

# Learning biases may prevent lexicalization of pragmatic inferences

A case study combining iterated (Bayesian) learning and functional selection

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# The semantics-pragmatics distinction

## Semantics

Literal meaning (truth-conditional)

## Pragmatics

Information beyond literal meaning (e.g. defeasible inferences)

# Scalar inferences

- (1)  $\langle \text{few}, \text{some}, \text{many}, \text{most}, \text{all} \rangle$ 
  - a. All students came to class  
→ **Some** students came to class
  - b. Some students came to class  
↗ **Not all** students came to class
- (2)  $\langle \text{may}, \text{should}, \text{must} \rangle$
- (3)  $\langle \text{one}, \text{two}, \text{three}, \dots \rangle$
- (4) ...

The use of a less informative expression when a more informative one could have been used<sup>\*</sup> can license a defeasible inference that the stronger alternatives do not hold

<sup>\*</sup>The hearer assumes the addressee to be knowledgeable and cooperative

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1. Why are (pragmatically inferred) upper-bounds of weak(er) alternatives not part of semantics?
2. What justifies semantic structure in light of pragmatic enrichment?

Today's talk:

- Propose a model to address (2) and analyze dynamics of linguistic pressures more broadly
- Use (1) as a case study for (2)

# Model

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# Components I: Cultural transmission

Two competing pressures:

1. Communicative efficiency

... as replicator dynamics

2. Learnability

... iterated Bayesian learning  
as mutator dynamics

} Replicator-mutator dynamics

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## Components II: Probabilistic (pragmatic) language users

- Varied lexica
- Varied production and comprehension behavior  
(here: parametrized *literal* or *pragmatic*)

} A player's type

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- $s_1$ : Bill read all books
- $s_2$ : Bill read some but not all books

$$L_a = \begin{array}{cc} & m_{\text{some}} & m_{\text{all}} \\ \begin{array}{c} s_1 \\ s_2 \end{array} & \left( \begin{array}{cc} 1 & 1 \\ 1 & 0 \end{array} \right) \end{array}$$

$$L_b = \begin{array}{cc} & m_{\text{some}} & m_{\text{all}} \\ \begin{array}{c} s_1 \\ s_2 \end{array} & \left( \begin{array}{cc} 0 & 1 \\ 1 & 0 \end{array} \right) \end{array}$$

### Literal behavior

$$R_0(s|m; L) \propto P^*(s)L_{sm} \quad (1)$$

$$S_0(m|s; L) \propto \exp(\lambda L_{sm}) \quad (2)$$

### Pragmatic behavior

$$R_1(s|m; L) \propto P^*(s)S_0(m|s; L) \quad (3)$$

$$S_1(m|s; L) \propto \exp(\lambda R_0(s|m; L)^\alpha) \quad (4)$$

A **player type**  $t_i$  is a combination of signaling behavior and a lexicon

# Functional pressure

- Population of types  $x$

$$x_i \propto \text{players } t_i \text{ in } x$$

- Fitness of type  $i$

$$f_i = \sum_j x_j U(x_i, x_j)$$

- Average fitness in the population

$$\Phi = \sum_i x_i f_i$$

# Iterated learning

- $Q_{ji} \propto \sum_d P(d|t_j)P(t_i|d)$
- $d = \langle \langle s_h, m_n \rangle, \dots, \langle s_l, m_o \rangle \rangle$  of length  $k$
- $P(d|t_j)$  corresponds to the production probabilities of  $t_j$
- $P(t_i|d) \propto [P(t_i)P(d|t_i)]^l, l \geq 1$
- The prior encodes the learning bias of players prior to data exposure

$P(t_i) \propto n - c \cdot r$ , where  $n = |S|$  and  $r$  a count of semantically upper-bounded weak alternatives

## Parametrized posterior $[P(t_i)P(d|t_i)]^l$

- $l = 1$  corresponds to posterior sampling
- $l \rightarrow \infty$  approaches maximum a posteriori estimate

**N.B.:** I will add a picture to exemplify how the mechanisms select hypotheses from the space of types

# Analysis

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## Types & lexica considered

$$\begin{aligned} L_1 &= \begin{pmatrix} 0 & 0 \\ 1 & 1 \end{pmatrix} & L_2 &= \begin{pmatrix} 1 & 1 \\ 0 & 0 \end{pmatrix} & L_3 &= \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix} \\ L_4 &= \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix} & L_5 &= \begin{pmatrix} 0 & 1 \\ 1 & 1 \end{pmatrix} & L_6 &= \begin{pmatrix} 1 & 1 \\ 1 & 0 \end{pmatrix} \end{aligned}$$

**N.B.: Plots that exemplify results (effect of bias on dynamics)**



**N.B.: Plots that exemplify results with a focus on our competing lexica (semantic upper-bounds vs. pragmatically inferred)**

**N.B.: Plots that exemplify results (effect of parametrized learning)**

## Conclusion & Outlook

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## Concluding remarks

- Combination of functional pressure, iterated Bayesian learning, and probabilistic hearer & speaker models
- Learnability steers language towards simpler semantics
- Pragmatics compensates for potential loss in expressivity

## References

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# References I