

Bounds, Semantics/Pragmatics-Divide, and Evolution

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1 Introduction

[some general sentence here](#) In linguistic theorizing, it is common to draw a distinction between semantics and pragmatics. Broadly speaking, semantics concerns the truth-conditional content of expressions, whereas pragmatics deals with information beyond such literal meanings. For instance, the integration of context and the derivation of defeasible inferences. Thus, the information conveyed is seldom if ever solely determined by semantics, but rather by its pragmatic enrichment. The present investigation addresses the selection of particular semantics over others in light of pragmatics.

Consider, for instance, the utterance *Bill read five books*. Truth-conditionally, this utterance does not set an upper-bound for the amount of books that Bill read; he may have read six, seven, or more books. Pragmatically, however, an addressee who assumes the speaker to be cooperative and knowledgeable may draw the (defeasible) inference that *Bill read no more than five books*. After all, had he read more, for example, six books, and the speaker had known this, she would have said *Bill read six books* instead. In this way, what is conveyed (pragmatically) goes beyond what is (literally) said (Grice 1975).

Much research in semantics and pragmatics has been aimed at characterizing the information conveyed by classes of expressions, such as numerals, in terms of either domain, or their interplay. Thus, while there is disagreement on where their boundary lies, their distinction remains a core (if tacit) assumption in linguistics. An issue that has received little attention, however, is the justification of semantic structure in view of pragmatics. Prima facie, under a functionalist view,

is is puzzling that *Bill read five books* does not semantically rule out its more informative or “stronger” alternatives. Wouldn’t it serve speakers of a language better if weak(er) expressions such as *warm*, *or*, *some* or *big* were not truth-conditionally compatible with stronger alternatives such as *hot*, *and*, *all* and *huge*, respectively? After all, this is what an interlocutor’s pragmatically enriched interpretation yields in the case of so-called scalar inferences. Once a distinction between semantics and pragmatics is drawn, similar questions can be posed for other types of pragmatic inferences, such as ignorance inferences as (1), or manner inferences such as (2) and (3).

- (1) a. Bill read at least five books
b. \leadsto Bill read five or more books (but the speaker doesn’t know how many)
- (2) a. Mercader killed Trotsky.
b. \leadsto Mercader killed Trotsky in a stereotypical way
- (3) a. Mercader caused Trotsky to die
b. \leadsto Mercader killed Trotsky in a non-stereotypical way

In more general terms, the question then is what motivates the selection of particular semantic structures over other hypothetical alternatives in light of pragmatics. While a number of recent investigations have begun to address issues pertaining to the development and selection of linguistic features, the semantics-pragmatics distinction has received little attention (see Steels 2015 and Tamariz and Kirby 2016 for recent overviews). Our starting point is given by the overarching account of competing pressures that crystallizes across different frameworks: Natural languages need to allow for successful communication, on the one hand, and be well suited for acquisition on the other. Put differently, languages need to be well-adapted to the communicative needs within a linguistic community, and be learnable to survive their faithful transmission across generations.

Description of plan to lay out model and test it on upper-bounds.

general notes on cultural evolution, biological evolution, and their connection

2 Linguistic structure & selectional dynamics

The emergence and change of linguistic structure is driven by many factors, from biological and socio-ecological to cultural (Steels 2011, Tamariz and Kirby 2016). Broadly put, social and ecological pressures determine communicative needs, while biology determines the architecture available for its use. Our focus is on the latter, cultural, factor, wherein linguistic structure is analyzed in terms of its use, as well as its transmission across generations.

As already mentioned in §1, research on selectional forces that apply in the cultural evolution of language has focused on two main pressures: expressivity and learnability. However, while it is generally acknowledged that both play a pivotal role, past approaches have focused exclusively, or at least emphasized, the role of one over the other (a recent exception is Kirby et al. 2015).

Expressiveness, or communicative efficiency, has been at the center of applications of evolutionary game theory to linguistics (Nowak and Krakauer 1999, Huttegger and Zollman 2013), explain RMD

as well as Luc Steels stuff.

