Liberty Insurance Case Study

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Statement of the Problem

Problem:

Presently Liberty Insurance Co. has a very complicated problem regarding lack of trustful knowledge on claims that a policyholder is most likely to file during the exposure time policy.

Formal Statement:

Build a model able to predict the total number of claims a customer is going to file with the company.



Is there any dataset available?

Yes!

A dataset containing policy info of motor insurance customers and the total claims they have filed.

More Specifically:

- → This dataset initially contains 12 columns and 678013 rows.
- → The total number of claims per customer is represented by claim count.
 - ◆ This column is the TARGET feature.
 - ◆ The expected frequency of claims is calculated by using num_feature (which is an offset variable)
 - *♦ All the rest can be viewed as RESOURCE features.*

	policy_desc	claim_count	cat_areacode	num_vehicleAge	num_noClaimDiscountPercent	cat_carBrand	num_populationDensitykmsq	cat_Region	ord_vehicleHP	num_exposure	cat_fuelType	num_driverAge
						B12	1217	R82		0.1	Regular	
						B12	1217	R82		0.77	Regular	
						B12	54	R22		0.75	Diesel	
						B12		R72		0.09	Diesel	46
4	11					B12		R72		0.84	Diesel	
678008	6114326					B12	3317	R93		0.002739726	Regular	54
678009	6114327					B12	9850	R11		0.002739726	Regular	
678010	6114328					B12	1323	R82		0.002739726	Diesel	
678011	6114329					B12		R26		0.002739726	Regular	60
678012	6114330				54	B12		R72		0.002739726	Diesel	



Tell me more about this data!

Sure thing!

Variables:

- → Target:
 - <u>claim_count</u>: Total Claims (This is the response you should predicting); Numeric Variable
- → Offset:
 - <u>num_exposure</u>: Exposure time of policy. Time period within which the claims were made; Numerical Variable
- → Independent:
 - <u>policy_desc</u>: Policy Identifier; Primary Key which is unique for every policy
 - <u>cat areacode</u>: Area Code; Categorical Variable
 - ◆ <u>num_vehicleAge</u>: Age of the vehicle; Numeric Variable
 - <u>num_noClaimDiscountPercent</u>: Percentage of discount applied to policy premium based on claim history. If value is greater than 100 then policy premium was increased, if it's less than 100 a discount was applied. A value of 100 means the premium remain unchanged;
- → Numerical Variable
 - ◆ <u>cat_carBrand</u>: Insured Vehicle Brand; Categorical Variable
 - <u>num_populationDensitykmsq</u>: Population density of the city the policy holder lives in; Numerical Variable
 - ◆ <u>cat Region</u>; Region of the country the policy holder lives in; Categorical Variable
 - ord vehicleHP: Vehicle Horsepower; This feature is anonymised but maintains the same ordinality; Ordinal Variable
 - ◆ <u>cat_fuelType</u>: Insured Vehicle Fuel Type; Categorical Variable
 - <u>num_driverAge</u>: Age of the Policy Holder; Numerical Variable



Anything else?

Yes!

cat_fuelType \rightarrow 22 null entries (or missing blank), *i.e.* 0.003% **num_driverAge** \rightarrow 14 null entries (or missing blank), *i.e.* 0.002%

	COLUMN_NAME	COLUMN_DTYPE	#_NULL	#_NON_NULL	%_NULL	%_NON_NULL	UNIQUE_VALUES
0	policy_desc	int64		678013	0.000	100.000	678013
1	claim_count	int64		678013	0.000	100.000	11
2	cat_areacode	object		678013	0.000	100.000	
3	num_vehicleAge	int64		678013	0.000	100.000	78
4	num_noClaimDiscountPercent	int64		678013	0.000	100.000	115
5	cat_carBrand	object		678013	0.000	100.000	11
6	num_populationDensitykmsq	int64		678013	0.000	100.000	1607
7	cat_Region	object		678013	0.000	100.000	22
8	ord_vehicleHP	int64		678013	0.000	100.000	15
9	num_exposure	object		678013	0.000	100.000	184
10	cat_fuelType	object	22	677991	0.003	99.997	
11	num_driverAge	object	14	677999	0.002	99.998	165



And...

Some data type irregularities

 $num_exporuse \rightarrow$ was loaded as an object, however it must be a numerical variable (more specifically float64). $num_driveAge \rightarrow$ was loaded as an object, however it must be a numerical variable.

