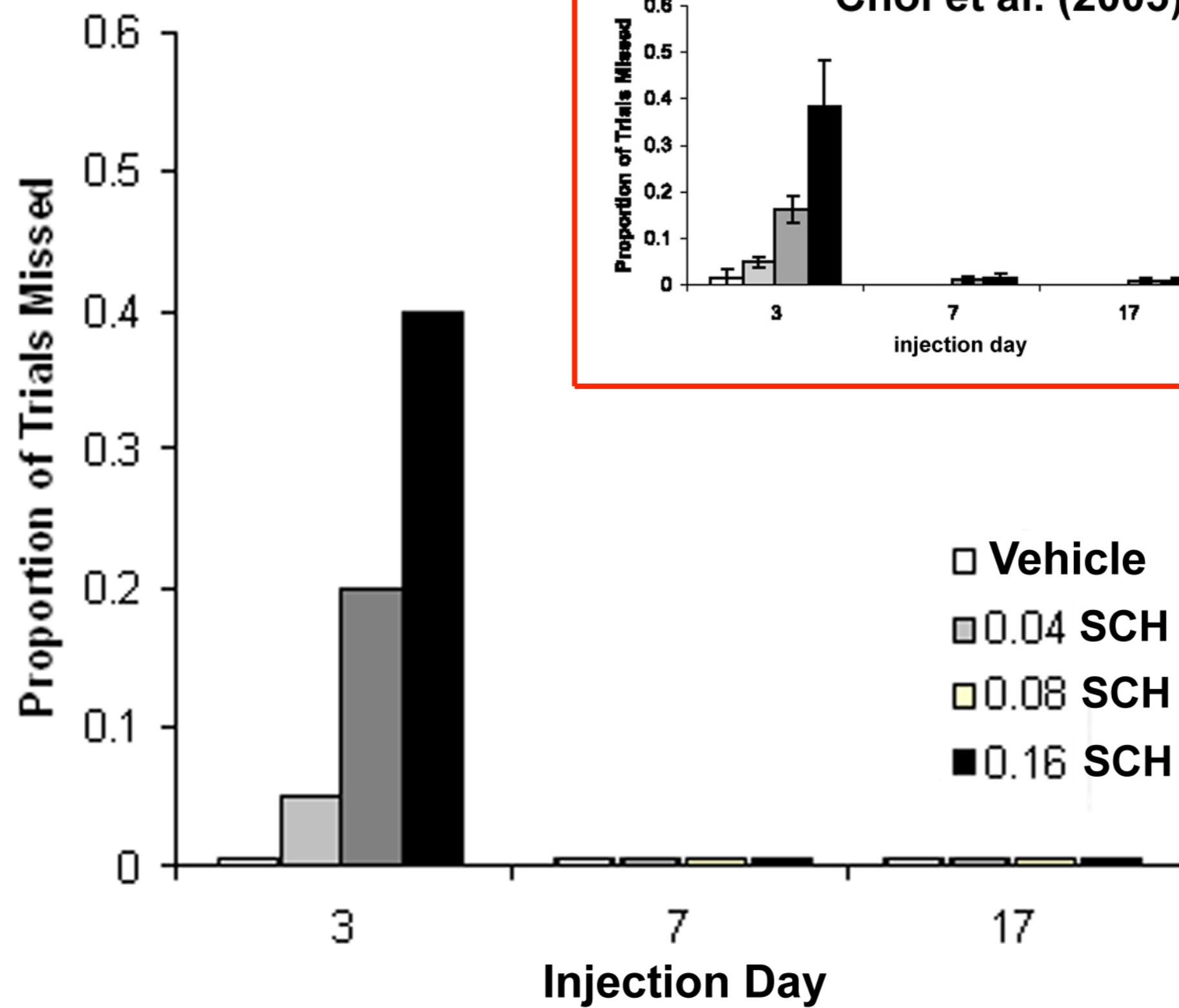


Carelli et al., 1997

Choi, Balsam, & Horvitz (2005)



