April 22, 2023

1 Lab 6: Stacking Regression Models

```
[1]: import pandas as pd
  import numpy as np
  import os
  import matplotlib.pyplot as plt
  import seaborn as sns

from sklearn.model_selection import train_test_split, cross_val_score
  from sklearn.ensemble import RandomForestRegressor, GradientBoostingRegressor
  from sklearn.tree import DecisionTreeRegressor
  from sklearn.linear_model import LinearRegression
  from sklearn.metrics import mean_squared_error, r2_score
```

In this lab assignment, you will:

- 1. Load the Airbnb "listings" data set.
- 2. Use the stacking ensemble method to train four regressors.
- 3. Train and evaluate the same four individual regressors.
- 4. Compare the performance of the stacked ensemble model to that of the individual models.

Note: Some of the code cells in this notebook may take a while to run.

1.1 Part 1: Load the Data Set

We will work with a preprocessed version of the Airbnb NYC "listings" data set.

Task: In the code cell below, use the same method you have been using to load the data using pd.read_csv() and save it to DataFrame df.

You will be working with the file named "airbnb_readytofit.csv.gz" that is located in a folder named "data".

```
[2]: # YOUR CODE HERE

#SOLUTION:
filename = os.path.join(os.getcwd(), "data", "airbnb_readytofit.csv.gz")
df = pd.read_csv(filename, header=0)
```

1.2 Part 2: Create Training and Test Data Sets

So far, we mostly focused on classification problems. For this exercise, you will focus on a regression problem and predict a continuous outcome.

Your model will predict the price of a listing; the label is going to be 'price'.

1.2.1 Create Labeled Examples

Task: Create labeled examples from DataFrame df. In the code cell below carry out the following steps:

- Get the price column from DataFrame df and assign it to the variable y. This will be our label.
- Get all other columns from DataFrame df and assign them to the variable X. These will be our features.

```
[3]: # YOUR CODE HERE

# solution
y = df['price']
X = df.drop(columns = 'price', axis=1)
```

1.2.2 Split Labeled Examples Into Training and Test Sets

Task: In the code cell below, create training and test sets out of the labeled examples.

- 1. Use scikit-learn's train_test_split() function to create the data sets.
- 2. Specify:
 - A test set that is 30 percent of the size of the data set.
 - A seed value of '1234'.

1.3 Part 3: Use the Stacking Ensemble Method to Train Four Regression Models and Evaluate the Performance

You will use the scikit-learn StackingRegressor class. For more information, consult the online documentation.

First let's import StackingRegressor:

```
[5]: from sklearn.ensemble import StackingRegressor
```

In this part of the assignment, we will try to use four models jointly. In the code cell below, we creates a list of tuples, each consisting of a scikit-learn model function and the corresponding shorthand name that we choose:

Task: Call StackingRegressor() with the following parameters:

- 1. Assign the list estimators to the parameter estimators.
- 2. Specify a 5-fold cross-validation using the parameter cv.
- 3. Use the parameter 'passthrough=False'.

Assign the results to the variable stacking_model.

As you read up on the definition of the StackingRegressor class, you will notice that by default, the results of each model are combined using a ridge regression (a "final regressor").

Let's train and evaluate this ensemble model using cross-validation:

Task: Use scikit-learn's cross_val_score() function on the stacking_model model to obtain the 3-fold cross-validation RMSE scores. In the code cell below, perform the following steps:

- 1. Call the function with the following arguments:
 - 1. your model object
 - 2. your training data
 - 3. specify the number of folds
 - 4. specify the "scoring method": scoring = 'neg_root_mean_squared_error'
- 2. Compute the average RMSE score returned by the 3-fold cross-validation and save the result to rmse_avg(Recall that specifying neg_root_mean_squared_error will result in negative RMSE values, so you have to multiply each value by -1 to obtain the RMSE scores before obtaining the average RMSE).

Note: This may take a while to run.

```
#solution

print('End')
print('average score: {}'.format(rmse_avg))
```

```
Performing Cross-Validation...

[-0.67877481 -0.61995672 -0.64446177]

End

average score: 0.647731100536875
```

Analysis: 1. Does the stacking model perform well? 2. Which hyperparameters were used for each one of the models in the stack?

Record your findings in the cell below.