Moreover

num_driveAge → there're string entries as well as numeric entries

- There're also Not A Number entries (nan) and missing values (string spaces).
- String spaces corresponds to 24 entries, which is 0.007% of the dataset (splitted).
 - Nan corresponds to 0.011%.
- (*) The effect of removing these rows most likely won't interfere in the final result.

ecuted in	146ms, finishe	d 21:51:51 2021	09-29									
	policy_desc	claim_count	cat_areacode	num_vehicleAge	num_noClaimDiscountPercent	cat_carBrand	num_populationDensitykmsq	cat_Region	ord_vehicleHP	num_exposure	cat_fuelType	num_driverA
258											Regular	
105969											Diesel	
165364											Regular	
212991											Diesel	
217702	2041616									0.005479452	Diesel	
233954											Diesel	
268441											Diesel	
329623											Regular	
343375											Regular	
364615											Regular	
376870											Diesel	
377929	3038864										Regular	
436711											Diesel	
447620											Regular	
530452											Regular	
557180	4148358										Regular	
566668	4157846										Diesel	
570981	4162159										Regular	
621480											Diesel	
624661	5073421						27000			0.008219178	Regular	
624718											Regular	
635940											Diesel	
650714	6043152										Regular	
676421											Regular	



And...

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Moreover

num_exporuse → was loaded as an object, however it must be a numerical variable (more specifically float64).

- There were entries in num_exposure which ended with "years".

```
cat_fuelType → array(['Regular', 'Diesel', nan,
'Electric'], dtype=object)

* Regular: 51.01%

* Diesel: 48.99%

* Electric: 0.002%
```

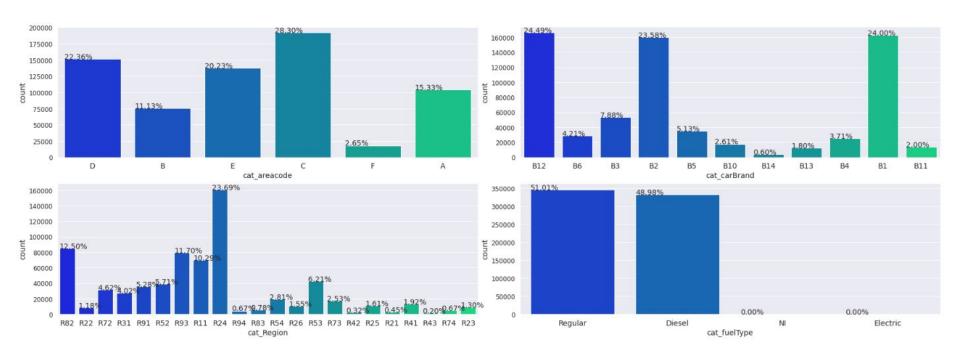
(*) The nan entries will be replaced by Not Informed (NI)



df.num exposure.unique() xecuted in 80ms, finished 21:51:52 2021-09-29 array(['0.1', '0.77', '0.75', '0.09', '0.84', '0.52', '0.45', '0.27', '0.03', '0.06', '0.55', '0.19', '0.01', '0.79', '0.04', '0.8', '0.07', '0.39', '0.47', '0.69', '0.16', '0.12', '0.41', '0.46', '0.82', '0.11', '0.08', '0.02', '0.72', '0.14', '0.5', '0.92', '0.9', '0.78', '0.83', '0.67', '0.13', '0.59', '0.21', '0.65', '0.25', '0.62', '0.22', '0.7', '0.58', '0.28', '0.61', '0.53', '8.36', '0.56', '0.3', '0.6', '0.68', '0.97', '0.54', '0.44', '8.49', '8.29', '0.32', '8.26', '8.80273224', '8.96', '8.98', '0.88', '0.4', '0.89', '0.38', '0.95', '0.94', '0.93', '0.91', '1', '0.99', '23years', '0.005479452', '0.002739726', '0.008219178', '10years', '37years', '1.99', '1.17', '1.12', '1.48', '1.5', '1.53', '1.81', '1.83', '1.89', '1.56', '1.87', '1.43', '1.34', '1.46', '1.37', '1.41', '1.05', '1.04', '1.02', '1.08', '1.06', '1.15', '1.13', '1.2', '1.11', '1.14', '1.16', '1.18', '1.22', '1.23', '1.26', '1.1', '1.3', '1.38', '1.29', '1.25', '1.32', '1.45', '1.21', '1.33', '1.27', '1.24', '1.36', '1.19', '1.4', '1.65', '1.98', '1.35', '1.28', '1.51', '1.52', '1.49', '1.31', '1.74', '1.44', '2.01', '1.93', '2', '1.75', '1.54', '1.69', '1.88', '1.9', '1.67', '1.82', '1.6', '1.85', '1.92', '1.63', '1.71', '1.39', '1.7', '1.64', '1.55', '1.62'], dtype=object)