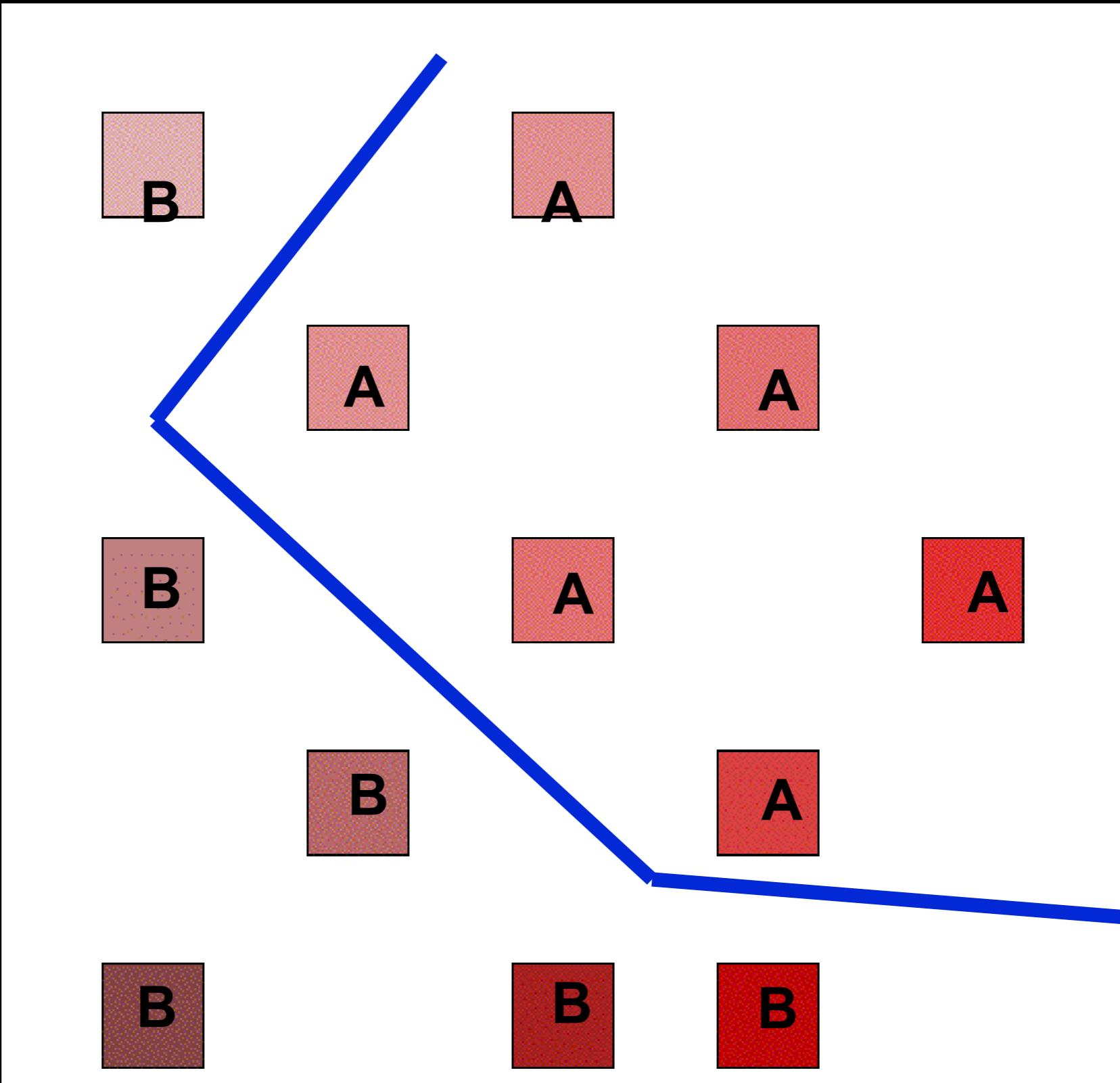




Nosofsky & Palmeri (1997)