In contrast, the iterated learning paradigm has focused on the effects of language transmission from generations of speakers to the next. explain IL

2.1 Probabilistic models of language use

Language (fragments).

Signaling behavior. With $\lambda \geq 1$ (rationality parameter), $\alpha \in [0, 1]$ (pragmatic violations) and $pr \in \Delta(S)$ a common prior over S (uniform so far):

$$R_0(s|m; L) \propto pr(s) L_{sm} \quad (1)$$

$$S_0(m|s; L) \propto \exp(\lambda L_{sm}) \quad (2)$$

$$R_1(s|m; L) \propto pr(s) S_0(m|s; L) \quad (3)$$

$$S_1(m|s; L) \propto \exp(\lambda R_0(s|m; L)^\alpha) \quad (4)$$

2.2 Expressiveness

Symmetrized expected utility. With $P \in \Delta(S)$ (uniform so far; therefore $P = pr$):

- $U(t_i, t_j) = [U_S(t_i, t_j) + U_R(t_i, t_j)]/2$
- $U_S(t_i, t_j) = \sum_s P(s) \sum_m P_S(m|s; t_i) \sum_{s'} P_R(s'|m, t_j) \delta(s, s')$, where $\delta(s, s')$ returns 1 iff $s = s'$ and otherwise 0
- $U_R(t_i, t_j) = U_S(t_j, t_i)$

2.3 Learnability

(II) Sequences and atomic observations. Before, the set of all observations was $O = \{\langle \langle s_1, m_i \rangle, \langle s_2, m_j \rangle \rangle | m_i, m_j \in M\}$. A member of O encodes that a teacher produced m_i in state s_1 and m_j in s_2 , i.e., it encodes one witnessed message for each state. A datum d was a sequence of length k of members of O . Learners witnessed such data sequences. Now, more in line with Griffiths and Kalish (2007), $O = \{\langle s_i, m_j \rangle | s_i \in S, m_j \in M\}$ and d is a sequence of length k of members of O . The main difference is that now some d do not provide any production information for some states.

(III) Observations as production. Instead of taking the space of all possible sequences of length k into consideration, we take sample from O k -times according to the production probabilities of each type; $P(o = \langle s, m \rangle | t_i) = P(s)P(m|s, t_i)$. n such k -length sequences are sampled for each type. As a consequence, the data used for computing Q_i is not the same as that used for j ($i \neq j$).

(IV) Parametrized learning $Q_{ij} \propto \sum_d P(d|t_i) F(t_j, d)$, where $F(t_j, d) \propto P(t_j|d)^l$ and $l = 1$ corresponds to probability matching and, as l increases towards infinity, to MAP.

The proportion of players of type i , x_i , is initialized as an arbitrary distribution over T . $p^* \in \Delta(T)$ is learning a prior over (player) types dependent only on the lexicon of the type.

- $f_i = \sum_j x_j U(x_i, x_j)$
- $\Phi = \sum_i x_i f_i$
- $Q_{ij} \propto [\sum_d P(d|t_i) P(t_j|d)]^l$, where $P(t_j|d) \propto p^*(t_j) P(d|t_j)$, d is a sequence of observations of length k of the form $\langle \langle s_i, m_j \rangle, \dots, \langle s_k, m_l \rangle \rangle$, and $l \geq 1$ is a learning parameter.
- For parental learning (standard RMD): $\dot{x}_i = \sum_j Q_{ji} \frac{x_j f_j}{\Phi}$

2.4 Summary

Procedural description. The game is initialized with some arbitrary distribution over player types. At the game’s onset we compute Q once based on the sets of sequences D (one for each parent type). Replicator dynamics are computed based on the fitness of each type in the current population as usual. Q is computed anew for each independent run (of g generations) given that it depends on D , which is sampled from production probabilities.