Story time! Once upon a time a dataset...

Univariate EDA





→ Area: cat areacode

- ◆ Area C + D + E correspond to approximately 71% of the whole entries in the dataset.
- But there's one area (F) that has a very low presence (3%).
- ♦ The remaining A + B areas states for 26%

→ Region: cat Region

- ◆ There'a a pick in Region R24 which corresponds to ~24% of the whole entries.
- ♦ However, regions R11 + R24 + R82 + R93 account to approximately 58% of the dataset.
- ◆ The remaining regions account to approximately 42%.

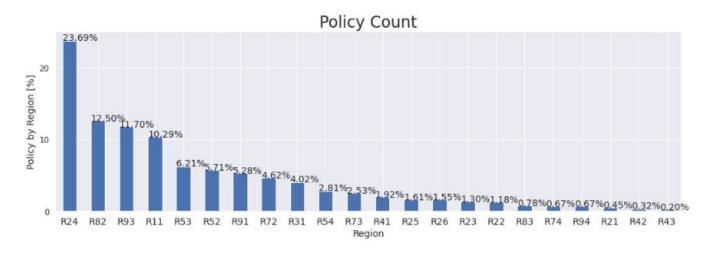
Univariate EDA

→ Fuels: cat_fuelType

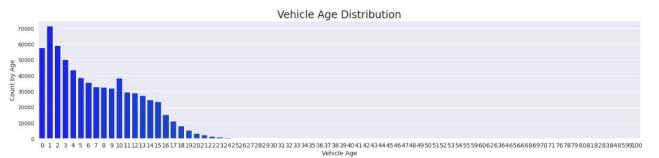
- ► Fuel Diesel + Regular takes over most of the dataset, ~99.9%.
- ◆ There're some entries which corresponds to Electric, but is very "insignificant" in comparison with Diesel and Regular.
- Moreover, there were some missing values, which were marked as Not Informed (NI), but it also corresponds to a insignificant amount of entries.

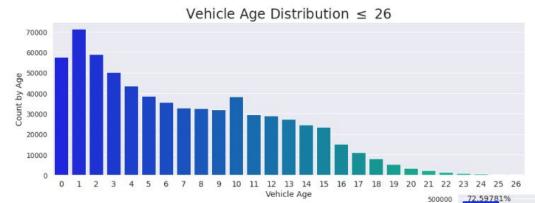
→ Brand: cat carBrand

- ◆ Brand B1 + B2 + B12 correspond to approximately 72.0% of the whole entries in the dataset.
- ◆ Brand B3 + B5 group is the second most significant in size, but it's just 13%.
- ◆ The rest of the brands correspond to ~15%







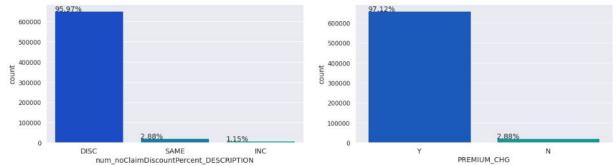


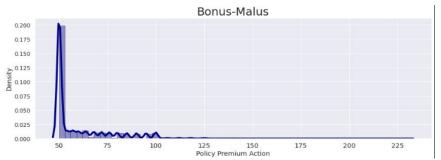
Most of the vihicles (\sim 73%) appears to be concentrated in the age range 0 .LE. age .LE. 10.

~27% are in the interval 10 .LE. age .LE. 20.