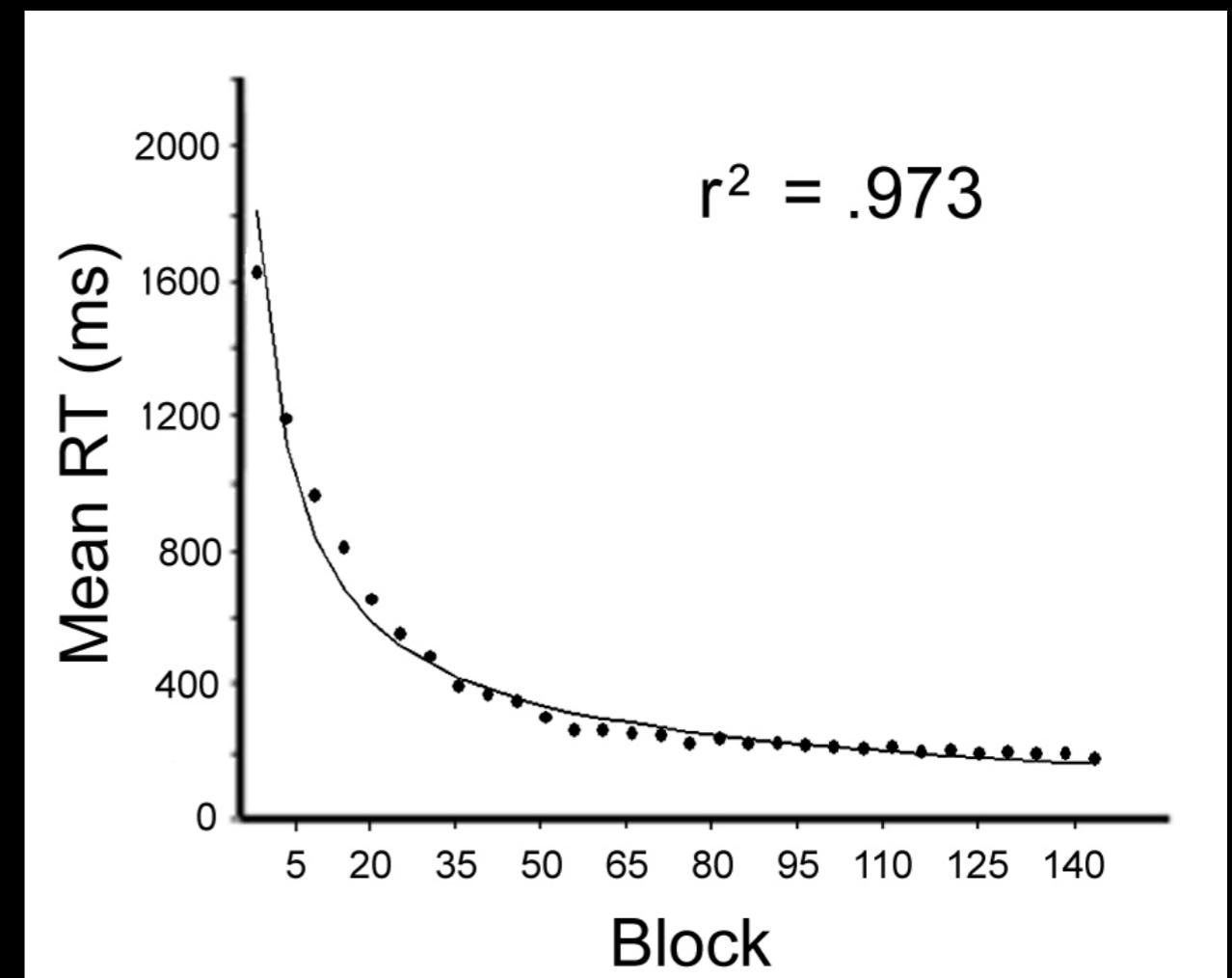