1.4 Part 4: Improve the Performance of the Ensemble Model

Assume that you decided to further improve your model by tuning a few of the hyperparameters and finding the best ones. Do not run the code cell below, but simply analyze the code:

```
[9]: """

params = {
    "DT__max_depth": [2, 4, 8],
    "GBDT__n_estimators":[100,300]

}

stack_grid = GridSearchCV(stacking, params, cv=3, verbose=4, \( \)
    \therefore scoring='neg_root_mean_squared_error', refit=True, n_jobs=-1)

stack_grid.fit(X_train, y_train)

print(stack_grid.best_params_)

rf_grid.cv_results_['mean_test_score']

print("best parameters:", rf_grid.best_params_)

rmse_stack_cv = -1*rf_grid.best_score_

print("[STACK] RMSE for the best model is : {:.2f}".format(rmse_stack_cv))

"""
```

[9]: '\nparams = {\n "DT__max_depth": [2, 4, 8],\n
 "GBDT__n_estimators": [100,300] \n \n\n\nstack_grid = GridSearchCV(stacking,
 params, cv=3, verbose=4, scoring=\'neg_root_mean_squared_error\', refit=True,
 n_jobs=-1)\nstack_grid.fit(X_train, y_train)\nprint(stack_grid.best_params_)\nrf
 _grid.cv_results_[\'mean_test_score\']\n\n\nprint("best parameters:",
 rf_grid.best_params_)\n\nrmse_stack_cv = -1*rf_grid.best_score_\nprint("[STACK]
 RMSE for the best model is : {:.2f}".format(rmse_stack_cv))\n\n'

Running the code above is computationally costly (you are welcome to do so on your own time as an ungraded activity). For this lab, we will simply give away the resulting values of the best hyperparameters: {'DT__max_depth': 8, 'GBDT__n_estimators': 100}

Task: Create a new version of the 'estimators' list. You will use the same four regressors, but this time, you will pass the max_depth value above to the decision tree model, and the n_estimators value above to the gradient boosted decision tree. Save the estimators list to the variable estimators_best.

Task: Create a new StackingRegressor object with estimators_best. Name the model object stacking_best_model. Fit stacking_best_model to the training data.

Implement Stacking...
End

Task: Use the predict() method to test your ensemble model stacking_best_model on the test set (X_test). Save the result to the variable stacking_best_pred. Evaluate the results by computing the RMSE and R2 score. Save the results to the variables rmse and r2.

Complete the code in the cell below to accomplish this.

```
#Solution
rmse = np.sqrt(mean_squared_error(y_test, stacking_best_pred))
# 3. Compute the R2 score using r2_score()
# YOUR CODE HERE

#solution:
r2 = r2_score(y_test, stacking_best_pred)

print('Root Mean Squared Error: {0}'.format(rmse))
print('R2: {0}'.format(r2))
```

Root Mean Squared Error: 0.6204861311985321

R2: 0.635335485934708

1.5 Part 5: Fit and Evaluate Individual Regression Models

1.5.1 a. Fit and Evaluate a Linear Regression

Task: Complete the code below to fit and evaluate a linear regression model:

```
[14]: # 1. Create the LinearRegression model object below and assign to variable
     \rightarrow 'lr_model'
     # YOUR CODE HERE
     # Solution
     lr_model = LinearRegression()
     # 2. Fit the model to the training data below
     # YOUR CODE HERE
     # solution
     lr_model.fit(X_train, y_train)
     # 3. Call predict() to use the fitted model to make predictions on the test \Box
     →data. Save the results to variable
     # 'y_lr_pred'
     # YOUR CODE HERE
     # solution
     y_lr_pred = lr_model.predict(X_test)
     # 4: Compute the RMSE and R2 (on y_test and y_lr_pred) and save the results to \Box
      \rightarrow lr_rmse and lr_r2
```

```
# YOUR CODE HERE

#solution
lr_rmse = mean_squared_error(y_test, y_lr_pred, squared=False)
lr_r2 = r2_score(y_test, y_lr_pred)

print('[LR] Root Mean Squared Error: {0}'.format(lr_rmse))
print('[LR] R2: {0}'.format(lr_r2))
```

[LR] Root Mean Squared Error: 0.7449320705359715

[LR] R2: 0.4743911252247154

1.5.2 b. Fit and Evaluate a Decision Tree

Let's assume you already performed a grid search to find the best model hyperparameters for your decision tree. (We are omitting this step to save computation time.) The best values are: max_depth=8, and min_samples_leaf = 50. You will train a decision tree with these hyperparameter values.