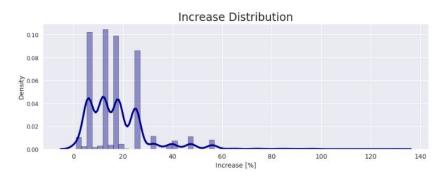


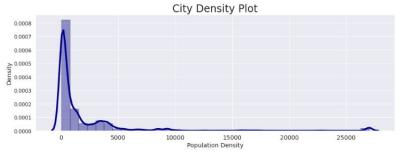


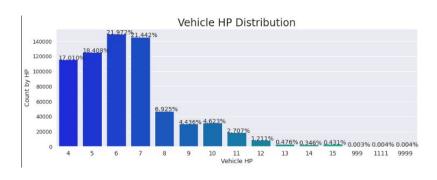


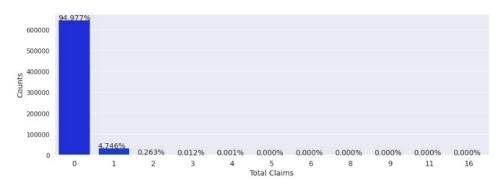
- → Almost 96% corresponds to discounts applied to policy premium.
- → ~3% of the policy premium remain unchanged.
- → And just ~1.2% actually had an increase.
- → Therefore, 97% of the dataset had some kind of applied action.
- → It was created 5 new resources:
 - ◆ num_noClaimDiscountPercent_DESCRIPTION: specifies the action applied
 - num_PREMIUM_DISC: by how much whether the action was a discount
 - num_PREMIUM_INC: by how much whether the action was an increase
 - ◆ PREMIUM_CHG: wheter there was an action





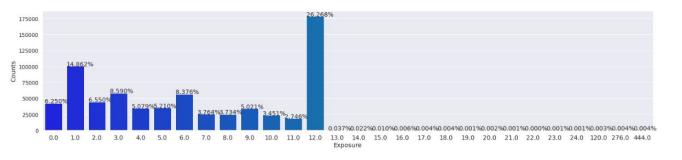


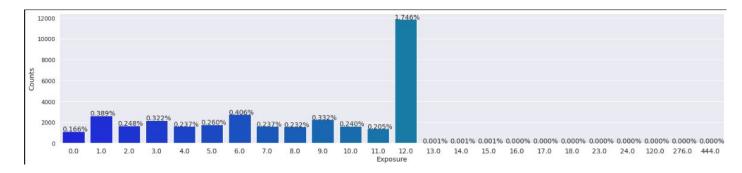




- → Almost 95% of the customers have no claims at all
- \rightarrow Only ~5% of them have one claims
- → And less then 0.5% have 2 or more claims.
- → Created a new resource which states whether there was a claims: IS_CLAIM
 - This could be interesting to use in a classification problem. For instance, verify the propensity of a given customer made a claim. However, this would imply in a highly unbalanced dataset. One possible way out could be by means of data augmentation (unsing Random Oversampling in the lowest classification, Over and Under Sampling, or using a sintetic algorithm that generates data, *e.g.* SMOTE. On the other hand, depending on the ML-classifier, for example XGBoost has a hyperparameter which deals with unbalanced data.)



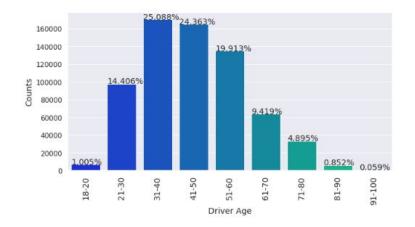




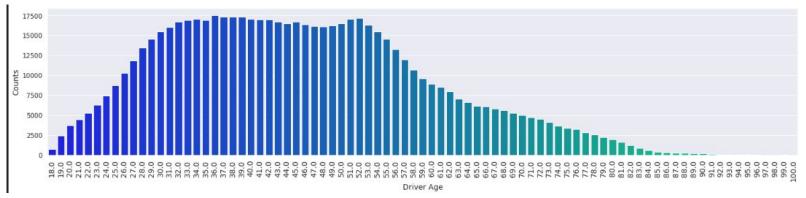
- → I think that I didn't quite get this info. I mean, let's work out an example:
 - So, taking into account that num_exposure is, by definition, the exposure time of the policy.

(*) Then, in the new column where it is represented the exposure by months, in the 12th month, which is where 26% of the customers have their exposure time policy insurance, approximately 1.7% of them actually made some claim due to any loss?