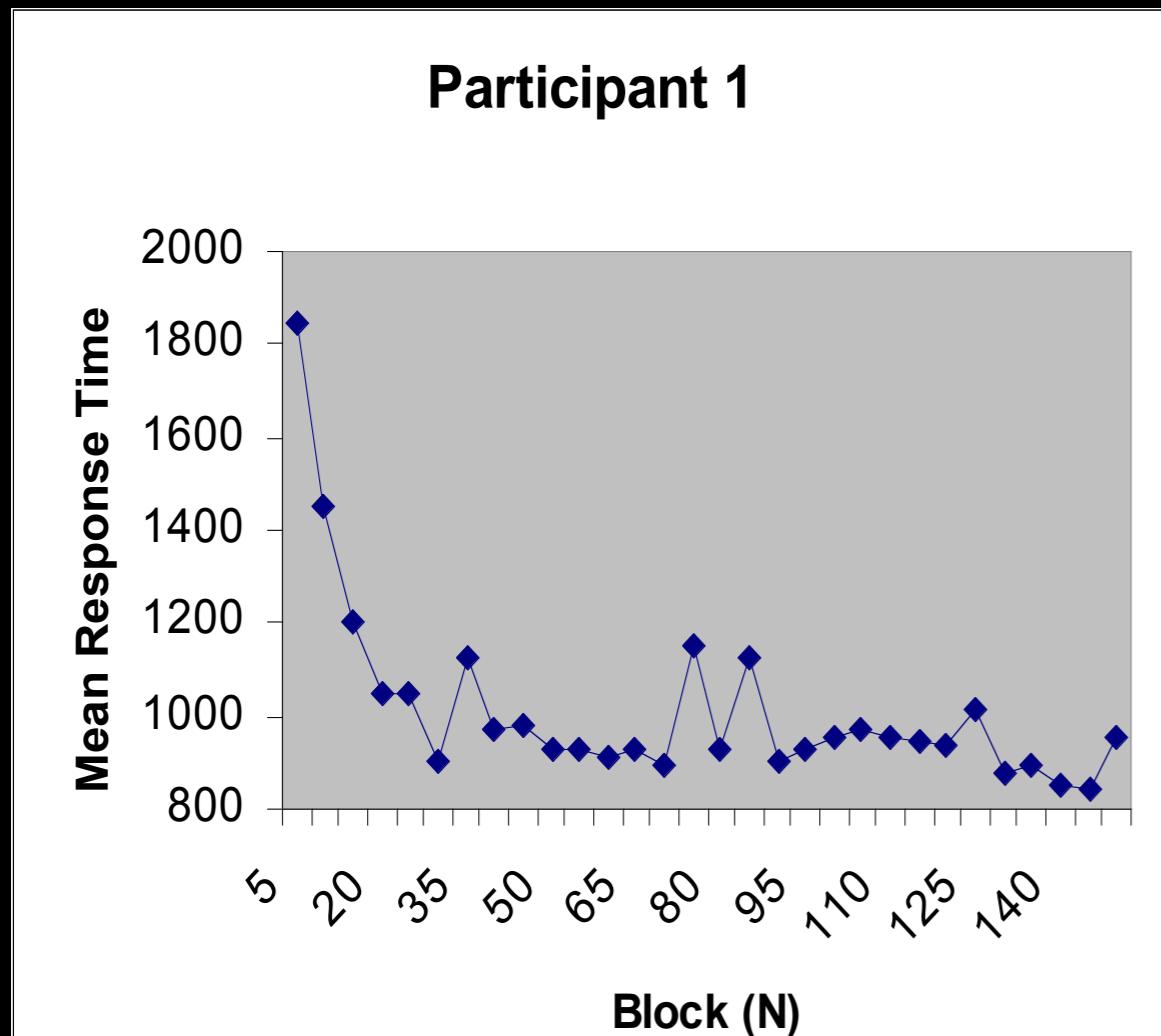
Brightness