Task: Complete the code in the cell below:

```
[15]: # 1. Create the DecisionTreeRegressor model object using the hyperparameter
     →values above and assign to
     # variable 'dt model'
     # YOUR CODE HERE
     # Solution
     dt_model = DecisionTreeRegressor(max_depth = 8,
                                      min_samples_leaf = 50)
     # 2. Fit the model to the training data below
     # YOUR CODE HERE
     # Solution
     dt_model.fit(X_train, y_train)
     # 3. Call predict() to use the fitted model to make predictions on the test \Box
      → data. Save the results to variable
     # 'y_dt_pred'
     # YOUR CODE HERE
     # solution
     y_dt_pred = dt_model.predict(X_test)
     # 4: Compute the RMSE and R2 (on y_test and y_dt_pred) and save the results to \Box
      \rightarrow dt\_rmse and dt\_r2
```

```
# YOUR CODE HERE

# solution
dt_rmse = mean_squared_error(y_test, y_dt_pred, squared=False)
dt_r2 = r2_score(y_test, y_dt_pred) #np.sqrt(r2_score(y_test, y_pred))

print('[DT] Root Mean Squared Error: {0}'.format(dt_rmse))
print('[DT] R2: {0}'.format(dt_r2))
```

[DT] Root Mean Squared Error: 0.7353694082648149

[DT] R2: 0.4877989503494

1.5.3 c. Fit and Evaluate a Gradient Boosted Decision Tree

Let's assume you already performed a grid search to find the best model hyperparameters for your gradient boosted decision tree. (We are omitting this step to save computation time.) The best values are: max_depth=2, and n_estimators = 300. You will train a GBDT with these hyperparameter values.

Task: Complete the code in the cell below.

```
[16]: print('Begin GBDT Implementation...')
     # 1. Create the GradientBoostingRegressor model object below and assign to \Box
      \rightarrow variable 'gbdt_model'
     # YOUR CODE HERE
     # solution
     gbdt_model = GradientBoostingRegressor(max_depth = 2,
                                       n_{estimators} = 300)
     # 2. Fit the model to the training data below
     # YOUR CODE HERE
     # solution
     gbdt_model.fit(X_train, y_train)
     # 3. Call predict() to use the fitted model to make predictions on the test_{\sqcup}
      →data. Save the results to variable
     # 'y_qbdt_pred'
     # YOUR CODE HERE
     # solution
```

```
Begin GBDT Implementation...
End
[GBDT] Root Mean Squared Error: 0.6608022665592868
[GBDT] R2: 0.5864077483714938
```

1.5.4 d. Fit and Evaluate a Random Forest

Let's assume you already performed a grid search to find the best model hyperparameters for your random forest model. (We are omitting this step to save computation time.) The best values are: max_depth=32, and n_estimators = 300. You will train a random forest with these hyperparameter values.

Task: Complete the code in the cell below.

```
# 3. Call predict() to use the fitted model to make predictions on the test
 →data. Save the results to variable
# 'y_rf_pred'
# YOUR CODE HERE
# solution
y_rf_pred = rf_model.predict(X_test)
# 4. Compute the RMSE and R2 (on y_test and y_rf_pred) and save the results to_\sqcup
 \rightarrow rf\_rmse and rf\_r2
# YOUR CODE HERE
# solution
rf_rmse = mean_squared_error(y_test, y_rf_pred, squared=False)
rf_r2 = r2_score(y_test, y_rf_pred)
print('End')
print('[RF] Root Mean Squared Error: {0}'.format(rf_rmse))
print('[RF] R2: {0}'.format(rf_r2))
Begin RF Implementation...
```

[RF] Root Mean Squared Error: 0.6296460538439721

[RF] R2: 0.6244892989182612

1.6 Part 6: Visualize Model Performance

The code cell below will plot the RMSE and R2 score for the stacked ensemble model and each regressor.

Task: Complete the code in the cell below.

```
[22]: RMSE_Results = [rmse, lr_rmse, dt_rmse, gbdt_rmse, rf_rmse]
     R2_Results = [r2, lr_r2, dt_r2, gbdt_r2, rf_r2]
     rg= np.arange(5)
     width = 0.35
     # 1. Create bar plot with RMSE results
     # YOUR CODE HERE
     # solution
     plt.bar(rg, RMSE_Results, width, label="RMSE")
     # 2. Create bar plot with R2 results
```

```
# YOUR CODE HERE
# solution
plt.bar(rg+width, R2_Results, width, label='R2')
# 3. Call plt.xticks() to add labels under the bars indicating which model the
\rightarrowpair of RMSE
# and R2 bars correspond to
# YOUR CODE HERE
# solution
labels = ['Stacking','LR', 'DT', 'GBDT', 'RF']
plt.xticks(rg + width/2, labels)
# 4. Label the x and y axis of the plot: the x axis should be labeled "Models" \Box
\rightarrow and the y axis
# should be labeled "RMSE and R2"
# YOUR CODE HERE
plt.xlabel("Models")
plt.ylabel("RMSE/R2")
# solution
plt.ylim([0,1])
plt.title('Model Performance')
plt.legend(loc='upper left', ncol=2)
plt.show()
```



Analysis: Compare the performance of the stacking model with the individual models. Is the stacking model performing better? Now that you are familiar with the Airbnb data, think about how a regression for price could be improved. What would you change, either at the feature engineering stage, or in the model selection, or at the stage of hyperparameter tuning? Record your findings in the cell below.