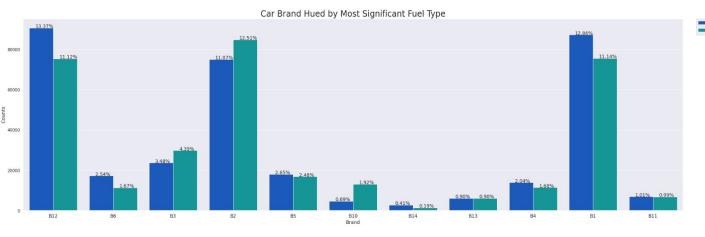
- → Most of the customers, ~49%, appears to be between 31 and 50 yearls old.
 - It was created a two new resource which is:
 - ◆ The driver age range: num_driverAge_RANGE

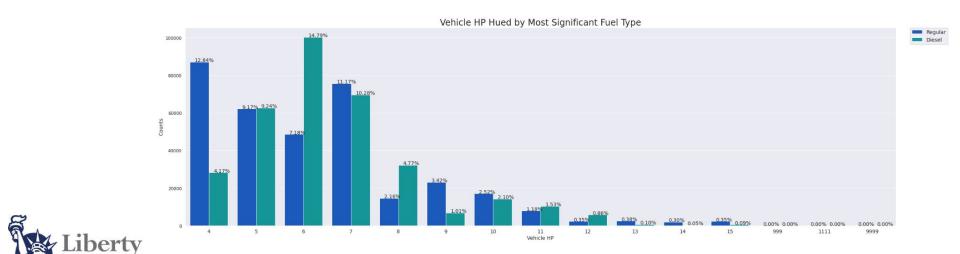


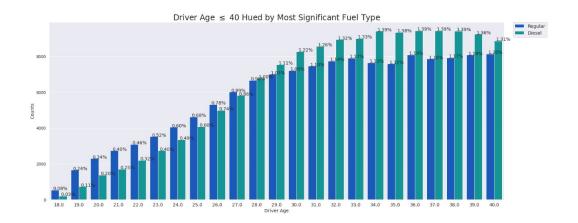


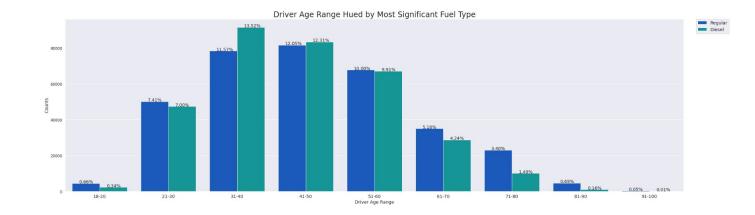
	policy_desc	claim_count	num_vehicleAge	num_noClaimDiscountPercent	num_populationDensitykmsq	ord_vehicleHP	num_exposure	num_driverAge	num_PREMIUM_DISC	num_PREMIUM_INC	num_exposure_Months
policy_desc	1.000000	-0.127934	-0.156920	-0.005584	0.070751	0.002783	-0.127131	0.063696			-0.129044
claim_count	-0.127934	1.000000		0.050545	0.010757	-0.000676	0.055094	0.011390		0.049288	
num_vehicleAge	-0.156920	-0.021770	1.000000	0.079912	-0.090439	-0.000512	0.119968	-0.059206	0.017600	0.016707	
num_noClaimDiscountPercent				1.000000	0.077704	-0.001386	-0.145788	-0.479965	0.184404	0.374665	-0.145430
num_populationDensitykmsq			-0.090439	0.077704	1.000000	0.001269	-0.055912	-0.004688	0.020273		-0.056289
ord_vehicleHP			-0.000512	-0.001386	0.001269	1.000000	-0.002053	0.000289			
num_exposure	-0.127131		0.119968		-0.055912	-0.002053	1.000000	0.137534			0.999010
num_driverAge	0.063696	0.011390	-0.059206	-0.479965	-0.004688	0.000289	0.137534	1.000000	-0.198562		0.136557
num_PREMIUM_DISC		-0.018478		0.184404	0.020273	-0.002200	-0.044023	-0.198562	1.000000	-0.289523	-0.043500
num_PREMIUM_INC	-0.012801			0.374665	0.010292	-0.000703	-0.013605	-0.079382	-0.289523	1.000000	-0.013719
num_exposure_Months	-0.129044		0.121810	-0.145430	-0.056289	-0.002022	0.999010	0.136557	-0.043500	-0.013719	1.000000