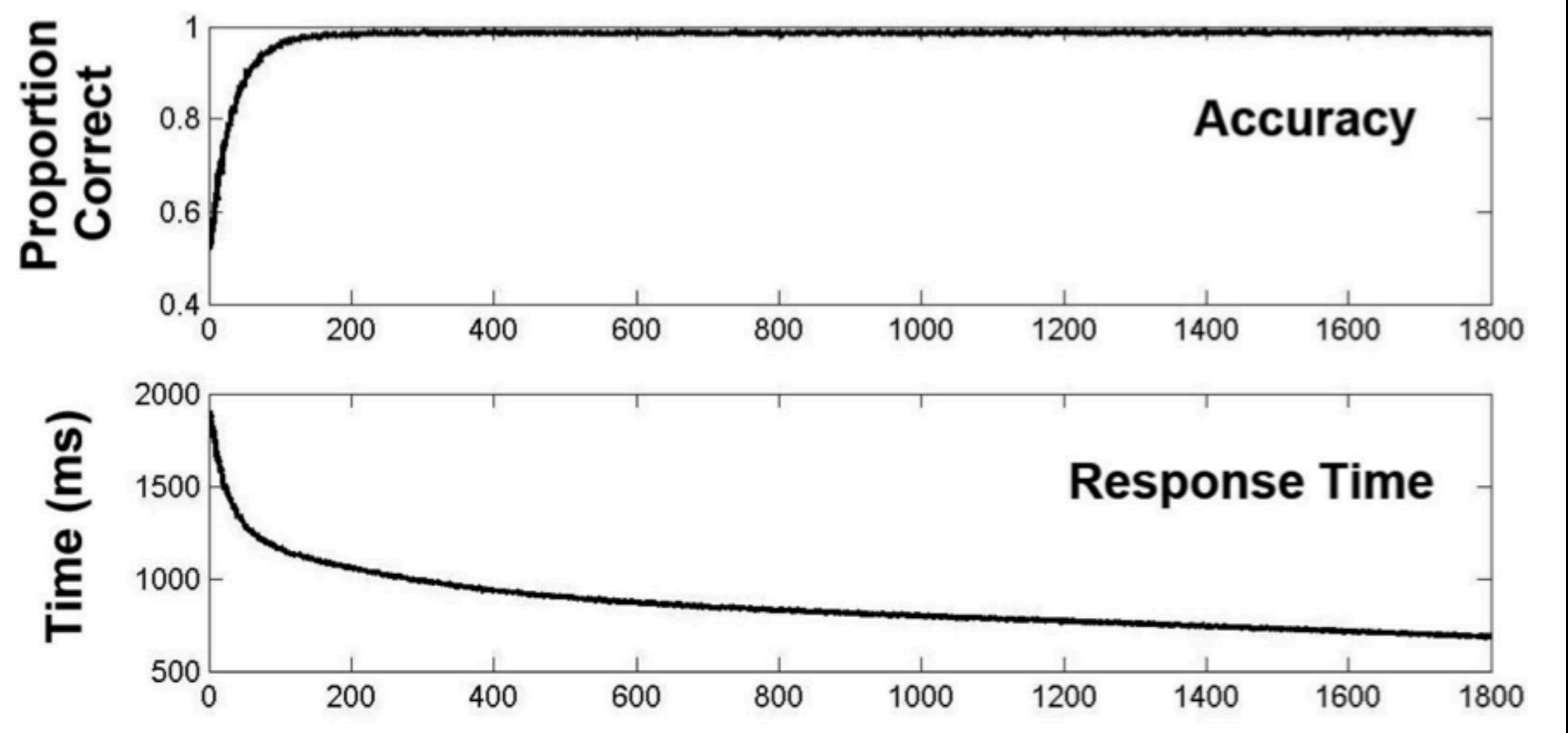


Saturation

Nosofsky & Palmeri (1997)

SPEED





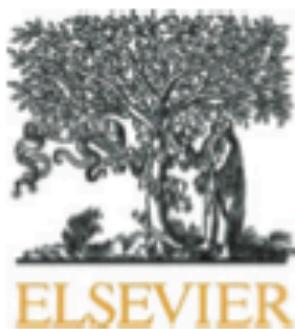
SPEED

UPDATES

Behavior Research Methods
2008, 40 (3), 713-721
doi: 10.3758/BRM.40.3.713

Fitting computational models to fMRI data

F. GREGORY ASHBY AND JENNIFER G. WALDSCHMIDT
University of California, Santa Barbara, California



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journal homepage: www.elsevier.com/locate/ynimng



Cortical and striatal contributions to automaticity in information-integration categorization

