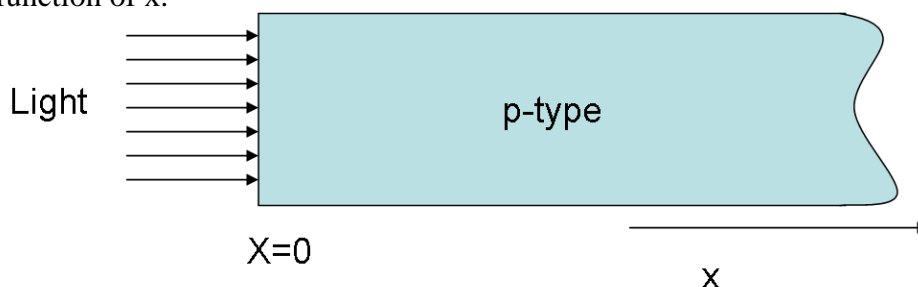


<b>ELEC 321/4-H</b>	<b>INTRODUCTION TO SEMICONDUCTOR MATERIALS AND DEVICES</b>	<b>Winter 2018</b>
<b>Homework due on April 12<sup>th</sup> 2018</b> No late homework will be accepted Questions marked with * are for extra credit!		

### Homework #6

1. A semiconductor, in thermal equilibrium, has a hole concentration of  $p_0=10^{16} \text{ cm}^{-3}$  and an intrinsic concentration of  $n_i=10^{10} \text{ cm}^{-3}$ . The minority carrier lifetime is  $2 \times 10^{-7} \text{ s}$ . (a) Determine the thermal equilibrium recombination rate of electrons. (b) Determine the change in the recombination rate of electrons if an excess electron concentration of  $\delta n=10^{12} \text{ cm}^{-3}$  exists.
2. (a) A sample of semiconductor has a cross-sectional area of  $1 \text{ cm}^2$  and a thickness of  $0.1 \text{ cm}$ . Determine the number of electron-hole pairs that are generated per unit volume per unit time by the uniform absorption of a 1 Watt of light at a wavelength of  $6300 \text{ \AA}$ . Assume each photon creates one electron-hole pair. (b) If the excess minority carrier lifetime is  $10 \text{ \mu s}$ , what is the steady state excess carrier concentration?
3. \* Consider a one-dimensional hole flux as shown in Fig. 6.4 of your text (page 9 of the lecture notes). If the generation rate of holes in this differential volume is  $g_p=10^{20} \text{ cm}^{-3}\text{-s}^{-1}$  and the recombination rate is  $2 \times 10^{19} \text{ cm}^{-3}\text{-s}^{-1}$ , what must be the gradient in the particle current density to maintain a steady-state hole concentration?
4. Consider a homogeneous GaAs semiconductor at  $T=300 \text{ K}$  with  $N_a=10^{16} \text{ cm}^{-3}$  and  $N_d=0$ . A light source is turned on at  $t=0$  producing a uniform generation rate of  $g=10^{20} \text{ cm}^{-3}\text{-s}^{-1}$ . The electric field is zero. (a) Derive the expression for the excess-carrier concentration and excess carrier recombination rate as a function of time. (b) If the maximum, steady state, excess carrier concentration is to be  $10^{14} \text{ cm}^{-3}$ , determine the maximum value of the minority carrier lifetime. (c) Determine the times at which the excess minority carrier concentration will be equal to (i) three-fourth, (ii) one-half, (iii) one-fourth of the steady state value.
5. Consider a bar of p-type silicon that is homogeneously doped to a value of  $3 \times 10^{15} \text{ cm}^{-3}$  at  $T=300 \text{ K}$ . The applied electric field is zero. A light source is incident on the end of the semiconductor as shown in figure below. The excess carrier concentration generated at  $x=0$  is  $\delta p(0)=\delta n(0)=10^{13} \text{ cm}^{-3}$ . Assume the following parameters (neglect surface effects):  
 $\mu_n=1200 \text{ cm}^2/\text{V-s}$ ,  $\tau_{n0}=5 \times 10^{-7} \text{ s}$   
 $\mu_p=400 \text{ cm}^2/\text{V-s}$ ,  $\tau_{p0}=10^{-7} \text{ s}$   
 (a) Calculate the steady state excess electron and hole concentrations as a function of distance into the semiconductor. (b) Calculate the electron diffusion current density as a function of  $x$ .



6. \* Consider the semiconductor described in problem 5. Assume a constant electric field  $E_0$  is applied in the +x direction. (a) Derive the expression for steady state excess electron concentration. (Assume the solution is of the form  $e^{-ax}$ .) (b) Compare this formula with the one of  $E=0$  and explain the general characteristics of the two expressions (i.e. with and without electric field).
  
7. \* Assume that a p-type semiconductor is in thermal equilibrium for  $t < 0$  and has an infinite minority carrier lifetime. Also assume that the semiconductor is uniformly illuminated, resulting in a uniform generation rate,  $g'(t)$ , which is given by  $G_0$  for  $0 < t < T$  and zero at other times.  $G_0$  is a constant. Find the excess minority carrier concentration as a function of time.
  
8. An n-type silicon sample with  $N_d = 10^{16} \text{ cm}^{-3}$  is steadily illuminated such that  $g' = 10^{21} \text{ cm}^{-3} \cdot \text{s}^{-1}$ . If  $\tau_{n0} = \tau_{p0} = 10^{-6} \text{ s}$ , calculate the position of the quasi-Fermi (or Imref) levels for electrons and holes with respect to the intrinsic level (assume that  $n_i = 1.5 \times 10^{10} \text{ cm}^{-3}$ ). Plot these levels on the energy-band diagram.