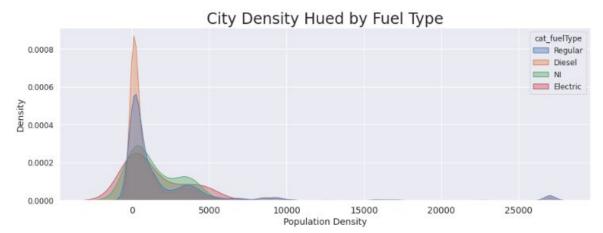


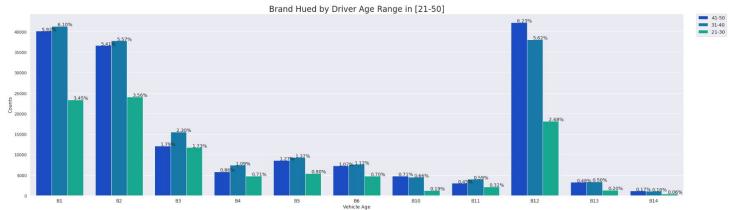














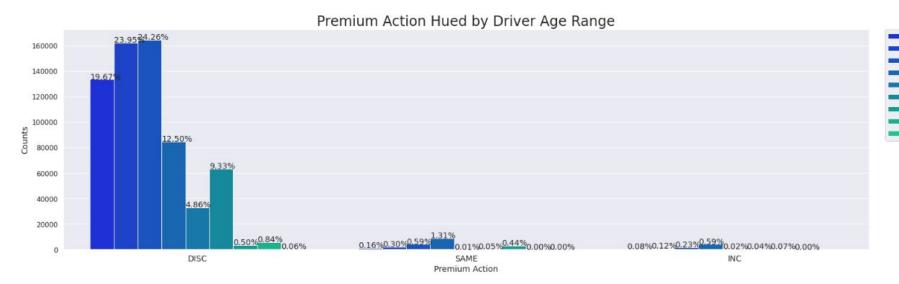
31-40

21-30

71-80

61-70 18-20 81-90

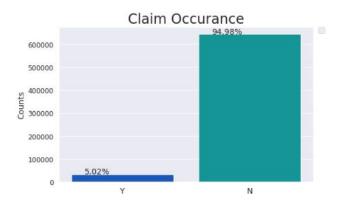
91-100



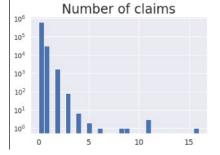
- → Notice that in bivariate analysis the EDA could still spend so much time. So far, the bivariate analysis was performed using some basic key-insights in way to gather some kind of information.
- → What else could be done in Bivariate and Multivariate EDA?
 - The limit is the imagination! We could try scatter plots to verify if there's some kind of preferred direction say Drivers' Age VS Exposure?
 - Check the correlation between resources. Find out if there're correlated or anticorrelated behaviours (Probably both).
 - And so much more.
 - But, let's focus on the target analysis. And the correlation between the resources.

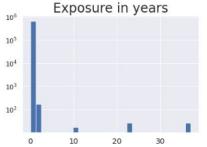


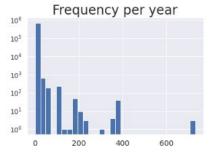
- This isn't exactly a pricing model, however it's the first step towards one.
- → What is known as loss cost model is simply predicting claim frequencies, meaning the rate of expected number of total claims by customer per unit of exposure time policy. The common trend of analyses in insurence predicting claim model shows that the distribution usually follows a Poissonian one. For this reason, the natural choice and most simple one is to start with a GLM with Poisson distribution and log-like funtion.
- → On one hand, following this trend the Poisson distribution, by definition, has mean equals variance. On the other hand, in real data, this isn't a given. But, and there'a a big BUT here... Let's take it for granted! :D



- Claim occurance is highly skewed, *i.e.* ~95% of policies don't have any claim at all.
 - Some possible reason to this behaviour usually might be associated with nonreporting claims.