Jennifer G. Waldschmidt, F. Gregory Ashby*

University of California, Santa Barbara, USA

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brianspiering.com

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bspiering@gmail.com

HAPPY
YOU

Input

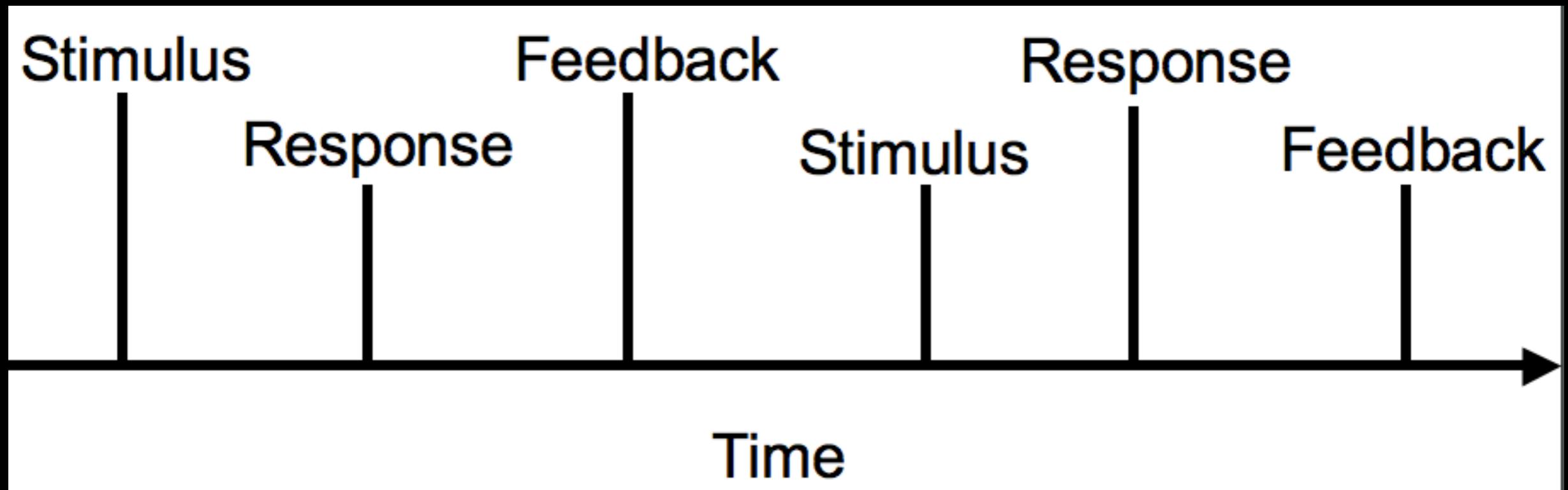


Black Box

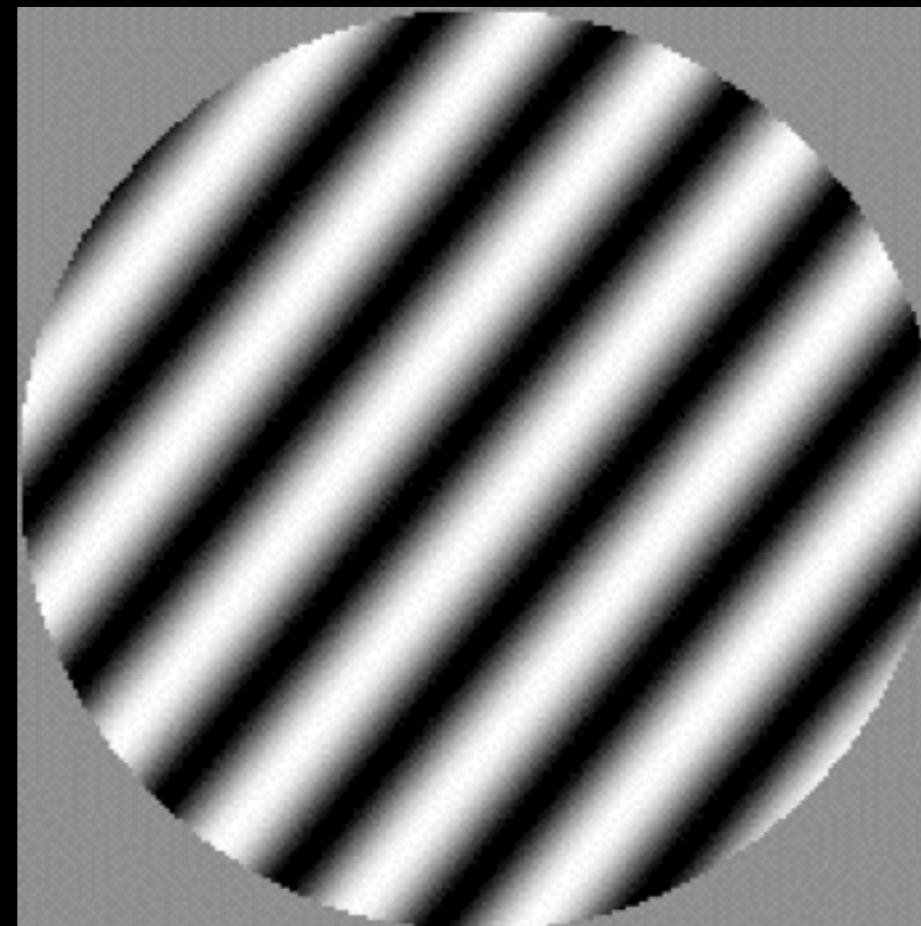


Output

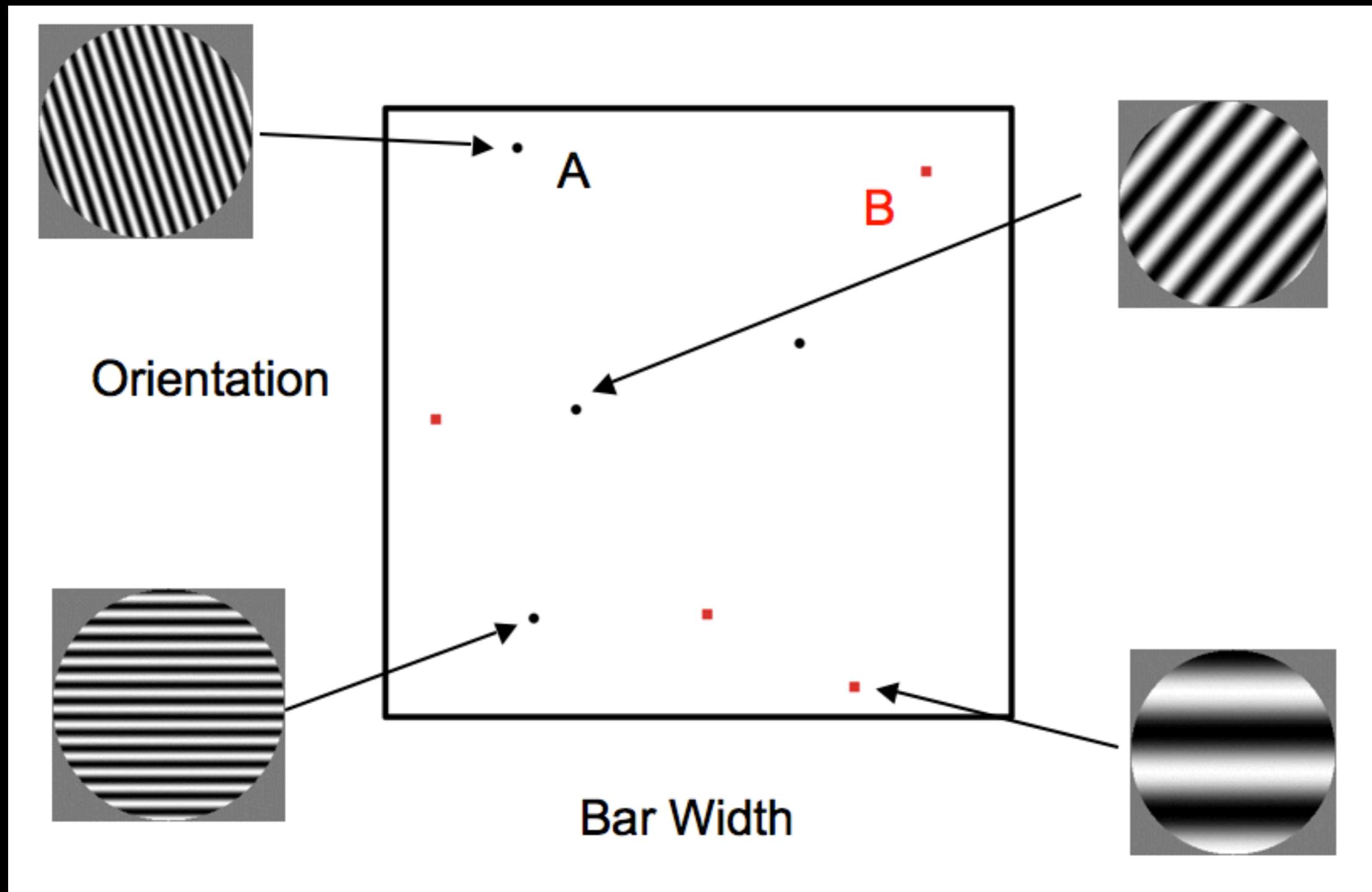