3 Upper-bounds in weak scalar alternatives

phenomenon description

3.1 Analysis

Languages. We consider a population of players with two signaling behaviors, literal and Gricean (level 0 and 1 below), each equipped with one of 6 lexicons. This yields a total of 12 distinct player types $t \in T$. $|M| = |S| = 2$, i.e., a lexicon is a $(2, 2)$ -matrix. These are listed in Table 1.

$$\begin{aligned} L_1 &= \begin{pmatrix} 0 & 0 \\ 1 & 1 \end{pmatrix} & L_2 &= \begin{pmatrix} 1 & 1 \\ 0 & 0 \end{pmatrix} & L_3 &= \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix} \\ L_4 &= \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix} & L_5 &= \begin{pmatrix} 0 & 1 \\ 1 & 1 \end{pmatrix} & L_6 &= \begin{pmatrix} 1 & 1 \\ 1 & 0 \end{pmatrix} \end{aligned}$$

Table 1: Set of possible $(2, 2)$ -matrices, i.e., a lexicon.

As in the CogSci paper, L_4 (semantic upper-bound for m_2) and L_5 (no semantic upper-bound for m_2) are the target lexica. Gricean L_5 users can convey/infer the bound pragmatically, while literal/Gricean L_4 users do so semantically.

3.2 Model parameters & procedure

1. Sequence length k
2. Pragmatic production parameter α
3. Rationality parameter λ
4. Learning prior over types (lexica); cost parameter c . $p^*(t_i) \propto n - c \cdot r$ where n is the total number of states and r that of upper-bounded messages only true of s_1 in t_i ’s lexicon (if only s_1 is true of a message, then this message encodes an upper-bound). Then the score for L_1 , L_3 , L_5 is 2, that of L_4 and L_6 is $2 - c$, and that of L_2 is $2 - 2c$; Normalization over lexica scores yields the prior over lexica (which is equal to the prior over types).
5. Prior over meanings (pr). We assume that $pr(s) = \frac{1}{|S|}$ for all s .
6. True state distribution (P). We currently assume that $P = \frac{1}{|S|}$ but it may be interesting to vary this
7. Learning parameter $l \geq 1$ with 1 corresponding to probability matching, and MAP as l approaches infinity

8. n is the sample of sequences of observations of length k sampled from the production probabilities of each type
9. Number of generations g

4 Discussion

(I) Cost for pragmatic reasoning. At least in the CogSci setup the effect of adding cost to pragmatic reasoning is unsurprising: High cost for pragmatic signaling lowers the prevalence of pragmatic types. Lexica that semantically encode an upper-bound benefit the most from this. However, the cost needed to be substantial to make the pragmatic English-like lexicon stop being the incumbent type (particularly when learning is communal).

(II) Negative learning bias. Instead of penalizing complex semantics (semantic upper-bounds) one may consider penalizing simple semantics (no upper-bounds). This is useful as a sanity check but also yields unsurprising results in the CogSci setup: The more learners are biased against simple semantics, the more prevalent are lexica that semantically encode upper-bounds.

(III) Inductive bias. A second learning bias that codifies the idea that lexica should be uniform, i.e. be biased towards either lexicalizing an upper-bound for all weaker alternatives in a scalar pair or for none.

(IV) Uncertainty. The other advantage of non-upper bounded semantics lies in being non-committal to the negation of stronger alternatives when the speaker is uncertain. Adding this to the model requires the most changes to our present setup and some additional assumptions about the cues available to players to discern the speaker’s knowledge about the state she is in.

(V) More scalar pairs. Taking into consideration more than one scalar pair. Preliminary results suggest that this does not influence the results in any meaningful way without further additions, e.g. by (III).

(VI) More lexica. Not necessary. Preliminary results suggest that considering more lexica has no noteworthy effect on the dynamics (tested with all possible 2x2 lexica).

(VII) State frequencies. Variations on state frequencies. This may have an interesting interaction with (III).

(VIII) Reintroduction of communal learning. One possibility: The probably N_{ij} with which a child of t_i adopts t_j could be the weighted sum of Q_{ij} (as before) and a vector we get from learning from all of the population: $L_j = \sum_d P(d|\vec{p})P(t_j|d)$, where $P(d|\vec{p}) = \sum_i P(d|t_i)\vec{p}_i$ is the probability of observing d when learning from a random member of the present population distribution.

5 Conclusion

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