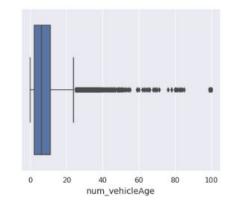




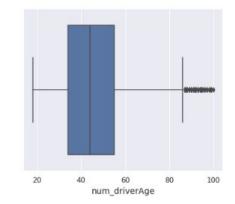
Research



IQR 01 $O1 - 1.5 \times IOR$ $Q3 + 1.5 \times IQR$ Median -1σ 0σ 1σ 2σ 3σ 4σ -2.698σ -0.6745σ 0.6745 σ 2.698σ 24.65% 50% 24.65% 0σ 1σ 2σ 3σ -2σ 4σ







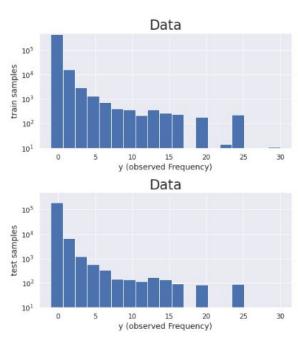
	PERCENTILE	FREEZED VALUE	COUNT
num_vehicleAge	99.9	33.0	433
num_driverAge	99.9	89.0	413

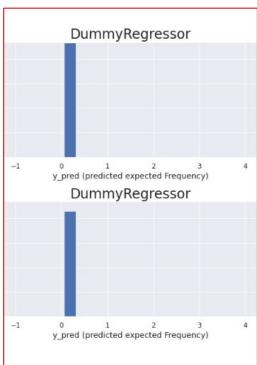
- - → The above figure is a very common way to search for outliers. This technique is called Turkey's Method and can be used to exclude data by setting as threshold the inner or outter fences:
 - ♦ Inner: 1.5 * Interquartile-Interval
 - Outter: 3.0 * Interquartile-Interval
 - Another method could me by means of z-scores analysis, where z is defined by $(data_{i} + data_{mean})/data_{std}$
 - Z-scores simply means how far away we are from the mean value in a given feature.

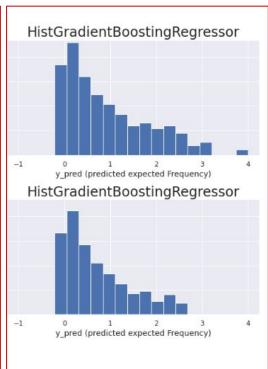


Dummy Regressor Gradient Boosting Regression Trees for Poisson Regression

Modelling



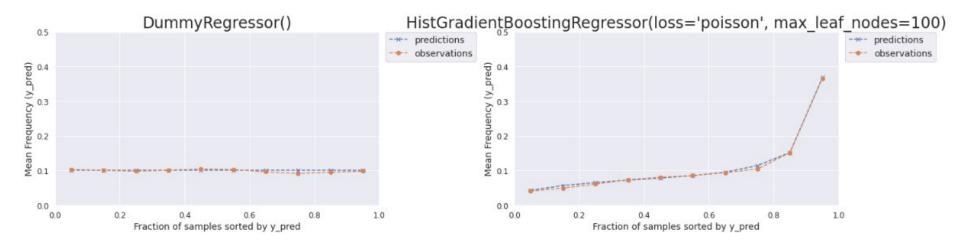






Dummy Regressor Gradient Boosting Regression Trees for Poisson Regression

Modelling

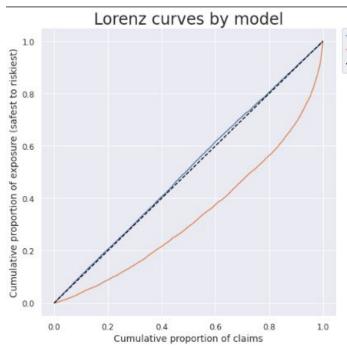


Meaning...? Ok, but why is it so important?

- → Dummy Regressor:
 - Predicts a constant frequency of claims by policy holder.
- → Gradient Boosted Tree Regressor:
 - ♦ Shows a much better consistency between observed targets (our ground truth) and the predicted ones (our expectation).



Modelling



DummyRegressor() (Gini: -0.01)
 HistGradientBoostingRegressor(loss='poisson', max_leaf_nodes=100) (Gini: 0.34)
 Random baseline

- → The most important result, and what's really important to business decisions, is how to use the predicted frequency and turn it into a valuable product for tha insurance company.
- → In this case, probably we're most likely interest in the ability of the model to rank riskiest from the safest customers (policyholders).
- → However, this would be the case of casting the model evaluation as a ranking problem rather than a regression one.