Category Learning Task



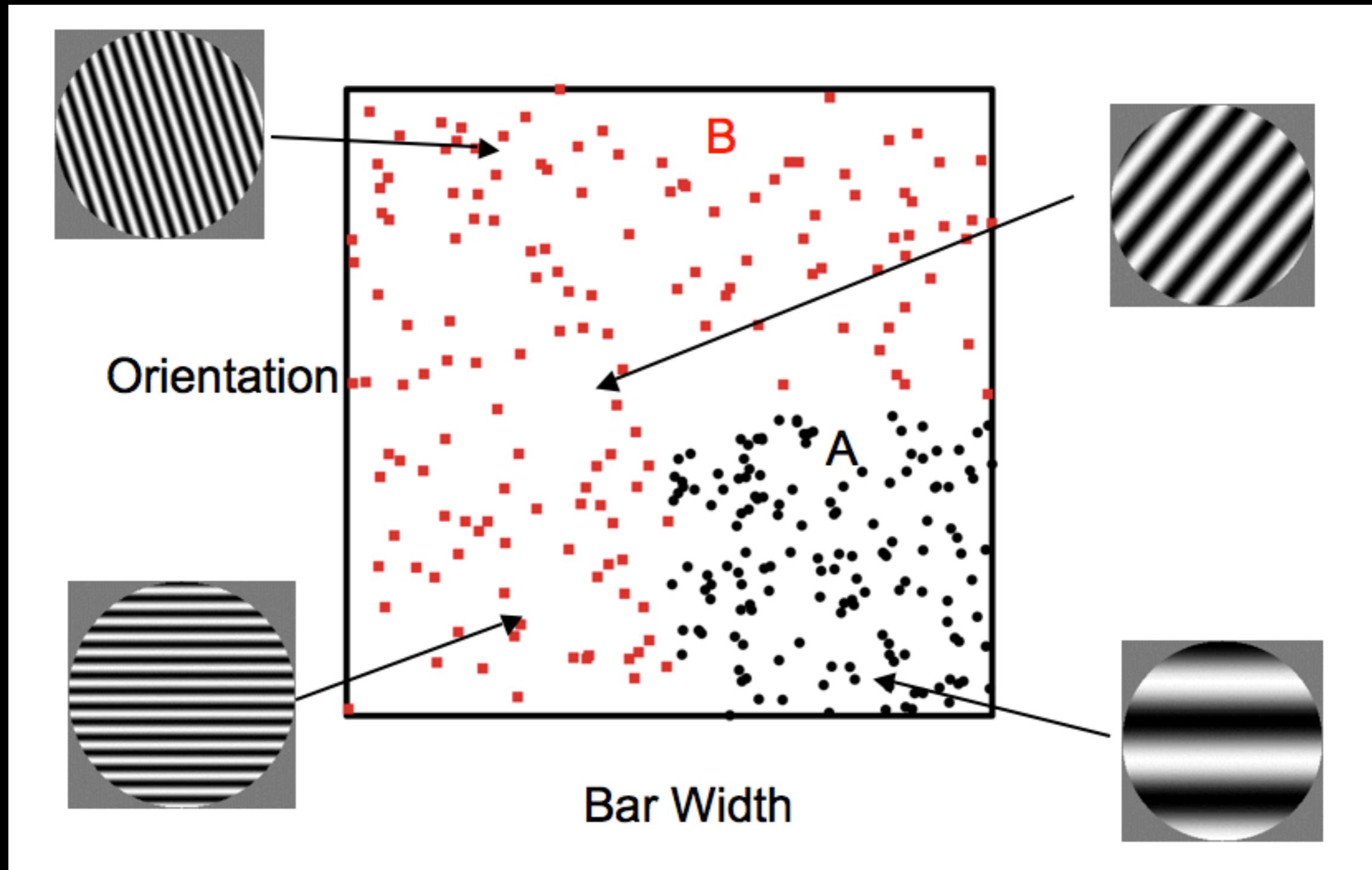
Category Learning Stimuli



Unstructured Categorization



Rule-Based Categorization



Information-Integration Categorization

